## Mine Design Examples Using Simulation

## John R. Sturgul

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## Preface

Computers, especially the personal computer or PC, are now a standard tool of the mining engineer. The popularity of the personal computer has made it possible for the mining engineer to have immediate access to his or her own computer. Along with this increase in computers, there are now a multitude of software packages available. A casual reading of any of the popular computer periodicals reveals what may seem like a staggering number of such packages. In addition, there has been a burgeoning of computer languages that are not traditionally taught in mining programs. A problem now facing the mining engineer is how to use these computers, the software, and the languages to best advantage.

This book is intended to show how a particular computer language, GPSS (General Purpose Simulation System), can be applied to a wide variety of problems that arise in everyday situations in mining. This book also is intended to be used as a supplement to normal instruction in various mining engineering classes, including those on mine design, mine equipment selection, or computer applications in mining. There are numerous exercises at the end of most chapters, and all have the answers given at the end of the book. It is not assumed in this book that the engineer has a working knowledge of any computer languages as the programs all run by keying in a simple list of instructions.

This book is divided into three parts. Part I is a review of simulation in mining and a discussion of why the GPSS/H simulation language (a version of GPSS) was selected. It is interesting to note that mining engineers were eager to embrace the computer as soon as it was made generally available for use in mining applications, including mining simulation. Part II is an introduction to the GPSS/H simulation language and is divided into 28 chapters. In order to obtain the most benefit from the mining examples that are given in Part III, a
knowledge of GPSS/H as presented in Part II is essential. The student version of GPSS/H can be used to learn the language. A bonus from studying GPSS/H: As one learns more about the language, one automatically learns how to do simulation studies.

If one were to look first at the computer programs that are used for the examples for Part III, they would seem strange. However, as familiarity with the GPSS/H language grows, so does one's appreciation of the power of GPSS/H, the speed at which it can model systems, and the compactness of the programs. All of the program blocks (i.e., lines of code) used in the 30 examples from Part III are covered in Chapters 5 to 31 of Part II. Chapter 32 includes a few additional GPSS/H blocks that might be useful in other mining applications.

Part III is contained on the CD included with this book. It encompasses 30 examples from a wide variety of mining operations, some large, some small, some from surface mines, some from underground mines, some foreign, and some domestic. The suggested way to approach each of these examples is to read the explanation of the example and run the program-via the student version of GPSS/H included on the CD-for the example by using the sample data given with it. The program to simulate each of the examples is interactive; the user is prompted to input the data used in the simulation. The animation can then be run to view the mining operation on the screen in "cartoon" fashion. There are also exercises to go with the examples that should further increase one's knowledge of mine system simulation; the answer to each of these exercises is given.

It may seem strange to introduce the mining engineer to a new computer language, especially one that is not taught in traditional mining programs. Most (if not all) mining engineers are exposed to a problem-solving language such as Fortran or BASIC (and, in some cases, Pascal or C) early in their education. It will be a pleasant surprise to learn that programs for simulation problems that take thousands of lines of computer code in Fortran can be written, in many cases, in GPSS/H with 100 (or fewer) lines of code. For example, consider the basic queueing model of a single server (a shovel loading trucks in a mine), infinite population (there are numerous trucks in the mine), random arrival (the trucks arrive at no set time), and random service (the loading times are variable). This elementary model is discussed in every book on queueing theory. If the various arrival and service times are given by the exponential distribution, this is known as the $\mathrm{M} / \mathrm{M} / 1$ model. This problem is modeled in only 7 (!) lines of code in GPSS/H. All of the examples in this book are solved in less than 125 lines of code (that's the limit of the student version of GPSS/H). Some of the examples represent quite complicated mining situations.

The practicing mining engineer might simply thumb through this book to learn of the wide variety of problems that can quickly and easily be solved by using GPSS/H. Programs in the GPSS/H language are given for each problem discussed, and they can kept in a file and run with no programming involved. The person experienced with the language, however, might choose to modify one or more of the programs to suit a particular problem. An even more
important point is that, on the CD , animations are given for each example so that the viewer can "see" the results. This ease of program access and visualization of results sets this book apart from other mining books. Not only does one solve a problem in an example, but one "views" the answer.

Since GPSS was first introduced by IBM in 1962, several versions have been in use. The recent versions are quite different from the original GPSS. The one that will be used in this book is GPSS/H, which is designed for the personal computer. Included with this book is a limited (student) version that will allow the user to run all of the programs in the book.

All of the examples have been animated through the use of the software known as PROOF. These animations are "postsimulation" in that the simulation is run first and an output file is created to be used with a layout file. The normal way to do an animation is to first create the GPSS/H program to do the simulation and then convert its results to create an output file that serves as input to PROOF, which runs the animation. The programs to create these animation files generally exceed the limits of the student version of GPSS/H and therefore are not included on the CD. It is beyond the scope of this book to explain animation programs; the interested reader is directed to software providers such as Wolverine Software Corporation, 2111 Eisenhower Avenue, Suite 404, Alexandria, VA 22314-4679, Phone: (703) 535-6760, Fax: (703) 535-6763 (mail@wolverinesoftware.com). Full directions on running the animations are given in Appendix A. In some cases, there will be more than one animation for a single example. These animations are "demo" versions. This means that they have the full capabilities of the regular animations, but changes that the viewer wishes to make cannot be saved.

Appendix A also gives instructions on the running of GPSS/H programs, and a README.DOC file has been provided on the CD. The programs in Part III can be run without any knowledge of the GPSS/H language, but, for maximum benefit, it is hoped that the reader will study the language first. For detailed instruction in the language itself, such as the way the GPSS/H processor works in moving the transactions through the system, the books by Tom Schriber are recommended highly. Both are referenced on the next page. The 1974 book covers the GPSS language more thoroughly than the later one. The 1991 textbook specifically deals with using GPSS/H on PCs and is more concerned with an introduction to discrete system simulation. The GPSS version discussed in 1974 is designed for punched cards and mainframe computers.

For the person who already is proficient in programming with a version of GPSS for the mainframe, the differences between GPSS/H and the mainframe version can be learned from reading Schriber's 1991 textbook. Be forewarned, however, that the differences are many! The main features of GPSS/H used in the examples in this book include a floating-point clock, the ability to include DO loops, referencing of functions via parentheses, the use of symbols such as " $=$," "AND," "OR," etc., in logic statements, and, of course, the customized reports.

Schriber, T.J., 1974. Simulation Using GPSS. New York: John Wiley and Sons. This reference is now out of print but available from Krieger Publishing Company, P.O. Box 9542, Melbourne, Florida 32902. This is the book referred to simply as "Big Red" or the "Red Book."
Schriber, T.J., 1991. An Introduction to Simulation Using GPSS/H. New York: John Wiley and Sons. This reference includes the student version of GPSS/H.

## Contents

PREFACE $V$
ACKNOWLEDGMENTS x
PART I GPSS/H AND SIMULATION IN MINING 1
INTRODUCTION 3
PART IIA BIT ABOUT GPSS/H 7
REVIEW OF SIMULATION IN MINING ..... 13
REVIEW OF SIMULATION MODELS ..... 19
THE GPSS/H SIMULATION LANGUAGE ..... 33
SAMPLE GPSS/H PROGRAMS ..... 35
THE Generate AND terminkate Blocks and the start STATEMENT ..... 51
THE TRANSFER BLOCK ..... 65
THE PUTSTRING AND PUTPIC STATEMENTS AND WRITING TO FLLES ..... 77
the advance block ..... 87
quEUE AND DEPART BLOCKS ..... 93
seize AND release Blocks ..... 99
ENTHER AND LEAVE BLOCKS ..... 111
THE CLEEAR, RESET, AND RMULT STATEMENTS ..... 127
FUNCTIONS ..... 133
MORE ON STANDARD NUMERICAL ATTRIBUTES: ARITHMETIC IN GPSS/H ..... 151
THE TEST BLOCK ..... 157
GPSS/H SUPPLED FUNCTIONS ..... 167
PARAMETERS, THE LOOP BLOCK, AND THE EQU STATEMENT ..... 179
TABLES IN GPSS/H ..... 197

SAVEVALUES 207
LOGIC SWITCHES AND GATES 217
OTHER FORMS OF THE TRANSFER BLOCK 227
AMPERVARIABLES; DO LOOPS; GETLIST STATEMENTS; IF, GOTO, HERE, AND LET STATEMENTS 241

THE SELECT AND COUNT BLOCKS 255
MATRICES 267
VARIABLES, EXPRESSIONS, AND THE PRINT BLOCK 283
BOOLEAN VARIABLES 289
THE BUFFER BLOCK 301
THE SPLIT BLOCK 307
ASSEMBLY SETS AND THE ASSEMBLE, GATHER, AND mATCH BLOCKS 321
MACROS 335
OTHER GPSS/H BLOCKS 341

## PART III

EXAMPLES ON THE CD 349
APPENDIX A: RUNNING THE PROGRAMS AND ANIMATIONS 351
APPENDIX B:
SNAS USED IN BOOK 357
APPENDIX C: HISTORICAL GPSS/H FORMAT 361

INDEX 363

## PART I

## GPSS/H and <br> Simulation in Mining

## CHAPTER 1 <br> Introduction

GPSS (General Purpose Simulation System) is an extremely versatile computer programming language. Originally developed in 1961 to solve very simple simulation problems, it has evolved until, in its present state, it can solve a wide range of problems. Many of these problems are of direct concern to the mining engineer. Benefits of using GPSS include the following:

1. It is easy to follow the logic of the programs.
2. The programs are short. Hence, they are quickly written.
3. Execution times are short.
4. Versions are available for PCs.
5. The programs are easy to change as modifications in the model are required.
6. It is a dynamic language in that it constantly is being modified and improved.
7. It has a proven track record for simulating a wide variety of mining problems.
8. The last benefit is possibly the most important-it allows problems of a practical nature to be solved quickly and easily.

GPSS/H-the version of GPSS used in this book-is not, however, an easy language to master. Like all practical computer tools, it takes time and effort to learn all of its many facilities. However, just as a person can use a common spreadsheet without knowing all of its many features, so can one use the GPSS/H programs in this book without being a GPSS/H expert.

This book will introduce the mining engineer or student to some of the many possible applications of GPSS/H. The approach is to present different mining problems for which the solution can be obtained by using GPSS/H. If a person attempted to use a traditional engineering language such as Fortran to model these problems, the programming effort would be on the order of 100 times as
great as that required when using GPSS. In most, if not all cases, it is doubtful if most mining engineers would have the programming skills or patience to write the Fortran code. In fact, it is doubtful if many actual mining operations could even be simulated through the use of traditional engineering languages. However, when using GPSS/H, this is not the case. Now the mining engineer has time to ensure that the computer model does indeed represent the real-life situation, by making sure that the data used are correct and by making refinements to the model as needed. The actual programming to solve the problem should be a minor part of the whole problem-solving process.

Part II of this book is an introduction to the GPSS/H language. A knowledge of this is important for any mining engineer who wants to understand how the models in Part III were constructed and who eventually wants to construct his or her own models. The language is presented with numerous examples that the reader should run. The solutions to all of the exercises at the end of each chapter in Part II are given at the end of the book. There is only one way to learn a computer language, and that way is to run numerous examples. Each time an exercise is successfully run, the student of GPSS/H will gain something. GPSS/H is fairly easy to debug and the compiler will attempt to determine the place and type of any error. Part II was written by using notes from numerous short courses on the subject. However, what is presented in Part II is in much more detail than what can be taught in a four-day short course. Also, there are many more exercises.

Each mining example in Part III is followed by the GPSS/H program for its solution. No fluency with GPSS/H is needed to begin using the book other than a knowledge of how to run the programs on the computer and how to interpret the results. Naturally, to obtain the most benefit from this book, one should be familiar with how GPSS/H works. Thus, a few remarks about the language follow.

GPSS is a programming language that was introduced originally to assist in solving problems having to do with manufacturing. All the versions of GPSS are used to build computer models to represent systems that can be characterized as consisting of discrete events. A discrete event is one in which, during a small increment of time, the state variables change only a countable number of times. Examples of discrete events include a truck being loaded, a shovel breaking down, a quantity of ore arriving at the end of an ore pass, a ship arriving in a port, etc. Since mining operations can be viewed as consisting of a large number of such separate events, the GPSS language is a natural for use here. In fact, even for situations in which more than one thing happens at the same time (truck A is loaded at, say, simulated time 10023, and truck B finishes dumping its load at the same time), GPSS can still be used.

GPSS in all its versions is a nonprocedural language (Fortran, BASIC, Pascal, etc., are procedural languages). This distinction means, briefly, that GPSS is designed for a special purpose and tries to anticipate what the programmer is doing. For example, one need not use any commands for generating output:

GPSS assumes that the programmer is interested in the results of a simulation, and so automatically it keeps track of data relevant to simulation studies and presents the results at the end of the program.

The first few examples in this book are short, and the programs are easy to follow by beginning GPSS/H programmers. However, the rest of the examples are not given in any particular order. In some cases, exercises are given for the interested reader to work in order to extend the solution. Some of the examples were selected from actual mining situations with few, if any, changes to the data. In a few cases, the examples were selected from ones that appeared in professional papers. These were problems that authors had indicated were solved by some form of computer simulation, although not necessarily GPSS/H. These problems are now resolved by using GPSS/H with minor changes to the problem or data as were required. Some of the examples illustrate the great versatility and power of GPSS/H; others were chosen to illustrate how some feature of GPSS/H can be used to solve a particular mining problem. A discussion of the particular GPSS/H features used to model each problem is kept separate from the problem statement and solution. Thus, a person who is not familiar with the language can omit this section in each chapter.

It is hoped that, after the engineer or student has studied and run the programs that are presented here, she or he will have obtained both a degree of fluency in constructing simulation models and an appreciation of their purpose. Since GPSS/H is a language and not a package, each time the problem changes, a new program has to be written or a previous one modified. However, by studying and running the examples here, the general form of the programs will be learned. The best way to use this book is to run each of the examples and then pose the "What if?" questions that come to mind. The programs can be suitably changed to answer most of these questions; often only a few changes to the program are required. By following this approach, one can also learn a great deal about the power of the GPSS/H language.

For the engineer who has not used a programming language for some time, there is no reason to be concerned about being able to learn GPSS/H. The language is quite different from most other languages (it does resemble a few other simulation languages but is nothing like Fortran). In fact, knowledge of other computer languages can be a bit of a hindrance at times. It is assumed in this book that the engineer has a working knowledge of Fortran, but this assumption has been made primarily to ease the pointing out of the differences in the languages. The benefits gained from learning GPSS/ H will be worth the time and effort needed to learn how to use it.

Since this book is designed as an introduction to the types of problems that can be solved by simulation models, the engineer may wonder how long it will take to actually build a simulation model of a large, working mine. The answer is that, by the end of three days of intensive instruction, he or she should be able to have a degree of confidence in understanding GPSS/H programs for simple mining problems. One learns that, in going from many simple mining
situations to more complicated ones, the GPSS/H program involved is not hard to write-only more lines of code are needed. Programs become longer but not more difficult. This cannot be said for Fortran.

Mastering GPSS/H is not simple. For this reason, an introduction to the language is provided in Part II. However, there is no quick and easy way to learn any computer programming language, and GPSS/H is no different. In order to really be able to apply GPSS/H to complicated mining problems, one must be prepared to spend many long and hard sessions at the computer. But once a person makes enough programming errors and then learns why the program did the wrong thing, the next program becomes just that much easier to write. The skills gained in learning GPSS/H will enable the mining engineer to solve problems that were beyond his or her reach previously.

## CHAPTER 2 <br> A Bit About GPSS/H

This chapter is intended to answer questions about the GPSS/H language and is presented in a question and answer format.

## Why USE THE GPSS/h LANGUAGE?

All of the examples in this book are solved by using the GPSS/H simulation language. Since this computer language is generally not the first one that mining engineers have been trained to program in, it is appropriate to learn why GPSS/H was selected. In fact, there are multiple versions of GPSS available. Of all the GPSS versions available, however, GPSS/H is by far the most advanced. It was designed specifically for the personal computer. It contains features that the other versions of GPSS do not have. Switching from one version to another is not at all difficult, but the user should be aware that many of the features of GPSS/H will not work on other versions.

## WHAT IS GPSS/H?

GPSS/H (the version of the General Purpose Simulation System developed by James O . Henriksen, which explains the H ) is both a computer language and a computer program. It was designed for studying systems represented by a series of discrete events. GPSS/H is a low-level, nonprocedural language.

## WHAT IS A DISCRETE SYSTEM?

A discrete system is one in which only a countable number of events can occur at one time. These discrete events might be trucks being loaded, ships entering a harbor, people entering a bank, cars traveling on a road, parts moving on a conveyor belt, etc.

## WHERE DID GPSS/H COME FROM?

GPSS originally was developed by Geoffrey Gordon for IBM in the early 1960s, so it has been around for quite some time. However, it is a dynamic language in that new versions such as GPSS/H are introduced every three or four years. It is now a multivendor language, and various versions are available. It is widely used on both mainframes and PCs. By 1972 there were at least 10 versions of GPSS available, and many of these have survived in one form or other. Greenberg (1972) presented details about these early versions of GPSS and traced their histories.

## WHAT ABOUT MODERN VERSIONS OF GPSS?

Since GPSS has been around for quite some time, it is natural that people who were introduced to it in its early stages may not be aware of how it has changed. An excellent summary of its development is given by Schriber (1988). Schriber has listed the common, modern versions of GPSS (GPSS/H, GPSS V, GPSS/PC, GPSSR/PC, and GPSS/VX) and where to obtain relevant information regarding each. The latest versions of GPSS/H for the PC include animation display so that the simulation can be viewed in "cartoon" fashion. In fact, it is possible to find certain functions performed by GPSS/H embedded in other languages such as GPSS-Fortran, APL-Fortran, and PL/1-GPSS. Schriber's paper gives references for these.

Henriksen (1983, and subsequent company updates) has dispelled some of the myths that have grown up surrounding GPSS/H.

1. GPSS/H is an inherently slow simulation language. This is no longer the case. In fact, comparisons of GPSS/H with other simulation languages by Abed et al. (1985a, 1985b) show that GPSS/H is many times faster than other languages such as SLAM and SIMSCRIPT.
2. To make sophisticated simulations with GPSS/H, one must eventually revert to other computer languages. This is rarely the case anymore. In fact, none of the examples presented in this book reverts to any other computer language.
3. Learning GPSS/H is trivial. Any computer language takes time and practice to master, and GPSS/H is no exception. Most industrial short courses last four to five days by which time the participants have a sound introduction to the language. It is normally taught on the university level as a full semester course.
4. Modeling difficulties more often are due to shortcomings in the computer language used than the modeler's level of expertise. This is certainly not the case with modern versions of GPSS/H. Gordon (1978) and Henricksen (1983) gave examples of people who blamed GPSS for their lack of expertise in solving simulation problems when the real fault lay with their own lack of programming expertise.

## WHAT IS A NONPROCEDURAL LANGUAGE?

A nonprocedural language is one that anticipates what the programmer is attempting to do and allows the computer code to be very short. Often the programming code for a nonprocedural language appears very similar to the problem it has been designed to solve. For example, an array of data may be sorted by using a procedural language in one of several ways. One way is to find the smallest (or largest) element, place this at the front of the array, and then sort through the remaining elements for the next smaller (or largest), find it, and place it second in the list, etc., until the array is sorted. This method involves numerous comparisons of data and, thus, many lines of code. A nonprocedural language that is used for handling databases that commonly must be sorted may have a single command-namely, SORT-to do this task. In another example, simulation studies often involve queues. To model a queue in GPSS/H to gather certain statistics, the single line of code (known as a block) might be

3 ПQUEUE —DUMP
No code for output is needed: GPSS/H automatically will gather relevant statistics and output them when the program is finished.

People seeing a GPSS/H program for the first time tend to remark "Is that all there is to it?" In the study of queueing theory, one soon encounters a system having a single server for people arriving at random times from an infinite population. One case of this is known as the $M / M / 1$ (the first $M$, which comes from Markov, indicates that the arrival rates are Poisson, the second M for exponential server, and the 1 indicates a single server). This system is modeled in GPSS/H by using only 7 (!) programming blocks. The equivalent Fortran program would take many hundreds of lines of code. In addition, to make changes in a GPSS/H program to answer the "What if?" questions often takes only a few lines of code. If a system is being studied with room for only 8 trucks, the relevant line of code may be
$\hat{3}$ ITRUCKS $]$ STORAGE 8
To study the same system but with room for 9 trucks may involve changing only the above line to
¢ [TRUCKS ISTORAGE 9

## IS GPSS/H HARD TO LEARN?

GPSS/H is not any more difficult to learn than any other programming language. Most people find it easier to learn than traditional engineering languages such as Fortran, BASIC, or Pascal. After about 30 or 40 hours of instruction, most engineers find that they can proceed on their own with writing practical simulation programs. Since it is a very popular language, numerous short courses are held throughout the world.

## WILL A KNOWLEDGE OF OTHER LANGUAGES HELP TO LEARN GPSS/H?

The logic behind GPSS/H is so different that knowledge of other procedural languages may be a hindrance. Of course, knowledge of any other simulation language is a different matter.

## What about using other simulation languages?

Other simulation languages exist that are quite good for solving simulation problems relating to mining. Some of these are SIMAN (ARENA), SIMCRIPT II.5, and SLAM. The solutions obtained by investigators using these languages may well be as accurate as those obtained by using GPSS/H.

## WHY CHOOSE GPSS/H?

GPSS/H was selected as the language for this book for the following reasons:

1. It is multivendor so it is continually being upgraded.
2. It is widely available.
3. It is written in machine language and, therefore, is inherently very fast.
4. It can solve a wide variety of problems rapidly and accurately. These problems come from many sectors, such as manufacturing, engineering, business, and science.
5. It has withstood the test of time, having been introduced by IBM in 1961. Other simulation languages have fallen by the wayside.
6. It has proved to be extremely versatile for modeling mining and miningrelated operations. These include both surface and underground operations as well as material flow through a smelter, mill, and refinery.
7. It is easily coupled with PROOF for making animations.

## WILL GPSS/h REPLACE LANGUAGES SUCH AS PASCAL, bASIC, OR C?

No. There are a large number of problems that should and always will be solved through the use of traditional computer languages. Furthermore, there is the possibility of having packages available based on traditional languages to solve mining problems. Learning GPSS/H enhances a person's computer skills rather than replacing any. In this regard it can be looked upon as adding a computer skill such as word processing or learning how to construct a spreadsheet. Knowledge of these techniques does not replace programming skills using traditional procedural languages.

## HOW ABOUT A COMPARISON BETWEEN FORTRAN AND GPSS/H?

Here is a rough comparison. The actual values will depend on the particular problem. Consider the problem of writing the computer code to simulate the operation of a large openpit copper mine such as the Panguna Mine on the island of Bougainville, in the South Pacific.

|  | GPSS/H | Fortran |
| :--- | :--- | :--- |
| Time to write program | few days | many months |
| Execution time | $<\mathbf{1}$ minute CPU | $3-4$ hours CPU (386) |
| Ease of changing program | trivial | up to a week |
| Lines of computer code | $300-400$ | $20,000-50,000$ |
| User friendly? | yes | no |
| Graphical output | a few lines of code | many additional lines of <br>  <br> Animation? |

## BUT AREN'T FORTRAN PACKAGES ON THE MARKET?

Yes, but these tend to be very expensive (some around $\$ 50,000$ ), hard to change, and not user friendly. Also they take a great deal of CPU time to run. These tend to solve only a severely restricted class of problems. In addition, animation is not available.

## IS GPSS/H WIDELY USED IN OTHER SPECIALTIES?

Actually, GPSS/H is arguably the most widely used computer simulation language for discrete system simulation. It is used throughout the manufacturing industry.

## WHY IS GPSS/H NOT USED MORE BY MINING ENGINEERS?

There are several reasons. Mining engineers do not normally obtain an early exposure to it since their training in computer languages is confined to Fortran or Pascal. Graduate students often learn GPSS/H for their individual research projects but not for teaching purposes. Some engineers may have heard of an early version of it and not be aware of the tremendous advances that have been made. However, it is now common to have instruction in static modeling for mine design. These models are the computer-aided mine design packages that assist the mining engineer to display and study the mine via computer terminals. The next logical progression is to use the computer to study dynamic simulation models of the operating mine. Thus, the use of simulation models should increase as mining engineers continue to develop skills in computer applications in mining.

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## CHAPTER 3 <br> Review of Simulation in Mining

Mining engineers have been interested in using computers to build simulation models of mining operations ever since the computer was introduced and accepted into their industry. This chapter, modified from Sturgul (1996), gives a brief history of the development of such models in the mining industry.

## SOURCES

Excellent sources of references for models developed in the 1960s and 1970s when computers were first being used by the mining engineer are the proceedings from the APCOM (Application of Computers and Operations Research in Mining) conferences. The first of these was held in 1961 at the University of Arizona in Tucson, Arizona, USA. Since then, there have been over 20 such conferences held in many different countries, and similar conferences are now held in Canada and Australia. Conferences such as the International Symposium on Mine Planning and Equipment Selection, which are held throughout the world, also provide a valuable source of references.

## EARLY SIMULATIONS OF QUEUEING PROBLEMS

Many of the models encountered in mining are examples of queueing theory, such as trucks arriving at a loader or a dump. A knowledge of the concepts of queueing theory is essential for anyone interested in building and understanding simulation models. There are textbooks devoted to just this subject, and it is covered in any modern treatment of operations research.

Koenigsberg (1958) published one of the first, if not the first, papers on queueing theory applied to mining. This was, in fact, the first published result of a mathematical solution to a general cyclic queueing theory problem. Koenigsberg solved the problem of determining the production for a set number of crews working at the faces for several underground coal mines. In one case, there were 5 crews (cutting, drilling, blasting, loading, and bolting) and 5 faces. The order of working was set, and only one crew could work at one
face at a time. When a crew finished at one face, it went to the next face and, if no crew was working on it, started its job. If another crew was at the face, the arriving crew had to wait in a queue. The crews did not leave the system and cycled from face to face (hence, the name "cyclic queues"). The distribution of the range of times to do each operation was found to be exponential. Koenigsberg was able to obtain an exact mathematical solution and compare his results with actual mines in the state of Illinois, USA. Koenigsberg's problem is presented as Example 16 in Part III with several variations added. An excellent summary and review of cyclic queues is given by Koenigsberg (1982). Cyclic queueing theory has been used in many industries such as shipping, manufacturing, and electronics.

## EARLY SIMULATIONS OF MINING OPERATIONS

Rist (1961) published the first work of a computer simulation of a mining operation. This paper was presented at the first APCOM as well as published in a trade journal. Rist's problem was taken from an actual underground molybdenum mine where his model was used to determine the optimum number of trains to have on a haulage level. Loaded trains had to queue at a portal and wait until the single track was clear as well as wait until the crusher area was free (only two trains could be at or waiting at the crusher). Other restrictions were imposed on the system to make it as lifelike as possible. Rist used a now obsolete version of one of the first attempts at a simulation language. A modification of his model is given as Example 18 in Part III. Several years after Rist's work, Harvey (1964), also at an APCOM meeting, elaborated on Rist's model and specifically mentioned that the GPSS language was used in the simulation. This was the first reported application of a modern simulation language to a mining problem.

During the 1960s other investigators were building computer simulation models of mining operations. However, the computer language used was primarily Fortran. Although this choice was logical since mining engineers were taught this language and it was (and is) universally used, it was not the most efficient language to use. Programming was much slower when using punched cards, and considerable time and effort were spent in writing and debugging the programs. Few mining engineers were interested in learning a second or third language.

One particular problem in mining that concerned engineers was to construct models of conveyor belts, especially for underground coal mines. Sanford (1965) appears to have been the first to undertake this problem; by using Fortran, he simulated a conveyor belt system for his masters' thesis at Pennsylvania State University. In 1968, a large Fortran program, BELTSIM, was developed at the Virginia Polytechnic Institute and State University (described by Bucklen et al. 1969). Talbot (1977) gave an account of an application of BELTSIM to an Australian mine. For a coal mine, Juckett (1969) designed a belt system that could handle up to 25 belts and 12 loading points; the programming language was PL/ 1 . BETHBELT-1 was written for the Bethlehem Steel Corporation by Newhart (1977), who used GASP V, which is similar to GPSS in that it is a language designed for discrete-event
simulation. Hancock and Lyons (1987) described a package known as SIMBELT4 and reviewed the work done by the National Coal Board in England. SIMBELT4 was designed to predict the rate of flow at various points in a belt system and to estimate the ore in each storage bunker.

Suboleski and Lucas (1969) discussed a Fortran program (SIMULATOR1) that would simulate room-and-pillar mining operations. O'Neil and Manula (1967) used a simulation model for materials handling in an openpit mine, and Manula and Venkataraman (1967) were able to simulate truck haulage in an openpit. Waring and Calder (1965) discussed a simulation package developed for a particular mine in Canada. Madge (1964) was able to simulate truck movement in an openpit mining operation, also in Canada. The outline of a large package capable of simulating a wide variety of operations was described by Manula and Rivell (1974).

One of the best early examples of a computer simulation model for a working mine was by Cross and Williamson (1969). This model had to do with a working openpit copper mine in the Southwest of the United States. The mine was a truck-and-shovel operation with 5 shovels loading trucks that dumped at the ore crusher, the waste pile, or a leach area. Initially, the trucks were dedicated to a particular shovel. A simulation model was then constructed to determine if a dispatcher could be used to route the trucks to different shovels so as to minimize queueing time. The model assumed that all of the times were deterministic and was able to indicate that a dispatcher would indeed improve operations. The program, in Fortran, consisted of several thousand lines of code and took considerable time to write. Part III of this book contains several examples, such as $1,2,3,6$, and 12 , that are variations of this problem.

A more complicated model based on the paper by Cross and Williamson (1968) and using stochastic times for the various operations was published by Sturgul and Yi (1987) to demonstrate the power of the GPSS language. Their program consisted of fewer than 100 lines of code and, what is more important, took less than one hour to write.

In a benchmark paper, Bauer and Calder (1973) pointed out the advantages of using GPSS for openpit operations, especially to simulate load-haul-dump circuits. Steiker (1982) reviewed various simulation models and used GPSS for the simulation of an underground train-haulage system. Wilson (1985) gave an interesting background to the decision to use GPSS for the simulation of ore transport by surface rail for platinum mines in Africa. Basically, a local university reviewed the ore transport problem and suggested that the mining engineers involved learn and use GPSS. Students hired during the summer were given the responsibility of gathering the relevant statistics while the model was written and refined.

## PERSONAL COMPUTERS AND MINING SIMULATIONS

With the advent of personal computers and on-screen editing capabilities for rapid writing and debugging of programs, the mining engineer has been given new tools to assist him or her in the use of computers. Other languages
such as Pascal and C are being taught and used by engineers. The time required to learn new languages has been reduced substantially. Many engineers now are exposed to special-purpose languages, such as PROLOG for artificial intelligence or perhaps SQL for use to query a database. A nonprocedural language similar to GPSS is SIMAN. Mutmansky and Mwasinga (1988) presented an overview of this language. SIMAN was used by Tan and Ramani (1988) to study belt networks. One of the strong features of SIMAN is that it can be coupled with CINEMA to provide on-screen animation. In fact, animation is now a feature of nearly all simulation software. Each of the examples presented in Part III has a corresponding animation to view.

The examples in Part III have been simulated with the GPSS/H simulation language. The version used is Student GPSS/H, which is included on the CDROM with the book. This software has proven itself ideal for mining examples many times over. The GPSS/H language has been used for a wide variety of mining applications, some of which have been described by Sturgul and Harrison (1987a, 1987b). How the personal computer and GPSS/H can be used for mining applications has been discussed by Sturgul and Singhal (1988) and Sturgul (1987a). Other examples are given by Harrison and Sturgul (1988). Some of the examples in these papers deal with studying how a dispatching system would work in a surface coal mine, determining the height of the wall for a tailings dam for a mine located in the tropics, determining the optimum size of a storage bunker for an underground mine, and analyzing the equipment requirements for a medium-sized open pit iron mine. An example of how to use simulation to determine the optimum location of in-pit crushers is given by Sturgul (1987b).

Some of the examples given in this book represent many of the problems previously published by other researchers, often with changes to the data or variations to the problem. Since the GPSS/H language is so powerful, these variations generally were made to make the problems more complicated. Many examples come from or have been inspired by actual working mines, predominantly in Australia, the United States, and South America.

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## CHAPTER 4 <br> Review of Simulation Models

## SIMULATION MODELS

The GPSS/H computer programming language is a special language that is used primarily to simulate discrete systems. A discrete system is one in which, at any given instant in time, a countable number of things can take place. Nearly all of the problems one encounters in the study of queueing theory can be represented by discrete systems. Some examples include the following:

1. People entering a barbershop with a single barber. If the barber is busy, people wait in chairs in the waiting area until it is their turn.
2. People entering a bank with multiple tellers. The customers may either form individual queues at each teller or wait in a single queue (known as a "quickline").
3. Trucks working at a construction site where a single shovel loads each truck. The trucks travel to a dump area where they dump and then return to the shovel. This is an example of a cyclic queue. The elements of the system-in this case, the trucks-do not leave the system.
4. Ships entering a harbor with multiple berths. The ships need to be towed into a berth with 1 or more tugboats.
5. Telephone calls arriving at a central switchboard where they need to be routed to the correct extension.
6. Television sets on a conveyor belt arriving at an inspection station. If a set fails inspection, it may be sent back for adjustment, or, in the worst case, it is discarded.

A complete treatment of simulation theory is beyond the scope of this book. However, an understanding of how simulation models are constructed and what they tell us is not too difficult.

Most modeling involves some queueing such as happens when all the tellers are busy in the bank, all the pumps in a filling station are being used, or all the checkout counters at the grocery store are in use.

Consider a bank with customers arriving and tellers giving service. All the possible events that take place in the bank are discrete events or can be considered as being such. Events include customers arriving, customers joining a queue if all the tellers are busy, customers going to a teller who is free, and customers leaving the bank when finished. Perhaps some of the customers will leave the queue if the wait is too long, go to 1 or more other destinations, and return later. GPSS/H is excellent for simulating systems that have this type of queueing. As we shall see, it is very easy to model a great variety of very complicated systems by using GPSS/H.

## What will be modeled

The models we shall be studying might represent the bank working over a period of many months, an assembly plant that manufactures television sets, a barbershop where customers can obtains haircuts, shampoos, and manicures, or even a person doing his or her Saturday morning shopping. In some cases, the model may be only a small part of a large system, such as the tool crib in a large factory.

Simulation models will not "solve" any problem directly but provide information about how the system is working and then how it will work with certain selected parameters changed. Suppose a company has its own fleet of cars for its salespersons to use. If the cars need any service, whether of a routine nature or major repairs, this is done by 1 of 2 mechanics. The company is concerned that the mechanics are not able to keep up with the repairs and wonders whether it would be worthwhile to hire another mechanic. Before the simulation model can be constructed, the company must define the problem to be solved in greater detail than has been given here. The following information is also needed:

1. The company needs complete records of all service for each type of car. This includes the frequency of service and the distribution of times for the particular service.
2. The company needs to know what it would cost to hire a third mechanic as well as the cost in lost sales when a car is not available.
3. Cars that require routine maintenance or very minor repairs are given preference for service over those that are in for major repairs. This practice means that the cars needing less time-consuming repairs are put in the front of the queue of cars that are waiting for service.
4. When the sales manager brings his or her car in for service, it is given special status; this car is immediately worked on. Thus, even if both mechanics are busy, one will abandon the car being worked on and start the repairs on the manager's car.

The information obtained from the simulation model would include the following:

1. The model will show how the system currently works. Obviously, the computer model has to accurately reflect the system as it is working before any reliability can be associated with the results from the changed model.
2. The model will show how the system works with selected changes, such as the car repair facility with 3 mechanics.

## Modelling Ways to Increase Proflt

Consider a system consisting of a 2-person barbershop with customers arriving to have their hair cut. The shop operates 8 hours per day. There are 2 chairs for haircuts and 4 chairs for the customers to wait in if both barbers are busy. Thus, the system only can hold 6 customers. If a 7 th customer arrives and finds the shop full, he always will leave. Both barbers are identical so it can be assumed that they work at the same speed and the customers have no preference for either barber. They are served on a first-come, first-served basis. However, customers do not like to be kept waiting too long, and if a customer finds he has been waiting too long, he will leave the barbershop. The barbers know this behavior; therefore, the time required to give haircuts is a function of how many people are waiting, i.e., as more people are waiting, the 2 barbers will give haircuts faster. The customers do not arrive at regular intervals, and the haircuts are not given at the same time from one day to the next. Both arrival rates and haircut rates have known statistical distributions. Figure 4.1 illustrates the situation of the barbershop.


FIGURE 4.1 Two barbers and four chairs for waiting customers. Both barbers are busy, and three of the chairs are occupied.

The owner of the barbershop would like to study the shop to see if it would be profitable to add another barber or simply add another chair for customers to wait. Perhaps it would be possible to purchase new equipment so that the barbers can work even faster. Would the extra haircuts justify the expense of this equipment? GPSS/ H will assist in building a model to determine the most profitable step to take. The model can make 2 kinds of predictions:

1. The model will be only as good as the input data and the assumptions given above. The model is verified by checking to see whether it predicts that the current system works as outlined above.
2. Once the model accurately represents the barbershop as it currently works, the model can be modified to predict how the barbershop will work under different conditions.

Item 2 is where GPSS/H is so handy. As will be shown, changes in GPSS/H programs often are made by changing only a few lines of code. The fact that

GPSS/H programs can be so easily changed to answer "What if?" type questions makes it an ideal language to use for simulation studies.

Once the modeler is satisfied that the original model is correct, the simulation can be changed, but this time with the system having 3 barbers. Alternatively, the model can be run for 5 seats for waiting customers. Finally, the model can be run for different combinations of speeds for the barbers to cut hair.

By using the cost data for the various combinations of barbers, lost customers, profit per haircut, etc., the modeler then can determine the economics of the system and make the correct choice.

## A SIMPLE SIMULATION MODEL

The following example will illustrate the situation of a simulation model with constant arrival rates and constant service rates. Suppose a tool crib has 1 attendant to serve a large group of machinists. These machinists come for 1 tool at a uniform rate of 1 machinist every 5 minutes. It takes exactly 6 minutes to obtain the tool. Machinists earn $\$ 8$ per hour, and the tool-crib attendant earns $\$ 6$ per hour. The factory works an 8 -hour shift but stops for a 1 -hour lunch break. The crib is closed for lunch and at the end of the 8 -hour shift. In order to simplify the calculations, if a machinist is waiting for a tool either at the lunch break or the end of the day, he or she will wait and be served. The tool-crib operator does not receive extra pay for working overtime. Should the company hire another tool-crib attendant?

## Solution

This is a very simple situation and one that would rarely be encountered in practice. Even so, it will prove instructive to learn what simulation models can tell us. The problem will be solved first for 1 tool-crib attendant, then 2 , and then 3.

The machinists arrive every 5 minutes, so there will be 12 per hour arriving. In a 4 -hour time period, 48 will arrive. The first arrives 5 minutes after the tool crib opens and does not experience any wait. The second person arrives 5 minutes later and experiences a 1 -minute wait until the attendant is free. Similarly, the third person has a 2 -minute wait, etc., up to the 48th person, who has a 47 -minute wait. In a 4 -hour period there will, thus, be a total waiting time for the machinists of $1+2+3+\ldots+47$ or 1128 minutes at $\$ 8$ per hour. This represents a loss of $(1128 / 60) \times \$ 8$ or $\$ 150.40$. For the two 4 -hour periods in a day, this represents a loss of $\$ 300.80$. If 2 (or more) tool-crib attendants are working, there never will be a wait for a free attendant (only the 6 -minute wait for the tool). The following table summarizes these results as well as the case of 3 attendants.

|  | Number of Attendants |  |  |  |
| :--- | :---: | :---: | :---: | :---: |
|  | $\mathbf{1}$ | $\mathbf{2}$ | $\mathbf{3}$ |  |
| Number of machinists who arrive | 48 | 48 | 48 |  |
| Total time (minutes) waiting for free | 1128 | 0 | 0 |  |
| attendant |  |  |  |  |
| Cost of lost time per 4 hours | $\$ 150.40$ | 0 | 0 |  |
| Pay to tool-crib attendant per 4 hours | $\$ 24.00$ | $\$ 48.00$ | $\$ 72.00$ |  |
| Total cost per 8 hours | $\$ 324.80$ | $\$ 96.00$ | $\$ 144.00$ |  |

Clearly, the result of this simple model indicates that it would be advantageous to hire 1 additional attendant. Nevertheless, the result may or may not be useful to a company, depending on the accuracy of the originally stated conditions. These may need to be reevaluated:

1. An arrival rate of 1 machinist every 5 minutes was specified. In practice, the arrival rate will be random. There may be an average rate of so many machinists per hour, but, in general, the arrival time for a particular machinist will be random.
2. A constant service rate of the tool-crib attendants was specified. Here, too, in practice, the service rate normally will be random.
3. The tool crib closed every 4 hours, and anyone waiting for service when the 4 hours was up immediately left. In practice, the machinists about to be served still will obtain service.
4. When there is one attendant, the length of the queue tended to grow to an eventual size of 8 every 4 hours. This is not realistic. If the queue is too long, an arriving machinist will tend to leave and come back later when the line is shorter.
5. Each arriving machinist wanted only 1 tool. In practice, the number of tools needed may be 2,3 , or more.

It will be shown that, through the use of the GPSS/H language, a model easily can be constructed to include all of the above possible changes to the original assumptions. Problems, such as the one involving the optimal number of toolcrib attendants, are solved quickly and easily with GPSS/H.

## REVIEW Of QUEUEING Theory

The example of the queueing problem for the tool crib has an exact solution. There are very few such solutions available, especially for problems involving cyclic queues for a finite population. Cyclic queues are those in which the system under study has elements that do not leave, such as trucks working in a quarry. Here the trucks are loaded, haul, dump, and return to the loader.

Whenever there is a finite population, as soon as one element is doing a particular thing, the statistical distribution governing rates will change. Thus, if a
company has a fleet of 10 trucks to be studied, if 2 are being serviced, the probability of another coming for service is no longer the same as when all 10 were up and running. In general, in order to study complex systems in which queueing takes place, it is necessary to build computer simulation models. First, however, it might be instructive to review a few basic concepts from queueing theory. These have to do with the possible arrival distribution, service distributions, number of servers (and whether they operate in "series" or in "parallel"), the population size, and the queue discipline. There are 5 possibilities to consider:

1. Population-finite or infinite
2. Arrival time distribution-any statistical distribution including one that changes during the simulation
3. Service time distribution-any statistical distribution including one that changes during the simulation
4. Service facilities-single; multiple; equal or unequal service rates, for example
5. Queue discipline-first in, first out; last in, first out; priority placement in the queue; random placement, etc.

It may come as a surprise to the person who has not formally studied queueing theory, but it is not possible to obtain exact solutions to all of the situations described in this chapter (although a lot of very fine mathematicians have tried). However, several problems do have solutions, and these can be found in textbooks on operations research or queueing theory. As one learns how to construct simulation models, it is instructive to compare the results from the simulation model with what one expects to obtain from an exact solution.

## SIMULATION VS. MATHEMATICAL SOLUTION

To illustrate a comparison of a simulation model with one that has an exact solution, consider the case of a convenience store where customers arrive on the average of 24 per hour. The arrivals follow the Poisson statistical distribution. The single clerk in the store can handle 1 customer on the average of every 2 minutes. The distribution for this service is exponential. Service is first-come, first-served. The customers do not mind waiting if there is a queue. It is desired to simulate the store for 50 days or 10 weeks of operation, where a day is 8 hours in duration and the store operates continuously. Compare the results of a simulation with those obtained by an exact solution.

## Solutlon

The problem will be recognized as a standard one that is discussed in any text on queueing theory (e.g., Phillips et al. 1976). The exact mathematical solution is available, and equations can be found for determining the probability of the clerk being idle; the probability of any number of customers being in the store; the expected number of customers in the store; the average time for a customer to wait in the queue, to be in the store, etc.

Even though an exact solution exists to this problem, a computer program was written in GPSS/H to illustrate the way the language is used to solve such problems. The simulation model used the Monte Carlo technique, which employs a random-number generator to simulate both arrival times and service times.

First, a basic time unit needs to be selected. This normally is taken as the smallest time given by the statement of the problem. For the example here, a basic time unit of 1 minute is selected. Thus, the customers will arrive on the average of every 2.5 time units. The clerk can handle a customer every 2 time units. The simulation then is done for times of $8,50,100,200,400$, etc., hours. These times have to be converted to minutes since the basic time unit is a minute.

The simulation starts at simulated time $t=0$ and runs until the program reaches a point in simulated time that the programmer thinks will represent enough real time to yield correct results. Since the exact solution assumes steady-state conditions from beginning to end of the simulation, it is run for 4 simulated hours ( 240 time units) and then stopped. All relevant statistics, except for the number of customers in the convenience store, are discarded. Then, the simulation is restarted and run for the desired simulated time. The following lists a selected portion of the output from this simulation programthat for the simulated time of 400 hours:

| Customers served | 9605 |
| :--- | :--- |
| Percent time clerk is busy | $80.1 \%$ |
| Average number of customers in store | 4.122 |
| Average customer time in store | 10.2 minutes |

It should be noted that GPSS/H generally outputs proportions as 801 by default. However, as done here, it is possible to customize the output to show the values as percentages. For purposes of clarity in this book, all proportional input and output values are shown as percentages or, less commonly, in per mil. The following theoretical values can be found by use of simple formulas given in any book on operations research or queueing theory:

| Customers served | 9600 | (customers arrive on an average of <br> 24 per hour for 400 hours) |
| :--- | :--- | :--- |
| Percent time clerk is busy | $80.0 \%$ <br> (this is 24/30) |  |
| Average number of customers <br> in store | 4.00 |  |
| Average customer time in store 10 minutes |  |  |

As can be seen, the results calculated from theory compare quite favorably with those obtained by the simulation. It is important, in both interpreting and using the results of a simulation, that the simulation has been allowed to
run long enough in terms of simulated time for the results to be accurate. In performing a simulation, one would like to obtain results that can be reproduced nearly identically if additional runs of the simulation are done with the same input data (e.g., number of clerks) but with different random numbers to govern the timing of events. There is no set answer to the question of how long a simulated time period is enough, as the proper number of time units to simulate for is a function of several variables. Another question without a set answer is how many runs of the simulation are needed. One variable is the nature of the simulation, i.e., is the population infinite or finite? In the case just considered of an infinite population of customers, a Poisson distribution of their arrivals, and an exponential distribution of the time to serve them, a large number of runs have to be performed. In the case of a system in which the parameters being simulated cycle through the system (such as workers in a factory), not quite so many runs may be needed. The nature of the queue and the service facilities are also important. In addition, if the statistical distributions are relatively uniform, such as a normal distribution with a small standard deviation, the simulation runs tend to achieve a level of stability rapidly. This last result is important (and comforting) for the person doing simulations who has a lot of data that is normally distributed. This is often the case for working times in a factory, truck haulage rates along a road, manufacturing times, etc. If the statistical distributions are nonsymmetrical to a large extent, the number of runs required can be great, as demonstrated by means of an example later in this chapter.

Returning to the convenience store example allows a comparison of the effect of varying the simulated time. Suppose that the simulation was done for periods of less than 400 hours. What would the results have been? The answer depends, in part, on the sequence of random numbers, but it is instructive to redo the simulation for less than 400 hours and examine the results. The following table summarizes the results from these different simulated times:

| Simulated Time (hours) | Customers Served <br> per Hour | Amount of Time <br> Clerk Is Busy (\%) | Average Number of <br> Customers in Store | Average Customer Time <br> in Store (minutes) |
| :---: | :---: | :---: | :---: | :---: |
| 8 | 26.9 | 92.2 | 4.34 | 9.58 |
| 50 | 23.6 | 81.7 | 4.105 | 7.87 |
| 100 | 24.0 | 82.6 | 4.061 | 10.63 |
| 200 | 23.9 | 79.7 | 4.810 | 11.52 |
| 400 | 24.2 | 80.3 | 4.122 | 10.2 |
| Theoretical Values | 24.0 | 80.0 | 4.00 | 10 |

As can be seen, the results of simulating for 8 hours are quite different from the theoretical ones already presented and repeated here. Simulating for 200 hours yields results that are becoming close to the theoretical ones, except for the average number of customers in the store. At 400 hours, the simulated results are quite close to the theoretically expected ones. It should be noted that, if this problem was for a real store, the simulation well may have been run for an even longer simulated time.

## SIMULATION WITH NONSYMMETRICAL VS. SYMMETRICAL DISTRIBUTIONS

In mining, it is common to find that most statistical distributions are symmetrical. Nevertheless, whenever the modeler is presented with raw data, he or she always should plot the data set and determine whether it is represented by one of the more common distributions such as the normal, uniform, triangular, Poisson, etc. Nonsymmetrically distributed data in mining simulations often can be represented by the Poisson (or exponential) distribution. In any case, GPSS/H easily allows the modeler to sample from the exact statistical distribution.

Whenever the statistical distributions that represent the discrete events are nonsymmetrical, the number of simulated-time units for which a simulation is run to achieve an acceptable result may have to be very large. This requirement is easy to understand, since it is desired that the system be modeled over every possible situation (i.e., combination of discrete events). The goal is, in theory, to run the simulation over enough simulated time units, and repeat it with different random numbers, until there is no variation in the results of the simulation runs.

To illustrate the concept of the large number of simulated-time units required to satisfactorily model a situation in which an event has a nonsymmetrical distribution, consider the following simple example involving the chances of winning at roulette.

Suppose a man is modeling his behavior on a day-to-day basis, weekends not included. Each day, this man stops at the local casino and bets $\$ 2$ on number 7 on a roulette wheel. He makes only this single bet; then, whether he wins or loses, he leaves. The probability of winning is $1 / 38$ (the wheel has numbers running from 1 to 36 as well as a zero 0 and a double zero 00). (Incidentally, a roulette wheel is physically designed so that a player's chances of winning are less than the chances of losing. The wins and losses form a classic case of a nonsymmetrical distribution. If the player's chances of winning and not winning were symmetrically distributed, i.e., equally distributed on both sides of the mean, then the casino would not make money and would go out of business.)

How many simulated days are needed for a simulation of roulette wins and losses to produce satisfactory results (i.e., reasonably in concert with either real or theoretical results)? Certainly not 38, as the expected number of wins is only 1. How about 380 or 3,800 ? To answer this question, a short GPSS/H program was written. Twelve simulations were performed; they involved four different quantities of simulated-time units ( $380,3,800,38,000$ and, finally, 380,000 days; the simulated-time unit is 1 day) and three different sequences of random numbers. The following table summarizes the results of these 12 simulations.

Note that the error decreases when the simulated (i.e., the observed) result approaches the expected result. As can be seen, the observed number of wins and the theoretically expected number of wins start to approach each other

| Number of Days | Runs 1-4 <br> Using First Set of Random Numbers |  | Runs 5-8 <br> Using Second Set of Random Numbers |  | Runs 9-12 <br> Using Third Set of Random Numbers |  | Expected Wins |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Observed |  | Observed |  | Observed |  |  |
|  | wins | error | wins | error | wins | error |  |
| 380 | 8 | -20.0\% | 13 | +30.0\% | 5 | -50.0\% | 10 |
| 3,800 | 95 | -5.0\% | 95 | -5.0\% | 95 | -5.0\% | 100 |
| 38,000 | 1,019 | +1.9\% | 1,019 | +1.9\% | 1,017 | +1.7\% | 1,000 |
| 380,000 | 10,024 | +0.2\% | 10,029 | +0.2\% | 10,021 | +0.21\% | 10,000 |

only after a long simulation time, i.e., a large number of simulated-time units. In fact, the results for 380 simulated days vary from the theoretically expected number of wins by as much as $50 \%$. Thus, for situations involving a nonsymmetrical distribution of events, one always must be aware that a simulation may require a very large number of simulated-time units to yield a model that approaches what is expected or real. There's no guarantee that even 380,000 is enough, depending on the problem!

In the roulette example given here, when the number of simulated days is increased to 380,000 , the expected and observed wins differ by only $0.2 \%$ for all three runs with different random numbers-certainly, a satisfactory result. This near-coincidence in the results of the two methods (theory and simulation) indicates that the simulation represents both precision (the simulation results are nearly identical when the simulation program is repeatedly run with different random numbers) and accuracy (the simulation results closely model the system).

It may be interesting to note here that the outcome of all three runs for 380,000 simulated days shows a net loss of $\$ 57,336$ because the casino pays out at a rate of 36 times the bet whenever the number 7 comes up. It is only for one of the runs of 380 days that a gain can be found (second set of random numbers in the table). Although the outcome will be slightly different for each new simulation, one is soon convinced that, over time, the casino will always come out ahead. There is an old saying in economics, "We can all be rich if only we could live long enough." This adage was not intended for a person who frequents casinos.

In models of mining operations, once precision is attained by running the program with different random numbers, the question of accuracy remains. In general, if the simulated results and the actual mining results are within $2 \%$, the simulation model is considered as "acceptable." Often the data set used in developing the simulation model is the main source of error. The mining engineer must be constantly aware that accurate data from the mine are always required. The statistical distributions of the various mining data need to be continually refined and updated. In modeling mining operations, even if there is no change in the equipment used, the distances in the mine change over time. Thus, the values of some of the parameters used in the simulation will need to be changed. The most obvious of these are the travel or haulage distances. Most of the distributions that are used to represent these parame-ters-such as the travel from the loader to the dump or crusher or travel from
the mine to the repair shop-are represented by statistical distributions that are symmetrical. Thus, although these distributions need to be changed in the simulation with time, the number of simulated-time units need not be increased. As equipment ages, the failure distributions change. Since the number of failures and, thus, the probability of failure tend to increase over time, the distributions representing this fact often become more symmetrical, and so a shorter simulated time may be needed. Fortunately, for most mining situations, the simulation can be successfully performed with a reasonable number of simulated-time units. Also, fortunately, the GPSS/H language allows for easy and rapid modification of the various statistical distributions used in the models.

## WHY DO A SIMULATION?

As has been stated, it is rarely possible to obtain exact solutions to any but the most elementary problems that lead to queueing situations. We all understand queueing situations as we experience them daily whenever we enter a bank that has many customers and we have to wait for a teller, whenever we shop in a large grocery store and wait in the checkout line, etc. One would think that problems involving such situations could be solved quite easily, but this is not the case. Although the field of queueing theory has been studied by the mathematicians for many years, very few problems have been solved through the use of theoretically based calculations. A computer simulation, on the other hand, can rapidly and accurately predict the outcome of most elementary and complex problems in which one encounters queueing situations.

## What is meant by a solution to a queueing problem"?

When we use simulation to obtain a solution to a queueing problem, it is important to understand just what is meant by our solution. A simulation model does not solve a problem but tells us how a system will operate under a given set of parameters. For example, the model might tell you that, if you have 9 trucks in your mine, the daily profit will be $\$ 457$. Adding a 10th truck and doing another simulation might then tell you that the new profit will be $\$ 505$. Doing a further simulation for 11 trucks might tell you that the new profit will be $\$ 480$. Thus, we conclude that the optimum number of trucks to have in the mine is 10 .

## ANOTHER EXAMPLE OF A SIMULATION MODEL

Consider a simple example of 1 shovel loading trucks at a construction site. This shovel can load only 1 truck at a time. After each truck is loaded, it travels to a dump area where it dumps its load and then returns to the shovel. If the shovel is free (no other truck is being loaded), the truck immediately begins to be loaded again. If not, it waits in a queue until the shovel is free.

Assume that you are going to study this system. The trucks and shovel and the travel paths make up the system. You are told by the engineer in charge, who has studied the shovel and the haulage routes, that the shovel can load a truck
in exactly 5 minutes (this is a slow shovel, but don't worry about this fact for the present). It takes exactly 8 minutes to drive to the dump, exactly 2 minutes to dump, and exactly 6 minutes for a truck to return to the shovel.

If you had a single truck in the system, it would be loaded in 5 minutes and then take 16 minutes to return to the shovel. The shovel would be busy for every 5 minutes out of 21 or $23.8 \%$ of the time. There would be a load of ore dumped every 21 minutes for a load dump rate of approximately 3 per hour. In an 8 -hour shift, you would expect that there would be slightly less than 24 loads dumped (this construction site does not allow the workers any breaks).

If you added another truck to the system, you would expect the production to double and the shovel to be twice as busy. Adding a 3rd truck would likewise increase production, and the shovel would be busy about $72 \%$ of the time. What will happen when you add a 4th truck? The answer is that the system still will experience no queueing problems as, at any one time, there can be a truck being loaded (this takes 5 minutes) and the other 3 can be traveling to or from the dump. It is only when you have 5 trucks working that you start to have queueing problems. However, production will increase by having 5 trucks as compared to having 4. The question is how much and will this increase be worth it? To answer this last question, additional data are needed. In particular, each load carried by the trucks somehow represents a contribution to profit of $\$ 45$, and each truck costs $\$ 225$ per day to run.

For the above problem, a computer simulation was run for 10 simulated days with each day being an 8 -hour shift. At the start of the simulation, all of the trucks were at the shovel, and the trucks worked for 10 days straight. Average event times were used. The results of the simulation are as follows:

| Number of <br> Trucks | Number of <br> Loads | Shovel <br> Utilization (\%) | Average Number <br> of Trucks in Queue | Profit Per <br> Day (\$) |
| :---: | :---: | :---: | :---: | :---: |
| 1 | 229 | 23.9 | 0.000 | 805 |
| 2 | 458 | 47.7 | 0.000 | 1,611 |
| 3 | 686 | 71.5 | 0.003 | 2,412 |
| 4 | 914 | 95.2 | 0.006 | 3,213 |
| 5 | 959 | 100 | 0.807 | 3,190 |
| 6 | 959 | 100 | 1.807 | 2,965 |

It is easy to see that the optimum number of trucks to have for maximum profit is 4 . Adding a 5th truck will increase production but will not result in a greater profit.

## A CHANGE TO THE PROBLEM

The problem just completed assumed that all of the times used in the model were constant. This is certainly not the case in real life. Things do not happen in exact times. The time to load a truck will vary depending on several parameters, the time to drive to the dump will not be constant, etc. If you did some time studies at the construction site, you might find that the time to load a truck averaged 5 minutes but that the statistical distribution that best describes loading time is the exponential distribution. You also might find that the travel times and the dumping times are best described as following normal distributions:

|  | Mean <br> (minutes) | Standard Deviation <br> (minutes) |
| :--- | :---: | :---: |
| Travel to dump | 8 | 1.5 |
| Dump | 2 | 0.3 |
| Return to shovel | 6 | 1.15 |
| Total | 16 |  |

As can be seen, the mean times ( $16+5=21$ minutes per load) have remained the same.

The computer program was modified to allow for statistically based rather than average event times and run for 100 simulated days because the exponential distribution was used. (Whenever this distribution is used, the number of simulations or the simulated time required for an acceptable result is substantially increased--more on this in succeeding chapters.) The following table gives the results of the simulations.

| Number of <br> Trucks | Number of <br> Loads | Shovel <br> Utilization (\%) | Average Number of <br> Trucks in Queue | Profit Per <br> Day (\$) |
| :---: | :---: | :---: | :---: | :---: |
| 1 | 2,281 | 24.1 | 0.00 | 801 |
| 2 | 4,355 | 44.5 | 0.10 | 1,509 |
| 3 | 6,056 | 62.7 | 0.35 | 2,050 |
| 4 | 7,515 | 76.8 | 0.73 | 2,481 |
| 5 | 8,285 | 87.6 | 1.36 | 2,603 |
| 6 | 8,948 | 93.6 | 2.08 | 2,676 |
| 7 | 9,243 | 97.4 | 2.94 | 2,584 |
| 8 | 9,434 | 98.9 | 3.87 | 2,405 |
| 9 | 9,423 | 99.7 | 4.84 | 2,215 |
| 10 | 9,547 | 99.9 | 5.82 | 2,046 |
| 11 | 9,550 | 100 | 6.82 | 1,820 |
| 12 | 9,523 | 100 | 7.82 | 1,585 |

Notice that the number of loads keeps increasing as the number of trucks is increased until 11 trucks are working. Also note that the daily profit is a maximum for 6 trucks. This profit is $\$ 2,676$, which is considerably less than the previous profit of $\$ 3,213$. Thus, in the more realistic simulation, the number of trucks needed is $50 \%$ more than before, and the optimum profit is $21 \%$ less. Also note that it really would not make much difference if 5 trucks were used rather than 6 . This simulation shows what happens when too many trucks are in the system. The average queue length for 9 trucks is 4.84 trucks, and for each additional truck, the average number of trucks waiting in the queue will increase by 1 . This means that each additional truck will, in effect, add to the average queue length. No increase in production will result.

Although this example seems simple, it and variations of it were studied by numerous investigators in the 1960s and 1970s to determine the optimum number of trucks to have for construction projects. For example, Griffis (1968) studied the determination of the optimum fleet size using queueing theory. Numerous lengthy reports and papers were written on this problem alone.

## REFERENCES

Griffis, F.H. 1968. Optimizing Haul Fleet Size Using Queueing Theory. Journal of the Construction Division, Proceedings of the American Society of Civil Engineers, January: 75-87.
Phillips, D.T., Ravindran, A., and Solberg, J.J. 1976. Operations Research. New York: John Wiley and Sons, chapter 7.

## PART II

## The GPSS/H Simulation Language

## CHAPTER 5 <br> Sample GPSS/H Programs

## RUNNING A GPSS/H PROGRAM

The best way to learn GPSS/H is to run numerous programs each time you are introduced to a new topic. A GPSS/H program will have many different commands, so it will not be until a few more topics are introduced that you will be able to write programs by yourself. However, it is possible to type up the programs and run them right away. For the present, do not worry about what all the different commands are-each will be explained later.

## WHAT YOU WILL NEED

You will need a modern PC that has GPSS/H loaded. You must know how to create and edit ASCII files. Files can be created with the DOS editor (probably easiest), or with word processing software such as WordPerfect or Microsoft Word. The creation and editing of files is not covered here.

## A FIRST TASTE OF GPSS/H

The first problem we are going to simulate with the GPSS/H language involves a barbershop. People enter the shop every 10 minutes. It takes the barber exactly 13 minutes to give a haircut. Obviously, this situation is unrealistic and will soon lead to the barbershop's being overloaded with customers, but the problem will introduce us to what the GPSS/H language and the program output look like. The problem is to simulate the shop for 1 hour, starting at $t=0$ when there are no customers in the shop. Figure 5.1 illustrates the time scale with customers arriving and leaving for 60 minutes.

Figure 5.1 shows that the barber will have nothing to do until $t=10$ when the first customer arrives. The double lines at $t=10,20, \ldots, 60$ represent the customers arriving at the shop. The single lines without the circles, starting at $t=$ 23 , represent customers leaving. It should be easy for us to understand this system and be able to explain what is happening.


FIGURE 5.1 Representation of what is happening in the barbershop. See text for explanation.

## Summary of GPSS/H Input Format

Before we can write the program to simulate the activity in the barbershop, however, we need to understand a bit about GPSS/H code. The GPSS/H commands are either blocks or statements (we will learn which as each is introduced). Each line has only one such command.

In the explanations of GPSS/H code in this book, lowercase letters are used to indicate a generic form of the code. Optional components are enclosed in parentheses. Italic type is used to show variables that may take on values, such as $n$. The positions of the GPSS/H code components (shown by the numbered line; the numbers in squares indicate positions that are usually blank in most lines of code) and the general form of a GPSS/H program block are

123456789Ø1234567890円2345678901234567
©label Doperation [operand []comment
For clarity, in this book, position 1 of input code is shown by an open diamond ( $\diamond$ ) to remind the reader that, in the fixed format used here, this position is almost always blank. Other positions that are almost always blank are position numbers 10 and 21 . Also the operation is always separated from any auxiliary operator by one space, and any comment is preceded by at least one space (this book precedes comments with the required space plus an optional one). The required spaces are shown by open squares ( 1$)$. The diamond and squares are not to be typed in actual GPSS/H code. The history of GPSS/H formatting is described in Appendix C.

As shown in Table 5.1, actual labels in lines of code for blocks consist of only capital letters or of capital letter(s) followed by number(s). Actual operations consist of only capital letters. Actual labels for a statement can be a number or letter(s) plus number(s), but must at least start with a number. Actual operands can be numbers or capital letters or numbers and capital letters. Comments can include any characters, and the letters can be lowercase. More details are given in the section in this chapter entitled Fixed Format, and code to allow printing out symbols to improve the readability of output is discussed in Chapter 8.

The simplest line of code consists of a single operation and takes the form of

TABLE 5.1 Summary of GPSS/H input format

|  |  | Possible Forms of GPSS/H Code Components |  |
| :--- | :--- | :--- | :--- |
| Component | Positions | In Blocks | In Statements |
| LABEL* $\dagger$ | $2-9$ | only capital letters <br> capital letters followed by numbers | only capital letters <br> capital letters followed by numbers <br> only number(s) |
| OPERATION | $11-20$ | In Blocks and Statements |  |
| OPERANDS $\dagger$ | 22 until finished | only capital letters <br> numbers <br> capital letters <br> numbers followed by capital letters <br> capital letters followed by numbers <br> certain nonalphanumeric ASCll characters are also used in some <br> operands to indicate variable type and mathematical operations |  |
| Comments | begin 2 spaces <br> after operands characters including lowercase letters |  |  |

[^0]
## Examples of this simplest form of a line of GPSS/H code are

$\square$
$\diamond \quad$ IEND
Most operations require at least 1 operand:
$\bigcirc \quad$ Doperation Doperand
An example of this type of operation is
0 [Generate $\square 10$
where the operand is 10 . The operand can start in position 22 to position 25 (though the operand can also start farther right if the OPERCOL statement is used, as discussed in the second half of this chapter). Certain operations require multiple operands. Comments can follow the operand(s) for showing the flow of elements through the program. Code lines may need to be crossreferenced, which is made possible by using a label:

Olabel Doperation Пoperand1, operand2, operandn [comment
The term "operand $n$ " indicates the $n$th operand. An example of a code line with two operands and a comment is

The label is not included in all code lines. If a label is included but is not referred to by another line of code, a warning message will appear on the screen; however, the program will not be terminated. In the following form of GPSS/H code, no label is needed, but the operation (opn) requires an auxiliary or relational operator (opr), and these must be separated by one space, for example,

```
0 [opn\lopr \operand1,operand2 [comment
    \TEST\E \N(NDONE),N(INSHOP) \Is shop empty?
```

iuxiliary or relational operators are described beginning in Chapter 16.
It is important to remember that blanks (i.e., spaces) are not permitted in labels, operations, or operands. Thus, if the block is to be

0 Ggenerate [.,.4 [This a generate block
(note that there are no spaces after the commas), it would be incorrect to have
$\diamond$ JGENERATE $\quad$, , 4 ПTHIS IS A GENERATE BLOCK
Although it is not necessary to follow the format given below for this exercise (because of the changes in GPSS/H discussed in Appendix C and under the heading Free Format in this chapter), try to type the program exactly as given here for ease of debugging. Imagine that you are typing the program on a numbered grid and each column has a position number as shown on page 36 .

## Frst GPSS/H Program

In the following program to simulate the barbershop, there are no labels; therefore, the blocks or statements will begin in position 11. In some cases, there will be associated operands, and these will begin in position 22 . Also, no lowercase letters are allowed in GPSS/H program lines. This restriction does not apply to comments. No comments appear in the following program, however.

```
Isimulate
\GEnERATE [10
\QuEuE \WAITAREA
\squareSEIZE TBARBER
[DEPART WWAITAREA
[ADVANCE \13
[RELEASE [BARBER
CTERMINATE
\squaregENERATE \60
[TERMINATE \1
[START \1
[END
```

If you have never seen a GPSS/H program, this code must look strange, but, like any programming language, it will become familiar to you with practice. Notice that there are no commands that correspond to input or output such as READ or WRITE. There is no READ because you normally do not read data
into a simulation program. There is no WRITE, so what about output? Here is where GPSS/H is so helpful. Whenever certain blocks appear in the program, there will automatically be output associated with those blocks. (Full output is in FILENAME.LIS; custom output is usually more useful [see Chapter 8].) If you are studying a queueing situation (as happens in our barbershop simulation), output will automatically be produced.

The filename of the program you wrote must have the extension .GPS for the program to run under GPSS/H. Suppose the name of it is BARBER.GPS. To run it, you need to be at a DOS prompt in the GPSS/H directory. Then type

GPSSH BARBER NOXREF NODICT <cr>
Although the extension .GPS must be part of the filename BARBER.GPS, the extension need not be typed in the command line; <cr> means "enter" (actually, "carriage return" from the days of the trusty typewriter). The commands NOXREF and NODICT are optional. They represent "no cross reference" and "no dictionary." If they are omitted, there will be considerable output if the program has an error. Generally, you do not need all the output.

## First GPSS/H Output

If your program was written with no errors, you will see a screen such as the following (in this book, "output" is shown in italics):

```
GPSS/H RELEASE 3.0j-C10 12 July 1999 14:15:57
File: barber.gps
Compilation begins.
Pass 1 (with source listing)...
Pass 2...
Simulation begins.
GPSS/H IS A PROPRIETARY PRODUCT OF,
AND IS USED UNDER A LICENSE GRANTED BY,
WOLVERINE SOFTWARE CORPORATION
7617 LITTLE RIVER TURNPIKE
ANNANDALE, VIRGINIA 22003-2603, USA
C:\GPSSSH
```

The return of the DOS prompt means that the program successfully ran. At the completion of the program, GPSS/H creates a list file that has the same name as the original file but now with the extension .LIS. To view the list file, you can either use the same text editor you used to create the .GPS file or simply type

```
TYPE BARBER.LIS | MORE
```

The output will look, in part, as follows, depending on the version of GPSS/H that you are using:

```
STUDENT GPSS/H RELEASE 3.0j-C10 (UL206) 12 July 1999 16:43:42 FILE: barber.gpS
LINE# STMT# IF DO BLOCK# *LOC OPERATION A,B,C,D,E,F,G COMMENTS
```

| 1 | 1 |  | SIMULATE |  |
| ---: | ---: | :--- | :--- | :--- |
| 2 | 2 | 1 | GENERATE | 10 |
| 3 | 3 | 2 | QUEUE | WAITAREA |
| 4 | 4 | 3 | SEIZE | BARBER |
| 5 | 5 | 4 | DEPART | WAITAREA |
| 6 | 6 | 5 | ADVANCE | 13 |
| 7 | 7 | 6 | RELEASE | BARBER |
| 8 | 8 | 7 | TERMINATE |  |
| 9 | 9 | 8 | GENERATE | 60 |
| 10 | 10 | 9 | TERMINATE | 1 |
| 11 | 11 |  | START | 1 |
| 12 | 12 |  | END |  |

STORAGE REQUIREMENTS (BYTES)

| COMPILED CODE: | 220 |
| :---: | :---: |
| COMPILED DATA: | 80 |
| MISCELLANEOUS: | 0 |
| ENTITIES: | 344 |
| COMMON: | 10000 |
| TOTAL: | 10644 |

Simulation begins.

RELATIVE CLOCK: 60.0000 ABSOLUTE CLOCK: 60.0000

| BLOCK CURRENT | TOTAL |  |
| :--- | ---: | ---: |
| 1 |  | 5 |
| 2 | 1 | 5 |
| 3 |  | 4 |
| 4 |  | 4 |
| 5 | 1 | 4 |
| 6 |  | 3 |
| 7 |  | 3 |
| 8 |  | 1 |
| 9 |  | 1 |


|  | $--A V G-U T I L-D U R I N G--$ |  |  |  |  |  |  |  |  |
| ---: | ---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| FACILITY | TOTAL | AVAIL | UNAVL | ENTRIES | AVERAGE | CURRENT | PERCENT | SEIZING | PREEMPTING |
|  | TIME | TIME | TIME |  | TIME/XACT | STATUS | AVAIL | XACT | XACT |
| BARBER | 0.833 |  |  | 4 | 12.500 | AVAIL |  | 5 |  |
|  |  |  |  |  |  |  |  |  |  |
| QUEUE | MAXIMUM | AVERAGE | TOTAL | ZERO | PERCENT | AVERAGE |  |  |  |
|  | CONTENTS | CONTENTS | ENTRIES | ENTRIES | ZEROS | TIME/UNIT |  |  |  |
| WAITAREA | 1 | 0.467 | 5 | 1 | 20.0 | 5.600 |  |  |  |


| SAVERAGE | QTABLE | CURRENT |
| ---: | ---: | ---: |
| TIME/ONIT | NUMBER | CONTENTS |
| 7.000 |  | 1 |

```
```

STATUS OF COMMON STORAGE

```
```

STATUS OF COMMON STORAGE
9424 BYTES AVAILABLE
9424 BYTES AVAILABLE
576 IN USE
576 IN USE
680 USED (MAX)
680 USED (MAX)
Simulation terminated. Absolute Clock: 60.0000
Simulation terminated. Absolute Clock: 60.0000
Total Block Executions: }3
Total Block Executions: }3
Blocks / second: 30000
Blocks / second: 30000
Microseconds / Block: 33.33
Microseconds / Block: 33.33
Elapsed Time Used (SEC)
Elapsed Time Used (SEC)
PASSI: 0.05
PASSI: 0.05
PASS2: 0.06
PASS2: 0.06
LOAD/CTRL: 0.16
LOAD/CTRL: 0.16
EXECUTION: 0.00
EXECUTION: 0.00
OUTPUT: 0.06
OUTPUT: 0.06
TOTAL: 0.33

```
TOTAL: 0.33
```

```
---------------------
```

```
---------------------
```

Let us now examine your output. It is going to look strange at first, but you soon will become accustomed to interpreting the results. At present, we will simply ignore most of it. (Note, however, for future reference that all the lines that are blocks are numbered.) The first line of interest to us will be

RELATIVE CLOCK: 60.0000 ABSOLUTE CLOCK: 60.0000
This line indicates that the simulation went for 60 simulated time units. Notice that there are two imaginary clocks in GPSS/H. Both start at time $t=0$. We shall learn how to run a simulation for a certain period, stop execution, and restart it with most, but not all, of the statistics set back to zero. When this procedure is done, the absolute clock keeps going, but the relative clock is reset to zero each time the program is restarted.

Skipping down to under MAXIMUM CONTENTS, we see that there was a maximum of 1 person waiting. The TOTAL ENTRIES indicates that 5 people entered the queue. Even the first person who entered the barbershop and went immediately to the barber's chair is counted. This person is listed under the next heading ZERO ENTRIES as being 1 . Of the 5 people who entered the shop, 1 did not remain in the waiting area, so the PERCENT ZEROS is 20.0. The average time for each person to wait in the queue was 5.600 minutes. This is determined by noting that 5 people entered the queue. The first was there for 0 minutes, the second for 3 minutes, the third for 6 minutes, the fourth for 9 minutes, and the fifth for 10 minutes. Thus, 28 divided by 5 is 5.6. The next entry, \$AVERAGE TIME/UNIT, is the total time in the queue but now divided by only those people who actually remained in the queue, namely 4. The CURRENT CONTENTS is 1 , which indicates that 1 person is in the queue at the end of the simulation. Compare these results with the diagram in Figure 5.1. Note that a few other results appear in the .LIS file, but those discussed here are the main ones.

## Example 5.1

Suppose that the arrival times and haircut times were reversed so that the customers arrive every 13 minutes and the barber can give a haircut in 10 minutes. The modifications necessary to do this simulation are as follows:
change the line

| $\bigcirc$ | [GENERATE | $[10$ |
| :---: | :---: | :---: |
| to |  |  |
| $\bigcirc$ | \GENERATE | $\square 13$ |
| change the line |  |  |
| $\diamond$ | CADVANCE | $\square 13$ |
| to |  |  |
| $\bigcirc$ | [ADVANCE | $\square 10$ |

Make these changes and see if you can interpret the results.

## A CLOSER LOOK AT THE GPSS/H CODE

We have just run our first program and then some of the results were interpreted. You were told to be very careful about where and how the various commands were typed. This is because GPSS was first introduced when computers exclusively used punched cards for reading the program. This method is no longer used; so the restrictions (see Appendix $C$ ) inherent with punched cards no longer need apply. There are two ways to write your program, fixed and free format, and both will be presented here. We shall learn that, in GPSS/H, there are basically two types of program commands: one is called a statement and the other a block. The various properties of each will be discussed in subsequent chapters. The forms of both are similar, and the discussion here will apply to both blocks and statements.

## Fixed Format-The Detalls

In GPSS/H, each separate line of the program will either be a statement or a block. (In a few situations, the GPSS/H statement will be continued for 2 or more lines). The general format of a GPSS/H block consists of 4 separate items (see Table 5.1):

1. label
2. operation (may be followed by an auxiliary or relational operator; see Chapter 16)
3. operands
4. comments

The fixed-format form used in this book will always be
(12345678901234567890 2345678901234567
Olabel Doperation [operand Dcomment

1. The label starts in position 2 and goes through position 9. Spaces and punctuation are NOT permitted within a label.
There is (normally) nothing in position 1 (marked in this book by an open diamond: $\diamond$ ) or 10 (marked in this book by an open square:[). An exception is a line that in its entirety forms a comment (in some other languages, called a remark). A comment line begins with an asterisk in position 1. Any line beginning with an asterisk is ignored; i.e., such a line becomes a "megacomment."
Furthermore, most blocks and many statements do not use labels; they are only used where "cross-referencing" between lines of code is needed. In fact, if a block has a label that is not referenced anywhere in the program, there will be a warning message sent to the screen to this effect.
2. The operation begins in position 11 and can go through position 20. Spaces are NOT permitted within operations; in fact, the allowable operations are predefined in GPSS/H. The main ones are covered in the rest of Part II of this book.
Position $21(\square)$ is almost always blank
3. Operands begin in position 22 to position 25 (or farther right; see OPERCOL statement, discussed next) and can continue as far as position 71. Spaces are NOT permitted, even after commas that separate the multiple operands or indicate the positions of unused operands. (Keep this prohibition in mind later when you are learning how to use arithmetic in operands, as it is tempting to leave spaces around the plus signs or minus signs.)
The exception is that spaces are permitted in textual material that is merely intended to be written to the screen or a file; more on this topic is covered in Chapter 8. Such textual material must be enclosed in single quotes and parentheses.
It is possible to continue an operand list to another line by putting the underscore (_) character in or to the left of position 72 in the operand field (not the operation field). The next line is read by the compiler starting with the first nonblank (i.e., nonspace) character anywhere in positions $1-19$. In the following example, if the underscore is placed after the comma (but with no spaces!), the code is continued to the next line:

| $\diamond$ | $\square$ ADVANCE | $\square 10,4$ |
| :--- | ---: | ---: |
| and |  |  |
| $\diamond$ | $\square$ ADVANCE | $\square 10,-$ |

are identical. Once you use an underscore to continue a line, you can begin the continuation in any space up to position 25.
4. A comment can be placed after a blank space ( $\mathbb{\square}$ ) after the operand. In this book, comments will be preceded by the required blank and usually at least one additional blank. Most programs that have comments will generally have them all starting in the same column for ease of reading them. But be careful-not all statements have operands. For statements that don't have operands, it is still necessary to place comments starting in position 26
or anywhere to the right of that position. (If OPERCOL [described next] is used, comments may start in position OPERCOL +1 or to the right of that position.)

Even though rule 3 specifies that operands are to begin in position 25 (or before), the programmer can specify where the operands are to begin by means of the OPERCOL statement. This has the form
$\bigcirc$ IOPERCOL [n
where $n$ is the position at which the operands can begin. By default, $n$ is 25 , but it can have a larger value. Thus,
$\diamond \quad$ JOPERCOL $\quad \square 30$
will tell the compiler to scan for the operands up to position 30. This modification can be very useful in certain situations, such as those that have output that includes items that are nearly the same and you want them to line up underneath each other. It can also come in handy when you use nested DO loops (see Chapter 23).

The above may sound like a lot of "thou shall nots," but, in practice, the form of the GPSS/H lines of code are easy. The last item, about the OPERCOL, is rarely used if one sticks to fixed format.

The label may not be more than 8 characters in length. It is possible to mix numbers and capital letters, providing the first character is a letter (see Table 5.1). Examples of labels for blocks include

```
\JOEANNE
OBILLYBUD
OUPTOP
\diamondDOWN1
OBACK1
\triangleUPTOP7
\123
```

but not
©1JOE
© 23 \$K

- 1
OU\&B
0123
suptop
$\triangle B A C K$ UP

For statements, the following labels would be acceptable:

```
\BACK
OUP123
\diamond1
O
```

but not

```
O1A
Ouptop
OX-Y
```

To illustrate how the above works, take the program you just wrote and change it as follows.

```
***------------------------------****
* *
* MY FIRST GPSS/H PROGRAM *
* *
***-----------------------------***
*
*
* I WONDER HOW LONG BEFORE IT STARTS TO
* Make SENSE
*
*----------------------------------
\diamond \SIMULATE
*
\COME DGENERATE D10 This has to do with people arriving.
O DQuEuE DNAITAREA
\ ISEIZE \BARBER
O IDEPART IWAITAREA
\ \ADVANCE \13 I bet this has to do with
* getting a haircut---------------------------------------
* The next line shows continuation to 2nd line.
O [RELEASE [BA
    RBER
* I hope this will work - it looks strange.
*
*
*
OTTERMINATE
0 [generate [60
O [TERMINATE \I]
\ \START \square1
0 [END
```

Except for the way the REL.EASE block was written to illustrate how a continuation to the next line can be made, the above is the form most GPSS/H programmers follow. The initial comments, preceded by asterisks in position 1 , describe the program; later comments are placed in the program by inserting them after two blanks in the line after the operand. The comments in most of this book are in capital letters, but they could be in lowercase letters as they are ignored by the compiler.

Run the program as before. At the DOS prompt, type
GPSSH BARBER NOXREF NODICT <Cr>
Notice that when you run the program this time, you will receive a "warning ..." because the block
\COME [GENERATE $\square 10$
was never referred to. Do not be alarmed; this is just the way GPSS/H works. Once you give a block a label, GPSS/H expects you to refer to it in the main program. It looks a bit messy, but such warning messages can be a real help in debugging long programs.

There are other commands besides NOXREF and NODICT that can be used when you initiate the running of a GPSS/H program. Probably the other most common one is "TV" (for TV mode). If you run a program in this manner, the screen is split; by keying in $S$ <cr> or $S n<c r>$, where $n$ is an integer, you can step through the program. This procedure can be useful in debugging programs. However, the use of on-screen output has greatly reduced the need for using the TV mode for debugging.

## Free Format

Since GPSS/H programs now are written with only the screen of a PC showing, the restrictions that apply to fixed format have been relaxed (see Appendix C). The way GPSS/H statements may now be typed is as follows:

1. Labels begin in either column 1 or 2 . They can be up to 8 characters in length, as can operands.
2. If no label is used, the operation portion can start in column 3 (or farther right).
3. Operands start following the operation. There need be only 1 blank between the operation and the operand. There may be more blanks, in which case the operand must begin in or before the position given by the OPERCOL.
4. Comments are placed in the program just as for fixed format, e.g., following an asterisk, which may be in position 1.
5. Statements may be continued to another line as in fixed format.

Thus, it is possible to return to our first program and type it as follows:

```
*---------------------------------------------
*
* This is very free format.
*234567890123456789012345678901
* (column numbers)
*
*------------------------------------------
    COME GENERATE 10
            QUEUE WAITAREA
    SEIZE BARBER
        DEPART WAITAREA
        ADVANCE }1
        RELEASE BARBER
            TERMINATE
        GENERATE 6_
            O
```

```
    TERMINATE
    GENERATE 60
    TERMINATE 1
        START 1
END
```

There really is no advantage in writing programs this way. The programs presented in this book are all written in fixed format for the sake of uniformity. If you choose to write your programs in free format, however, it is perfectly acceptable.

## Arlthmetic In Operands

It is possible and indeed common to have arithmetic in the operands. The arithmetic operations in GPSS/H are

```
+ addition
- subtraction
/ division
* multiplication
@ modular division
```

Modular division results in only the remainder being returned. Thus, $5 @ 7$ is $2,9 @ 30$ is 3 , and $7 @ 8$ is 1 .

GENERATE $480 * 10$ is the same as GENERATE 4800 , ADVANCE $60 * 100$ is the same as ADVANCE 6000. GPSS/H does integer arithmetic if it is dealing with integers, so ADVANCE $60 / 18$ would be the same as ADVANCE 3 . However, ADVANCE 60.0/18 would be ADVANCE 3.33333 .

## Example 5.2

Even though we still have a way to go in writing programs, we can still use the one program we have written to learn a bit more about GPSS/H. From now on we will speak of the "processor" when we refer to how the program is being executed. To simulate the same shop for when the barber is working a bit faster, simply replace the line
[ADVANCE प13
with
$\%$ TADVANCE Г12
Now the barber is cutting hair in 12 minutes (the shop still will overflow with people). To simulate for 2 hours, change the line

```
O ISTART
to
START S2
```

By now, you should be able to understand the results of the second simulation.

## Example 5.3

To simulate the situation when the barber gives haircuts in 9 minutes, change the line

```
O [ADVANCE \square13
to
\ [ADVANCE [9
```

Now there will not be a buildup of customers. Run your program with this change for 2 hours of simulated time and interpret the results.

## the simulate statement

Every GPSS/H program must contain a SIMULATE statement. Although it need not be the first statement in the program, it usually is. Most programmers always start their programs with the SIMULATE statement. The general form of it is
$\diamond$ ISIMULATE IA
The operand $A$ is optional. If used, it limits the amount of time in minutes during which the program will run. This can be handy to use in the debugging stage to avoid being stuck in infinite loops. For example,
$\bigcirc \quad$ ISIMULATE $\square 2.5$
would limit the program to 2.5 (actual, not simulated) minutes running time. It is possible to have the time limited to so many seconds if the letter $S$ is placed after the SIMULATE operand:
$\diamond$ ISIMULATE [DIOOS
would limit the execution time to 100 seconds.
There is a caution with this statement. Be careful that you do not put a comment after SIMULATE if you have not specified an operand. If you do add a comment, it must start in or after position 26 or in or after OPERCOL +1 .

## THE END STATEMENT

GPSS/H programs must have an END statement. This is simply the last statement in the program and acts as a directive to the compiler. Of all the many
blocks and statements with GPSS/H, the SIMULATE and END should never cause you any problems.

## Example 5.4

Let us do the same example of the barbershop again. (Soon we shall be doing other, more interesting problems.) You were told to run the last example for 2 hours of simulated time by changing the START 1 to START 2 . The following program will simulate the barbershop for 2 customers. Write the program and run it.

| 0 | ПSIMULATE |  |
| :--- | :--- | :--- |
| 0 | ПGENERATE | $\square 10$ |
| 0 | $\square Q U E U E$ | $\square$ WAITAREA |
| 0 | $\square S E I Z E$ | $\square$ BARBER |
| $>$ | $\square D E P A R T$ | $\square$ WAITAREA |
| 0 | $\square A D V A N C E$ | $\square 13$ |
| 0 | $\square R E L E A S E$ | $\square B A R B E R$ |
| 0 | $\square T E R M I N A T E$ | $\square 1$ |
| 0 | $\square S T A R T$ | $\square 2$ |
| 0 | $\square E N D$ |  |

After you run the program, you should examine the output to see what the program results are. After a few more exercises, you will understand the differences between the programs.

## EXERCISES, CHAPTER 5

1. Parts come along an assembly line with an interarrival rate of 4,5 , or 6 minutes. A single worker takes either 4 or 5 minutes to work on each part at station A. This worker can work on only one part at a time. Next, parts go to station $B$ where two identical workers take 8,9 , or 10 minutes to do further work on the parts. Finally, an inspector takes exactly 5 minutes to check the parts.
Do a "hand simulation" that lists the events for the first hour of operation starting at time 0 . The wait time is 1 minute. For the sake of simplicity, assume that the various times by the worker are in exact order. Thus, the first worker will complete work on the first part in 4 minutes, the second part in 5 minutes, etc. Your result should show the event, the time it takes place, and a description of what is being done. The first part of your solution will look as follows:

| Event | Time | Description |
| :---: | :---: | :--- |
| 1 | 4 | First part comes to station $A$; next part will come at time 9. |
| 2 | 4 | First part will be worked on until time 8. |
| 3 | 8 | First part done at station $A$; first part goes to station $B$. |

Event Time Description
48 First part is worked on at station B until time 16.
59 Second part comes to station A; next part will come at time 13.
The "hand simulation" is useful to assist the interpretation of the GPSS/H simulation. The GPSS/H program to do the simulation is as follows:

| 0 | $\square S I M U L A T E$ |  |  |
| :---: | :---: | :---: | :---: |
| 0 | ISTORAGE | IS (WORKERS) , 2 |  |
| $\bigcirc$ PARTS | [function | [RN1, D3 | $\square$ Parts come along |
| . $333,4 / .667,5 / 1,6$ |  |  |  |
| OWORK1 | CFUNCTION | [RN1, D2 | First worker |
| . $5,4 / 1,5$ |  |  |  |
| OWORK2 | [FUNCTION | [RN1, D3 | \Second workers |
| .333,8/.666,9/1,10 |  |  |  |
| 0 | [generate | IFN(PARTS) | $\square$ Parts come |
| 0 | cqueue | IWAIT1 | DJoin first queue |
| 0 | [SEIZE | [FIRST | [First worker is used |
| 0 | CDEpart | [WAIT] | [Leave the queue |
| 0 | CADVANCE | [FN (WORK1) | [Work on first part |
| $\bigcirc$ | [RELEASE | CFIRST | [Free the worker |
| 3 | [QuEUE | [WAIT2 | [Join second queue |
| $\bigcirc$ | CENTER | TWORKERS | Cuse one of the workers |
| $\bigcirc$ | [DEPART | TWAIT2 | [Leave the queue |
| 0 | पadvance | [FN(WORK2) |  |
| 0 | Пleave | IWORKERS | $\square$ Free the worker |
| $\bigcirc$ | [queve | [WAIT3 | [Join last queue |
| $\bigcirc$ | CSEIZE | [LAST | OUse the worker |
| 0 | ]DEPART | TWAIT3 | पueave the queue |
| $\bigcirc$ | Dadvance | $\square 5$ | $\square$ Inspect part |
| $\diamond$ | CRELEASE | [LAST | Tree the inspector |
| $\bigcirc$ | [TERMINATE |  | Prart done |
| 0 | DGenerate | D60 | Trimer transaction arrives |
| 0 | [TERMINATE | [1] | OSimulation over |
| 0 | CSTART | $\square 1$ |  |
| 3 | DEND |  |  |

Run the above program and interpret the results (as much as possible).
2. In order to run the above program for a simulated time of 8 hours ( 480 minutes), it is necessary to change the line of code

```
g [GENERATE 60
to
Make this change and rerun the program.
```


## CHAPTER 6 <br> The generate and terminate Blocks and the Start Statement

## BLOCKS VS. STATEMENTS

Control statements are used for specifications of data and for running the program. Blocks are the actual program lines. Transactions, which are explained next, move only from block to block once the program execution begins.

## THE GENERATE BLOCK

The key to any simulation program is the GENERATE block. This block creates "transactions" that move through the program from block to block. These transactions can represent anything that you wish to model, such as the entering of ships into a harbor, the arrival of people at their place of work, cars moving on a highway, and a person entering a bank.

To give an idea of how a transaction is used, think of a person about to enter a barbershop with a single barber. The entrance of the person is the transaction. Upon entering the shop, he will make one of the following choices:

1. If the barber is free, the person immediately sits in the chair and the haircut begins.
2. If the barber is busy, the person waits until the barber is free.
3. If the shop has too many people waiting, the person will leave.

## The Intemal GPSS/H Clock

A system such as the barbershop normally involves the passage of time; therefore, an imaginary, internal clock is used by the GPSS/H processor. The internal clock starts at zero when the GPSS/H program begins execution. The processor moves the clock forward in time as the program is executed.

A knowledge of how the internal GPSS/H clock works is important for an understanding of how a GPSS/H program executes. The program does not go
from line to line as in other computer programming languages but follows an imaginary time axis.

The time units used by the internal clock can represent whatever amount of time that the programmer chooses, e.g, 1 second, 5 minutes, 12 hours, or 0.1 minute. The time unit-called the basic time unit-should be selected that best suits the problem being studied. In some cases, a basic time unit of 1 second may be selected; in other cases, the basic time unit may be 1 hour. If a store is being simulated and studies indicate that customers take 18 minutes to shop and 2 minutes to check out, an appropriate basic time unit is 1 minute. If the simulation is to run for a simulated time of 8 hours, then the 8 hours need to be converted into basic time units-in this case, 480 time units. The basic time unit to select is generally obvious from the statement of the problem being modeled.

The internal GPSS/H clock is advanced by the processor as the simulation steps forward from event to event. For example, if some event is to take place at time $t=345.765$ and the next one at $t=420.5$, the internal clock will be advanced from its previous time to time 345.765. It will then be advanced to time 420.5.

## CREATING TRANSACTIONS

Transactions are created by the GENERATE block. It can have up to 9 operands and can be quite involved. The simplest form-either with or without an optional label, indicated by the parentheses and lowercase letters-is given by the following:

OLABEL ПGENERATE ПA
where $A$, the operand, is either a positive integer or a variable. $A$ controls the times at which a transaction can be created.

The label is optional. We will learn when to use one. For the present, it is not needed, but in this book, simple lowercase letter labels in parentheses (which are forbidden in actual GPSS/H code; labels must be alphanumeric; see Table 5.1) will be used just to identify lines of code for the reader's benefit. For example,
$\begin{array}{ll}O(a) & \text { [GENERATE }] 5 \\ 710\end{array}$
$B(b)$ [GENERATE D100
In (a), a transaction is created every 5 time units, whereas in (b), a transaction is created every 100 time units. In both (a) and (b), as long as the simulation is taking place, transactions will continue to be created every 5 or 100 time units, respectively.

In general, a transaction will be moved from block to block in a sequential manner, unless the transaction encounters a block that transfers it elsewhere in the program. Such a nonsequential transfer takes place only when the programmer specifies.

In most systems to be studied, there is a degree of randomness involved. People do not enter a bank every 35 seconds, a barber does not take exactly 8.5 minutes for a haircut, etc. Thus, it is necessary to have randomness as a part of the simulation. One of the features of GPSS/H is that it is so easy to incorporate randomness into a simulation.

One way to have randomness in the generation of transactions is to use the second form of the GENERATE block, which incorporates the $B$ operand:

0 [Generate $\square A, B$
$B$ can be a variable, but in this book, it will always be a positive integer. This block generates a transaction over the time interval $A \pm B$, with each time interval having an equal probability of happening. For example,

Y [generate [8,2
means that a transaction is created every $8 \pm 2$ time units. This means that a transaction will be created at an interarrival time of 6 to 10 time units with equal probability. Although $A$ and $B$ are integers, the times are sampled from throughout the interval $(6.0000,10.0000)$.

One indicates an interval by using parentheses and/or brackets. For example, the interval from 0 to 10 might be $(0,10)$. However, does this mean that 0 and 10 are included? Mathematicians use parentheses-() -to mean that the endpoints are not included. Square brackets- [] -are used to indicate that the endpoints are included. Thus, $[0,10)$ would include the 0 but not the 10 . This difference may seem a minor point, but there is a place in GPSS/H where it is very important.

Therefore, the parentheses around the $6.0000,10.0000$ range indicate that the times of 6.0000 and 10.0000 are not included, but 6.0001 and 9.9999 are. This means that if the internal clock is at $t=1013.0000$ and the GPSS $/ \mathrm{H}$ processor sets $t=6.0001$ as the time before the next transaction is created, the next transaction will enter the system at simulated time $t=1019.0001$. Chapter 14 on functions shows how to generate transactions that enter the system according to any statistical distribution.

## How GPSS/H Creates Random Numbers

Although it is not of concern how the processor works, you might be curious how the processor generates the various times by using random numbers. The processor has a built-in random-number generator that is referred to in the code from time to time. Suppose you want to generate times from 10 to 24 with equal probability. Call these times $X$. The random number will be called RN , where RN is a number from 0 to 1 . Now consider the formula

$$
X=10+\mathrm{RN} *(24-10)
$$

Every time a random number is called up, a new value of $X$ is obtained. As can be seen, a stream of times $X$ between 10 to 24 will be obtained. This approach is similar to the way that the GPSS/H processor works.

## Prohibition of Negative TImes

In using the GENERATE block, you must be careful to avoid a block with the $B$ operand greater than the $A$ operand, e.g.,

```
\prime/ JGENERATE 10,12
```

as the specification of $B>A$ would eventually lead to the choice of a negative time at which to generate a transaction. Negative times are not allowed. However, it is possible to have

```
\squareGENERATE \square10,10
```


## Example 6.1

People arrive at a barbershop every $15 \pm 6$ minutes. The single barber takes 12 $\pm 4$ minutes to cut hair. Simulate for 200 people having their hair cut. Assume that the barber works continuously, i.e., he does not leave the shop until 200 people have had their hair cut. Determine how busy the barber has been. The program to do this simulation is as follows:

| $\bigcirc$ | ]SImulate |  |  |
| :---: | :---: | :---: | :---: |
| $\bigcirc$ | JGENERATE | [15,6 | पPeople enter the shop |
| $\bigcirc$ | पqueue | CWAITAREA | Crake a seat in waiting area |
| 0 | [SEIZE | [BARBER | [Engage barber if he is free |
| 0 | [DEPART | [WAITAREA | Leave the seat in waiting area |
| 0 | [ADVANCE | [12,4 | $\square$ Receive haircut |
| $\bigcirc$ | [RELEASE | [BARBER | [Haircut over, barber is free |
| 0 | [TERMINATE | $\square 1$ | Dueave the shop |
| 0 | CStart | [200 | $\square$ Simulate for 200 customers |
| $\bigcirc$ | CEND |  |  |

## Solution

Do not be too concerned at this time that you do not understand all the code given above. In fact, even interpreting the results will appear strange at this time. However, if you successfully run the program and look at the list file (your .GPS filename, but with the .LIS extension) created by GPSS/H, you will see the following as a part of the output:

```
RELATIVE CLOCK: 3005.4781 ABSOLUTE CLOCK: 3005.4781
```

|  | - -AVG-UTIL-DURING-- |  |
| ---: | :--- | :---: |
| FACILITY | TOTAL | ENTRIES |
| BARBER | 0.804 | 200 |

The output is interpreted as follows: The barber worked for approximately 3005 minutes or 50 hours straight to take care of the 200 customers. He was busy $80.4 \%$ of the time. This value of about $80 \%$ is to be expected. Customers arrive at random but with an average interarrival time of 15 minutes. The barber takes an average of 12 minutes to give a haircut. Hence, in the long run, one would expect the barber to be busy for $12 / 15$ or $80 \%$ of the time. Furthermore, in this example, when the haircut for the 200th customer was finished, the barber closed shop and left, even though there may have been other customers waiting in the shop. Later, when we learn more about the GPSS/H language, it will be possible to write the code to model more realistic examples.

## Example 6.2

Suppose the barber decides to buy special, fancy new equipment that can really speed up his hair cutting. He can now cut hair in $10 \pm 3$ minutes. To rerun Example 6.1 and examine the results, change the operands of the ADVANCE block:
$0 \quad$ [ADVANCE $\quad[10,3$

## MORE GENERAL CASES OF THE GENERATE BLOCK

Other operands can be used in longer forms of the GENERATE block. There are five operands that we will use at present (note that all are typically positive integers but can be variables; in practice, only $A$ is used as a variable):
() TGENERATE ПA,B,C,D,E
where, as before, operand $A$ controls the times at which a transaction can be created and operand $B$ allows a range over which the transaction creation times can vary. Operand $C$ is called the offset time for the first transaction, i.e., no transaction will enter the system until this time. Operand $D$ is the maximum number of transactions to be generated. Operand $E$ is called the priority. When the $E$ operand is used, the transactions are given a priority level specified by it. Often, this operand is omitted and the priority level is, by default, 0 . The priority levels can be integers between $-2,147,483,632$ and $+2,147,483,632$. In practice, only a few priorities are needed, and one normally uses priorities such as $1,2,5,10$, etc.

In most queueing systems, the service criterion is known as "first-in first-out" (FIFO). This means that, if the first person to arrive for service has to wait, he or she will be served before later arrivals. If, however, one transaction has a higher priority than another, the higher-priority transaction is placed ahead of the lower-priority transaction in queues as well as given preferential service in the case of a time tie between transactions. A typical example to illustrate the case of a time tie is the situation of the arrival of a car at a filling station. Suppose that there is only room for 6 cars total and, if there are 6 cars at the station, an arriving car will leave. A time tie occurs when a car arrives at exactly the same time as one is through being serviced; the arriving one will not leave if it has a higher priority than the one that is about to leave. This, of course, is what will happen in a real-life situation. We will examine this concept of priority in Chapter 28.

| (a) | gGENERATE | 115,3,100,3,1 |
| :---: | :---: | :---: |
| $\hat{O}(\mathrm{~b})$ | CGENERATE | 100,3,200,400,3 |
| (c) | GGENERATE | $520,4,500,7,8$ |
| (d) | [GENERATE | $[30,0,0$ |

Blocks (a) to (d) represent several examples of the GENERATE block. In (a), a transaction is created every $15 \pm 3$ time units. The first transaction does not enter the system until $t=100$. Exactly 3 such transactions will be created, and each will have a priority level of 1 . In (b), a transaction is created every $100 \pm$ 3 time units. The first transaction enters the system at $t=200$, and exactly

400 such transactions will be created, each having a priority level of 3 . In (c), transactions are created every $20 \pm 4$ time units. The first transaction enters the system at $t=500$. Exactly 7 such transactions are created, each with a priority level of 8 . In (d), transactions are created every 30 time units. The first transaction will enter the system at $t=0$. Contrast block (d) with the block
(e) TGENERATE $\quad$ 3 30

In block (e), the first transaction will enter the system at $t=30$, not at $t=0$.
If you do not wish to use all the operands, you use commas instead-not blanks, i.e.,

```
O(f) \GENERATE [100,.,1
```

will generate a single transaction at $t=100$, and
$O(g) \quad$ IGENERATE $\quad \square 100, \ldots, 1$
will generate a transaction every 100 time units, each transaction having a priority level of 1 .

```
O(h) \GENERATE [i,.,5
```

will generate 5 transactions immediately. This block form may seem strange but is an important option in many simulations. Block (h) is the same as block (i):

```
(i) GGENERATE [0,0,0,5
```

If you want to make a simulation involving 6 ships sailing from one port to another, you might start by using the block
$\because(j)$ IGENERATE [,, 6
Block (j) puts 6 ships into the system at time $t=0$.

## Example 6.3

Go back to Example 6.1. Now suppose that when the barber arrives at work, he finds 3 people waiting for haircuts. Change the program to reflect this change in the simulated situation. The program for this is as follows:

|  | SSIMULATE |  |  |
| :---: | :---: | :---: | :---: |
|  | TGENERATE | ㄷ,., 3 | -People waiting |
|  | CTRANSFER | C.DOWN | -Send them to the door |
|  | MGENERATE | [15.6 | _People enter the shop |
| DOWN | QQUEUE | WAITAREA | Take a seat in waiting area |
|  | TSEIZE | BARBER | Engage barber if he is free |
|  | DEPART | WAITAPEA | - Leave the seat in waiting area |
|  | TADVANCE | - 12.4 | -Receive haircut |
|  | -RELEASE | BARBER | Haircut over, barber is free |
|  | -TERMINATE | -1 | -Leare the shop |
|  | START | _200 | -Simulate for 200 customers |
|  | END |  |  |

## Example 6.4

Suppose that the customers in Example 6.3 arrive as before, but now it is desired to have them start arriving at 1 minute after the barbershop opens. Compare the output from the previous program after incorporating the following change in the first GENERATE block:

```
\GGENERATE \square15,6,1 \squarePeople enter the shop
```


## THE TERMINATE BLOCK

As shown in Example 6.3, it is possible to have more than one GENERATE block in a program; in fact, this is nearly always the case. The only caution is that a transaction can never enter a GENERATE block. To avoid this pitfall, one employs the TERMINATE operation:

```
[GENERATE [\1
\square-----
[-----
\square-----
0---.-
DTERMINATE
[GENERATE [5000
[TEEminATE \I
```

Transactions enter the system by means of the GENERATE block. Eventually, in most simulations, the transactions will have to leave the system. Their removal is accomplished by means of the TERMINATE block. Whenever a transaction enters a TERMINATE block, it is immediately removed from the system. TERMINATE blocks are quite simple in form:
$\bigcirc$ [TERMINATE [A
where the operand $A$ is a positive integer, including 0 .
If $A$ is omitted, as it often is, it is taken to be 0 . The operand $A$ in TERMINATE A has nothing to do with-i.e., does not specify or limit-the transaction being removed from the system. Only one transaction at a time enters the TERMINATE block. The TERMINATE block always removes this one transaction. As we shall see, the operand $A$ is used to control the execution of the program in connection with the START statement, described next.

## THE START STATEMENT

Every GPSS/H program must have a START statement. The simplest form of it is
0 ISTART IA
where operand $A$ must be a nonzero positive integer.
The operand $A$ is a counter for controlling the running of the program. While the program is being executed, the counter is being decremented. When it
becomes zero or negative, the program stops execution. The GPSS/H processor then creates an ASCII file, NAME.LIS, where NAME is the name of the original .GPS input file. This file contains the results of the simulation and can be viewed by using the same text editor used to create the original input file for GPSS/H processing.

The way the processor knows that the program is finished is as follows:

1. The counter operand, $A$, is "set aside."
2. Whenever a transaction goes through a TERMINATE block that has an operand, this operand value is subtracted from the counter operand.
3. After the transaction in which the remainder becomes 0 or negative, the simulation is finished, and the report (i.e., the NAME.LIS file) is produced.

For example, if the GPSS/H program executes the following TERMINATE and START lines of code,

```
O [TERMINATE [\2
0 [----
\diamond \START \10
```

the program will continue until 5 transactions have passed through the TERMINATE 2 block (i.e., pass $1-S T A R T=10,10-2=8$; pass $2-$ START $=8,8-2$ $=6$; pass $3-S T A R T=6$, etc., until START $=0$ ). For the following lines of code,

```
0 [TERMINAT
OTERMINATE [3
0 D----
O [START C13
```

the program will run until 5 transactions have passed through the TERMINATE 3 block. Any transaction that passes through the first TERMINATE block will have no effect on the execution time of the program (because there is no operand $A$ ). And for the following lines of code,

```
\ [TERMINATE [4
O D--..
O CSTART MI
```

the program will run until 1 transaction has passed through the TERMINATE 4 block.

Most of the programs so far have had blocks such as the following:

| 0 | CGENERATE | $\square 480$ |
| :--- | :--- | :--- |
| 0 | -TERMINATE [1 |  |
| $\hat{\jmath}$ | [START | $[1$ |

The effect of this sequence of blocks is to put a single transaction into the system at time 480 . This transaction is immediately removed via the TERMINATE 1 block. The 1 in its operand causes the counter of 1 that was given by the START 1 statement to be decremented to 0 . Thus, the program stops execution at time 480.0000 . Transactions whose primary effect on the program is to stop its execution are called timer transactions.

A GPSS/H program starts execution when the first START statement is encountered. If there are more START statements after this first START statement, they are initially ignored. When the program is through with execution as specified by the first START statement, whatever commands are given after it are then completed.

During the compiling stage, transactions are primed to move through the system at times given by the GENERATE block. In the priming process, the transactions are placed on a time axis called the current events chain (CEC). When the program begins execution, the processor takes over and moves the transactions one at a time as far as each transaction can move. After the processor moves a transaction, the processor goes back to the CEC and moves the next transaction. This continues as long as the program is running. The first transaction to be moved is the one positioned on the CEC at the earliest time, the next is the one at the next earliest time, etc. The transaction is moved from block to block in a sequential manner, unless the program specifies otherwise. A transaction is moved until one of the following things happens:

1. The transaction is removed from the system via a TERMINATE block.
2. The transaction is put on another current events chain to be covered later.
3. The transaction is destructed and cannot enter the next sequential block.

It is important to keep in mind that the second and subsequent transactions to leave a GENERATE block are not scheduled to do so until the first transaction has left the block. Even though the effect of a block such as GENERATE 10 is to create a transaction every 10 time units, the series of transactions is created as follows: the first is scheduled at time 10 during compiling, and the second at time 10 after the first transaction has left the block.

## EXERCISES, CHAPTER 6

1. What will happen when the following GENERATE blocks are used in a program?

| $\diamond(\mathrm{a})$ | ПGENERATE | $\square 100,30,5$ |
| :--- | :--- | :--- |
| $\diamond(\mathrm{~b})$ | ПGENERATE | $\square, 1000,4$ |
| $\diamond(\mathrm{c})$ | ПGENERATE | $\square 1000,200,20,100$ |
| $\diamond(\mathrm{~d})$ | ПGENERATE | $\square 500,400,1$ |
| $\diamond(\mathrm{e})$ | ПGENERATE | $\square, ., 4$ |

2. You are observing trucks at point A. Every 4 minutes, 1 truck passes this point. The trucks travel along the road that passes point A for 5 minutes and then leave the system. In 20 minutes, how many trucks have you observed? Assume that the first truck does not pass you until 4 minutes have passed. The GPSS/H program to simulate this is as follows

| $\bigcirc$ | []simulate |
| :---: | :---: |
| 0 | [GENERATE [4 |
| $\bigcirc$ | ПADVANCE $\square 5$ |
| 0 | [TERMINATE $]^{0}$ |
| $\bigcirc$ | [GENERATE ${ }^{\text {a }} 0$ |
| $\diamond$ | [terminate $\square 1$ |
| $\bigcirc$ | [START [1] |
| $\bigcirc$ | CEND |

3. In exercise 2 , suppose that the trucks pass point A every 4 minutes but starting at $t=0$. Change the appropriate line in your program.
4. In exercise 2, assume that a truck will pass point A every $4 \pm 2.5$ minutes. Change the appropriate line in your program.
5. In exercise 2 , you may have noticed that, after 20 minutes, the computer program said that you observed only 4 trucks. What happened to the truck at time 20? Suppose you change the program to give the trucks you are observing a priority level of 1 . What line needs to be changed? How does this affect the program results?
6. In exercise 2 , simulate for 40 minutes.
7. Write the GPSS GENERATE blocks to
a. Have transactions enter the system every 5 time units.
b. Have transactions enter the system every 100.6 time units.
c. Have transactions enter the system every $10 \pm 6.5$ time units.
d. Have transactions enter the system every 7 time units starting at $t=100$.
e. Have transactions enter the system every $120 \pm 35.6$ time units beginning at $t=200$.
f. Have 5 transactions enter the system at $t=0$.
g. Have transactions enter the system every 100 time units beginning at $t=80$ and only 10 enter the system from this block.
h. Have only 3 transactions enter the system at $t=500$. These transactions have priority 5.
i. Have transactions with priority 5 enter the system every $6 \pm 3.4$ time units, staring at $t=400$. Only 6 of these transactions are to enter the system.
8. What would happen if you had the following block?
$\checkmark$ [GENERATE [120,130
9. What would happen if you had the following block?

0 Cgenerate $4,1, \ldots,-1$
10. What do the following lines of code do?

| $\hat{0}$ | ■generate | $\square, .480,1$ |
| :--- | :--- | :--- |
| $\hat{3}$ | ■TERMINATE $\square 1$ |  |
| $\hat{0}$ | ■START | $\square 1$ |

11. The following code is used to time the running of a GPSS/H program. What time will the simulated clock show at the completion of the program?

| $\bigcirc$ (a) | [GENERATE | [480 |
| :---: | :---: | :---: |
| 0 | OTERMINATE | [2 |
| 0 | $\square$ Start | [12 |
| $\bigcirc(\mathrm{b})$ | [GENERATE | [4800 |
| $\bigcirc$ | TTERMINATE | $\square 5$ |
| 3 | [START | $\square 10$ |
| $\bigcirc(c)$ | [GENERATE | [1000 |
| $\bigcirc$ | [TERMINATE | $\square 3$ |
| 0 | [START | $\square 7$ |
| $\bigcirc(\mathrm{d})$ | CGENERATE | $\square 200$ |
| $\bigcirc$ | [TERMINATE | $\square 10$ |
| $\bigcirc$ | $\square$ START | $\square 1$ |

12. What time will the simulated clock read when the following program is done executing?
```
[]SIMULATE
\GENERATE [7100
Cferminate [1
IGENERATE \150
TTERMINATE C2
ISTART \10
[END
```


## SOLUTIONS, CHAPTER 6

1. a) Transactions are created every $100 \pm 30$ time units. Only 5 of these will enter the system.
b) 4 transactions are created. They will enter the system at time 1000 .
c) Transactions are created every $1000 \pm 200$ time units. They will start to enter the system at time $t=20.100$ of these transactions will enter the system.
d) Transactions are created every $500 \pm 400$ time units. The first enters the system at time $t=1$.
e) 4 transactions are created at time $t=0.000$.
2. You will observe 4 trucks pass you. At time $t=20$, the 5 th truck is in front of you.
3. Change Line 2 to

GENERATE 4,0
4. Change the line

| ADVANCE | 5 |
| :--- | :--- |
| to |  |
| ADVANCE | 4.2 .5 |

You still will observe the same number of trucks entering the system, but now they will remain for varying times.
5. Change Line 2 to

GENERATE 4, ,.,1
The 5th truck entered the system before the program ended. This will be shown in the .IIS file.
6. This can be done in several ways. Some of them are:
a) GENERATE

40
b) Generate 20 START
c) Generate START
7. a) GENERATE
b) GENERATE 100.6
c) Generate 10,6.5
d) GENERATE 7., 100
e) Generate 120,35.6,200
f) Generate ,,.5 or Generate $0,0,0,5$ (the first is the commonly used method)
g) GENERATE $100,80,10$
h) GENERATE , , 500,3,5
i) GENERATE 6,3.4,400,6,5
8. You cannot go backward in time. Thus, the spread of $120 \pm 130$ would be from -10 to 240 . An attempt to generate a transaction at a negative time eventually would occur (depending on the random numbers used). This would lead to an error. The compiler will show the error as follows:
*** IN STATEMENT 2 - ERROR 163 - B - operand (modifier) exceeds A operand (mean).
9. A transaction is created every $4 \pm 1$ time unit with priority -1 . (Only GPSS/H allows negative priorities. In previous version of GPSS/H, only positive non-negative integers were allowed for priorities).
10. The first transaction enters the system at time 480 according to the $C$ operand. The D operand indicates that only 1 such transaction would enter the system.
You may note that this is equivalent to:

| GENERATE | 480 |
| :--- | :--- |
| TERMINATE | 1 |
| START | 1 |

If the aim of the analyst is to run the simulation for 480 time units, the effect of the different lines of code is exactly the same.
11. a) The internal GPSS/H counter initially is set at 2 because of the START 2 statement. At time 480, a transaction enters the system and immediately is terminated. The TERMINATE operand is 2 , so the counter is decremented by this amount. Since this sets it to zero, the program stops at this time, namely, $\mathrm{t}=480.0000$.
b) $t=9600.0000$. At time 4800.0000, the counter is decremented from 10 to 5 . At time 9600.0000 , the counter goes to 0.0000 .
c) At time 1000.0000 , the counter is decremented by 3 to 4 . At time 2000.0000 the counter is decremented to 1 . At time 3000.0000 , the counter is decremented to -2 . Since it is now less than zero, execution will stop.
d) At time 200.0000, the counter is decremented by 10 to -9 . This stops execution of the program.
12. The clock will read 450.000 . The START operand was set at 10 . It was decremented at the times:

| Time | Value |
| :---: | :---: |
| 100 | 9 |
| 150 | 7 |
| 200 | 6 |
| 300 | 3 |
| 400 | 2 |
| 450 | 0 |

This is shown as follows:

| Time | Counter | Decrement <br> Amount |
| ---: | :---: | :---: |
| 0 | 10 | 0 |
| 100 | 9 | 1 |
| 150 | 7 | 2 |
| 200 | 6 | 1 |
| 300 | 3 | 3 |
| 400 | 2 | 1 |
| 450 | 0 | 2 |

Thus, the clock will read 450.0000 .

## CHAPTER 7 <br> The TRANSFER Block

A transaction normally will move from block to block in a sequential manner. When the processor moves it along the current events chain, the transaction moves as far as it can move. As we learned in Chapter 6, one of three things eventually happens to the transaction to cause the processor to rescan the CEC for the next transaction to be moved:

1. The transaction is terminated.
2. It is put on some other chain.
3. It is obstructed and denied access to the next block.

It is possible to have the transaction move in a nonsequential manner. This is the purpose of the TRANSFER block. The TRANSFER block acts much like the GO TO statement found in other programming languages such as Fortran. However, in GPSS/H, there are several forms that can be used. In this chapter, the three most common ones will be discussed. Other forms are covered in Chapter 22.

## UNCONDITIONAL TRANSFER BLOCK

The form of the unconditional TRANSFER block is
$\diamond \quad$ [TRANSFER [],B
where the operand $A$ is blank (as indicated by the presence of the comma, which is essential) and operand $B$ is the label of the destination block. When a transaction enters the TRANSFER block, it is immediately sent to the block with the label given by the TRANSFER block's operand B. Examples are

| $\diamond$ | [TRANSFER | $\square$, DOWN |
| :--- | :--- | :--- |
| $\diamond$ | ПTRANSFER | $\square$,WAIT |
| $\diamond$ | חTRANSFER | $\square$,UPTOP |

If the block to which the transaction is being transferred will not admit the transaction, it is held in the TRANSFER block until a later scan of the CEC by the processor. The TRANSFER block always admits transactions.

Because the GPSS/H processor automatically numbers all blocks (see the output near the end of this chapter for an example), it is possible to use sequential block numbers instead of block labels to indicate the destination block. The general form is the same:

0 [TRANSFER $\square, B$
where operand $B$ is a nonzero positive integer. In this case, the transaction is transferred to the block whose sequential block number, counting from the top, is equal to the value in the TRANSFER block's operand $B$. Thus,

```
OTTRANSFER [.6
```

will send the transaction to the sixth block in the program. This approach using sequential block numbers can be a bit confusing in the case of large programs and is not as easy to follow as when block labels are used. Also, if a program is changed by adding additional blocks, all such TRANSFER blocks have to be changed. For these reasons, this form of the TRANSFER block will not be used in this chapter.

## CONDITIONAL TRANSFER BLOCK

The form of the conditional TRANSFER block is

0 MTRANCETD ПNR.r
where operand $A$ is a decimal fraction ( $0<A<1$ ) of no more than 3 digits (it can have fewer) and operands $B$ and $C$ are block labels. Operand $B$ is optional but operand $C$ is required. Examples are

| 0 | TTRANSFER | [].123, DOWN, UPTOP |
| :---: | :---: | :---: |
| $\bigcirc$ | TTRANSFER | [].5, AWAY |
| $\bigcirc$ | TTRANSFER | [].007, NEXT1, NEXT2 |
| 0 | OTRANSFER | [10.9, UPTOP, DOWNX |

The conditional TRANSFER block proportions the transfer of transactions between the two blocks identified by the labels in the operands. Of the total number of transactions that enter this version of the TRANSFER block, a fraction equal to the value of operand $A$ are sent to the block with the label in operand $C$ of the TRANSFER block. The rest of the transactions are routed to the block with the label given in operand $B$. If operand $B$ is missing (as it most commonly is), the transaction is routed to the next sequential block. Two examples of the conditional TRANSFER block cover the possible configurations:

| $O(a)$ | $\square T R A N S F E R$ | $\square .333$, DOWN, OUT |
| :--- | :--- | :--- |
| $\Delta(b)$ | $\square T R A N S F E R$ | $\square .8$, AWAY |

In example (a), $33.3 \%$ of the transactions are sent to the block with the label OUT. The remainder or $66.7 \%$ of the transactions are sent to the block with the label DOWN. In example (b), $80 \%$ of the transactions are sent to the block with the label AWAY. The remainder of the transactions continue to the next sequential block.

## TRANSFER BOTH

The following form of the TRANSFER block is not as common as the first two cases but can be extremely helpful. It is called the TRANSFER BOTH mode. The general form of it is
$\bigcirc \quad$ [TRANSFER $\square A, B, C$
where the word BOTH must be in operand $A$ and operands $B$ and $C$ are block labels of blocks to which the transaction can be transferred. Operand $B$ is optional.

The TRANSFER BOTH block works as follows: A transaction enters the TRANSFER BOTH block, and the processor attempts to send the transaction to the block whose label is indicated in operand $B$. If the transaction can enter that block, the transaction proceeds there. If not, it attempts to enter the block whose label is indicated in operand $C$. If it can, it does so. If it cannot enter either block, it remains in the TRANSFER BOTH block until a new scan of the CEC takes place.

If operand $B$ is missing, each transaction entering the TRANSFER BOTH block moves to the next sequential block if permitted or to the block indicated by operand $C$. In fact, an example of the most common form of the TRANSFER BOTH block is

O —TRANSFER ПBOTH, AWAY
where AWAY refers to a block that will always accept the transaction. Thus, the processor "looks ahead" to the next sequential block and attempts to move the transaction into it. If the transaction cannot enter, it is transferred to the block labeled AWAY. The next example illustrates an application of the TRANSFER BOTH block.

## Example 7.1

People arrive at a shop every $8 \pm 3.5$ minutes. The shop has 5 servers who work at the rate of $40 \pm 15$ minutes. There is a single chair to wait in when all of the servers are busy. If the shop is full, i.e., all 5 servers are busy and a person is waiting in the chair, arriving customers leave and do not return. Simulate for 20 days operation ( 480 minutes per day) and determine how many customers are turned away. Even though you do not know enough about GPSS/H to follow all the lines of code, it will be instructive to run the program.

## Solution

The program to solve Example 7.1 is as follows:

| 3 | [SIMULATE |  |
| :---: | :---: | :---: |
| $\bigcirc$ | [ISTORAGE | TS(WAITAREA), I/S (WORKER) , 5 |
| $\hat{3}$ | [GENERATE | $[8,3.5$ |
| 介 | [TRANSFER | [BOTH, AWAY |
| 0 | DENTER | [WAITAREA |
| 3 | DENTER | WORKER |
| $\bigcirc$ | CLEAVE | TWAITAREA |


| $\diamond$ | ПADVANCE | П40,15 |
| :--- | :--- | :--- |
| $\diamond$ | ПLEAVE | ПWORKER |
| $\diamond$ | ПTERMINATE |  |

To run for 2 seats for waiting customers, you change the line of code

```
O \STORAGE \S(WAITAREA),1/S (WORKER),5
to
पSTORAGE पS(WAITAREA), \(2 /\) S(WORKER) , 5
```


## EXERCISES, CHAPTER 7

Note: Exercises 6-15 are modifications from Gordon (1975).

1. An art museum has 2 galleries: A and B. Every $45 \pm 20$ seconds, people arrive, and $40 \%$ of them plan to visit only gallery A and then leave. The rest go to gallery B first. It takes $220 \pm 80$ seconds to visit gallery A and $300 \pm 60$ seconds to visit gallery B. Of the people who visit gallery B, $35 \%$ leave but the rest go on to gallery A. (Strangely enough, no one ever goes to gallery A first and then to gallery B). Simulate for 4 hours.
2. Change exercise 1 to simulate for 200 people who visit gallery B and then leave the museum without visiting gallery $A$.
3. People come to a moving sidewalk (a fancy, segmented metal conveyor belt) at an airport. They arrive every $35 \pm 15$ seconds, and $30 \%$ choose to walk alongside it. Of the people who use the moving sidewalk, $25 \%$ walk or run on it, and they traverse it in $40 \pm 12$ seconds. The moving sidewalk transfers people who do not walk or run in exactly 55 seconds. Those who walk alongside of it take $60 \pm 32$ seconds to cover the distance. Simulate for 1 hour.
4. Change exercise 3 to simulate for 100 people who use the moving sidewalk. How long does it take to transfer them?
5. Figure 7.1 gives a diagram of traffic flow. All streets are one-way traffic. Cars enter at A every $10 \pm 3.2$ seconds. They take $20 \pm 8$ seconds to travel to B. At B, $30 \%$ go straight, and the rest travel to C. It takes $15 \pm 6$ seconds to travel to C from B. At C, $26 \%$ go straight, and the rest turn to D. It takes $14 \pm 3.1$ seconds to travel from C to D. At D, $31 \%$ turn to $E$ (where you live), and the rest go straight. It takes $12 \pm 3$ seconds for cars to travel from D to E. You are going to protest that too many cars go by your house in an 8 -hour period. Determine the number of cars passing your house in 8 hours. (Note: ignore the fact that traffic patterns vary during the day.)


FIGURE 7.1 Sketch of traffic flow.
6. People arrive at a newsstand every $10 \pm 5$ seconds. Most people buy only 1 paper, but $20 \%$ buy 2 papers. It takes $5 \pm 3$ seconds to buy 1 paper and $7 \pm 3$ seconds to buy 2 papers. Simulate the sale of 100 papers, starting from the time the newsstand opens. How long does it take the dealer to sell 100 papers?
7. In exercise 6 , suppose that every morning the newsstand always has 2 people waiting to purchase a newspaper. Add the code to include this fact. How does your answer change?
8. A series of moving stairways (escalators) carry customers in an upward direction between 4 floors of a department store. People arrive at the foot of the stairs, on the first floor, at the rate of 1 customer every second. Some people walk on the stairs. As a result, the time to transfer between any two floors is $20 \pm 10$ seconds. The destinations of the customers are as follows: second floor, $50 \%$; third floor, $25 \%$; and fourth floor, $25 \%$. Simulate the arrival of 100 people on the top floor, starting from the time the store opens.
9. As a group, 20 people take a test that requires $5 \pm 2$ minutes. Their chance of success is such that $20 \%$ pass on each attempt. Those that fail wait 10 minutes before taking the test again (it still takes them $5 \pm 2$ minutes when they retake the test). They keep trying until they finally pass. How long does it take for everyone to pass?
10. Cars bring spectators to a sports event at the rate of 1 car every $20 \pm 10$ seconds. The percentages of cars with a given number of passengers are as follows: 1 passenger, $10 \% ; 2$ passengers, $30 \%$; 3 passengers, $45 \%$; and 4 passengers, $15 \%$. Find how long it takes for 1,000 people to arrive.
11. People arrive at a cafeteria at the rate of one person every $15 \pm 5$ seconds. There are two counters, $A$ and $B$, and people want items from them in the following proportions: only counter A, $30 \%$; both counters, $60 \%$; and only counter B, $10 \%$. Simulate the arrival at the cafeteria of 100 people.
12. The delivery of some product is being limited by the availability of suitable reusable containers. A new container is made every $20 \pm 5$ minutes. The containers are filled and dispatched as soon as they are ready. Delivery
takes $40 \pm 10$ minutes. About 1 in every 50 containers is damaged beyond repair during delivery. The rest are returned, taking $40 \pm 10$ minutes, and immediately are reused for another delivery. Beginning from $t=0$, find how many containers will be in the process of delivery after 8 hours.
13. A subway station has two entrances. Passengers arrive at entrance 1 at the rate of 1 person every $10 \pm 5$ seconds, and they move along a corridor that takes $15 \pm 5$ seconds to walk. At entrance 2 , passengers arrive at the rate of 1 passenger every $5 \pm 2$ seconds, and they walk along a corridor that takes $20 \pm 8$ seconds. The two streams of passengers merge to pass along a third corridor for $5 \pm 3$ seconds. At the end of that corridor, $60 \%$ of the passengers turn for the northbound platform, and the rest turn for the southbound platform. Simulate the arrival of the first 100 passengers on the southbound platform, starting with an empty system. How long does it take for 100 passengers to gather for the first southbound train of the day?
14. Parts that are manufactured at the rate of 1 part every $50 \pm 10$ seconds go through an inspection that takes $30 \pm 10$ seconds. The inspection passes $85 \%$ of the parts. Of the remainder, $5 \%$ are scrapped, and the rest are sent for reworking. Reworking takes $100 \pm 30$ seconds, after which the parts are again sent for inspection with the same probability of rejection. Simulate the acceptance of 100 parts. How many parts have been reworked by that time?
15. The following program contains some GPSS/H lines of code that will be covered in later chapters--specifically, the two lines with the comments. What the program does is to generate 1000 transactions and transfer them to one of ten TERMINATE blocks (labeled by number in the output) at random.

| $\bigcirc$ | ]SIMULATE |  |
| :---: | :---: | :---: |
| $\bigcirc$ | TRMULT 12345 | [Random number seed |
| 0 | [GENERATE D, ,1000 |  |
| $\bigcirc$ | $\square \mathrm{TRANSFER}$ [, FRN1*10+3 | Random transfer |
| $\bigcirc$ | [TERMINATE [1 |  |
| $\bigcirc$ | CTERMINATE 1 |  |
| 人 | [terminate $\square 1$ |  |
| 0 | TERMNATE 1 |  |
| 0 | [TERMINATE [1] |  |
| $\bigcirc$ | [TERMINATE $\square^{1}$ |  |
| $\diamond$ | [TERMINATE [1 |  |
| $\bigcirc$ | TTERMINATE -1 |  |
| 0 | TTERMINATE [1 |  |
| 0 | [TERMINATE $]^{1}$ |  |
| 0 | [START $\quad \square 1000$ |  |
| $\bigcirc$ | [END |  |

A portion of the output obtained by running the program is listed next. Note the block numbers from 1 to 12 that were automatically applied by the processor.

| RELATIVE CLOCK: | O. ABSOLUTE CLOCK: 0 . |  |  |
| :--- | ---: | ---: | ---: |
| BLOCK CURRENT | TOTAL | BLOCK CURRENT | TOTAL |
| 1 | 1000 | 11 | 105 |
| 2 | 1000 | 12 | 95 |
| 3 | 110 |  |  |
| 4 | 101 |  |  |
| 5 | 114 |  |  |
| 6 | 104 |  |  |
| 7 | 84 |  |  |
| 8 | 93 |  |  |
| 9 | 98 |  |  |
| 10 | 96 |  |  |

The expected number of times each of the TERMINATE blocks was entered by a transaction is 100 . The actual number of entrances in each TERMINATE block varied from 84 to 110 times. The maximum deviation from the expected value was 16 for the TERMINATE block that was entered only 84 times. The line of code
O [RMULT [12345
is used to position the random-number generator. Rerun the program with a different random-number seed by changing the value of the operand of the RMULT statement to some other number. Then, rerun the program for 10,000 transactions and see how close the actual number of entries to each TERMINATE block is to the expected number of entries.

## SOLUTIONS, CHAPTER 7

1. The program to do the simulation is:

| SIMULATE |  |  |
| :--- | :--- | :--- |
| GENERATE | 45,20 | PEORLE ARRIVE |
| TRANSFER | $.40,$, ROOMA | $40 \%$ TO ROOMA |
| ADVANCE | 300,60 | SPEND TIME IN ROOM B |
| TRANSFER | $.35,$, LEAVE | $35 \%$ THEN LEAVE |
| ROOMA ADVANCE | 220,40 | SPEND TIME IN ROOM A |
| LEAVE TERMINATE |  | LEAVE THE GALLERY |
| GENERATE | $3600 \star 4$ | SIMULATE FOR 4 HOURS |
| TERMINATE | 1 | ALL DONE |
| START | 1 | START |
| END |  |  |

2. Change the block

| LEAVE TERMINATE |  | LEAVE THE GALIERY |
| :--- | :--- | :--- |
| to |  |  |
| LEAVE TERMINATE | 1 |  |
| Lelete the blocks |  |  |
| GENERATE | $360 *^{*} 4$ | SIMULATE FOR 4 HOURS |
| TERMINATE | 1 | ALL DONE |

The START block is now
3. The program to do the simulation is:

|  | SImulate |  |  |
| :---: | :---: | :---: | :---: |
|  | GENERATE | 35,15 | PEOPLE ARRIVE |
|  | TRANSFER | . 3 , ، ALONG | 30\% GO ALONG SIDE |
|  | TRANSFER | .25, , FASTON | 258 WILL WALK/RUN |
|  | ADVANCE | 55 | SIDENALK MOVES |
|  | TRANSFER | , DONE | ALL DONE FOR SOME |
| FASTON | advance | 40,12 | WALK/RUN ON SIDEWALK |
| DONE | TERMINATE |  | END OF SIDEWALK |
| ALONG | ADVANCE | 60,32 | WALK/RUN ALONG SIDE |
|  | TERMINATE |  | END OF SIDEWALK |
|  | GENERATE | 3600 | SIMULATE FOR AN HOUR |
|  | TERMINATE | 1 | TIMER TRANSACTION LEAVES |
|  | START | 1 | START PROGRAM |
|  | END |  |  |

4. Change the block

| DONE | TERMINATE |  | END OF SIDEWALK |
| :--- | :--- | :--- | :--- |
| to |  |  |  |
| DONE | TERMINATE | 1 | END OF SIDEWALK |

Remove the two timer transaction blocks and change the START 1 block to:

START 100.
5. The program to do the simulation is:

|  | Simulate |  |  |
| :---: | :---: | :---: | :---: |
|  | generate | 10,3.2 | CARS ENTER AT A |
|  | ADVANCE | 20,8 | TRAVEL TO B |
|  | TRANSFER | .3, OUT | 70\% TURN TO C |
|  | ADVANCE | 15,6 | TRAVEL TO C |
|  | TRANSFER | . 26, , OUT | $74 \%$ TURN TO D |
|  | ADVANCE | 14,3.1 | TRAVEL TO D |
|  | TRANSFER | .69, , OUT | $31 \%$ TURN TO E |
|  | ADVANCE | 12,3 | TRAVEL TO E |
|  | TERMINATE |  | CAR LEAVES |
| OUT | TERMINATE |  | CAR LEAVES |
|  | GENERATE | $3600 * 8$ | TIMER TRANSACTION |
|  | terminate | 1 | END OF SIMULATION |
|  | START | 1 | BEGIN SIMULATION |
|  | END |  |  |

6. The program to do the simulation is:

| SIMULATE |  |  |
| :--- | :--- | :--- |
| GENERATE | 10,5 | CUSTOMERS ARRIVE |
| TRANSFER | .2, DOWN | 20\% WANT TWO PAPERS |
| ADVANCE | 5,3 | REST BUY ONE PAPER |
| TERMINATE | 1 | PEOPLE LEAVE NEWSSTAND |
| DOWN ADVANCE | 7,3 | BUY TWO PAPERS |
| TERMINATE | 2 | PEOPLE BUY TWO PAPERS |
| START | 100 | RUN FOR 100 PAPERS |
| END |  |  |

The time to run the above was 832.3134 time units.
7. The program to do the simulation is:

|  | SIMULATE |  |  |
| :--- | :--- | :--- | :--- |
|  | GENERATE | $, 1,2$ | CUSTOMERS WAITING |
|  | TRANSFER | NEXT | SHOP OPENS - BUY PAPERS |
|  | GENERATE | 10,5 | CUSTONERS ARRIVE |
| NEXT | TRANSFER | .2, DOWN | $20 \%$ WANT TWO PAPERS |
|  | ADVANCE | 5,3 | REST BUY ONE PAPER |
|  | TERMINATE | 1 | PEOPLE LEAVE NEWSSTAND |
| DOWN | TERMINATE | 2 | PEOPLE BUY TWO PAPERS |
|  | START | 100 |  |
|  | END |  |  |

Now the time to sell 100 papers is reduced to 814.1544 seconds.
8. The program to do the simulation is:

|  | SIMULATE |  |  |
| :---: | :---: | :---: | :---: |
|  | GENERATE | 1 |  |
|  | TRANSFER | .5, THIRD | $50 \%$ GO TO SECOND FLOOR |
|  | ADVANCE | 20,10 | WALK FROM FIRST TO SECOND FLOOR |
|  | TERMINATE |  | ARRIVE SECOND FLOOR |
| THIRD | TRANSFER | . 5, FOURTH | 25\% WANT TO GO TO THIRD FLCRR |
|  | ADVANCE | 20,10 | WALK FROM FIRST TO SECOND FLOOR |
|  | ADVANCE | 20,10 | WALK FROM SECOND TO THIRD FLOOR |
|  | TEPMINATE |  | ARRIVE THIRD FLOOR |
| FOURTH | ADVANCE | 20,10 | WALK FROM FIRST TO SECOND FLOOR |
|  | ADVANCE | 20,10 | WALK FPOM SECOND TO THIRD FLOOR |
|  | ADVANCE | 20,10 | WALK FROM THIRD TO FOURTH FLOOR |
|  | TERMINATE | 1 | ARRIVE FOURTH FLOOR. |
|  | START | 100 |  |
|  | END |  |  |

Note that the above problem assumes that people who go to the second floor go only there and the same for floors three and four. The solution gives: 506 people entered the stairs; 257 went to the second floor; 137 to the third and 112 to the fourth. The program did not end until 100 people arrived at the fourth floor.
9. The program to do the simulation is:

|  | SIMULATE |  |  |
| :--- | :--- | :--- | :--- |
|  | GENERATE | $\ldots, 20$ | PEOPLE TO TAKE TEST |
| BACK | ADVANCE | 5,2 | TAKE TEST |
|  | TRANSFER | .2, DONE | 208 PASS |
|  | ADVANCE | 10 | WAIT 10 MINUTES |
|  | TRANSFER | , BACK | TAKE TEST AGAIN |
| DONE | TEPMINATE | 1 |  |
|  | START | 20 |  |
|  | END |  |  |

The time for the people to pass the test was 280.6469. This is quite large. The number of people taking the test, including repeats was 115. Do you think that the time of 280.6469 means much? Interestingly enough, most people would not be able to guess the "solution" to this problem. The answer depends on doing the problem many times and forming confidence limits. Actually, it would be very easy to run it many times using DO loops which are a part of GPSS/H. These are covered in a later chapter.
10. The program to do the simulation is:

| SIMULATE |  |  |  |
| :---: | :---: | :---: | :---: |
|  | generate | 20,10 | CARS ARRIVE |
|  | TRANSFER | . 90 , , NEXTI | $10 \%$ Have ONE PERSON |
|  | TERMINATE | 1 | ONE PERSON GETS OUT |
| NEXT1 | TRANSFER | .666, , NEXT2 | 30\% Have TWO PEOPLE |
|  |  |  |  |
| * NOTICE THAT THE PERCENTAGE USED ABOVE IS 66.6\%. THIS <br> * IS BECAUSE AFTER $10 \%$ OF THE CARS DROP OFF THEIR ONE <br> * PASSENGER, the REMAINing nUMBERS that have two people <br> - WOULD BE $30 / 90$ AND $60 / 90$ WITH MORE (3 OR 4) |  |  |  |
|  |  |  |  |
|  | TERMINATE | 2 | TWO PEOPLE ARRIVE |
|  | TRANSFER | .25, , NEXT3 | 45\% HAVE FOUR PEOPLE |
|  | TERMINATE | 3 | THREE PEOPLE ARRIVE |
| NEXT3 | terminate | 4 | FOUR PEOPLE ARRIVE |
|  | Start | 1000 |  |
|  | END |  |  |

The time for the simulation to run was 7439.7176 time units. 380 cars came; 35 had 1 person; 119 had $2 ; 175$ had 3, and 51 had 4.
11. The program to do the simulation is:

|  | SIMULATE |  |  |
| :--- | :--- | :--- | :--- |
|  | GENERATE | 15,5 | PEOPLE ARRIVE AT COUNTER |
|  | TRANSFER | .3, AONLY | $30 \%$ WANT A ONLY |
|  | TRANSFER | .857, AANDB | $60 \%$ WANT A \& B |
|  | TERMINATE | 1 | A AND B |
| AANDB | TERMINATE | 1 | B ONLY |
| AONLY | TERMINATE | 1 | A ONLY |
|  | START | 100 |  |
|  |  |  |  |

The simulation ran for 1484.4985 time units. The number of customers who went to A only was $27 ; B$ only 13 , and $A$ and $B$ was 60.
12. The program to do the simulation is:

|  | SIMULATE |  |  |
| :--- | :--- | :--- | :--- |
|  | GENERATE | 20,5 | NEW CONTAINERS ARRIVE |
| BACK | ADVANCE | 40,10 | MAKE DELIVERIES |
|  | TRANSFER | .02, DAMAGE 1 OF 50 DAMAGED |  |
|  | ADVANCE | 40,10 | RETURN FOR RE-USE |
| TRANSFER | , BACK | READY FOR ANOTHER DELIVERY |  |
| TERMINATE |  | DAMAGED CONTAINER |  |
| GENERATE | 480 | SIMULATE FOR 480 TIME UNITS |  |
| TERMINATE | 1 |  |  |
| START | 1 |  |  |
| END |  |  |  |

After 480 minutes, there were 24 containers that had been made. At an average of 3 per hour, this is the expected number. Two of these were damaged and discarded. Thus, there are 22 in the system.
13. The program to do the simulation is:

|  | SIMULATE |  |  |
| :---: | :---: | :---: | :---: |
|  | GENERATE | 10,5 | ARRIVE AT ENTRANCE 1 |
|  | ADVANCE | 15,5 | MOVE ALONG CORRIDOR |
|  | TRANSFER | , DOWN | MERGE WITH OTHER PEOPLE |
|  | generate | 5,2 | ARRIVE AT ENTRANCE 2 |
|  | ADVANCE | 20,8 | MOVE ALONG CORRIDOR |
| DOWN | ADVANCE | 5,3 | MOVE ALONG THIRD CORRIDOR |
|  | TRANSFER | . 60. , NORTH 608 GO TO NORTH PLATFORM |  |
|  | TERMINATE | 1 REST GO TO SOUTH PLATFORM |  |
| NORTH TERMINATE |  |  |  |
|  | START | 100 |  |
|  | END |  |  |

At the end of the simulation, 81 people had arrived from entrance 1 and 160 from entrance 2 . The simulation ran for 821.4095 time units.
14. The program to do the simulation is:

|  | SImulate |  |  |
| :---: | :---: | :---: | :---: |
|  | GENERATE | 50,10 | MANUFACTURE A PART |
| UPTOP | ADVANCE | 30,10 | INSPECT A PART |
|  | TRANSFER | .85, , P | SS $85 \%$ PaSS InSPECTION |
|  | TRANSFER | . $05 ., 5$ | RAP 5\% OF THE REST ARE SCRAP |
|  | ADVANCE | 100,30 | REWORK PARTS |
|  | TRANSFER | , UPTOP | BACK FOR RE-INSPECTION |
| PASS | TERMINATE | 1 | GOOD PART LEAVES |
| SCRAP | TERMINATE |  | SCRAP PILE |
|  | START | 100 |  |

The simulation ran for 5091 time units. 13 parts needed rework and 0 were scrapped.

## REFERENCE

Gordon, G. 1975. The Application of GPSS V to Discrete System Simulation. Englewood Cliffs, New Jersey: Prentice-Hall.

## CHAPTER 8 <br> The PUTSTRING and PUTPIC Statements and Writing to Files

## THE PUTSTRING STATEMENT

The PUTSTRING statement is used to create text either on the screen or in a file. The value of this statement is that it simplifies the running of programs in an interactive mode. The general form of the PUTSTRING statement is

OLABEL $\square P U T S T R I N G \square A, B$
The label is optional. The $B$ operand gives the text to be printed either to a file or to the screen. If the programmer desires the output of the PUTSTRING statement to be directed to a file (discussed later in this chapter), operand $A$ is an assignment statement such as FILE=FILELBL, where FILELBL is the label of the block that defines the file to which the output is to be directed. However, often the programmer desires the output to be sent only to the screen. In this case, the $A$ operand and its following comma are omitted. Some examples of this latter approach follow:

```
O(a) CPUTSTRING \Gamma(' HELLO THERE')
(b) [PUTSTRING í(' THIS IS A GPSS/H PROGRAM')
\(c) [PUTSTRING j(' SIMULATION IN PROGRESS...')
O(d) BPUTSTRING \(' notice that small letters are allowed')
```



```
O(f) [PUTSTRING[('i]]')
```

In (a), the message HELLO THERE is printed on the screen. In (b), the message THIS IS A GPSS/H PROGRAM is printed on the screen. In (c), the message SIMULATION IN PROGRESS... is printed on the screen. In (d), the message notice that small letters are allowed is printed on the screen. In (e) the message $A \pm B$ is printed on the screen. In ( $f$ ), a blank line is printed on the screen. At least two spaces must be present in the PUTSTRING in order for the blank line to be printed.

It is clear that standard alphanumeric characters are easily output by using the PUTSTRING statement. Originally, the ASCII character set consisted of only 128 characters (letters, numbers, and punctuation). With the advent of

PCs, IBM decided to add 128 characters so that the full 256 character set (which includes certain mathematics symbols such as $\pm$ ) would be available. These 256 characters are correctly called the extended ASCII character set. However, the common terminology now is to call the whole character set simply the ASCII character set.

Sometimes, such as in statement (e), it is useful also to include symbols such as the ' $\pm$ ' sign in GPSS/H output. Though these symbols do not appear on a PC keyboard, they can be achieved by holding the <alt> key down on the keyboard and inputting the numerical specification for the symbol by using the numbers on the numerical keypad-not the ones on the top of the keyboard. It is possible to use any of the 256 ASCII characters in a PUTSTRING statement. For the extended symbols, such as $\pm$, simply type the <alt> key plus the desired character's 3 -digit number (these numbers are listed in standard programming texts).
$\diamond \quad$ OPUTSTRING $\square($ ' This is the sign. ')
Type <alt>241 to achieve the plus or minus sign. The output of the PUTSTRING is

```
This is the }\pm\mathrm{ sign.
```

However, to use a symbol in a PUTPIC statement, which is covered next, the following, more extensive code procedure is required. Be sure to type <alt>241 in the LET statement:


The output of the PUTPIC is

```
The plus or minus sign is }\pm\mathrm{ .
```

Other symbols can be used to make PUTSTRING output more readable. For example, the code for the is 219 and for is 220 . The statement

would result in the text

## - IMPORTANT INFORMATION FOLLOWS - E

By using the ASCII code for the together with the it is possible to place the title to a program in a box. For example, you might have something like the following:


## THE PUTPIC STATEMENT

Up to this point, all of the output of the example programs that we've run has been produced by the GPSS/H processor and placed by the processor in the LIS file. Most of the output has been disregarded, as only a limited portion is needed. This is usually the case, as only a few of the values found in this file are ever used. It is possible (and desirable) to have the needed results printed out either to the screen or to a separate file. This procedure is done via the PUTPIC statement. One form of it is
$\hat{\square} \quad \square P U T P I C \quad \square A, B, C, D, E, \ldots$
where operand $A$ indicates the number of lines to be output, operand $B$ indicates which file is to receive the output (if any; this option is discussed in the next section, Writing to a File), and all the remaining operands indicate which values are to be output. Operands $A$ and $B$ (if present) are assignment statements. For example,

3 DPUTPIC DLINES=3,FILE=RESULTS, C, D, E, . .
In this example, GPSS/H will output 3 lines. If only 1 line is to be output, the LINES $=1$ assignment statement (i.e., the $A$ operand) can be omitted. LINE $=1$ (singular LINE) cannot be used even though it is grammatically correct; it will result in an error. The assignment statement FILE=RESULTS is in the $B$ operand. If such an assignment statement is omitted, the output is written to the screen instead of to a file. The term "PUTPIC" is derived from "put a picture on the screen."

## Some Common Standard Numerical Attributes (SNAs)

A standard numerical attribute (SNA) is any numerical property of a block or attribute of a simulation such as the simulation clock; the block counts; the random numbers; etc. Nearly all of the values listed in the .LIS file are SNAs. As each block is introduced in later chapters, the SNAs associated with it are also given. Other SNAs are also discussed. The SNAs associated with the various blocks are always printed out in the .LIS file, and selected ones can be printed out with the PUTPIC statement. Some SNAs already encountered are

| AC1 | the absolute clock value |
| :--- | :--- |
| N(LABEL) | how many times that the block |
| labeled (LABEL) has been referenced |  |
| the current transaction count for the block |  |
| W(LABEL) | labeled (LABEL) |

The argument of an SNA is placed in parentheses or preceded by a single dollar sign (\$). Thus, one could write Q\$FIRST, which is the same as Q(FIRST). But the dollar sign approach will not work when the entity forming the argument of the SNA is given a number and not a name. For example, if the queue block is QUEUE 5, then reference to the queue length is given by either Q(5) or Q , but not $\mathrm{Q} \$ 5$. This is an old method of referencing in GPSS/H and will not be used in this book.

## Using SNAs in PUTPIC Statements

In the lines of output for PUTPIC, groups of asterisks are used to specify the field and its format. These groups of asterisks may contain decimals. The SNAs are printed out in the asterisk fields in the order in which they appear in the PUTPIC statement, i.e., the first SNA is placed in the first asterisk field, the second in the next asterisk field, etc.

LINES $=n$ in operand $A$ is used to control the arrangement of the output at the discretion of the programmer. The following are three examples of input and output (note that for convenience where length may be a problem, ROOM1 is shortened to RM1 and ROOM2 is shortened to RM2 in the text of the output):

## Option 1



```
CLOCK ***.** TIMES BLOCK RM1 ENTERED *** TIMES BLOCK RM2 ENTIERED ***
```

Note that even though there will only be one line of output, you must specify that fact by using LINES $=1$, not LINE $=1$, or omit the LINES operand. This example might result in output as follows:

```
CLOCK 123.44 TIMES BLOCK RM1 ENTERED 56 TIMES BLOCK RM2 ENTERED 126
```


## Option 2

```
O [PPUTPIC [LINES=2,AC1,N(ROOM1),N(ROOM2)
    CLOCK = ***.**
    TIMES BLOCKS ENTTERED: RM1 = *** RM2 = ***
```

This example might result in output as follows:

CLOCK $=123.44$
TIMES BLOCKS ENTERED: RM1 $=56$ RM2 $=126$

## Option 3

| CLINES $=3, A C 1, N(R O O M 1), N(R O O M 2)$ |  |
| ---: | :--- |
|  | CLOCK $=\star * * * *$ |
|  | TIMES BLOCK ROOM1 ENTERED $* * *$ |
|  | TIMES BLOCK ROOM2 ENTERED $* * *$ |

This example might result in output as follows:

```
CLOCK = 123.44
TIMES BLOCK ROOM1 ENTERED 56
TIMES BLOCK ROOM2 ENTERED 126
```

If the field as specified by the asterisks is not large enough for the value of the SNA, the SNA is still printed out. For example, if one used the vertical-line key to mark the ends of the output,

```
< पPUTPIC \N(THIRD)
|THE TIMES BLOCK THIRD ENTERED WAS **|
```

and the value of N(THIRD) was 1234 , this number would be printed starting where the 2 asterisks were and the $\mid$ would be moved right 2 spaces.

One can add blank lines to the output by placing a 0 (zero) in position 1 of an output line. The 0 is not printed. For example, the PUTPIC code

```
\diamond [PUTPIC [LINES=3,AC1,W(BLOCKA),N(BLOCKB)
0 RESULTS OF SIMULATION; CLOCK AT ****.**
0 CURRENT COUNT FOR BLOCK A ***
0 FINAL COUNT FOR BLOCK B ***
```

might result in output as follows:
results of simulation; clock at 3456.44
CURRENT COUNT FOR BLOCK A 5
FINAL COUNT FOR BLOCK B 143
Most of the time, however, it is sufficient simply to leave a blank line in the PUTPIC statement to achieve the double-spaced effect.

Note that it is not possible to include any symbol from the extended ASCII character set in the PUTPIC statement unless one uses it as a character. The code to define a symbol as a character was given in the first section of this chapter and will be covered further in Chapter 23.

## Example 8.1

Cars arrive at a junction every $10 \pm 6$ minutes; $25 \%$ leave the system along road A, and the rest travel along road B to another junction, which takes $20 \pm$ 8 minutes. Here, $30 \%$ of the cars that traveled from A to B leave the system along road $C$, and the rest take $10 \pm 4$ minutes to travel to $D$ where they leave the system. Simulate for 100 hours. Have the output show how many cars entered the system, how many of these left the system along each road, and how many remained in the system when the simulation was over.

## Solution

The program to simulate this system is as follows:

```
O [SIMULATE
\CARSIN MGENERATE MIO,6
O TTRANSFER D.25,,AWAYA
\triangleROADB \squareADVANCE [20,8
\imath DTRANSFER D.4, AWAYB
OROADC [ADVANCE [10,4
\triangleROADD UTERMINATE
OAWAYA TTERMINATE
OAWAYB TTERMINATE
\ TGENERATE \square60*100
} पTERMINATE DI
\ \START DI
3 [PUTPIC [LINES=6,N(CARSIN),N(ROADD),-
    N(AWAYA),N(AWAYB),W(ROADB),W(ROADC)
NUMBER OF CARS ENTERING ****
NUMBER REMAINING AT END * ****
```

```
NUMBER TO LEAVE AT A ****
NUMBER TO LEAVE AT B ****
NUMBER ON ROAD B AT END ****
NUMBER ON ROAD C AT END ****
\diamond [END
```

The output is as follows:

```
NUMBER OF CARS ENTERING 595
NUMBER REMAINING AT END 255
NUMBER TO LEAVE AT A 153
NUMEER TO LEAVE AT B 174
NTMBER ON ROAD B AT END 2
NMBER ON ROAD CAT END 1
```

The number of cars to enter the system was 595; the expected number is 599. (The program went for 6,000 time units, and a car came in on the average of every 10 time units. Six thousand divided by 10 is 600 , but the time $t=6,000$ was used to stop the program. The cars actually came into the system for 5,990 time units; 5,990 divided by 10 is 599 . Because of the random numbers used, the program came up with 595.) The number remaining at the end was 265; those that left the system along road A totaled 153, and those that left the system along road B totaled 174. There were 3 cars still in the system at the end of the simulation. Notice that $265+153+174+2+1=595$.

## writing to a file

Output commonly is sent to a file when the amount of output is large or when one wants to use the GPSS/H program to create a file to be used in an animation. In order to write to a file, the file has to be defined with the FILEDEF statement. The form of this is
©filelbl [filedef $\quad$ 'FILENAME.EXT'
Some examples of this statement follow:

```
OMYOUT - \FILEDEF \square'RESULT.OUT'
OATFIL DFILEDEF ['TEST.OUT'
OAAAA [FILEDEF ['result.xyz'
OBBBB \squareFILEDEF ['OUT123'
```

Notice that, whereas the label must be in capital letters (as usual) and must not have an extension, the filename need not be in capital letters and may have any valid extension desired or none at all.

In the PUTPIC, one might have

The file named RESULT. OUT will have two lines in it. Notice that it makes no difference if FILE=MYOUT comes before LINES=2 or vice versa.

It is possible to create continuous output during the running of a GPSS/H program by means of the BPUTPIC block. Every time a transaction passes through this block, output is created, so one must be careful when using BPUTPIC. It can be extremely useful in debugging a program. It operates in exactly the same way as the PUTPIC statement. If one wanted output every 100 time units in a program, one could include the segment

```
\diamond [GENERATE [100
\diamond [BPUTPPIC [FILE=AAAA,LINES=2,AC1,N(BLOCKA),N(BLOCKB)
TIME IS ****.** BLOCK A COUNT **
BLOCK B COUNT **
\diamond TTERMINATE
```

Every 100 time units, the output at that point in the simulation would be placed in the file specified by the label AAAA. One needs to be careful in using this block, since every time a transaction passes through it, it is executed. File AAAA could become monstrously large.

## Example 8.2

The following example may seem trivial, but the principle involved is useful when one is making files for animations. Write a program that creates a file that has the line TIME $n$ where $n$ goes from 0.00 to 10.00 , to 20.00 , etc., up to 100.00 .

## Solution

| $\bigcirc$ | ISIMULATE |  |
| :---: | :---: | :---: |
| $\triangle$ MYOUT | TFILEDEF | ['MYOUT. OUT' |
| $\bigcirc$ | [GENERATE | [10, 0 |
| $\checkmark$ | [BPUTPIC | [FILE=MYOUT, AC1 |
| TIME | **.** |  |
| $\bigcirc$ | [TERMINATE |  |
| 0 | [GEnERate | [101 |
| $\bigcirc$ | Dterminate | [1 |
| $\bigcirc$ | IStart | [1 |
| 0 | CEND |  |

Notice that the timer transaction enters the system at time unit $t=101$. This is because, if it were to enter at $t=100$, the last BPUTPIC would not be executed. Alternatively, the transactions that enter the system from the first GENERATE block could have been given a high priority.

Finally, another very useful feature is that it is all right to have arithmetic in a PUTPIC statement or BPUTPIC block. Thus, it is permissible to have $\mathrm{N}($ FIRST $)+\mathrm{N}($ SECOND $)$. In the following exercises, this feature will be applied to problem 3.

## EXERCISES, CHAPTER 8

1. Customers arrive at a newsstand every $8 \pm 4$ seconds. $70 \%$ of the customers purchase 1 paper, which takes $5 \pm 3$ seconds. The rest purchase 2 papers, which takes $7 \pm 3.5$ seconds. Write the GPSS/H program to determine how long it takes in seconds to sell 1,000 papers. The output should show the time required and the number of people who purchased either 1 or 2 papers.
2. Self-loading vehicles arrive at a quarry. There is plenty of room to load each one so there is never any waiting. Loading each vehicle takes $10 \pm 4$ minutes. Each vehicles then takes $12 \pm 3$ minutes to haul, dump, and return. There are 4 self-loading vehicles working. Determine the number of loads dumped in a shift that consists of 360 minutes of actual work.
3. Modify the program in exercise 1 so that the screen will show the number of papers sold after each 10 minutes ( 600 seconds).

## SOLUTIONS, CHAPTER 8

1. The program to do the simulation is:

SImULATE
GENERATE 8,4
TRANSFER.3, AWAY
ADVANCE 5,3
ONEP TERMINATE 1
AWAV ADVANCE 7,3.5
TWOP TERMINATE 2
START 1000
PUTSTRING (' ')
PUTSTRING (' ')
PUTSTRING (' OUTPUT FOLLOWS....')
PUTSTRING (' ')
PUTPIC LINES=3,AC1,N(ONEP),N(TWOP)
THE TIME TO SELL 1000 PAPERS WAS ****.** SECONDS
NUMBER OF PEOPLE WHO PURCHASED ONE PAPER **** NUMBER OF PEOPLE WHO PURCHASED TWO PAPERS **** END

Notice the use of the PUTSTRING's to add blank lines for more readable output.
2. The program to do the simulation is:

|  | SIMULATE |  |
| :---: | :---: | :---: |
|  | GENERATE | , , 4 PROVIDE 4 VEHICLES |
| BACK | ADVANCE | 10,4 LOAD A VEHICLE |
|  | ADVANCE | 12,3 HAUL, DUMP AND RETURN |
| DUMPED | ADVANCE | 0 DUMMY TRANSACTION |
|  | TRANSFER | , BACK |
|  | GENERATE | 360 |
|  | TERMINATE | 1 |
|  | START | 1 |
|  | PUTSTRING | $\left(\begin{array}{ll} \\ & \\ \end{array}\right.$ |
|  | PUTSTRING | $\left(\begin{array}{ll} \\ & \prime\end{array}\right.$ |

```
PUTPIC LINES=2,AC1,N(DUMPED)
SIMULATION FOR ***.** MINUTES
LOADS DUMPED ****
END
```

It was not necessary to have the ADVANCE 0 block. However, when a truck is done hauling and is ready to return, it enters this block. If this block was not here, the count of the loads actually dumped would be harder to determine.
3. The modifications to the program are:

```
        SIMULATE
        GENERATE 8,4
        TRANSFER .3,.AWAY
        ADVANCE 5,3
    ONEP TERMINATE 1
    AWAY ADVANCE 7,3.5
    TWOP TERMINATE 2
    GENERATE 600
    BPUTPIC AC1,N(ONEP)+N(TWOP)
TIME IS ****.** NUMBER OF PEOPLE TO BUY PAPERS ****
    TERMINATE
    START }100
    PUTSTRING (' ')
    PUTSTRING (' ')
    PUTSTRING (' OUTPUT' FOLLOWS....')
    PUTSTRING (' ')
    PUTPIC LINES=3,AC1,N(ONEP),N(TWOP)
THE TIME TO SELL }1000\mathrm{ PAPERS WAS ****.** SECONDS
NUMBER OF PEOPLE WHO PURCHASED ONE PAPER ****
NUMBER OF PEOPLE WHO PURCHASED TWO PAPERS ****
    END
```

The modifications consisted of adding a dummy transaction that arrived every 600 time units. This transaction caused the BPUTPIC to add a line of output to the screen.

## CHAPTER 9 <br> The ADVANCE Block

## the advance block

The ADVANCE block is used to "hold up" a transaction while service is being performed. There are two forms of it:

| $O(a)$ | $\square A D V A N C E$ | $\square A$ |
| :--- | :--- | :--- |
| $\diamond(b)$ | $\square A D V A N C E$ | $\square A, B$ |

where $A$ and $B$ can be positive numbers (not necessarily integers) or variables. $A$ represents the number of time units during which time advances while the transaction is held up. $B$ represents the random variability of the holding time. In (a), the transaction will be held up for a time equal to operand $A$. So,
$\diamond$ [ADVANCE [5
will hold up the transaction until 5 time units have passed. In (b), the transaction will be delayed by a time value between the interval $(A-B)$ and $(A+B)$. The endpoints are not included. The time returned by GPSS/ H when it processes this block has 4 decimal places, and each possible time unit has an equal probability of being returned. Thus,

0 [ADVANCE [12,3
will hold a transaction until a time between the interval 9.0001 and 14.9999 time units has elapsed. Each of the possible times will be returned by the GPSS/H processor with equal probability. Chapter 17 shows how to use any statistical distribution in the ADVANCE block.

When a transaction enters an ADVANCE block, it is taken off the current events chain (CEC) and put on a chain known as the future events chain or FEC. It will remain there until the time is reached that is given by the operand in the ADVANCE block. It is then put back onto the current events chain for further movement through the system.

ADVANCE blocks have been used in many of the previous examples. They are one of the easiest GPSS/H blocks to understand and apply.

## Example 9.1

There are 15 people in the class learning GPSS/H. They all start writing a program at the same time. It takes each person $12 \pm 3$ minutes to write the program. Only $25 \%$ of the programs run successfully the first time. When a program has an error, $8 \pm 3.5$ minutes are required to do the debugging. After the first (and any subsequent) debugging, the revised programs run successfully $35 \%$ of the time. How long does it take for the whole class to finish writing their programs?

For the first time in this book, enough GPSS/H has been covered for the reader to understand the complete program. The program listing is

| $\diamond$ | [SIMULATE |  |  |
| :---: | :---: | :---: | :---: |
| 0 | [GEnERATE | [1, 15 | [15 PEOPLE WRITE PROGRAM |
| 0 | [ADVANCE | [12, 3 | [TIME TO DO WRITING |
| $\bigcirc$ | OTRANSFER | [.25, DONE | [25\% WORK FIRST TIME |
| $\bigcirc$ AGAIN | [advance | [8,3.5 | DDEBUG PROGRAM |
| $\bigcirc$ | DTRANSFER | [].65, , AGAIN | [ 358 WORK ON RE-DO |
| ODONE | TTERMINATE | [1 | $\square \mathrm{PERSON}$ LEAVES ROOM |
| $\bigcirc$ | [START | 715 |  |
| $\bigcirc$ | $\square$ PUTPIC | [AC1 |  |
| $\bigcirc$ WHEN | LL 15 ARE F | INISHED, THE | IME IS **.** |
| $\bigcirc$ | CEND |  |  |

The output from the program is as follows:

```
WHEN ALL 15 ARE FINISHED, THE TIME IS 63.70
```

What happened is as follows. At time $t=0,15$ student transactions were created. Each, in turn, entered the ADVANCE block where each was assigned a time to be on the future events chain. For example, suppose that the students are referred to as $S 1, S 2, \ldots, S 15$, and suppose that the following times are those assigned by GPSS/H during the first pass of the simulation:

| Student | Time |
| :--- | ---: |
| S1* | 12.5667 |
| S2 | 13.4338 |
| S3 | 9.5581 |
| S4 | 9.0809 |
| S5* | 10.1210 |
| S6 | 12.7301 |
| S7 | 11.3542 |
| S8* | 9.3433 |
| S9 | 14.8162 |
| S10 | 14.1931 |
| S11* | 13.2222 |
| S12* | 9.4538 |
| S13 | 9.9444 |
| S14 | 12.1288 |
| S15 | 11.6687 |

The asterisks next to students $\mathrm{S} 1, \mathrm{~S} 5, \mathrm{~S} 8, \mathrm{~S} 11$, and S 12 refer to the fact that each was successful in running the program the first time through. At time $t=$ 9.5581, student S3 is taken off the future events chain and enters the TRANSFER . 25 ,,DONE block. Notice that this block was entered 15 times (as determined by START1 and TERMINATE 15). Since students S1, S5, S8, S11, and S12 were successful the first time, they were transferred to the DONE TERMINATE 1 block. The rest went to the AGAIN ADVANCE $8,3.5$ block where they were again put on the future events chain. As each transaction came off that chain, it entered the TRANSFER .65,,AGAIN block. If a student was successful in running the program, that student's transaction was transferred to the block DONE TERMINATE 1. Eventually, all 15 students were finished. The time for all of the students to finish was found to be 63.70 time units.

The results from this example have to be treated with care. The simulation was run only one time with a particular set of random numbers. What would happen if different random numbers had been used? To answer this, the simulation was run 19 additional times, and 19 different sets of random numbers were used. A summary of the results of all 20 simulations follows:

| Simulation Number | Time to Finish (minutes) |
| :---: | :---: |
| 1 | 63.70 |
| 2 | 71.72 |
| 3 | 57.27 |
| 4 | 103.59 |
| 5 | 59.12 |
| 6 | 52.84 |
| 7 | 74.61 |
| 8 | 62.46 |
| 9 | 73.75 |
| 10 | 80.05 |
| 11 | 100.33 |
| 12 | 78.83 |
| 13 | 62.40 |
| 14 | 45.10 |
| 15 | 73.94 |
| 16 | 64.04 |
| 17 | 39.09 |
| 18 | 66.33 |
| 19 | 98.61 |
| 20 | 45.06 |

The times varied from a low of 39.09 to a high of 103.59. The average time was 68.64.

## A CAUTION IN WRITING PROGRAMS

There is a caution to keep in mind with this and other GPSS/H programs. In this simulation, the transactions were all created at time $t=0$. They all left at time $t=0$ and were put on the future events chain via the ADVANCE block. The ADVANCE block always admits transactions. Suppose we had a different problem and were going to generate transactions at various, sequential times as given by
$\diamond$ IGENERATE $\quad 12,3$
Suppose the times for the first 4 of these transactions to enter the system are $11,23,35$, and 44 time units. If the block after the GENERATE block will not allow a transaction to enter it (some blocks will only allow 1 transaction at a time to enter; others may not allow any transactions to enter, depending on a particular condition), what happens is that the transaction remains in the GENERATE block until the next block will allow it to enter. This delay may seem to be all right, but, because the transaction cannot leave the GENERATE block when it was originally scheduled to, the subsequent transactions also are delayed from leaving. Suppose that the third transaction cannot enter the next block but must remain in the GENERATE block for 5 time units. This condition means that, even though the transaction was originally scheduled to leave at $t=35$, it cannot leave until $t=40$. The effect of this delay on the fourth (and subsequent transactions) is to shift them all 5 time units forward (i.e., into the future) before they can leave. This programming approach is normally incorrect. When a transaction is scheduled to leave the GENERATE block, a block that will always accept the transaction should be provided by the programmer. One way around this is the following strategy:
$\begin{array}{lll}\diamond & \text { ■GENERATE } & \square 12,3 \\ \diamond & \square A D V A N C E & \square 0\end{array}$
The ADVANCE block used here is a dummy block. It holds the transactions from the GENERATE block for zero time units. The only effect is to allow transactions to leave the GENERATE block at the times they were scheduled to leave. This strategy should be kept in mind for future programs.

## Example 9.2

People arrive at an art exhibit every $4 \pm 2$ minutes. There are 3 rooms to view. Everyone goes to the entrance where it takes $5 \pm 3$ minutes to pick up a program and pay an entry fee. On entering, $80 \%$ of the people go to room A, and the rest to room $B$. Once a person misses a room, she or he does not go back to view it. When people leave room $\mathrm{A}, 75 \%$ go to room B , and the rest go to room C. Everyone who leaves room B will also go to room C. It takes $15 \pm 3$ minutes to view room $A, 22 \pm 6$ minutes to view room $B$, and $12 \pm 3$ minutes to view room C . When a person leaves room C , he or she leaves the exhibit. Simulate for 100 people viewing the exhibit.

## Solution

| $\bigcirc$ | [simulate |  |  |
| :---: | :---: | :---: | :---: |
| $\bigcirc$ | [GENERATE | $\square 4,2$ | -PEOPLE ARRIVE AT THE EXHIBIT |
| $\bigcirc$ | [advance | [5, 3 | [SPEND TIME IN THE ENTRANCE |
| $\bigcirc$ | CTRANSFER | [].2, ROOMB | -80\% TO ROOM A |
| $\bigcirc$ | Dadvance | [15,3 | DVIEW ROOM A |
| $\bigcirc$ | [TRANSFER | [.25, , ROOMC | [75\% TO ROOM B |
| $\bigcirc$ ROOMB | [ADVANCE | [122,6 | [VIEW ROOM B |
| $\bigcirc$ ROOMC | [ADVANCE | [12,3 | [VIEW ROOM C |
| $\bigcirc$ | [TERMINATE | [1 | [LEAVE THE EXhibit |
| $\bigcirc$ | CSTART | [100 |  |
| $\bigcirc$ | Cend |  |  |

## EXERCISES, CHAPTER 9

1. Consider Example 9.2 again. Add the code necessary to put the output on the screen, including the time it took for the 100 people to view the exhibit, the number of people who attended the exhibit (this value should be slightly more than 100), the number who viewed room $A$, and the number who viewed room $B$.
2. A mine has 6 self-loading trucks. Each loads in $10 \pm 4$ minutes. There is room for each to load so there is no waiting. Haulage takes $15 \pm 2 \mathrm{~min}$ utes, dumping $1 \pm 0.3$ minutes, and the return trip takes $10 \pm 3$ minutes. Determine the production (i.e., the number of loads) for a shift of 320 minutes.
3. Trucks arrive at a repair shop every $25 \pm 4$ minutes. Each truck is inspected, which takes $4 \pm 2$ minutes. All trucks then are given minor service, which takes $30 \pm 6$ minutes. During this step, $20 \%$ are found to require major service, which takes $120 \pm 40$ minutes; the rest return to work. Simulate for 100 shifts of 480 minutes each. How many trucks are serviced during this time?

## SOLUTIONS, CHAPTER 9

1. The modified program is as follows:
```
    SIMULATE
COMEIN GENERATE 4,2 PEOPLE ARRIVE AT THE EXHIBIT
    ADVANCE 5,3 SPEND TIME IN THE ENTRANCE
    TRANSFER .2,,ROOMB 80% TO ROOM A
ROOMA ADVANCE 15,3 VIEW ROOM A
    TRANSFER . 25,,ROOMC 75% TO ROOM B
ROOMB ADVANCE 22,6 VIEW ROOM B
    ADVANCE 12,3 VIEW ROOM C
    TERMINATE 1
        START 100
        PUTSTRING (' ')
        PUTSTRING (' ')
        PUTPIC LINES=4,AC1,N(COMEIN),N(ROOMA),N(ROOMB)
THE TIME FOR 100 PEOPLE TO VIEN THE EXHIBIT WAS ****.**
THE NUMBER WHO CAME IN WAS *****
THE NUMBER WHO VIEWED ROOM A WAS ****
THE NUMBER WHO VIEWED ROOM B WAS ****
END
```

2. The program to do the simulation is:

|  | SImulate |  |  |
| :---: | :---: | :---: | :---: |
|  | generate | ,, , 6 |  |
| BACK | ADVANCE | 10,4 | LOAD |
|  | ADVANCE | 15,2 | HAUL |
|  | ADVANCE | 1, . 3 | DUMP |
|  | ADVANCE | 10,3 | RETURN |
| UPTOP | TRANSFER | , BACK |  |
|  | generate | 320 |  |
|  | TERMINATE | 1 |  |
|  | START | 1 |  |
|  | PUTSTRING | (' ') |  |
|  | PUTSTRING | (' ') |  |
|  | PUTPIC | N(UPTOP) |  |
| PRODUCTION IS *** LOADS |  |  |  |
|  | END |  |  |

3. The program to do the simulation is:


Since GPSS/H is used so often for simulation of systems in which queues are formed at many places, it is natural to learn how the language handles queues. A discussion of queues and the mathematical theory associated with them can be found in any textbook on operations research. In fact, there are complete books devoted to this important topic. One thing becomes quite clear in the study of queueing theory: the number of queueing problems that have exact mathematical solutions is surprisingly small. This statement is especially true when dealing with a finite number of transactions, such as the case of transactions cycling though a system.

There are many cases when a transaction will be denied access to a block during a simulation. When a transaction is poised to use a facility that is already in use, the transaction is denied entry and has to remain in the block where it currently resides. In the system being simulated, this process gives rise to a queue. Such queues are commonly found in real-life situations, such as in a barbershop with only one barber, a checkout counter in a grocery store, a bank with many tellers, an airport with only a few runways. Often the purpose of the simulation study is to see where these queues form and how they might be eliminated or, perhaps, kept to a reasonable level. These queueing situations are handled in GPSS/H by the QUEUE block.

The QUEUE block never denies entry to a transaction, and this block can, in theory, contain any number of transactions. The normal form of the QUEUE block is quite simple. It is

0 DQuEUE DA
where the operand $A$ is either a name that is not more than 8 characters or a positive integer. It also could be a variable. If a name is used, it is good programming practice always to use at least 3 characters to avoid unintentionally selecting a name that is reserved (e.g., C1).

Thus,

| $\diamond$ | ПQUEUE | П1 |
| :--- | :--- | :--- |
| $\diamond$ | ПQUEUE | ПFIRST |
| $\diamond$ | ПQUEUE | П7 |
| $\diamond$ | ПQUEUE | ПONE |
| 0 | ПQUEUE | ПDUMP1 |
| $\diamond$ | ПQUEUE | ПSTOPHERE |

are examples of valid QUEUE blocks but

| $\diamond$ | DQUEUE | $\square-1$ |
| :--- | :--- | :--- |
| $>$ | DQUEUE | ПLASTONEIN |

are not valid.
Sometimes you will decide to use a number rather than a name for the QUEUE block's operand. If you choose this approach, the number cannot be arbitrary but will depend on the actual number of QUEUE blocks allowed in your system. Normally, at least 50 QUEUE blocks are allowed in most GPSS/H processors. Thus, if this is the maximum number allowed in your system, it would be all right to have

| 0 | ПQUEUE | $[27$ |
| :--- | :--- | :--- |
| $\diamond$ | ПlQUEUE | $\square 50$ |
| but not |  |  |
| $\diamond$ | ПQUEUE | $\square 123$ |

If you decide to use numbers in the QUEUE operands, simply remember to start numbering the QUEUE blocks with small numbers and you should not have any problem.

Whenever a QUEUE block is used, there automatically will be certain statistics as part of the .LIS file. These may have been observed when previous programs were run. Suppose the QUEUE block was specified by the operand WAIT. The output from the program might look as follows:

| QUEUE | MAXIMUM | AVERAGE | TOTAL | ZERO | PERCENT |
| ---: | :---: | :---: | :---: | :---: | :---: |
|  | CONTENTS | CONTENTS | ENTRIES | ENTRIES | ZEROES |
| WAIT | 3 | 0.312 | 264 | 90 | 34.1 |
|  |  |  |  |  |  |
| AVERAGE | SAVERAGE | QTABLE | CURRENT |  |  |
| TIME/UNIT | TIME/UNTT |  | CONTENTS |  |  |
| 5.665 | 8.596 |  | 0 |  |  |

The above actually is given in the output running across the screen. It is necessary to scroll to see it all. You may not want all the output, but GPSS/H gives it to you in the .LIS file regardless.

What each entry in the .LIS output file means is as follows:

QUEUE WAIT this is the name of the queue as specified by the A operand.
MAXIMUM The maximum contents of the queue WAIT at any time during the CONTENTS simulation was 3.

AVERAGE At any time during the simulation, the contents in the queue WAIT CONTENTS averaged 0.312.
TOTAL ENTRIES The number of transactions that entered the queue WAIT was 264.
ZERO ENTRIES Of the 264 transactions that entered the queue WAIT, 90 of them immediately left and entered the next block

PERCENT ZEROS The percentage of ZERO ENTRIES--90 ZERO ENTRIES divided by 264 TOTAL ENTRIES-was 34.1\%.
AVERAGE For all the transactions that entered the queue WAIT, the average TIME/UNIT time in the block per unit transaction was 5.665 time units.
\$AVERAGE The average time in the queue WAIT for only the transactions that TIME/UNIT were actually delayed and held in it was 8.596 time units.

QTABLE Chapter 19 shows how to construct histograms of various parameters associated with the simulation. One of these parameters is called a QTABLE. If one had been used in the simulation, its name would be here.
CURRENT The contents of the queue WAIT at the end of the simulation is 0 . CURRENTS

The preceding output items are all attributes associated with having a QUEUE block. In fact, they are standard numerical attributes (SNAs). There are reserved names for SNAs that deal with queues. In the following, (name) is a queue name (may include numbers if a letter is the first character), and $n$ refers to a number:

| SNA | Meaning |
| :--- | :--- |
| Q(name) or Qn | current queue content |
| QA(name) or Qan | average queue contents |
| QC(name) or Qcn | queue entry count |
| QM(name) or Qmn | maximum queue content |
| QT(name) or Qtn | average time spent in the queue of all entries |
| QX(name) or Qxn | average time spent in the queue excluding the zero entries |
| QZ(name) or Qzn | zero entries |

These SNAs can be used in the program as operands. For example, one could have
$\bigcirc$ —ADVANCE CQM(WAIT)
The transaction entering the ADVANCE block would be put on the FEC for a time given by the maximum queue length (QM) at the QUEUE WAIT. The most common reason for using a QUEUE block is to gather the statistics of how long transactions are delayed before a facility is available for their use. Therefore, it is not always necessary to have a QUEUE block just because a queueing situation is to take place.

It is possible to have a second (B) operand with the QUEUE block such as

| $\diamond$ | ПQUEUE | ПFIRST, 2 |
| :--- | :--- | :--- |
| $\diamond$ | ПQUEUE | ПWAIT, 3 |

The $B$ operand must be a positive integer. If it is a negative number, a compiling error results. If it is a positive real number with a decimal point, it will be truncated to an integer, and a warning message will be printed on the screen. If a $B$ operand is used, it will affect the statistics of the QUEUE block as the $B$ operand will cause the TOTAL ENTRIES count to be increased by the value of $B$ (not by 1) and the CURRENT CONTENTS also to be increased by the value of $B$.

Should you ever decide to use a two-operand QUEUE block, you must be very careful to interpret your results accordingly. Actually, examples of a twooperand QUEUE block are very rare; they might be found in code that describes extremely complex manufacturing systems. No such examples will be encountered in this book.

Another characteristic of QUEUE blocks is the fact that a transaction can be in more than one QUEUE block at the same time. This may seem strange, but such situations occur in real life. Consider a large grocery store where a person has to take a number to purchase meat. The same person can elect to also take a number to purchase vegetables while waiting for the first number to be called. Thus, the person is in two queues at the same time. There will be occasions when, for the purpose of gathering statistics, we will use the fact that a transaction can be in more than one QUEUE block at the same time. In fact, a transaction can be in even more than two QUEUE blocks at the same time. The maximum number of QUEUE blocks that a transaction can be in at the same time is dependent on the particular processor, but is generally around 5 .

## THE DEPART BLOCK

If a transaction is in a QUEUE block, it must eventually leave this block. The DEPART block allows this action and, as the twin to the QUEUE block, has the same operand. Thus, referring to the previous examples of the QUEUE block, the following would be the corresponding DEPART blocks:

| 0 | DDEPART | П1 |
| :--- | :--- | :--- |
| 0 | DDEPART | [FIRST |
| 0 | ПDEPART | $\square 7$ |
| 0 | ПDEPART | ПONE |
| 0 | DDEPART | ПDUMP1 |

and, in free format,
$\bigcirc$-DEPART पSTOPHERE
The DEPART block will not be immediately after the QUEUE block but must appear in the program. (If it were immediately after the QUEUE block, the QUEUE block would give meaningless statistics as the transactions would immediately enter and leave both blocks.) It usually appears after one or two other blocks. These other blocks are the ones that, for one reason or other,
cause a queue to form. Just as with the QUEUE block, it is possible to have a second operand,
$\diamond \quad$ [DEPART [NAME,2
In this case, the current content of the QUEUE NAME is decreased by 2. If the transaction was a zero entry to the QUEUE, the zero-entry counter is incremented by 2. As with the second operand for the QUEUE block, use of this operand is very rare.

## Example 10.1

Customers arrive in Joe's barbershop at a uniform rate of 1 customer every 18 $\pm 5$ minutes. Joe can cut hair at the rate of $16 \pm 4$ minutes. Simulate for 8 hours.

## Solution

The solution to this situation involves two blocks that we haven't had yet, SEIZE and RELEASE. Both of these are discussed in the next chapter.

```
< llll
        QC(WAIT),QZ(WAIT), QT (WAIT),QX(WAIT)
Q MAX ***
Q AVERAGE ***.**
Q COUNT ****
Q ZERO ENTRIES ***
Q TIME FOR ALL ENTRIES ******
Q TIME FOR NONZERO ENTRIES ***.**
O \END
```

For 1 run of the simulation program with 1 set of random numbers, the output will be

```
Q MAX 1
Q AVERAGE 0.04
Q COUNT }2
Q ZERO ENTRIES 17
Q TIME FOR ALL ENTRIES 0.74
Q TIME FOR NONZERO ENTRIES 2.16
```

During the 8 simulated hours, 26 customers entered the store; 17 of them did not have to wait for the barber to be free. The average contents of the queue was only 0.04 and the maximum contents of the queue was only 1 . From the .LIS file, it can be seen that the barber was busy $85.8 \%$ of the time.

## EXERCISES, CHAPTER 10

1. Refer to Example 10.1. Suppose that the first customer arrives exactly when the shop opens. Also, let the time to cut hair be $16 \pm 7.5$ minutes and the arrival rate be $18 \pm 9$ minutes. Do the statistics change much?
2. Refer to Example 10.1. Suppose that the time to give a haircut is $17 \pm 4$. How do the statistics change?

## SOLUTIONS CHAPTER 10

1. The modified program is as follows:


| QMAX | 1 |
| :--- | :---: |
| QAVERAGE | 0.18 |
| QCOUNT | 26 |
| Q ZERO ENTRIES | 12 |
| Q TIME FOR ALL ENTRIES | 3.45 |
| Q TIME FOR NON ZERO ENTRIES | 6.31 |

As can be seen, there is a considerable change in the average times a customer remains in the shop.
2. The new output is as follows.

| Q MAX | 1 |
| :--- | :---: |
| Q AVERAGE | 0.11 |
| Q COUNT | 26 |
| Q ZERO ENTRIES | 12 |
| Q TIME FOR ALL ENTRIES | 1.97 |
| Q TIME FOR NON ZERO ENTRIES | 3.65 |

As can be seen by examining this output and the previous one, the spread of a distribution can have more effect on the results of the simulation than the mean value. When the time to give service was changed from a mean of 16 to a mean of 17 , this did not affect the results as much as when the spread was changed as in Exercise 10.1.

## CHAPTER 11

## SEIZE and

## RELEASE Blocks

## THESEIZE BLOCK

In GPSS/H, a single server is called a "facility." This server might be a barber giving a haircut, a bank clerk who waits on customers, or a checkout clerk in a grocery store. In a mine, a server might be a shovel loading a truck or a crusher where only 1 truck can dump at a time. In order for a transaction to use a facility, a SEIZE block is used. One form of the SEIZE block is

- [SEIzE [A
where the operand $A$ is generally either a number or name, but can be a variable. Thus,

| $\hat{\Delta}$ | ПSEIZE | П1 |
| :--- | :--- | :--- |
| $\hat{\theta}$ | ПSEIZE | ПONE |
| $\hat{\theta}$ | ПSEIZE | ПDUMP |
| $\hat{\theta}$ | ПSEIZE | ПBARBER |
| $\rangle$ | ПSEIZE | П 33 |

are examples of the SEIZE block. If a number is used for the operand of the SEIZE block, the number must be less than the number of SEIZE blocks allowed by your processor. If you always remember to number the blocks starting with small numbers, you should not have a problem.

When a transaction enters a SEIZE block, no other transaction can enter until the transaction leaves the SEIZE block. Transactions attempting to enter a SEIZE block that is already being used must (normally) remain in the block they are in. For example, consider the blocks

| $今$ | [GENERATE | 010 |
| :---: | :---: | :---: |
| 3 | Leveue | TWAITAPEA |
| 0 | CSEIzE | CPAYPHONE |
| 3 | [DEPART | Jwaitarea |
| $\bigcirc$ | [ADVANCE | [25 |

Here a transaction is generated at a time of $t=10$. It is moved to the QUEUE block and immediately attempts to use the facility PAYPHONE. Since PAYPHONE is not being used, the transaction seizes the facility and then enters the ADVANCE block where the transaction is put in the future events chain until a time of $t=35$ (i.e., $10+25$ ). A second transaction is generated at time $t=20$. It enters the QUEUE WAIT block and attempts to enter the SEIZE PAYPHONE block. Since the facility PAYPHONE is in use, the second transaction is held in the QUEUE block until PAYPHONE is free. Now, suppose that you did not have the QUEUE WAIT block. Instead, suppose you had

```
O \GENERATE \square10
\diamond [SEIZE [PAYPHONE
\diamond [ADVANCE [25
```

The second transaction would have been held up in the GENERATE block until time $t=35$. The effect of the lack of a QUEUE WAIT block would be for the GPSS/H processor to offset the time at which the third transaction leaves the GENERATE block from $t=30$ to $t=50$. (Draw a time diagram to convince yourself of this.) Since this effect is not what we want, either a QUEUE block or a dummy ADVANCE block should be used. Code with a dummy ADVANCE block would look as follows:

```
\\GENERATE D10
O \ADVANCE
*************************************
- NOTE: YOU COULD ALSO HAVE *
* ADVANCE 0 *
\begin{tabular}{lll}
\(* * * * * * * * * * * * * * * * * * * * * * * * * * * * * * * * * * *\) \\
\(\diamond\) & ISEIZE & \(\square\) PAYPHONE \\
\(\diamond\) & חADVANCE & \(\square 25\)
\end{tabular}
```

The ADVANCE block with no operand is taken to be ADVANCE 0.
Whenever a SEIZE block is used, certain statistics automatically are printed out at the end of the simulation. To illustrate the statistics, recall Example 10.1 that simulated the barbershop. Suppose that the barber cuts hair in $16 \pm$ 4 minutes, and customers arrive at the rate of $18 \pm 5$ minutes. The program to simulate this situation for 8 hours is

| $\bigcirc$ | पSIMULATE |  |  |
| :---: | :---: | :---: | :---: |
| $\bigcirc$ | [GENERATE | [178,5 | [PEORLE ENTER SHOP |
| $s$ | Clueve | [WAItarea | CTAKE SEAT IN WAIting AREA |
| $\bigcirc$ | [SEIZE | CBARBER | ПIF BARBER FREE, BEGIN HAIRCUT |
| $\bigcirc$ | Copart | [WAItarea | Cleave Seat in waiting area |
| 0 | [advance | ]16,4 | [RECEIVE HAIRCUT |
| 0 | [RElease | [BARBER | HAIRCUT OVER, BARBER IS FREE |
| $\bigcirc$ | [TERMINATE |  | [LEAVE THE SHOP |
| $\bigcirc$ | [GENERATE | $\square 480$ |  |
| 3 | [TERMInATE | $\square 1$ |  |
| 3 | IStart | [1] |  |
| $\bigcirc$ | [END |  |  |

The output associated with the SEIZE block as found in the .LIS file is as follows:


The output is interpreted as follows:

| FACILITY | The name of the facility was BARBER. |
| :---: | :---: |
| TOTAL TIME | The facility was busy $85.8 \%$ of the time the simulation ran. |
| AVAIL TIME | It is possible to "shut down" a facility and make it unavailable. This statistic would show the amount of time the facility was available. |
| UNAVL TIME | The time the facility was not available. |
| ENTRIES XACT | There were 26 entries. |
| AVERAGE | The average time the SEIZE block was used by a TIME/XACT transaction was 15.847 . The time to give a haircut was $16 \pm 4$ minutes; the mean of this distribution is 16 . (The AVERAGE is 15.847 [as shown in the output]. The actual average of $16 \pm 4$ is 16 . The reason for the difference between 15.847 and the actual average of 16 is that GPSS/H uses random numbers to determine the times. As more random numbers are sampled, the closer the AVERAGE will be to the actual average of 16 . There is aiso another reason for the difference: the simulation was stopped when a transaction was still being seized, and so the average time for all transactions using the SEIZE block will not include this time but will include the fact that this transaction did SEIZE the block.) |
| CURRENT STATUS AVAIL | The facility is currently available. |
| PERCENT AVAIL | Since the facility was never made unavailable, there is no entry here. |
| SEIZING XACT | If the facility was in use at the end of the program, XACT-the transaction number seizing it-would be given here. |

Just as with the QUEUE block, the preceding are SNAs associated with the SEIZE block. Each is referred to by a special reserved name. In the following, (name) is a facility name (may include numbers if a letter is the first character), and $n$ refers to a number:

| SNA | Meaning |
| :--- | :--- |
| F(name) or Fn | vaiue of facility is 1 if the facility is currently being used; <br> otherwise, its value is 0 |
| FC(name) or FCn | number of times the facility has been siezed |
| FR(name) or FRn | utilization of the facility in parts per thousand |
| FT(name) or FTn | average holding time |
| FNU(name) or FNUn | true (value =1) if facility is not in use |
| FU(name) or FUn | true (value =1) if facility is in use |
| FS(name) or FSn | true (value=1) if facility can be seized |
| FNS(name) or FNSn | true (value =1) if facility cannot be seized |

There are other SNAs associated with facilities, but these will not be used in this book. Note that the output from the program gives the utilization as a decimal, but the SNA FR is in parts per thousand. Thus, if one had used the block
$\bigcirc \quad$ ПADVANCE $\quad$ FRR(MACH1)
and the utilization of the facility MACH1 was 0.432 when the transaction entered the ADVANCE block, the transaction would be placed on the FEC for 432 time units.
therelgase block
When a facility is used by a transaction via the SEIZE block, the facility must be freed eventually for other transactions to use it. Freeing the facility is accomplished by means of the "twin" of the SEIZE block, the RELEASE block. Some forms are

| $\diamond$ | ПRELEASE | ПJOE |
| :--- | :--- | :--- |
| $\diamond$ | ПRLLEASE | П1 |
| $\diamond$ | ПRLELEASE | ПBARBER |
| $\diamond$ | ПREL |  |
| $\diamond$ | ПRELEASE | ПCAR1 |

At this point you may wish to go back to some of the previous exercises and examine the output whenever a facility is used in the program.

It is very common in GPSS/H programs to have a sequence of blocks such as

| $\diamond$ | ПOUEUE | ПHERE |
| :--- | :--- | :--- |
| $\diamond$ | ПSEIZE | ПTHERE |
| $\diamond$ | ПDEPART | ПHERE |
| $\diamond$ | ПADVANCE | П20,3 |
| $\diamond$ | ПRELEASE | ПTHERE |

This sequence should be examined carefully and understood as it is repeated a great many times in GPSS/H programs.

We are now in a position to fully understand nearly all of the programs we have written in the previous chapters. The next few examples will enable us to use what we have learned so far. Each should be carefully studied and understood.

## Example 11.1

Cars come to a garage for repairs. There are two types of repairs: minor and major. There is only one mechanic who does both types of repairs. Of the cars that enter, $70 \%$ need only minor repairs, and the rest are in for major repairs. Cars arrive every $28 \pm 7$ minutes. Major repairs take $45 \pm 15$ minutes whereas minor repairs take only $18 \pm 6$ minutes. The single mechanic is claiming that he is overworked. His union defines being overworked as working more than $85 \%$ of the time. Is he justified in his claim? Simulate for 5 days of $480 \mathrm{~min}-$ utes each. Ignore the fact that the worker leaves at the end of each shift and the effect of weekends.

## Solution

| $\bigcirc$ | -SIMULATE |  |  |
| :---: | :---: | :---: | :---: |
| $\bigcirc$ | [GENERATE | [28,7 | [CARS ARRIVE FOR REPAIRS |
| 0 | OTRANSFER | [.70, , MINOR | [70\% NEED MINOR REPAIRS |
| 0 | Tqueue | [WAIT | [Join queue |
| $\bigcirc$ | [SEIZE | $\square \mathrm{MECH}$ | DIS MECHANIC FREE? |
| $\bigcirc$ | CDepart | CWAIT | [YES, LEAVE QUEUE |
| $\bigcirc$ | -advance | $\square 45,15$ | [MAJOR REPAIR TAKES PLACE |
| $\bigcirc$ | [RELEASE | $\square \mathrm{MECH}$ | [FREE THE MECHANIC |
| $\bigcirc$ | Iterminate |  | DuEAVE GARAGE |
| $\bigcirc$ MINOR | LQueve | [WAIT | [JOIN QUEUE |
| $\bigcirc$ | CSEIZE | [MECH | CIS MECHANIC FREE? |
| $\bigcirc$ | [DEPART | WWAIT | -YES, LEAVE QUEUE |
| $\bigcirc$ | [ADVANCE | $\square 18,6$ | [MINOR REPAIR TAKES PLACE |
| $\bigcirc$ | [RELEASE | $[\mathrm{MECH}$ | ПFREE MECHANIC |
| 0 | [TERMINATE |  | CLEAVE GARAGE |
| $\bigcirc$ | ПGENERATE | $\square 480 * 5$ | [TIMER TRANSACTION |
| $\bigcirc$ | -TERminate | [1 |  |
| $\bigcirc$ | [START | 01 |  |
| $\diamond$ | -PuTpIC | [LINES=2, FR | ECH) $/ 10, \mathrm{FC}(\mathrm{MECH})$ |
| THE MECHANIC WAS BUSY ***.**\% OF THE TIME |  |  |  |
| THE NUMBER OF CARS TO COME IN WAS |  |  |  |
| $\bigcirc$-END |  |  |  |

The output will be

```
THE MECHANIC WAS BUSY 94.0% OF THE TIME
```

THE NUMBER OF CARS TO COME IN WAS 84

The results are interpreted as follows. During the 5 days of simulated time, 84 cars came in for repairs. The mechanic was busy $94 \%$ of the time. This percentage is beyond the $85 \%$ called for, so he has a legitimate complaint of being overworked.

## Example 11.2

The owner of a small gold mine is wondering if he has the right number of trucks to haul the ore. Figure 11.1 gives a sketch of the operation. Trucks are loaded by a single shovel and then travel to the processing plant where they dump and then cycle back to the shovel. Only 1 truck at a time can be loaded, but at the processing plant there is no such limitation since the trucks dump the ore into a pile. It takes $3.5 \pm 1.25$ minutes to load a truck, $6 \pm 2.75$ minutes to haul to the dump, $2.1 \pm 0.4$ minutes to dump the ore, and $4.8 \pm 1.8$ minutes to return. Financial data associated with this operation are as follows:

| Item | Cost |
| :--- | :--- |
| Truck driver's salary | $\$ 15.75 /$ hour |
| Cost of running the shovel, dump, etc. | $\$ 275$ per 8-hour day |
| Profit per load (after all other expenses) | $\$ 25.50$ |



FGURE 11.1 Sketch of mine and trucks.

Determine the correct number of trucks to have in the mine. The GPSS/H program that was used to obtain a solution for this problem is as follows:


The program was run repeatedly for 2 trucks, then 3 trucks, etc., up to 7 trucks. The results of the 6 simulations gave the following:

| Number of Trucks | Loads per Shift | Percent Utilization <br> of the Shovel | Average Queue |
| :---: | :---: | :---: | :---: |
| 2 | 56 | 40.9 | 0.031 |
| 3 | 82 | 60.2 | 0.104 |
| 4 | 107 | 77.8 | 0.241 |
| 5 | 127 | 92.6 | 0.535 |
| 6 | 136 | 99.5 | 1.200 |
| 7 | 136 | 100.0 | 2.194 |

All that is needed from the simulation results is the loads per shift, but it is instructive to examine the other data. With only 2 trucks, the shovel is busy only $40.9 \%$ of the time. The average queue length is only 0.031 . As the number of trucks in the mine is increased, the utilization of the shovel increases until it is working $100 \%$ of the time. The addition of a 7 th truck has no effect on operation of the mine other than to add another truck to the queue. How does the 7th truck affect profit? In order to answer this question, the cost data need to be used. The following table gives the results of the cost and profit calculations:

| Number of <br> Trucks | Loads per Shift | Cost of Drives | Fixed Costs | Profit |
| :---: | :---: | :---: | :---: | :---: |
| 2 | 56 | $\$ 252$ | $\$ 275$ | $\$ 339$ |
| 3 | 82 | $\$ 378$ | $\$ 275$ | $\$ 620$ |
| 4 | 107 | $\$ 504$ | $\$ 275$ | $\$ 875$ |
| 5 | 127 | $\$ 630$ | $\$ 275$ | $\$ 1058$ |
| 6 | 136 | $\$ 756$ | $\$ 275$ | $\$ 1083$ |
| 7 | 136 | $\$ 882$ | $\$ 275$ | $\$ 954$ |

The optimum number of trucks to have is 6 for maximum daily profit. Notice, however, that there would not be much of a difference in profit if 5 trucks were used. Of course, this situation is oversimplified in that it ignores trucks needing maintenance and repairs as well as possible driver absences.

## EXERCISES, CHAPTER 11

1. A factory that formerly produced only widgets is branching out into the production of squidgets. To make each squidget, a person needs $30 \pm 8$ minutes to assemble various parts. Then the squidgets need to be fired. There is only one kiln, and only one squidget can be fired at a time. Firing takes $8 \pm 3$ minutes per squidget. Each squidget produced earns a tidy profit of $\$ 6.00$. The kiln costs $\$ 40$ per day whether it is fully utilized or not (fixed costs). The workers are paid \$5 per hour. How many workers should be hired for maximum profit from the new line of squidgets?
2. In exercise 1 , the workers initially began assembling a squidget. Suppose the following were the initial conditions ( 4 workers total): 3 assemblers are just beginning to assemble, and 1 kiln operator is just beginning to use the kiln. Change the program written for exercise 1 to include the above.
3. Change exercise 1 to reflect the following initial conditions for 4 workers: 1 assembler is beginning to assemble, 1 assembler has 10 minutes to go before completing an assembly, 1 kiln operator has 3 minutes to go before finishing with the kiln, and 1 assembler is waiting to hand over an assembled squidget to the kiln operator.
4. Two types of customers arrive at Joe's barbershop. The first type want only a haircut. They come every $35 \pm 10$ minutes. The second type want both a haircut and a shave. They arrive every $60 \pm 20$ minutes. It takes Joe $18 \pm 6$ minutes to give a haircut and $10 \pm 2$ minutes for a shave. Construct a model of the shop. Run it for 20 days of 8 hours straight (from Schriber, 1974).
a. Determine whether Joe is working too hard. (Working too hard is defined by the union as working more than $85 \%$ of the time.)
b. Suppose Joe decides to give preference to customers who want only a haircut. How does this change the situation?
c. Add other QUEUE blocks to the problem to gather statistics about the various queues that form in the barbershop.
5. Three types of mechanics arrive at a tool crib to check out tools. Only one clerk works at the crib. The arrival times and service times (both in minutes) are as follows:

| Type | Distribution of <br> Arrival Time | Distribution of <br> Service Time |
| :---: | :---: | :---: |
| 1 | $30 \pm 10$ | $12 \pm 5$ |
| 2 | $20 \pm 8$ | $6 \pm 3$ |
| 3 | $15 \pm 5$ | $3 \pm 1$ |

a. Model the tool-crib activity for 20 straight shifts. Each shift lasts for 480 minutes. Determine the average number of mechanics waiting to check out tools.
b. Suppose that preference is given to mechanics who take the least time for service, in this case, type 3 mechanics. Change the program to determine if the solution changes.
6. In an efficient shop, it can be shown that it is more efficient for the workers to perform tasks that can be finished in the shortest time, assuming that the cost/benefit ratio is the same. This exercise will illustrate this general concept.
A tool crib receives two types of requests for service. These are called type 1 requests and type 2 requests. There is a single worker to handle the requests. The interarrival and mean service times (both in seconds) for each are as follows:

| Service | Arrival Times | Service Times |
| :---: | :---: | :---: |
| type 1 | $520 \pm 360$ | $340 \pm 90$ |
| type 2 | $250 \pm 100$ | $70 \pm 40$ |

Write the GPSS/H program with no priority for service and then with priority given to type 2 service. Suppose that the people requesting service earn $\$ 12$ per hour. Determine the savings each day by having a priority system. Also, run the program with type 1 service having priority. Each day is 480 minutes.

## SOLUTIONS, CHAPTER 11

1. The GPSS/H program that can be used to solve the problem follows. This is for 3 workers. You will have to run the program for $4,5,6$, etc. workers. Doing the computations after each run yields the following:

| workers | profit |
| :---: | :---: |
| 3 | 60 |
| 4 | 79 |
| 5 | 93 |
| 6 | 80 |
| 7 | 44 |


|  | SIMULATE |  |  |
| :---: | :---: | :---: | :---: |
|  | generate | , . 3 | PROVIDE 3 WORKERS |
| UPTOP | ADVANCE | 30,8 | IT TAKES $30 \pm 8 \mathrm{MIN}$ TO WORK |
|  | SEIZE | FIRE | USE THE FURNACE |
|  | ADVANCE | 8,3 | FIRE A SQUIDGET |
|  | RELEASE | FIRE | FREE THE FURNACE |
| BACK | TRANSFER | , UPTOP | GO BACK TO DO ANOTHER JOB |
|  | GENERATE | 4800 | SIMULATE FOR 10 SHIFTS |
|  | TERMINATE | 1 | STOP SIMULATION |
|  | START | 1 | START THE SIMULATION |
|  | PUTPIC | N (BACK) |  |
| NUMBER MADE **** |  |  |  |
|  | END |  | Of COMPILING |

2. The changes to the program are as follows:

|  | GENERATE | $, \ldots, 1$ | PROVIDE ONE ASSEMBLER |
| :--- | :--- | :--- | :--- |
|  | TRANSFER | , OVEN | SEND HIM TO THE OVEN |
| BACK | GENERATE | $\ldots, 3$ | PROVIDE 3 ASSEMBLERS |
|  | ADVANCE | 30,5 | ASSEMBLE A SQUIDGET |
|  | OVEN SEIZE | OVEN | USE THE OVEN |
|  | ADVANCE | 8,2 | FIRE A SQUIDGET |
|  | RELEASE | OVEN | FREE THE OVEN |
|  | TRANSFER | ,BACK |  |

3. The complete program is:

4. 

| SIMULATE |  |  |
| :--- | :--- | :--- |
| GENERATE | 35,10 | HAIRCUT CUSTOMERS ARRIVE |
| QUEUE | JOEQ | SIT IN THE CHAIRS |
| SEIZE | JOE | SEIZE POOR JOE |
| DEPART | JOEQ | LEAVE THE CHAIR |
| ADVANCE | 18,6 | GET THE HAIRCUT |
| RELEASE | JOE | FREE JOE |
| TERMINATE |  | LEAVE |
| GENERATE | 60,20 | OTHER CUSTOMERS ARRIVE |
| QUEUE | JOEQ | SIT IN THE CHAIRS |
| SEIZE | JOE | SEIZE GOOD OLD JOE |
| DEPART | JOEQ | LEAVE THE CHAIR |
| ADVANCE | 10,2 | GET SHAVE |
| ADVANCE | 18,6 | GET HAIRCUT |
| RELEASE | JOE | FREE JOE |
| TERMINATE |  | LEAVE SHOP |
| GENERATE | 9600 | TIMER TRANSACTION |
| TERMINATE | 1 |  |
| PUTPIC | FR(JOE)/10 |  |

5. a.

| SIMULATE |  |  |
| :--- | :--- | :--- |
| GENERATE | 30,10 | TYPE 1 ARRIVES |
| QUEUE | WAIT | IN QUEUE |
| SEIZE | CLERK | USE THE CLERK |
| DEPART | WAIT | LEAVE THE QUEUE |
| ADVANCE | 12,5 | CLERK GETS TOOL |
| RELEASE | CLERK | FREE THE CLERK |
| TERMINATE |  | LEAVE THE CRIB AREA |
| GENERATE | 20,8 | TYPE 2 ARRIVES |
| QUEUE | WAIT | IN QUEUE |
| SEIZE | CLERK | USE THE CLERK |
| DEPART | WAIT | LEAVE THE QUEUE |
| ADVANCE | 6,3 | CLERK GETS TOOL |
| RELEASE | CLERK | FREE THE CLERK |
| TERMINATE |  | LEAVE THE CRIB AREA |
| GENERATE | 15,5 | TYPE 3 ARRIVES |
| QUEUE | WAIT | IN QUEUE |
| SEIZE | CLERK | USE THE CLERK |
| DEPART | WAIT | LEAVE THE QUEUE |
| ADVANCE | 3,1 | CLERK GETS TOOL |
| RELEASE | CLERK | FREE THE CLERK |
| TERMINATE |  | LEAVE THE CRIB AREA |
| GENERATE | 480 | ONE SHIFT PASSES |
| TERMINATE | 1 |  |
| START | 20 | DAYS |
| PUTPIC | QA(WAIT) |  |

b.

The block GENERATE 15,5 is changed to
GENERATE 15,5,.,1
No other changes are needed.
6. The first program is:

| SIMULATE |  |
| :--- | :--- |
| GENERATE | 520,360 |
| QUEUE | WAIT |
| SEIZE | MECH |
| DEPART | WAIT |
| ADVANCE | 340,90 |
| RELEASE | MECH |
| TERMINATE |  |
| GENERATE | 250,100 |
| QUEUE | WAIT |
| SEIZE | MECH |
| DEPART | WAIT |
| ADVANCE | 70,40 |
| RELEASE | MECH |
| TERMINATE |  |
| GENERATE | $480 \star 60$ |
| TERMINATE | 1 |
| START | 1 |
| PUTPIC | QA(WAIT) |
| WAIT ***.** |  |
| END |  |

Give an average queue length of 1.67 when running this. Since the workers are making $\$ 12 / \mathrm{hr}$. this represents a loss of $\$ 160.32$ per 8-hour shift. When the program is run with a priority given to type 2 request, the average number in the queue drops to .81 . This represents a cost per shift of $\$ 77.76$ for a savings of $\$ 82.56$. When the simulation is run with the type 1 requests having the higher priority, the average queue is 1.84 .

## CHAPTER 12 <br> enter and Leave Blocks

## MULTIPLE SERVERS-THE ENTER BLOCK

It often happens that the system being studied has multiple servers that are identical. Transactions that attempt to use these will be denied access if all the servers are busy. They do not wait at each server but are held on the CEC in the previous block until one of the servers is free. Figure 12.1 illustrates this situation.


FIGURE 12.1 Sketch of multipie servers.

Examples might be the multiple berths for loading or unloading ships in a port, two barbers in a shop, six tellers in a bank, etc. GPSS/H handles these by means of a combination of a block and a statement. The block is used in the program for the transaction to actually use one of the parallel servers. The statement tells the processor how many of these servers are available. The block for the transaction in the programs is the ENTER block. One form of the ENTER block is
$\bigcirc$ IENTER [A
where the operand $A$ can be a name or a number. If it is a number, it cannot exceed the maximum number of such ENTER blocks allowed in your GPSS/H system. It is also possible to have this operand be a variable.

Examples of the ENTER block are

| $\diamond$ | [ENTER | ПDUMP |
| :--- | :--- | :--- |
| $\diamond$ | ПENTER | П2 |
| $\diamond$ | [ENTER | [TWO |

The operands DUMP, 2, and TWO refer to the names of the multiple servers, or "storages," as we shall now refer to them. There is no confusion in using the storages named DUMP and TWO, but care should be exercised with the one named " 2 ." This name does not refer to the number of storages associated with the block
$\bigcirc \quad$ IENTER $\quad \square 2$
The number of storages for each ENTER block is specified by a separate statement. It is quite possible that the number of storages associated with each of the 3 examples of the ENTER block might be 4 for DUMP, 3 for " 2 ," and 4 for TWO. In the next section, we will learn how to specify these numbers. It is possible to have a second or $B$ operand with the ENTER block such as

```
\diamond DENTER \HARBOR,2
```

In this case, $B=2$ indicates that 2 storages are used. This example might represent a large ship entering a harbor, and 2 tugboats (in this case, the tugboats are the storages) are needed to guide it into port. Most of the time, only 1 of the storages is taken each time a transaction uses the ENTER block. However, there will be times when the second operand will come in very handy.

## DEFINING THE NUMBER OF MULTIPLE SERVERS-THE STORAGE STATEMENT

Normally, when there are to be multiple servers, the number of these must be specified. This procedure is done by the STORAGE statement. There are two forms of it. The form may look a bit strange, but, if the programmer remembers that it is used in connection with the ENTER block, it is easy to write. Suppose there are to be 3 barbers in a shop. The customer will select one of them via the ENTER block.
$\diamond$ ]ENTER [BARBER
How the computer knows that there are 3 barbers is specified by the STORAGE statement, which must be placed before the ENTER block. Normally, for convenience, it is placed near the top of the program before any GENERATE block. It can have 2 forms, as follows, but their results are identical:

| $\diamond$ | $\square S T O R A G E$ | $\Pi S($ BARBER $), 3$ | (a) |
| :--- | :--- | :--- | :--- |
| $\diamond B A R B E R$ | $\square S T O R A G E$ | $\square 3$ | $(b)$ |

The first STORAGE form is preferred in this book since more than one storage can be defined in a single line. If either one of these STORAGE statements is used, however, then when the block
$\bigcirc$ —ENTER $\square B A R B E R$
is encountered, the transaction will be able to enter it if there are fewer than 3 transactions in it already. If the transaction cannot move forward, it is held on the CEC until a later scan by the GPSS/H processor shows that the transaction can be moved.

The reason that STORAGE form (a) is used more often than (b) is because it is possible to have more than one STORAGE defined via the (a) form, as follows:
$\diamond \quad \square$ STORAGE $\quad \square S(B A R B E R), 3 / S(J O E), 12 / S(B I L L Y), 7$
This statement shows that the storage of BARBER is 3 , that of JOE is 12 , and BILLY is 7. If numbers, however, are used for storages, the form of the STORAGE statement may be somewhat simplified:
$\checkmark$ ISTORAGE एS1,2/S4,7
Nevertheless, one can write the above as
$\Delta \quad[\operatorname{STORAGE} \quad[S(1), 2 / S(4), 7$
Since an operand can also be a number, the second STORAGE statement defines the storage of 1 to be 2 and that of 4 to be 7 .

Whenever you use the ENTER block for parallel entities, you will obtain certain output when the program is over. Consider the following example.

## Example 12.1

A barbershop has two identical workers. They can cut hair at a rate of 1 haircut every $13 \pm 5.5$ minutes. Customers arrive every $7 \pm 2.6$ minutes. Simulate for an 8 -hour day. Determine how busy each barber is. The program to do this is

```
\ ISIMULATE
| [STORAGE [S(BARBER),2 \PROVIDE TVO BARBERS
O \GENERATE [7.2.6 [CUSTOMERS ARRIVE
O [QUEUE DWAIT [FOR BARBER
O [ENTER [BARBER CUSE A BARBER
O TDEPART [WAIT TlEAVE WAItING AREA
\ \ADVANCE [13,5.5 [GET HAIRCUT
\ LlEAVE [BARBER GFREE A BARBER
O TTERMINATE
OGGENERATE \square480 CTIMER TRANSACTION ARRIVES
0 TTERMINATE D1
O ISTART \1
O EEND
```


## Solution

The simulation results, as always, in a .LIS file. A portion of the .LIS file is

| RELATIVE CLOCK: | 480.0000 |
| :--- | ---: |
| BLOCK CURRENT | TOTAL |
| 1 | 68 |
| 2 |  |
| 3 | 68 |
| 4 |  |
| 5 | 68 |
| 6 | 68 |
| 7 |  |
| 8 | 68 |
| 9 | 66 |
| 9 | 66 |
|  |  |

--AVG-UTIL-DURING--

| STORAGE | TOTAL | AVAIL | UNAVL | ENTRIES | AVERAGE | CURRENT | PERCENT | CAPACITY | AVERAGE |
| :---: | ---: | :---: | :---: | :---: | :---: | ---: | ---: | ---: | ---: | ---: |
|  | TIME | TIME | TIME |  | TIME/UNIT | STATUS | AVAIL |  | CONTENTS |
| BARBER | 0.966 |  |  | 68 | 13.635 | AVAIL | 100.0 | 2 | 1.932 |
| CURENT | MAXIMUM |  |  |  |  |  |  |  |  |
| CONTENTS | CONTENTS |  |  |  |  |  |  |  |  |
| 2 | 2 |  |  |  |  |  |  |  |  |

The interpretation of the .LIS output is as follows:
TOTAL TIME The storage BARBER was busy $96.6 \%$ of the time. This time represents the workload of both barbers. It is not possible to tell the percentage of time each was busy.
AVAIL TIME It is possible to "shut down" the storages by using a block to be introduced later. If a storage was shut down, the percentage of time available is given here.

UNAVL TIME If the storage was shut down, the time shut down is given here as a decimal.

ENTRIES The number of transactions who entered the ENTER block was 68.

AVERAGE TIME/UNIT The average time a transaction (TIME/UNIT) was in this block was 13.635 time units.
CURRENT STATUS The storage is currently available, as shown by AVAIL.
PERCENT AVAIL The storage was available 100.0 percent of the time.
CAPACITY
The storage capacity was 2 . This value was specified by the STORAGE statement.
AVERAGE CONTENTS The average contents of the storage BARBER was 1.932 .
CURRENT CONTENTS When the program ended, the contents of the storage was 2.
MAXIMUM CONTENTS The maximum number in the storage at any one time was 2.

## SNAs Assoclated with Storages

The SNAs associated with any STORAGE statement are reserved. In the following, (name) is a storage name (may include numbers if a letter is the first character), and $n$ refers to a number:

| SNA | Meaning |
| :--- | :--- |
| S(name) or $S n$ | current storage content |
| $R($ name ) or Rn | remaining storage content |
| SA(name) or SAn | average storage content |
| SC(name) or SCn | storage entry count |
| SF(name) or SFn | true (value $=1$ ) means storage is full |
| SM(name) or SMn | maximum storage count |
| SR(name) or SRn | utilization of storage in parts per thousand |
| ST(name) or STn | average holding time |
| SNE(name) or SNE $n$ | true (value $=1$ ) if storage is not empty |
| SNF(name) or SNFn | true (value $=1$ ) if storage is not full |

Notice that the utilization of the storage is given by $\operatorname{SR}$ (name) and is expressed in parts per thousand. The original storage specification is not an SNA. If it is desired to use this in the program, it is necessary to use $S$ (name) +R (name), which always adds up to the original storage specification.

There are even more SNAs associated with storages. These other SNAs will not be used in this book.

## Example 12.2

Actually, it is not necessary to specify a storage when you have an ENTER block. In this case, the processor sets aside $2,147,483,647$ as the storage capacity. (The number is $2^{31}-1$ ). It may appear that you would never omit giving the storage capacity, but there are examples when one actually does omit this. For example, suppose you are modeling a hardware store. Customers arrive and immediately take a shopping cart. Suppose customers arrive every $30 \pm 8$ seconds. If you have 20 carts available, you would model this situation with the following partial list of code:

| 0 | ПSTORAGE | ПS (CART), 20 | ПPROVIDE 20 CARTS |
| :--- | :--- | :--- | :--- |
| 0 | ПGENERATE | $\square 30,4$ | ПCUSTOMERS ARRIVE |
| 0 | ПADVANCE | $\square 0$ | ПDUMMY BLOCK |
| 0 | ПENTER | ПCART | ПSELECT A CART |

Notice that an ADVANCE block is used with zero time units. This block is present so that, if all the carts are taken, the transaction will not be held up in the GENERATE block. The ADVANCE block ensures that transactions will leave the GENERATE block according to the uniform distribution of $30 \pm 4$ seconds. The way that the program is written, if a customer arrived and found all the carts taken, he or she would wait until a cart became free. This aspect of the program is a bit unrealistic. Suppose, instead, you wanted the customer to leave if no cart is available. The following approach is used:

| 3 | [STORAGE | !S (CART), 20 |
| :---: | :---: | :---: |
| 0 | GGENERATE | [30,4 |
| \% | OTRANSFER | DBOTH, , OUT |
| $\bigcirc$ | CENTER | CCART |
| 3 | S---- |  |
| 3 | B---- |  |
| 3 | SouT | TTERMINATE |

But, now, suppose that you wanted to determine the maximum number of carts ever used for the simulation period. To find out, you must rewrite the program so that arriving customers always are able to take a cart. One way would be to assign a very large storage for CART, such as
$\bigcirc \quad \square$ STORAGE $\quad$ IS (CART) 10000
However, in this simple example, we could just as easily omit the STORAGE statement. At the end of the program, the maximum number of entries into CART are listed. (How to print out a table of the statistical distribution of the number of carts used is covered in Chapter 19.)

## THE LEAVE BLOCK

Once a transaction can use one of several parallel servers via the ENTER block, it eventually must indicate that it has done so and release the server it used. The block to do this is the LEAVE block. Just as the QUEUE and DEPART blocks are "twins," so are the ENTER and LEAVE blocks. The form is similar to the ENTER block, as it relates directly to it:
$\bigcirc$ LLEAVE $\square A$
where $A$ is the name (or number) of the parallel servers. It can also be a variable.
Thus, you might have the following in a program:

| $\bigcirc$ | [STORAGE | [S (JOE) , 4 |
| :---: | :---: | :---: |
| $\diamond$ | [----- |  |
| $\bigcirc$ | [ENTER | [JOE |
| $\diamond$ | [----- |  |
| $\diamond$ | [----- |  |
| $\bigcirc$ | CLEAVE | [JOE |
| $\bigcirc$ | []---.- |  |
| $\bigcirc$ | [----- |  |

It may appear that there is no difference between a single facility and a storage with a capacity of 1 . This is almost the case. However, only a facility can be "preempted." This concept means that another transaction can replace the one that is using the facility. However, this concept will not be used in this book.

## Example 12.3

A garage for inspecting a fleet of cars has 3 identical service areas. Cars arrive for inspection every $3 \pm 0.3$ minutes. These inspections take $8 \pm 2$ minutes. After leaving the inspection area, $70 \%$ are ready to return to service, but the rest need further service that takes $4 \pm 1.5$ minutes. If further service is needed, a single mechanic is assigned to do it. Simulate this system for 1 day.

The program to do this simulation is as follows:

| $\bigcirc$ | $\square$ Simulate |  |  |
| :---: | :---: | :---: | :---: |
| $\bigcirc$ | [STORAGE | IS (SPACE) , 3 | [PROVIDE SERVICE AREAS |
| $\bigcirc$ COME | [GEnERATE | [3, . 3 | [CARS ARRIVE |
| $\bigcirc$ | CADVANCE |  | [DUMMY BLOCK (ZERO CAN B |
| $\diamond$ | CENTER. | $\square$ SPACE | [IS A SPACE AVAILABLE |
| $\bigcirc$ | CADVANCE | $\square 8,2$ | -InSPECTION TAKES PLACE |
| $\bigcirc$ | [LEAVE | $\square$ SPACE | [FREE INSPECTOR |
| $\bigcirc$ | [TRANSFER | [.70, , OUT | [70\% RETURN TO SERVICE |
| $\bigcirc$ | [SEIZE | [MECH | [SINGLE MECHANIC |
| 0 | [ADVANCE | $\square 4,1.5$ | [MECHANIC WORKS ON CAR |
| $\diamond$ | [release | $\square \mathrm{MECH}$ | CFREE MECHANIC |
| sour | [TERMINATE |  | [CARS Leave |
| $\bigcirc$ | [GENERATE | $\square 480$ | CSIMULATE FOR A DAY |
| 0 | [TERMINATE |  |  |
| 0 | [START | [1 |  |
| 0 | [PUTPIC | CLINES $=2, \mathrm{~N}(\mathrm{COME}), \mathrm{FR}(\mathrm{MECH}) / 10$. |  |
| CARS | COME IN * | *** |  |
| UTIL. OF MECH. ***.**\% |  |  |  |
| $\bigcirc$ | $\square \mathrm{END}$ |  |  |

## Example 12.4

A hardware store consists of 4 aisles and a single checkout counter. Shoppers arrive with an interarrival time of $82.5 \pm 26.4$ seconds. After arriving, each customer who plans to shop in any 1 or more of the aisles takes a shopping cart. However, $12 \%$ of the customers simply go to the checkout counter where various items are for sale. These people do not take a shopping cart. The rest shop down each aisle as follows:

| Aisle | Relative Probability of Customer <br> Going Down Aisle | Time Required <br> to Travel Aisle |
| :---: | :---: | :---: |
| 1 | 0.80 | $125 \pm 70$ |
| 2 | 0.75 | $140 \pm 40$ |
| 3 | 0.85 | $150 \pm 65$ |
| 4 | 0.90 | $175 \pm 70$ |

When a shopper is finished, she or he will join the queue in front of the counter until each is checked out. The time to check out is $45 \pm 12$ seconds for those who shop in the aisles and $35 \pm 12$ seconds for those who go directly to the checkout counter.

The store owner is concerned that he does not have enough shopping carts. Customers who arrive and find none available tend to leave and shop elsewhere. In addition, the single person who works at the checkout counter is complaining of being overworked and is threatening to contact the union. Union regulations forbid a person to work more than $85 \%$ of the time. Determine the utilization of the checker's time and how many shopping carts the store should have. Simulate for one 8 -hour shift ( 28,800 seconds).

## Solution

| $\bigcirc$ | ISImulate |  |  |
| :---: | :---: | :---: | :---: |
| $\bigcirc$ | [STORAGE | IS (CARTS) , 1000 | $\square$ PROVIDE 1000 CARTS |
| $\triangle$ COME | DGENERATE | -85.2,26.4 | [CUSTOMERS ARRIVE |
| $\bigcirc$ | CTRANSFER | ].12, COUNTER | [12\% GO TO COUNTER |
| $\bigcirc$ | [ENTER | [CARTS | [REST TAKE A CART |
| $\bigcirc$ | TTRANSFER | [.2, AISLE2 | [80\% GO TO AISLE 1 |
| 0 | ПADVANCE | [ $] 125,70$ | [SHOP IN AISLE 1 |
| $\bigcirc$ AISLE2 | [TRANSFER | [.25, , AISLE3 | [75\% GO TO AISLE 2 |
| $\bigcirc$ | $\square A D V A N C E$ | [140,40 | $\square \mathrm{SHOP}$ IN AISLE 2 |
| $\bigcirc$ AISLE3 | CTRANSFER | [15.15, AISLE4 | [75\% GO TO AISLE 3 |
| $\bigcirc$ | $\square$ ADVANCE | [150,65 | [SHOP IN AISLE 3 |
| $\bigcirc$ AISLE4 | DTRANSFER | D.10, CHECK | [90\% GO TO AISLE 3 |
| $\bigcirc$ | CADVANCE | [175,70 | [SHOP IN AISLE 3 |
| $\triangle$ CHECK | CQUEUE | IUINE | [STAND IN LINE |
| $\hat{0}$ | [SEI2E | CWORKER | [READY TO CHECK OUT |
| $\bigcirc$ | CDEPART | [IINE | [LEAVE THE QUEUE |
| 0 | -advance | [45, 20 | [CHECK OUT |
| 0 | -Release | [WORKER | CFREE THE WORKER |
| 0 | [LEAVE | ICARTS | [GET RID OF CART |
| 0 | [TERMINATE |  | Cleave the store |
| $\diamond$ COUNTER | -Queve | TuINE | पSTAND IN LINE |
| $\diamond$ | [SEIZE | WWORKER | [READY TO CHECK OUT |
| 0 | [DEPART | [LINE | [LEAVE THE Queue |
| $\bigcirc$ | [ADVANCE | [ 35.12 | [CHECK OUT |
| $\bigcirc$ | [RELEASE | [WORKER | [FREE THE WORKER |
| $\bigcirc$ | DTERMINATE |  | [LEAVE THE STORE |
| $\bigcirc$ | Dgenerate | $\square 28800$ | OTIMER TRANSACTION ARRIVES |
| $\bigcirc$ | [TERMINATE | $\square 1$ | ISIMULATION OVER |
| $\bigcirc$ | [START | $[20$ | ISIMULATE FOR 20 DAYS |
| FR (WORKER) $/ 10$, SM (CARTS) |  |  |  |
| NUMBER TO COME TO SHOP ***** |  |  |  |
| NUMBER TO TAKE A CART **** |  |  |  |
| UTIL. OF WORKER |  |  |  |
| MAX. NO. OF CARTS IN USE *** |  |  |  |
| $\diamond$ | \end } |  |  |

The output is as follows:

```
NUMBER TO COME TO SHOP }653
NOMBER TO TAKE A CART }574
UTIL. OF WORKER 51.0%
MAX. NO. CARTS IN USE 10
```

The number of customers arriving at the store in the 20 days was 6539 . Of these, 5747 took a cart and shopped in the aisles, and 792 went directly to the checkout counter. The checker was busy only $51.0 \%$ of the time so any complaints of being overworked are not supported. The maximum number of carts ever in use was 10. It would be instructive to know how many times 10 carts were in use. In Chapter 19, it is shown how to make statistical distributions to reveal this information, but, for the present, we do not have these data. However, it would seem that providing about 12 carts should be sufficient. This quantity would take into account the maximum number obtained in the simulation as well as provide a safety factor of 2 extra carts.

## Spare Truck Problem

The following is one of the most remarkable examples of the power of the GPSS/H language. The example is adapted from Schriber (1974).

A mine is in full operation. Trucks haul the ore and periodically break down. When they break down, they are taken to the repair area to be fixed. Once trucks are fixed, they are returned to the mine. They are then classified as spares, as the mine has more trucks available than are needed at any one time in the mine.

The mine needs 30 trucks for optimum production (this number was determined from a previous simulation study). The number of repair facilities can vary, but you estimate that either 3,4 , or 5 should be correct. The cost of each is $\$ 77$ per 8 -hour shift. Each spare truck you have costs $\$ 35$ per shift no matter what it does. Thus, if you happen to have 33 trucks and 5 repair facilities, the cost per 8 hours is $(5 \times 77)+(3 \times 35)=\$ 490$. For 3 repair facilities and 34 trucks, the costs are $(3 \times 77)+(4 \times 35)=\$ 371$. It is possible to make a table of costs for various combinations of repair facilities and number of spare trucks.

Each time you do not have 30 trucks in the mine, it costs you $\$ 12$ per hour or $\$ 96$ per shift. The mean time between breakdowns for a truck is $230 \pm 40$ hours. The mean time for repairs of a truck is $15 \pm 9$ hours. Determine the optimum number of both trucks and repair facilities.

## Solution

The program to do the simulation is quite compact:

```
\begin{tabular}{|c|c|c|}
\hline 0 & OSIMULATE & \\
\hline \(\bigcirc\) & USTORAGE & [S (MINE) , 30/S (REPAIR) , 2 \\
\hline \(\bigcirc\) TRUCKS & [GEnerate & \(\square 1,1,32\) \\
\hline \(\triangle B A C K\) & OENTER & [MINE \\
\hline \(\bigcirc\) & पADVANCE & [ 2330,40 \\
\hline \(\bigcirc\) & [lueave & [MINE \\
\hline \(\bigcirc\) & -ENTER & [REPAIR \\
\hline \(\bigcirc\) & Cadvance & -15,9 \\
\hline \(\bigcirc\) & [leave & [REPAIR \\
\hline \(\bigcirc\) & OTRANSFER & [1. BACK \\
\hline \(\bigcirc\) & [GEnERATE & [24*365*100 \\
\hline \(\bigcirc\) & DTERMINATE & \(\square 1\) \\
\hline \(\bigcirc\) & \(\square\) Start & \(\square 1\) \\
\hline \(\bigcirc\) & \(\square\) PUTPIC & [SR (MINE)/10. \\
\hline \multicolumn{3}{|l|}{UTILIZATION OF MINE ***.**\%} \\
\hline \(\bigcirc\) & Iend & \\
\hline
\end{tabular}
```

The above is for 32 trucks and 2 repair shops. The output from running this program gives the result that the utilization of the storage MINE is $94.59 \%$. The cost of having the two spare trucks is $\$ 70$. The cost for the two repair shops is $\$ 154$. The penalty for not having 30 trucks working is found by considering that there were only 28.377 trucks working in the mine at any one time ( $30 \times 0.9459$ ). This result means that, at any one time, there were 1.632 trucks less that the 30 desired. The cost of this truck shortage is $\$ 155.81$ per shift. Adding up the 3 costs gives $\$ 380$ for the cost per shift. The program was
run for different combinations of trucks and repair shops; the dollar cost per shift for each combination is as follows:

|  | Repair Shops |  |  |  |
| :---: | :---: | :---: | :---: | :---: |
| Spare Trucks | $\mathbf{1}$ | $\mathbf{2}$ | $\mathbf{3}$ | $\mathbf{4}$ |
| 1 | 1523 | 407 | 385 | 446 |
| 2 | 1553 | 379 | 362 | 446 |
| 3 | 1558 | 368 | 364 | 454 |
| 4 | 1622 | 366 | 382 | 454 |
| 5 | 1662 | 378 | 410 | 485 |

As can be seen, the optimum number of trucks to have as spares is 2 , and the optimum number of repair facilities is 3 .

## EXERCISES, CHAPTER 12

1. 



Consider the above diagram. Items enter the system every $115 \pm 30 \mathrm{sec}$ onds. They wait in a queue until 1 of 3 identical servers is ready. Service takes $335 \pm 60$ seconds. After this service, they move along and join another queue while they wait for a single server to perform another service. This server works in $110 \pm 25$ seconds. Design the model to measure the waiting-line behavior ahead of the two places where service is performed. Assume first that there is unlimited space between the 3 servers and the single server.
2. In exercise 1 , suppose that there can be only 1 item in the waiting area before the second server. Modify the program to take this into account.
3. There are two tugboats that service a harbor. Ships of two types arrive at the harbor, where they unload their cargo. Type 1 ships are small, and they need only one tug to both dock and undock. Type 2 ships are large, and they need 2 tugs to both dock and undock. Because of their size differences, the ships dock at different berths and have different loading and unloading time requirements. There is always a berth available for a ship. Other data are as follows (all times are minutes):

|  | Ship Type |  |
| :--- | :---: | :---: |
|  | $\mathbf{1}$ | $\mathbf{2}$ |
| Interarrival Time | $90 \pm 30$ | $190 \pm 60$ |
| Docking Time | $40 \pm 7$ | $50 \pm 12$ |
| Number of Berths | 6 | $\mathbf{3}$ |
| Unloading Time | $7500 \pm 120$ | $780 \pm 240$ |
| Undocking Time | $30 \pm 5$ | $42 \pm 10$ |

A type 2 ship has priority over a type 1 ship. Model the harbor for 1000 days, each day being 24 hours of operation. Suppose it cost $\$ 350$ per hour for a ship of type 1 to wait for a tug either before docking or after loading or unloading and $\$ 500$ per hour for a ship of type 2 to wait, and the cost of a tug is $\$ 125$ per hour no matter if it is used or not. Would you recommend the addition of a third tug? (Its initial cost is immaterial.) What is the optimum number of tugboats to have?
4. A manufacturing system has parts coming along every $100 \pm 20$ seconds. Each needs to be assembled, formed, painted, and inspected in that order. There are 4 assembly machines, 2 forming machines, 3 painting machines, and 1 inspector. The time required to do each of these tasks is as follows:

| Job | Time (seconds) |
| :--- | :---: |
| Assemble | $350 \pm 55$ |
| Form | $170 \pm 60$ |
| Paint | $240 \pm 30$ |
| Inspect | $80 \pm 25$ |

After inspection, $5 \%$ of all parts are rejected outright. Of the remaining parts, $10 \%$ go back to the beginning for reassembly and $8 \%$ need to be repainted. Determine which of the jobs is the busiest. How many parts are made in a shift, consisting of 450 minutes of actual work?
5. In exercise 4, change the mean times for the machines and the inspector so that the utilizations of each is approximately $90 \%$.

## SOLUTIONS, CHAPTER 12

1. The program to simulate the system is:

|  | SIMULATE |  |
| :--- | :--- | :--- |
|  | STORAGE | S(SERV1), 3 |
| COMEIN | GENERATE | 115,30 |
|  | QUEUE | LINE1 |
|  | ENTER | SERV1 |
|  | DEPART | LINE1 |
|  | ADVANCE | 335,60 |
|  | LEAVE | SERV1 |
|  | QUEUE | LINE2 |
|  | SEIZE | SERV2 |

```
    DEPART LINE2
    ADVANCE 110,25
    RELEASE SERV2
    TERMINATE
    GENERATE 280000 10 DAYS SIMULATION
    TERMINATE 1
    START 1
    PUTPIC LINES=3,N(COMEIN),SR(SERV1)/10,FR(SERV2)/10
NMMBER PARTS TO COME INTO SYSTEM ******
UTIL. OF THREE SERVERS ***.**%
UTIL. OF SINGLE SERVER ***.**%
    END
```

2. The changes to the program are given below:

|  | SIMULATE |  |  |
| :---: | :---: | :---: | :---: |
|  | StORAGE | S(SERV1), 3 |  |
| COMEIN | generate | 115.30 |  |
|  | QUEUE | LINE1 |  |
|  | ENTER | SERV1 |  |
|  | DEPART | LINE1 |  |
|  | ADVANCE | 335,60 |  |
|  | LEAVE | SERV1 |  |
|  | TRANSFER | BOTH, , AWAY | TRANSFER BOTH BLOCK |
|  | SEIZE | DUMMY | DUMMY FACILITY |
|  | QUEUE | LINE2 |  |
|  | SEIZE | SERV2 |  |
|  | RELEASE | DUMMY | SET DUMMY FREE |
|  | DEPART | LINE2 |  |
|  | ADVANCE | 110,25 |  |
|  | RELEASE | SERV2 |  |
|  | TERMINATE |  |  |
| AWAY | TERMINATE |  |  |
|  | GENERATE | 280000 | 10 DAYS SIMULATION |
|  | TERMINATE | 1 |  |
|  | START | 1 |  |
|  | PUTPIC L | $\begin{aligned} & \text { NES }=4, \text { N }(\text { COMEIN }) \\ & \text { AWAY }) \end{aligned}$ | , SR(SERV1)/10, FR(SERV2)/10, |
| NUMBER PARTS TO COME INTO SYSTEM |  |  | ****** |
| UTIL. OF THREE SERVERS |  |  | ***.**\% |
| UTIL. OF SINGLE SERVER |  |  | ***.**\% |
| NUMBER TO BE SENT AWAY |  |  | **** |

END
In this example, a dummy facility was used just prior to the QUEUE SERV2 block. Only one transaction can be in the block SEIZE DUMMY. The TRANSFER BOTH,,AWAY block tests to see if a transaction is in this block. If so, the transaction is routed to the block with the label AWAY.
3. The program to simulate the system is:

| SIMULATE |  |  |
| :--- | :--- | :--- |
| STORAGE | S(TUG), 2 |  |
| GENERATE | 90,30 | SMALL SHIP ARRIVES |
| QUEUE | WAIT1 | JOIN QUEUE |
| ENTER | TUG | IS TUG AVAILABLE? |
| DEPART | WAIT1 | LEAVE QUEUE |
| ADVANCE | 40,7 | DOCK |

```
LEAVE TUG FREE TUG
ADVANCE 500,120 LOAD/UNLOAD
QUEUE WAIT2 WAIT FOR TUG
ENTER TUG USE TUG
DEPART WAIT2 LEAVE QUEUE
ADVANCE 30.5 UNDOCK
LEAVE TUG FREE THE TUG
TERMINATE LEAVE THE HARBOR
GENERATE 190,60,.,1 BIG SHIP ARRIVES
QUEUE WAIT3 JOIN QUEUE
ENTER TUG,2 ARE 2 TUGS AVAILABLE?
DEPART WAIT3 LEAVE QUEUE
ADVANCE 50,12 DOCK
LEAVE TUG,2 FREE TUGS
ADVANCE 780,240 LOAD/UNLOAD
QUEUE WAIT4 WAIT FOR TUGS
ENTER TUG,2 NEED 2 TUGS
DEPART WAIT4 LEAVE THE QUEUE
ADVANCE 42,10 UNDOCK
LEAVE TUG,2 FREE THE TUGS
TERMINATE LEAVE THE HARBOR
GENERATE 480*3*1000 SIMULATE FOR 1000 DAYS
TERMINATE 1
START 1
PUTPIC LINES=4,QA(WAIT1),QA(WAIT2),QA(WAIT3),QA(WAIT4)
AVERAGE NO. SMALL SHIPS WAITING TO DOCK ****.**
AVERAGE NO. SMALL SHIPS WAITING TO UNDOCK ****.**
AVERAGE NO. LARGE SHIPS WAITING TO DOCK ****.**
AVERAGE NO. LARGE SHIPS WAITING TO UNDOCK ****.**
END
```

Running the program with 2 tugs available give the results:

```
AVERAGE NO. SMALL SHIPS WAITING TO DOCK . }5
AVERAGE NO. SMALL SHIPS WAITING TO UNDOCK . }4
AVERAGE NO. LARGE SHIPS WAITING TO DOCK . }2
AVERAGE NO. LARGE SHIPS WAITING TO UNDOCK . }2
```

This results in an expected hourly cost of: $350^{*}(.52+.48)+500^{*}(.24+$ .27) +125 * 2 or $\$ 855$.
Running the program with three tug boats gives:

$$
\begin{array}{lll}
\text { AVERAGE NO. SMALL SHIPS WAITING TO DOCK } & .03 \\
\text { AVERAGE NO. SMALL SHIPS WAITING TO UNDOCK } & .03 \\
\text { AVERAGE NO. LARGE SHIPS WAITING TO DOCK } & .04 \\
\text { AVERAGE NO. LARGE SHIPS WAITING TO UNDOCK } & .08
\end{array}
$$

This results in an expected hourly cost of: $\$ 338$.
Thus, the optimum number of tugs to have is 3 . There is no need to run the program with 4 tugs as their cost alone is $\$ 500 /$ hour.
4. The program to do the simulation is:

```
SIMULATE
STORAGE S(ASSEM),4/S(FORM),2/S(PAINT),3
GENERATE 100,20 PARTS COME ALONG
ADVANCE 0 DUMMY BLOCK
```

```
BACK1 ENTER ASSEM
    ADVANCE 350,75
    LEAVE ASSEM
    ENTER FORM
    ADVANCE 170,60
    LEAVE FORM
BACK2 ENTER PAINT
    ADVANCE 240,30
    LEAVE PAINT
    SEIZE INSP
    ADVANCE 80,25
    RELEASE INSP
    TRANSFER .05,,REJECT
    TRANSFER .1,,BACK1
    TRANSFER .08,,BACK2
    MADE TERMINATE
REJECT TERMINATE
    GENERATE 280000
    TERMINATE 1
    START 1
    PUTPIC LINES=5,SR(ASSEM)/10,SR(FORM)/10,SR(PAINT)/10,_
    FR(INSP)/10,N(MADE)/10
UTIL. OF ASSEMBLING MACHINES ***.**%
UTIL. OF FORMING MACHINES ***.**%
UTIL. OF PAINTING MACHINES ***.**&
UTIL. OF INSPECTOR ***.**%
NUMBER OF PARTS FINISHED/SHIFT ****
    END
```

The results of the simulation are:

| UTIL. OF ASSEMBLING MACHINES | 97.418 |
| :--- | :--- |
| UTIL. OF FORMING MACHINES | 94.518 |
| UTIL. OF PAINTING MACHINES | 94.978 |
| UTIL. OF INSPECTOR | $94.61 \%$ |
| NUMER OF PARTS FINISHED/SHIFT | 262 |

Notice that no QUEUE blocks were used in the program as the statistics which they gather are not needed. However, a dummy ADVANCE 0 block was needed after the first GENERATE block to ensure that the transactions created by it will always leave at the scheduled time.
5. Making the following changes:

| Assembly: | $325 \pm 75$ |
| :--- | ---: |
| Forming: | $162 \pm 60$ |
| Painting: | $227 \pm 30$ |
| Inspecting: | $76 \pm 25$ |

Gives the results:

| UTIL. OF ASSEMBLING MACHINES | $90.37 \%$ |
| :--- | :---: |
| UTIL. OF FORMING MACHINES | $90.22 \%$ |
| UTIL. OF PAINTING MACHINES | $89.96 \%$ |
| UTIL. OF INSPECTOR | $90.08 \%$ |
| NUMEER OF PARTS FINISHED/SHIFT | 262 |

6. The program to do the simulation is:
```
            SIMULATE 
            GENERATE 82.5,50
                    TRANSFER .12,.CHECK
                    ENTER CART
                    TRANSFER .2,,NEXT1
ADVANCE 125,70 AISLE 1
NEXT1 TRANSFER .25,,NEXT2
ADVANCE 140,40 AISLE 2
NEXT2 TRANSFER .15,,NEXT3
ADVANCE 150,65 AISLE 3
NEXT3 TRANSFER .1,,NEXT4
ADVANCE 175,70
NEXT4 QUEUE WAIT
    SEIZE CHECKER
    DEPART WAIT
    ADVANCE 45,12
    RELEASE CHECKER
    LEAVE CART
CHECK QUEUE WAIT
    SEIZE CHECKER
    DEPART WAIT
    ADVANCE 20.8
    RELEASE CHECKER
    TERMINATE
    GENERATE 3600*100
    TERMINATE I
    START 1
    PUTPIC LINES=2,FR(CHECKER)/10,SM(CART)
CHECKER WORKED ***.**% OF THE TIME
MAXIMUM CARTS IN USE ****
    END
The results of the simulation yield:
CHECKER WORKED 71.94\% OF THE TIME
MAXIMUM CARTS IN USE 11
```

This means that the checker is not overworked. The simulation ran for 100 hours of 3,600 seconds each. It probably should be run for more time to see if this maximum number changes before making a recommendation.

# The CLEAR, Reset, and rmult Statements 

## MULTIPLE START STATEMENTS

A GPSS/H program is compiled. During this phase, transactions are poised on the CEC to be moved by the processor when the actual program begins. There will be one transaction from each GENERATE block poised to be moved. As soon as this transaction is moved, another one is scheduled to be moved.

When a program encounters the first START statement, it begins execution. If there are other statements after the START statement, the processor will execute them after the initial program is executed. As far as understanding how the running of a given program takes place, you can initially ignore any statements after the first START statement.

For example, suppose you had other START statements one after the other such as

| $\bigcirc$ | [GENERATE [10,5 |
| :---: | :---: |
| $\bigcirc$ | [----- |
| 0 | [1---- |
| $\bigcirc$ | [----- |
| $\bigcirc$ | [GENERATE $] 480$ |
| 0 | Dferminate [I |
| 0 | IStart $\quad 11$ |
| $\bigcirc$ | $\square$ ISTART $\quad \square 1$ |
| $\bigcirc$ | $\square \mathrm{ISTART}$ |
| $\bigcirc$ | [END |

The effect of the above is to run the program three times (just as if you had START 3), but now there will be additional output from the three times (at 480,960 , and 1440 time units).

It is possible to have the START statement with operands as follows:

NP must be the letters "NP" (this stands for "no printout," and no output file is created). $B$ is called the "Snap" interval. Every time the $A$ counter is decremented by this amount, there will be output. If the last operand is used, it must be the number 1. When used, the processor outputs the various chains (current events chain, future events chain, etc.). As an example, if you had
$\diamond \quad$ ISTART $\quad \square 100,10$
you would get output for when the counter was $90,80,70$, etc. At one time, this statement was used mainly for debugging purposes, but now the BPUTPIC has made this use nearly obsolete.

When you have multiple START statements, the program keeps running from the point where the last transaction was made. The transactions remain where they were, and the program keeps going. All statistics are updated from where they were.

Often you will want to run the program multiple times with different values in the blocks. One of several ways to do this is as follows:

| $\diamond$ | ПSIMULATE |  |
| :--- | :--- | :--- |
| $\diamond$ | ПGENERATE | $\square 12,6$ |
| $\diamond$ | ПGIERATE | П10,4 |
| $\diamond$ | ПADVANCE | ПTERMINATE $\square 1$ |
| $\diamond$ | ПSTART | $\square 1$ |
| $\diamond$ | ПEND |  |

Add labels to the blocks you want to change, e.g., if you want to change a GENERATE block, give the original GENERATE block a label such as KEY1, for example,

```
OKEY1 \GENERATE [12,6
```

The program begins execution at the first START statement and ignores all the ones that follow it.

Suppose that you want to run the program a second time with the block GENERATE 12,6 changed to GENERATE 11,6. You change the program to the following:

| $\diamond$ | ПSIMULATE |  |
| :--- | :--- | :--- |
| $\diamond$ KEY1 | ПGENERATE | $\square 12,6$ |
| $\diamond$ | ПADVANCE | $\square 10,4$ |
| $\diamond$ | ПTERMINATE $\square 1$ |  |
| $\diamond$ | $\square S T A R T$ | $\square 1$ |
| $\diamond$ KEY1 | ПGENERATE | $\square 11,6$ |
| $\diamond$ | $\square$ START | $\square 1$ |
| $\diamond$ | $\square E N D$ |  |

Again, the program runs when it encounters the first START 1 statement and produces output. Then, it replaces the block

## ©KEYI [GENERATE [12,6

with the block
OKEY1 ПGENERATE [11,6
Because the next block is another START 1, the program executes a second time with the new GENERATE block. Note that the operands are different for the two GENERATE blocks.

The program will run initially with the block GENERATE 12,6 and produce an output report. It will then run again with the GENERATE 12,6 block replaced by the GENERATE 11,6 block and will produce a second output report.

The only problem with this procedure is that the second running of the program will have the statistics and transactions from the previous run already in the system. This situation is probably not what you want. The next section will show how to run the program a second time with the previous statistics zeroed out.

## the clear statement

The CLEAR statement allows a program to be run multiple times with the transactions and statistics of the system set to zero each time. Thus, the following code

| $\bigcirc$ | [SImulate |  |
| :---: | :---: | :---: |
| ©KEY1 | [GENERATE | $[12,6$ |
| $\bigcirc$ | [advance | $\square 10,4$ |
| 0 | [TERMINATE | $\square 1$ |
| $\bigcirc$ | [START | $\square 1$ |
| $\bigcirc$ | [generate | $[480$ |
| $\bigcirc$ | OTERMINATE | [1 |
| $\bigcirc$ | -Start | $\square 1$ |
| 0 | [Clear |  |
| $\bigcirc$ KEY 1 | [GENERATE | [11, 6 |
| $\bigcirc$ | $\square S T A R T$ | $\square 1$ |
| 0 | [EEND |  |

will run the program twice, the first time with GENERATE 12,6 and the second time with GENERATE 11,6; fresh statistics will be generated during the second running. It would make no difference if the CLEAR statement followed the GENERATE 11,6 block instead of preceding it.

When you run a program with this type of replacement, there will be a warning message that you have named the block multiple times-you ignore the message as you intentionally did this. Remember that, whenever you label a block in GPSS/H and do not reference it in the program, there will be a warning message.

You can stack up as many START statements together with the replacements as desired. The effect of this approach is to make the coding of the program
long. Chapter 23 shows how to run a program by using DO loops, which makes this type of cumbersome replacement obsolete.

Since the CLEAR statement clears all statistics, there will be a time when you will want only selected items to be cleared. You can preserve items by putting the items you do not want cleared after the CLEAR statement. The effect of the following CLEAR statement is to clear all items except item1, item $2, \ldots$, and any others listed up to item $n$.
$\bigcirc$ DCLEAR Ditem1,item2,...,item $n$

## the reset statement

There will be times when you do not want to clear out the transactions (or the various chains). For example, suppose you want to run a program for 1 hour (beginning when the model is empty) and then discard the statistics but not the positions of the transactions. You write the following:

| $\diamond$ | $\square S T A R T$ | $\square 1, N P$ | $\square$ Simulate for 1 hour |
| :--- | :--- | :--- | :--- |
| $\diamond$ | $\square R E S E T$ |  | [Reset the statistics |
| $\diamond$ | $\square S T A R T$ | $\square 100$ | $\square$ Simulate for 100 hours |

The RESET statement is often used when the first hour's (or so) statistics are to be discarded owing to instability in the system.

Note: Whenever you use CLEAR or RESET, you do not change the position of the random-number generator. This method that GPSS/H uses to acquire random numbers is a pseudo-random-number generation (see Chapter 6), which means that the numbers can be repeated. This fact is important in designing a comparison of models. How, then, can you restart the random-number stream at the same place? This is done by the RMULT statement.

## the rmolt statement

The RMULT statement followed by any number in the range $\pm 2,147,483,646$ to be used in the operand starts the random-number stream at a particular point. Thus, if you had

| $\bigcirc$ | ISIMULATE |  |
| :---: | :---: | :---: |
| 0 | [rmult | [54321 |
| $\bigcirc$ | ------ |  |
| $\bigcirc$ | [----- |  |
| $\bigcirc$ | [----- |  |
| $\bigcirc$ | ISTART | [1] |
| $\bigcirc$ | [CLEAR |  |
| $\bigcirc$ | [rmult | [54321 |
| $\triangle$ KEY | ]generate | [10,6 |
| 0 | ISTART | $\square 1$ |
| 0 | $\square E N D$ |  |

The second time the program is run, the same random numbers would be used.
GPSS/H programs can use any number of random-number streams in a given run. How to specify which one to use will be covered in Chapter 14. Until now, we have been using only the first, by default. When you are using multiple streams and want to reset each, the RMULT statement is
$\bigcirc \quad$ [RMULT $\quad[1234,6543,199,231,999$
Here random-number streams $1,2,4,6$, and 7 are reset.
Encountering a group of CLEAR, RESET, and RMULT statement at the end of a program may seem confusing at first, but remember that these are control statements and not program blocks. Always remember that the program starts execution after each START statement and ignores the remaining statements until execution ends for the START statement it has encountered. When the RESET statement is used, the absolute clock is unchanged, but the relative clock is set to zero. The SNA for the relative clock is C1.

## EXERCISES, CHAPTER 13

1. What will the GPSS/H absolute clock read at the end of execution of the full program that has the following three START statements?

| 0 | $\square-\cdots$ |  |
| :--- | :--- | :--- |
| 0 | $\square-\cdots--$ |  |
| 0 | ПGENERATE | $\square 480$ |
| 0 | ПTERMINATE $\square 1$ |  |
| 0 | $\square S T A R T$ | $\square 1$ |
| 0 | $\square$ ISTART | $\square 2$ |
| 0 | ПSTART | $\square 3$ |
| 0 | ПSTART | $\square$ |
| 0 | ПEND |  |

2. What will the GPSS/H absolute and relative clocks read when the following program finishes execution?

| $\bigcirc$ | 口----- |
| :---: | :---: |
| $\bigcirc$ | [----- |
| $\bigcirc$ | [GENERATE O100 |
| $\bigcirc$ | TTERMINATE 11 |
| 0 | [START $\square 4$ |
| $\bigcirc$ | [RESET |
| 0 | [START $] 8$ |
| $\checkmark$ | IEND |

3. What will the GPSS/H absolute clock read for the following whenever there is output sent to the LIIS file?
```
|
```

4. What is the effect of using the following control statements in a program?

| $\bigcirc$ | [----- |  |
| :---: | :---: | :---: |
| $\bigcirc$ | ------ |  |
| $\bigcirc$ OTRUCK | ПGENERATE | [, , , 5 |
| $\diamond$ | ]----- |  |
| $\bigcirc$ | ------ |  |
| 0 | [GENERATE | [480*100 |
| 0 | DTERMINATE | $\square 1$ |
| $\bigcirc$ | [RMULT | $\square 12345$ |
| 8 | [START | $\bigcirc 1$ |
| $\hat{0}$ | [CLEAR |  |
| $\bigcirc$ | [RMULT | $\square 12345$ |
| OTRUCK | [GENERATE | [.1.6 |
| $\bigcirc$ | [START | $\square 1$ |
| $\bigcirc$ | [END |  |

## SOLUTIONS, CHAPTER 13

1. The absolute clock will read 1920.0000 . The first START stopped the clock at 480.000, the second at 960.0000 and the third at 1920.000 .
2. The absolute clock will read 500.0000 and the relative clock will read 300.0000 .
3. The absolute clock times will be: $25.0000,50.0000,75.0000$, and 100.0000.
4. The program will run the first time with the random the number generator starting in position 12345 . The simulation runs until 48000 time units have gone by and the first output report created. Then the statistics are cleared out. The random number generator is reset to position 12345. The block 介TRUCK [GENERATE $\quad$, , , 4 is replaced with the block STRUCK ПGENERATE $\square,, 5$
and the simulation rerun for 480000 time units.

## CHAPTER 14 <br> Functions

## FUNCTIONS IN GPSS/H

The only statistical distribution we have used so far is the uniform distribution. In GPSS/H, it is possible to sample from any statistical distribution. This is very important, since to model most things that are moving through a system, it is necessary to sample from different distributions. Among the possibilities are the exponential or Poisson distribution, the normal or Gaussian distribution, and even distributions that are unique to the model. There are, in fact, many times when we will refer to a function to return a value to be used in the simulation. There are several types of functions in GPSS/H that will be considered here.

## DISCRETE FUNCTIONS

A function first must be defined and then referenced when a value is to be obtained from it. The first form of a function to be discussed here is known as a discrete function, because, when referenced, it will take on only one of several set (or discrete) values. These possible values are specified when the function is defined. For example, an order for goods may take $4,5,6$, or 7 weeks to arrive. The number of people away from a class owing to illness might be from 0 to 12 .

## Definition of a Discrete Function

The way to reference discrete functions in GPSS/H is first to define the function by means of the FUNCTION statement. This definition must be made before the function is referenced. (How to reference a function is explained in the next main section.) The form of the first line of the function definition is as follows:

MLABEL TFUNCTION ГA,B
where the label is the name or number of the function. This label will be used to reference the function.

Operand $A$ is any standard numerical attribute. The most commonly used is RNj , which supplies random numbers from random-number stream $j$. Initially in this section, the SNA considered will be RNj, but any SNA can be used.

Operand $B$ is the term Dn , in which the letter D is for "discrete" and $n$ is a positive integer. The value of $n$ in Dn gives the exact (i.e., discrete) number of values that the function may take on, which is numerically identical to the number of pairs of values to be used during the statistical sampling procedure that selects which value is actually taken. The first number in each pair forms one endpoint of the range within which the random number returned must fall to allow the second number of the pair to be used.

Whenever RNj [or $\mathrm{RN}(\mathrm{j})$ ] is referenced, a random number is returned. If the reference is in connection with a function, the number returned is between 0.000000 and 0.999999 (from 0 to 1 but never 1.000000 ). When RNj is used in other situations, the number returned is between 000 and 999 .

For example,
OFIRST DFUNCTION [RN1, D2
would be a function named (i.e., labeled) FIRST. It can take on 2 values. These values will be found on the next line or lines below the FUNCTION statement, as explained at the end of this section.

```
\TOP \FUNCTION [RN3,D5
```

is the function TOP that will take 1 of 5 values.
》FIVE $\square$ FUNCTION [RN6,D15
refers to the function FIVE that can have 1 of 15 values. It is also possible to have labels for functions that are numbers such as
©6 $\quad$ FFUNCTION [RN1,D5
On the line or lines below the FUNCTION statement are the Dn possible values that the function might assume. These are in pairs separated by a comma and usually in ascending order, although they may be in descending order for a discrete function. The pairs are themselves separated by a slash (/). These values can start in position 1 (this is one of the few times in GPSS/H that anything can be in position 1) and go up to and include position 72 . The pairs can occupy more than one line, if necessary. If so, the slash can be omitted from the end of the previous line. The first number of the pair refers to the GPSS/Hgenerated random number.

## How a Discrete Function Works

When a function having RNj as an operand is referenced, a random number is obtained from the random-number stream referenced (i.e., $j$ ). In the case of RN1, the first random-number stream is used because of the 1 in RN1. RN5 would reference random-number stream 5 . There is no limit to the number of random-number streams in GPSS/H, although most references will be to RNI
for convenience. The random number returned is then used to obtain a value to be returned. Thus,

```
OSALLY \FUNCTION [RN1,D3
```

$.1,5 / .6,8 / 1,10$
will return 5,8 , or 10 and no other values. If the random number obtained from the random number stream is between 0.000000 and 0.100000 , the number returned is 5 ; if the number is from 0.1000001 to 0.600000 , the number returned is 8 ; if the number is from 0.600001 to 0.999999 the number returned is 10 . This approach to selecting the value of the function is better seen as follows:

| Random Number | Value Returned |
| :---: | :---: |
| $0.000000 \leq \mathrm{RN} \leq 0.100000$ | 5 |
| $0.100001 \leq \mathrm{RN} \leq 0.600000$ | 8 |
| $0.600001 \leq \mathrm{RN} \leq 0.999999$ | 10 |

This procedure is known as Monte Carlo sampling. Simulations done by using this form of sampling are known as Monte Carlo simulations.

## REFERENCING FUNCTIONS IN GPSS/H

Note: The former method of referencing functions was to use a single dollar sign (\$). Thus, to reference the function FAST, one would have something like ADVANCE FN\$FAST. GPSS/H still supports this method, but it will not be used here.

Functions are referenced in GPSS/H by the letters FN followed by the name of the function in parentheses. (In the case of using a number for a function, reference is $\mathrm{FN}(j)$ or simply by FNj where $j$ is the number of the function.) Some examples are as follows:

| $\gamma(a)$ | [ADVANCE | FN (TIME) |
| :---: | :---: | :---: |
| $O(b)$ | [GENERATE | [FFN (SPEED) |
| $\bigcirc(c)$ | CGENERATE | [, , 4, FN (AMOUNT) |
| $\bigcirc(d)$ | [GENERATE | [100, 25, FN (TIMEIN) |

In (a), the transaction will be placed on the FEC for a duration given by reference to the function TIME. In (b), a transaction will be generated according to the time given by the function SPEED. This means that, during compiling, a transaction is scheduled to leave the GENERATE block. As soon as this transaction leaves, another is scheduled to leave. The times to leave are given by reference to the function SPEED. The statement in (c) will generate 4 transactions at time $t=0$. The priority of each will be given by the function AMOUNT. The statement in (d) will generate transactions every $100 \pm 25$ time units. The first transaction will enter the system at a time given by reference to the function TIMEIN.

The number returned when a function is referenced need not be an integer. Thus, it would be possible to have

OTEST6 [FUNCTION [RN3,D4
.25,3.5/.44,5.1/.7,7.8/1,9.89
Here the returned values would be $3.5,5.1,7.8$, or 9.89. If you had
OTEST7 [FUNCTION [RN1,D3
.1,4/.5,6/.8,9
and a random number greater than 0.8 was returned when RN1 was sampled, the value of the function would be 9 .

## Example 14.1

Suppose that a shopper takes 3,4 , or 5 minutes to load a shopping cart and that $30 \%$ of the time it takes 3 minutes, $30 \%$ of the time it takes 4 minutes, and the remaining $40 \%$ of the time it takes 5 minutes. To use a GPSS/H function, it is necessary to make a cumulative probability distribution. The following illustrates this distribution:

| Time (minutes) | Relative Probability | Cumulative Probability |
| :---: | :---: | :---: |
| 3 | .30 | .30 |
| 4 | .30 | .60 |
| 5 | .40 | 1.00 |

Since $30 \%$ of the time it takes the shopper 3 minutes to load the cart, we would like to have the GPSS/H function return a time of 3 minutes also $30 \%$ of the time. This matching is done by assigning the value of the random number generated by the GPSS/H processor to the corresponding probability:

| Time (minutes) | Cumulative Probability | Random Number |
| :---: | :---: | :---: |
| 3 | 0.30 | .000000 to .300000 |
| 4 | 0.60 | .300001 to .600000 |
| 5 | 1.00 | .600000 to .999999 |

If the random number is between 0.000000 and 0.300000 , the time is taken as 3 ; if the random number is from 0.300001 to 0.600000 , the time is 4 , and, if the random number is from 0.600000 to 0.999999 , the value is 5 . Notice that, by using cumulative probability distributions, the correspondence between the random number and a time is unique, i.e., for each random number there is 1 and only 1 value that corresponds. Notice, also, that there is a very slight error since the random number is never equal to 1.000000 . This error is so small that it is not significant.

Returning to the original problem, we would write the function as
OSHOPR [FUNCTION [RN1,D3
.3,3/.6,4/1,5
Notice that there is no decimal after the 1 in the pair 1,5 . The decimal is optional here. There is no slash at the beginning or end of the pairs of numbers.

It also would have been all right for the function describing the shoppers to be written as follows:

```
OSHOPR \FUNCTION [RN1,D3
```

.3,3/.6,4
1,5
-----
-----
-----
$\bigcirc$ [ADVANCE IFN (SHOPR)
or even to have each pair of values on a separate line.
Consider the following:
$\triangle$ TIME ПFUNCTION ПRN1,D4
.25,8/.50,9/.9,10/1,11
Later in the program, if you had
$\diamond \quad \square$ ADVANCE $\quad$ IFN (TIME)
the transaction would be put on the future events chain for a time of $8,9,10$, or 11 time units. The number of time units will be 8 for $25 \%$ of the transactions; 9 for $25 \%$ of the transactions; 10 for $40 \%$ of the transactions; and 11 for the remaining $10 \%$ of the transactions. If we had
$\diamond \quad$ ZADVANCE $\quad$ IFN(TIME) 5
the transaction would be on the future events chain for one of the following times: $8 \pm 5,9 \pm 5,10 \pm 5$, or $11 \pm 5$ time units.

## CAUTION IN USING FUNCTIONS WITH ADVANCE AND GENERATE BLOCKS

When either an ADVANCE block or a GENERATE block has a function in the $B$ operand, the effect is to multiply the value in the $A$ operand by the value of the function. Thus, if you had the following functions

```
\triangleONE \squareFUNCTION [RN1,D3
.3,10/.6,15/1,20
OTWO \squareFUNCTION \RN1,D2
.4,2/1,3
and you used
```

$\diamond$ [ADVANCE DFN(ONE), FN (TWO)
and if $\mathrm{FN}(\mathrm{ONE})$ had the value of 15 and $\mathrm{FN}(\mathrm{TWO})$ had the value of 3 , the transaction would be placed on the future events chain for 45 time units, not $15 \pm 3$ time units. In Chapter 18, we shall see how to achieve the $\pm$ result in the ADVANCE block.

## Example 14.2

Customers arrive at a parking lot every $100 \pm 23$ seconds. It takes them $13 \pm 5$ seconds to park and $12 \pm 2$ seconds to walk to the store. Shopping time varies as follows:

| Time (seconds) | Relative Frequency | Cumulative Frequency |
| :---: | :---: | :---: |
| 50 | 0.12 | 0.12 |
| 55 | 0.25 | 0.37 |
| 65 | 0.27 | 0.64 |
| 75 | 0.22 | 0.86 |
| 90 | 0.14 | 1.00 |

The store is small and has only one checkout counter. The time required to check out is as follows:

| Time (seconds) | Relative Frequency | Cumulative Frequency |
| :---: | :---: | :---: |
| 80 | 0.25 | 0.25 |
| 90 | 0.20 | 0.45 |
| 100 | 0.30 | 0.75 |
| 120 | 0.25 | 1.00 |

Of the total customers arriving, $10 \%$ make no purchase and leave the store. The time to return to their cars is $20 \pm 8$ seconds, and the time to leave the parking lot is $8 \pm 4$ seconds. Simulate for 1000 people arriving at the store, shopping, and driving away.

## Solution

| $\bigcirc$ | ISIMULATE |  |  |
| :---: | :---: | :---: | :---: |
| $\bigcirc$ SHOP | [FUNCTION | $\square \mathrm{RN1} 1 . \mathrm{D} 5$ |  |
| . $12,50 / .37,55 / .64,65 / .86,75 / 1,90$ |  |  |  |
| SCHKOT [FUNCTION [PN1, D4 |  |  |  |
| . $25,80 / .45,90 / .75,100 / 1,120$ |  |  |  |
| $\bigcirc$ | [generate | [100,23 | [CUSTOMERS ARRIVE |
| $\bigcirc$ | [ADVANCE | [13,5 | CPARK CAR |
| $\bigcirc$ | Qadvance | [12, 2 | TWALK TO STORE |
| 0 | Sadvance | $\square \mathrm{FN}$ (SHOP) | ]SHOP |
| $\bigcirc$ | CTRANSFER | [.1, , OUT | OIO\% MAKE NO PURCHASE |
| $\bigcirc$ | CluEve | -uine | [REST QUEUE AT Checkout |
| $\bigcirc$ | [SEIZE | ПCHECKER | IUSE CHECKER |
| $\bigcirc$ | [DEPART | Cline | [LEAVE QUEUE |
| $\diamond$ | [ADVANCE | [FN (CHKOT) | ПCHECK OUT |
| $\bigcirc$ | [RELEASE | [CHECKER | CFREE CHECKER |
| ©OUT | [ADVANCE | [20,8 | [RETURN TO CAR |
| $\diamond$ | [ADVANCE | $\square 8,4$ | Cleave parking lot |
| $\diamond$ | [TERMINATE | 11 |  |
| $\bigcirc$ | पSTART | C1000 |  |
| SCOMEIN | [TERMINATE | $\square 1$ |  |
| 0 | ISTART | $\square 1000$ |  |
| 0 | $\square$ PUTPIC | [LINES $=3$, A | 60, FR (CHECKER) / 10 , QA (LINE) |
| TIME FOR 1000 PEOPLE TO SHOP: ********* MINUTES |  |  |  |

```
UTIL. OF CHECKER ***.**%
AVERAGE PEOPLE IN CHECKOUT LINE ***.**
\diamond \END
```

The output from this program is

```
TIME FOR 1000 PEORLE TO SHOP: 1672.54 MINUTES
UTIL. OF CHECKER 89.01%
AVERAGE PEOPLE IN CHECKOUT LINE 0.27
```

Although this example illustrates the use of the FUNCTION statement, it is not realistic. The most glaring deficiency is the fact that the various shopping and checkout times are given by discrete values. Certain times such as 51 seconds for shopping and 97 seconds for checking out are not considered. They could have been included by making the FUNCTION statement much longer. This approach would be tedious and is not necessary, as we shall learn in the next section. However, the following points also should be considered in building an actual model of a grocery store:

1. Shoppers do not arrive during the day according to the same statistical distribution. At certain times (between 4:30 p.m. and closing, for example) there are more shoppers than during other times. A more nearly accurate function should reflect this.
2. The parking lot holds only a finite number of cars. If another customer drives into the lot when it is full, the customer may leave. This possibility can be programmed by means of the STORAGE statement and the ENTER block.
3. It might be better to have the checkout time vary, depending on the number of items purchased.
4. Some shoppers may not join the queue if it is too long, but will prefer to continue shopping.
5. If the queue reached a certain length, the one checker may be able to call for another helper.
6. The time to walk from the parking lot to the store (and subsequently return) should vary with the number of cars in the lot. The more cars in the lot, the farther away the next car that arrives will have to park.

As more GPSS/H code is introduced, it will be possible to incorporate the above changes into the model.

## CONTINUOUS FUNCTIONS

A continuous function is defined and referenced in much the same manner as a discrete one. In the case of discrete functions, only a finite number of values can be returned. The number is specified by the operand $D n$, and the possible values are the second numbers in the pairs that follow Dn. For continuous functions, a value is returned that can be considered as being a decimal number within a specified range, i.e., if the range is from 4 to 7 , any possible value from 4.000000 to 6.999999 can be returned. Notice that the range is an "open" one in that the right endpoint is not included.

The two values forming the pairs that give the ranges must be in ascending order, and the number of these pairs is given by the $n$ in $\mathrm{C} n$ (the C indicates continuous). One form of a continuous function might have the first line as
©TEST1 $\square F U N C T I O N$ [RN1,C5
This line means that the function labeled TEST1 will use random-number stream 1 to return a random number. The value of the function will be determined by sampling from 5 pairs of numbers. The ordered pairs of numbers that come on the line(s) after the function line specify the intervals within which the value of the function is to be obtained. The value is determined by a linear interpolation between the pairs. For example, the function

```
OTEST2 \FUNCTION \RN1,C3
0,1/.7,4/1,5
```

will return the following values:

| Value Returned from Interval | If Random Number Generated Is |
| :---: | :---: |
| $1-4.000000$ | $0-0.7000000$ |
| $4.000001-4.999999$ | $0.700001-0.999999$ |

Suppose that, when the function is referenced, the random number generated is 0.300000 . The value of the function, 2.285714 , is obtained by linear interpolation (done automatically by the GPSS/H processor). The calculation is as follows:

$$
(y-1) /(0.3-0)=(4-y) /(0.7-0.3)
$$

Consider the function
OTEST3 ПFUNCTION [RN1.C2
$0,1 / 1,5$
This function will return a value between 1.000000 and 4.999999 but not 5.000000 because the random number is always from 0.000000 to 0.999999 .

## USE OF FUNCTIONS WITH ANY SNA

In a function definition, it is possible to use any SNA instead of a random number. Thus, one could have the following:

```
OTIMES DFUNCTION DQ(WAIT),D5
0,10/1,8/2,6/3,5/4,4
OFIRST \squareFUNCTION DFR(MACH1),D3
100,5.5/500,6.6/923,7.6
OSECOND [IFUNCTION ]SR(BOOTH),D2
500,20/999,30
```

The function with the label TIMES will return a value of $10,8,6,5$, or 4 depending on the current length of the queue WAIT; note that descending order for the possible values is acceptable for discrete functions, but not for continuous functions. The function FIRST will return a value of $5.5,6.6$, or 7.6 depending on the fractional utilization of the facility MACH1. The function

SECOND will return a value of either 20 or 30 depending on the utilization of the storage BOOTH. An example of the use of such a function reference might be a barber who cuts hair at a rate that depends on the number of customers waiting in the shop. As the queue increases, the barber will increase the cutting rate. For example, suppose the normal time is 10 minutes if the queue is 0 . If 1 customer is waiting, the time is 9 minutes; if 2 are waiting, the time is 8.5 minutes; and if 3 or more are waiting, the time is 8 minutes. The program might have the following lines of code:

```
\triangleCUTFING DFUNCTION DQ(WAIT),D4
0,10/1,9/2,8.5/3,8
\diamond
\ \ADVANCE \FN(CUTTING)
```


## OTHER FORMS OF FUNCTIONS

There are three other forms of functions that are used in GPSS/H.

## List Functlons

Many times the first number in each of a function's referencing pairs is the sequence of integers $1,2,3, \ldots, N$. In this case, the function is called a "list" function, and this fact is specified by $\mathrm{L} n$ (where $n=$ the number of pairs in list L of possible values), as follows:

```
OEXAMPLE [FUNCTION []Q (WAIT),L3
1,1/2,4/3,5
```

It would be wrong to begin the list with 0 :

```
<EXAMPLE \FUNCTION ПQ(WAIT),L4
0,1/1,1/2,4/3,5
```

A list function is preferable to use if a list type of situation is involved in a simulation. Not only does a list function take less time to execute, but, if the value of the SNA is outside the range 1 to $N$, an execution error occurs. Therefore, using a list function can be useful in debugging a program. Thus, in the example cited here, if the queue at WAIT was 0 , the program would return an error. As we learn more programming code, there will be more examples of list functions. Since the $x$-values of every list function must start with 1 and be incremented by 1 , these values can be omitted. Thus, a correct way to write the preceding function would be

OEXAMPLE CFUNCTION CQ(WAIT), L4
,1/,1/,4/,5

## Attribute-Valued Functions

It is possible to have functions that reference other functions. These are known as attribute-valued functions and are specified by En. For example,

```
OSPEED [FUNCTION [RN1,E3
.25,FN(ONE)/.6,FN(TWO)/1,6
```

If the value of the random number is less than or equal to 0.25 , the value returned is obtained by reference to the function ONE; if the value of RN1 is from 0.25 to 0.6 , the value is obtained by reference to function TWO; otherwise the value is 6 .

If an attribute-valued function is also a list function, the letter E is replaced by the letter M . It is possible for an attribute-valued function to reference functions that are themselves attribute-valued functions.

There is still another type of function, the entity type. This function is noted by the letter S , but will not be used in this book.

## EXERCISES, CHAPTER 14

1. Build a function to return the following times:

| Time (minutes) | Probability |
| :---: | :---: |
| 5 | 0.10 |
| 6 | 0.20 |
| 7 | 0.40 |
| 8 | 0.30 |

2. Refer to example 1. Suppose the parking lot held only 2 cars and any other cars that came would be turned away. Assume the store is in operation for 5 days per week for 10 hours per day. Run the simulation for room first for 3 and then 4 cars to park.
3. In a study of the time it takes Joe to give a haircut, 155 customers were timed and the following data were obtained:

| Time (minutes) | Number of People |
| :---: | :---: |
| $<\mathbf{1 0}$ | 0 |
| 10 to 11 | 87 |
| 11 to 12 | 35 |
| 12 to 13 | 20 |
| 13 to 14 | 13 |
| $>14$ | 0 |

What FUNCTION statement could be used in the ADVANCE block to simulate getting a haircut from Joe? This should be a continuous function.
4. The following data give the interarrival rates of parts coming into a repair shop.

| Time Between Arrivals (minutes) | Relative Frequency |
| :---: | :---: |
| $<10$ | 0 |
| 10 to 11 | 0.10 |
| 11 to 12 | 0.25 |


| Time Between Arrivals (minutes) | Relative Frequency |
| :---: | :---: |
| 12 to 13 | 0.35 |
| 13 to 14 | 0.20 |
| 14 to 15 | 0.08 |
| 15 to 16 | 0.02 |
| $>16$ | 0 |

There is only one machine for doing repairs, and it can only repair one part at a time. There are only two spaces for parts to be held in; if they are both full, no more parts can be repaired by the machine, and any others arriving at the shop will be routed to another shop. This means that the maximum number of parts in the repair shop is 3 . Service time varies according to the following data:

| Time for Service (minutes) | Relative Frequency |
| :---: | :---: |
| $<30$ | 0 |
| 30 to 31 | 0.25 |
| 31 to 32 | 0.22 |
| 32 to 33 | 0.28 |
| 33 to 34 | 0.18 |
| 34 to 35 | 0.07 |
| $>35$ | 0 |

Simulate the repair shop to determine how many customers are turned away in a typical day.
5. The results of exercise 4 show that the system is highly inefficient in that too many parts are being sent to another repair shop. Run the program with the following changes and determine the effect of each. (Note: for problems $5 c$ and $5 d$, assume that all you need to do is to change the ADVANCE block.)
a. There are places for 5 parts to be held in, rather than 2 .
b. A new machine can repair the parts twice as fast as the old one.
c. Another new machine can repair the parts 2.5 times as fast as the old one.
d. Still another machine can be purchased that is 3 times as fast as the old machine.
6. A widget manufacturing process is as follows:
a. A worker takes a partially finished widget from a large pile. (This pile can be considered as infinitely large.)
b. The worker then finishes assembling the widget.
c. The worker takes it to a painting machine for final painting. There is only one of these painting machines, and the person who assembled the widget is responsible for painting it.
d. The worker finishes the painting, puts the widget on a conveyor belt, and returns to the original work station to begin the final assembly of another widget.

The various associated times are
a. Finish assembly:

| Time (minutes) | Relative Probability | Cumulative Probability |
| :---: | :---: | :---: |
| 20 | 0.05 | 0.05 |
| 21 | 0.12 | 0.17 |
| 22 | 0.18 | 0.35 |
| 23 | 0.21 | 0.56 |
| 24 | 0.25 | 0.81 |
| 25 | 0.15 | 0.96 |
| 26 | 0.04 | 1.00 |

b. Take widget to paint area: $1 \pm 0.4$ minute
c. Paint widget:

| Time (minutes) | Relative Probability | Cumulative Probability |
| :---: | :---: | :---: |
| 6 | 0.10 | 0.10 |
| 7 | 0.25 | 0.35 |
| 8 | 0.35 | 0.70 |
| 9 | 0.23 | 0.93 |
| 10 | 0.07 | 1.00 |

d. Return to work station: $1 \pm 0.4$ minute

Each widget earns the company a profit of $\$ 12.75$. A worker is paid $\$ 9.50$ per hour. The fixed cost of the operation is $\$ 75$ per day. Determine the optimum number of workers to have making widgets. Simulate for 100 shifts of 480 minutes each.
7. Refer to Exercise 6. Suppose the widget manufacturing plant determined that the demand for widgets was such that a second painting facility was justified. Determine the correct number of new workers to hire to make the additional widgets.
8. Customers come to use a single server. They will always wait in a queue if the server is busy. Suppose that the arrival and service rates for the different possible distributions in minutes are as follows:

| Distribution | Arrival | Service |
| :--- | :--- | :--- |
| Uniform | $5 \pm 3$ | $4 \pm 1$ |
| Normal | Mean $=5$, | Mean $=4$, |
|  | Std. Dev. $=1$ | Std. Dev. $=0.7$ |
| Exponential | Mean $=5$ | 4 |

Write the GPSS/H program to compare the utilization of the server for the 3 different distributions. Simulate for 500 shifts of 480 minutes each.

## SOLUTIONS, CHAPTER 14

1. One such function would be:

TIMES FUNCTION RN3,C3
.1,5/.3,6/.7,7/1,8
2. The changes to the program are shown below for the case of 2 parking places:

SIMULATE
SHOP FUNCTION RN1,D5
. $12,50 / .37,55 / .64,65 / .86,75 / 1,90$
CHKOT FUNCTION RN1,D4
. $25,80 / .45,90 / .75,100 / 1,120$
STORAGE $\mathrm{S}(\mathrm{LOT}), 2$
GENERATE 100,23
TRANSFER BOTH, AWAY
ENTER LOT
ADVANCE 13,5
ADVANCE 12.2
ADVANCE $\quad \mathrm{FN}(\mathrm{SHOP})$
TRANSFER .1, OUT
QUEUE LINE
SEIZE GIRL
DEPART LINE
ADVANCE FN(CHKOT)
RELEASE GIRL
OUT ADVANCE 4.2
ADVANCE 8,4
LEAVE LOT

COMEIN TERMINATE
AWAY TERMINATE
GENERATE $3600 * 8 * 5 * 2$
TERMINATE 1
START 1
PUTPIC LINES=4,N(COMEIN)/2,FR(GIRL)/10,QA(LINE),N(AWAY)
NUMBER OF PEOPLE SERVED PER WEEK: *******
UTIL. OF CHECKOUT GIRL ***.**
AVERAGE PEOPLE IN CHECKOUT LINE ***.**
PEOPLE WHO ARE TURNED AWAY ***
END
The results of the program for 2 spaces are:

| NUMBER OF PEOPLE PER WEEK: | 1102 |
| :--- | ---: |
| UTIL. OF CHECKOUT GIRL | 66.84 |
| AVERAGE PEOPLE IN CHECKOUT LINE | .04 |
| PEOPLE WHO ARE TURNED ANAY | 670 |

If a third parking place can be found, the results are:

| NUMBER OF FEOPLE PER WEEK: | 1416 |
| :--- | :---: |
| UTIL. OF CHECKOUT GIRL | 86.10 |
| AVERAGE PEOPLE IN CHECKOUT LINE | .19 |
| PEOPLE WHO ARE TURNED AWAY | 33 |

For 4 parking spaces, the results are:

| NUMBER OF PEOPLE PER WEEK: | 1437 |
| :--- | :---: |
| UTIL. OF CHECKOUT GIRL | 89.35 |
| AVERAGE PEOPLE IN CHECKOUT LINE | .28 |
| PEORLE WHO ARE TURNED AWAY | 2 |

3. The following function will work:

GIVECUT FUNCTION RN1,C5
$0,10 / .561,11 / .787,12 / \ldots 916,13 / 1,14$
4. The program is as follows:

```
    SIMULATE
COMEIN FUNCTION RN1,C7
0,10/.1,11/.35,12/.7,13/.9,14/.98,15/1,16
SERVICE FUNCTION RN1,C6
0,31/.25,32/.47,33/.75,34/.93,35/1,36
    STORAGE S(ROOM),2
INSHOP GENERATE FN(COMEIN)
    QUEUE WAIT
    TRANSFER BOTH, , AWAY
    ENTER ROOM
    SEIZE WORKER
    DEPART WAIT
    LEAVE ROOM
    ADVANCE FN(SERVICE)
    RELEASE WORKER
    TERMINATE
    AWAY DEPART WAIT
    GGGG TERMINATE
        GENERATE 480*100
        TERMINATE
    START 1
    PUTPIC LINES=4,N(INSHOP),N(GGGG),SR(ROOM)/10,_
                FR(WORKER)/10
NUMBER TO ARRIVE AT SHOP
NUMBER TO LEAVE WITH NO SERVICE
UTIL. OF THE ROOM
    ***.**%
JTIL. OF MACHINE ***.**%
    END
```

The results of the simulation yield the following:

| NUMBER TO ARRIVE AT SHOP | 3842 |
| :--- | ---: |
| NUMBER TO LEAVE WITH NO SERVICE | 2396 |
| UTIL. OF THE ROOM | $96.08 \%$ |
| UTIL. OF MACHINE | $99.98 \%$ |

5. a. The first change is simply to the STORAGE statement. It now is:

STORAGE S(CHAIR), 5
The results of the simulation are:

| NUMBER TO ARRIVE AT SHOP | 3847 |
| :--- | :--- |
| NUMBER TO LEAVE WITH NO SERVICE | 2396 |
| UTIL. OF THE ROOM | 90.448 |
| UTIL. OF MACHINE | 99.988 |

This says that having more waiting space is not the answer. Once the repair facility is full, the parts have to leave as before.
b. The change now is to the ADVANCE FN(SERVICE). It becomes:

ADVANCE FN(SERVICE)/2
The new results of the simulation are:

| NUMBER TO ARRIVE AT SHOP | 3853 |
| :--- | ---: |
| NUMBER TO LEAVE WITH NO SERVICE | 951 |
| UTIL. OF THE ROOM | $92.20 \%$ |
| UTIL. OF MACHINE | $99.98 \%$ |

c. This time the ADVANCE is changed to ADVANCE FN(SERVICE)/2.5

The results are:

| NUMBER TO ARRIVE AT SHOP | 3851 |
| :--- | :--- |
| NUMBER TO LEAVE WITH NO SERVICE | 223 |
| UTIL. OF THE ROOM | 98.548 |
| UTIL. OF MACHINE | $99.90 \%$ |

There are still too may parts being sent away.
d. The ADVANCE block is changed to ADVANCE FN(SERVICE)/3.0

The new results are:

| NUMEER TO ARRIVE AT SHOP | 3850 |
| :--- | :---: |
| NUMBER TO LEAVE WTTH NO SERVICE | 0 |
| UTIL. OF THE ROOM | $0.13 \%$ |
| UTIL. OF MACHINE | $88.50 \%$ |

6. The program for the simulation is:

| SIMULATE |  |  |  |
| :---: | :---: | :---: | :---: |
| WORKER | ER FUNCTION | RN1, D7 |  |
| .05,20/.17,21/.35,22/.56.23/.81,24/.96, 25/1, 26 |  |  |  |
| $\begin{gathered} \text { PAINT } \\ .1,6 / .25,7 / \end{gathered}$ | T FUNCTION | RN1, D5 |  |
|  | .1,6/.25,7/.7,8/.93,9/1,10 |  |  |
| NUMBER | R GENERATE | , , 2 | PROVIDE WORKERS |
| UPTOP | ADVANCE | FN(WORKER) | ASSEmble A WIDGET |
|  | ADVANCE | 1,.4 | TAKE WIDGET TO PAINT AREA |
|  | QUEUE | WAIT | QUEUE FOR PAINT SHOP |
|  | SEIZE | PAINT | USE THE PAINT SHOP |
|  | DEPART | WAIT | LEAVE THE QUEUE |
|  | ADVANCE | FN(PAINT) | PAINT A WIDGET |
|  | RELEASE | PAINT | FREE THE PAINTER |
|  | ADVANCE | 1,.4 | RETURN TO WORK STATION |
|  | TRANSFER | , UPTOP | READY TO MAKE ANOTHER WIDGET |
|  | GENERATE | 480 *20 | SIMULATE FOR 20 SHIFTS |
|  | TERMINATE | E 1 |  |
|  | START | 1 |  |
|  | CLEAR |  |  |
| NUMBER GEI | GENERATE | ., 2 RUN | FOR TWO WORKERS |
|  | START | 1 |  |
|  | PUTPIC | $\begin{aligned} & \text { LINES }=2, N(N) \\ & -9.5 * 8 * N(N U \end{aligned}$ | UMBER) , (N(WIDGET)*12.75)/100_ MBER) -75 |
| NUMBER OF WORKERS *** |  |  |  |
| PROFIT PER SHIFT * |  |  |  |

```
CLEAR
NUMBER GENERATE ,,,3
START 1
PUTPIC LINES=2,N(NUMBER),(N(WIDGET)*12.75)/100_
                                    -9.5*8*N(NUMBER) -75
    CLEAR
    NUMBER GENERATE ,,,4
    START 1
    PUTPIC LINES=2,N(NUMBER),(N(WIDGET)*12.75)/100_
                                    -9.5*8*N (NUMBER) - 75
    CLEAR
    NUMBER GENERATE ,,,5
    START 1
PUTPIC LINES=2,N(NUMBER),(N(WIDGET)*12.75)/100_
                                    -9.5*8*N (NJMBER) -75
CLEAR
NUMEER GENERATE ,,,6
START 1
PUTPIC LINES=2,N(NUMBER),(N(WIDGET)*12.75)/100_
    -9.5*8*N (NUMBER) -75
END
```

NUMBER OF WORKERS ***
PROFIT PER SHIFT ******
NUMBER OF WORKERS $\star * *$
PROFIT PER SHIFT ****.**
NUMBER OF WORKERS ***
PROFIT PER SHIFT ${ }^{* * * * * * ~}$

The table below summarizes the results of the simulation and the cost calculation results.

| Workers | Widgets <br> Made/Day | Gross <br> Profit | Fixed <br> Costs | Workers' <br> Salaries | Net <br> Profit |
| :---: | :---: | :---: | :---: | :---: | :---: |
| 2 | 28.75 | $\$ 367$ | $\$ 75$ | $\$ 152$ | $\$ 140$ |
| 3 | 42.75 | $\$ 545$ | $\$ 75$ | $\$ 228$ | $\$ 242$ |
| 4 | 54.35 | $\$ 706$ | $\$ 75$ | $\$ 304$ | $\$ 327$ |
| 5 | 59.60 | $\$ 760$ | $\$ 75$ | $\$ 380$ | $\$ 305$ |
| 6 | 59.60 | $\$ 760$ | $\$ 75$ | $\$ 456$ | $\$ 229$ |

As can be seen, the optimum number of workers to have is 4 . This results in a profit/day of $\$ 327$.
7. The following changes need to be made to the program:

A storage of size 2 needs to be added:
STORAGE S(PAINT), 2
The blocks SEIZE PAINT and RELEASE PAINT now become ENTER PAINT and LEAVE PAINT. The number of workers also needs to be increased in the simulation. The results of the simulation follow.

| Number of Workers | Profit/Shift |
| :---: | :---: |
| 5 | $\$ 461$ |
| 6 | $\$ 564$ |
| 7 | $\$ 659$ |
| 8 | $\$ 738$ |
| 9 | $\$ 749$ |
| 10 | $\$ 688$ |
| 11 | $\$ 615$ |

8. The program to simulate the uniform distribution is:


The changes to the program for using the normal distribution are to replace the GENERATE and ADVANCE blocks with:

GENERATE $\operatorname{RVNORM}(1,5,1)$
and
ADVANCE $\operatorname{RVNORM}(1,4, .7)$
For the exponential distribution, the following are used:
GENERATE RVEXPO $(1,5)$
and
GENERATE RVEXPO $(1,4)$
The results of the simulation are:

| Number | Uniform Dist. | Normal Dist. | Exp. Dist. |
| :--- | :---: | :---: | :---: |
| Arrive/Shift | 95.70 | 95.93 | 95.03 |
| Util. of Worker | 79.80 | 79.97 | 79.67 |
| Average Queue | 0.17 | 0.05 | 2.97 |

## CHAPTER 15 <br> More on Standard Numerical Attributes: Arithmetic in GPSS/H

We have learned that every time a transaction encounters a certain block such as a QUEUE, ENTER, or SEIZE block, certain statistics are gathered and kept for printing out at the end of the program. These are known as standard numerical attributes (SNAs) and can be used by the programmer in other blocks when the program is being run. When the QUEUE, SEIZE, and ENTER blocks were introduced (Chapters 10-12), the various SNAs associated with them were listed, but those SNAs have not been used much to this point. There are, however, many uses for them that will become apparent as more GPSS/H blocks are presented. For example, the length of a queue may be used to determine whether a transaction will enter the queue. A facility is either in use or idle, as denoted by a 1 or a 0 . If a facility is being used, a transaction may be sent to a different block. Another facility might work faster or slower as its utilization increases. We shall learn how to use these SNAs to greatly increase our programming skills.

There are many other SNAs. Appendix B gives a list of the SNAs used in this book. Some have been encountered already without specifically referring to them as such. These are known as "system SNAs."

FRN1 This SNA returns a fractional random number between 0.0 and 1.0. The endpoints 0.0 and 1.0 are excluded.
$\mathrm{Kj} \quad$ In older versions of GPSS, every constant needed to be listed as Kj , where $j$ was the value of the constant. Thus, one would have GENERATE K480, ADVANCE K30,K5. This approach is no longer required, but GPSS/H still supports it.
M1 The SNA M1 is used to track how long a transaction has been in the system. When a transaction enters the system, the transaction is tagged with the time of entry. Whenever M1 is then referenced, the transaction's time of entry is subtracted from the current clock value. M1 is the difference between these two times. Suppose the time of entry was 5040.1234 , and when M1 is referenced, the clock is at 5880.1235. M1 will be 840.0001. M1 is a floating-point number.
$\mathrm{Ni} \quad$ The SNA $N i$ is the total number of transactions that have entered the block with the label $i$.
TG1 The SNA TGI is the current value of the termination counter.
RNj RNj indicates a random number from 0 to 1 . This can also be written as RN(). This SNA was used in defining functions. If it is used in connection with a function, the value returned is from the interval $[0,1$ ) i.e., from 0.000000 to 0.999999 . If used in any other context, the value returned is from 000 to 999.

Wi Wi is the number of transactions currently at the block with the label i. If there are 4 cars in the QUEUE LINE block, Wi=4. This result is exactly the same as that of the SNA Q(LINE). However, most blocks do not have such an SNA, so the Wi must be used.
XID1 Every transaction has a unique ID number. This is given at birth! This SNA is very important when studying animation.

## MATHEMATICAL FUNCTIONS

GPSS/H supports the following mathematical functions. The term "xpr" refers to the expression used with each. In all cases for trigonometric functions, the xpr must be in radians.

| $A B S(x p r)$ | Absolute value. The mode for xpr is retained. |
| :--- | :--- |
| ACOS(xpr) | Arc cosine. |
| ASIN $(x p r)$ | Arc sine. |
| ATAN(xpr) | Arc tangent. |
| COS(xpr) | Cosine of angle. |
| EXP(xpr) | e to the power xpr; xpr is real. |
| FIX(xpr) | Convert xpr to fixed point. |
| FLT(xpr) | Convert xpr to floating point. |
| LOG(xpr) | Natural log of $x p r ; x p r$ is real. |
| $\operatorname{SIN}(x p r)$ | Sine of angle. |
| TAN(xpr) | Tangent of angle. |

## ARITHMETIC EXPRESSIONS IN GPSS/H

It was mentioned in Chapter 5 that SNAs can be used in operands in arithmetic expressions. The following operations are used in GPSS/H:

```
+ unary and binary addition
- unary and binary subtraction
/ division
* multiplication
@ modular division
```

The above operations are all familiar to us with the possible exception of modular division. This is defined as division after which only the remainder is kept. For example, $7 @ 4$ is 3 since the remainder is $3,9 @ 10$ is 9 ( 0 with a remainder 9), etc. Thus, one could have

```
\ [ADVANCE [N (BLOCKA)*Q(FIRST) +Q(LAST)*3.5
```

Since the arithmetic operations in GPSS/H are so similar to those encountered in other programming languages, not much more will be said of them at this time. However, care must be taken to guard against round-off (actually, truncation) error when integer division is used. For example, ADVANCE $5 / 2$ will result in a transaction being placed on the FEC for 2 time units (in integer division, $5 / 2=2$ ), but ADVANCE $5 . / 2$ will place the transaction on the FEC for 2.5 time units. Notice that GPSS/H requires only one of the numbers to be floating point to produce a floating-point result. In the case where two integers are used in division and a floating-point result is desired, the function FLT is used.

The use of SNAs will greatly expand one's ability to build meaningful simulation models. As additional blocks are introduced, it will become even more apparent how useful they are in writing simulation models. Most of the programs from now on will make use of SNAs. Several examples are given next. Some might appear to be quite fanciful, but they illustrate the extreme power and flexibility of the language.

```
OTRUCK \GENERATE D,,,4
\ \ADVANCE [60*N(TRUCK) - 60
```

Four transactions will leave the GENERATE block at time $t=0$. The first is put on the future events chain for a time of $60 *$ N(TRUCK) -60 . The block count when the first transaction has left is 1 . Therefore, the time on the FEC is 0 . The second transaction will be put on the FEC for 60 time units, the third for 120 time units, and the fourth for 180 time units. The effect of this ADVANCE block is to delay the entry of each of the transactions after the first by a period of 60 time units multiplied by N .

| ORAMPA | CSEIze | Ttomay |
| :---: | :---: | :---: |
| $\bigcirc$ | [---- |  |
| 0 | [---- |  |
| 0 | CADVANCE | N(RAMPA)*2 |

Transactions entering the ADVANCE block will be put on the FEC for a time equal to 2 times the number of transactions that have entered the block with the label RAMPA. The preceding ADVANCE block also could have been written
$\checkmark \quad$ IADVANCE $\quad \square F C(T O M M Y) * 2$
because FC(TOMMY) gives the number of times the facility TOMMY has been captured.
$\diamond$ [TERMINATE [W(BLOCKC)
The counter given by the START A statement is decremented by the amount equal to the current block count at the block with the label BLOCKC.
$\bigcirc$ [ADVANCE $\quad[2.5 * A . C 1$
The transaction will be put on the FEC for a time equal to 2.5 times the absolute clock value.
$\diamond$ ПADVANCE ПQA(LINE)
The transaction will be placed on the FEC for a time equal to the integer portion of the average queue content of the queue named LINE.
$\diamond$ [aDVANCE $\quad$ Q (STORE)
A transaction entering the ADVANCE block will be placed on the FEC for a time equal to the length of the queue STORE.

## Example 15.1

Customers arrive at Joe's barbershop every $15 \pm 6.5$ minutes. This distribution is constant throughout the day. If no customers are waiting, Joe will tend to take his time cutting hair. As customers arrive and fill up the shop, Joe will speed up his hair cutting. The time it takes Joe to cut hair is given by the following:

| People in Queue | Time to Give Haircut (minutes) |
| :---: | :---: |
| 0 | 18 |
| 1 | 16 |
| 2 or 3 | 14 |
| 4 or 5 | 13 |
| more than 5 | 12 |

Simulate the operation of Joe's barbershop for 5 straight shifts of 480 minutes each. Determine how busy Joe is for an 8 -hour shift. The program to do the simulation is as follows:

```
O \squareSIMULATE
OTIME \squareFUNCTION [Q(WAIT),D7
0,18/1,16/2,14/3,14/4,13/5,13/6,12
OGGENERATE [15,6.5 SPEOPLE ARRIVE
\ पQUEUE [WAIT पIN WAITING AREA
O TSEIZE SJOEB \ENGAGE JOE FOR HAIRCUT
```

```
\diamond [DEPART [WAIT [lEAVE WAITING AREA
\diamond [ADVANCE \FN(TIME) [CUT HAIR
\diamond \RELEASE \JOEB \FREE THE BARBER
\diamond \TERMINATE
\ [GENERATE [480*5 [SIMULATE FOR 5 SHIFTS
\diamond पTERMINATE \square1 पEND OF SIMULATION
|START \square1
\diamond [PUTPIC [LINES=5,FLT(FR(JOEB))/IO,FC(JOEB)/20,_
    QM(WAIT), QA(WAIT),FT(JOEB)
JOE WAS BUSY ***.**% OF THE TIME
THE NUMBER OF HAIRCUTS/DAY WAS ****.**
THE MAXIMUM NO. OF PEOPLE WAITING WAS ***
THE AVERAGE NUMBER IN THE QUEUE WAS ***.**
AVERAGE TIME FOR A HAIRCUT WAS ****.**
    [END
```

The results of the simulation are

```
JOE WAS BUSY 99.87% OF THE TIME
THE NUMBER OF HAIRCUTS/DAY WAS 31.90
THE MAXIMUM NO. OF PEOPLE WAITING WAS 5
THE AVERAGE NUMBER IN THE QUEUE WAS 2.02
AVERAGE TIME FOR A HAIRCUT WAS 15.03
```

As can be seen, Joe is kept quite busy since his time to give a haircut is often slower than the arrival rate of his customers. The maximum content of the queue was 5 , and the average time to give the haircuts was 15.03 . Notice that the function FLT was used to convert the FC(JOEB) from an integer to a floating point. If this was not done, the result would have been 31.00 and not 31.90 .

## EXERCISES, CHAPTER 15

1. What will the following blocks or statements do?

| $\diamond$ | ¿advance | [Q(FIRST)*Q (SECOND) / 3 | [ 1 (a) |
| :---: | :---: | :---: | :---: |
| $\bigcirc$ | [GENERATE | [10, 2, , , FR ( MACH 1$)$ | [(b) |
| $\checkmark$ | [GENERATE | $[5.1, \ldots, \mathrm{FRN} 1 * 100$ | C(c) |
| $\bigcirc$ DRILL | $\square \mathrm{FUNCTION}$ | \FR (MACH) , D4 | [(d) |
| 250,5/600,8/700,9/1000,12 |  |  |  |
| STOP | CFUNCTION | [N(BLOCKA), L5 | [(e) |
| , 5/,6/,9/,10/,15 |  |  |  |

2. Would the following block compile correctly? What would it do in the program?
$\diamond \quad$ TTRANSFER $\quad \square, Q($ WAIT $)+1$

## SOLUTIONS, CHAPTER 15

1. a. The transaction is placed on the FEC for a time given by the product of the queue length at FIRST times the queue length of SECOND. This product is divided by 3 . The result is truncated to an integer.
b. Transactions are generated every $10 \pm 2$ time units. Each will have a priority given by the fractional utilization in parts per thousand of the facility MACH1.
c. Transactions are generated every $5 \pm 1$ time units. Each is given a priority given from 0 to 99 . (To have priorities from 1 to 100 , the number 1 needs to be added to FRN1*100.)
d. When the function DRILL is called, it will return a value of $5,8,9$, or 12 depending on the fractional utility of the facility MACH.
$e$. The function TOP is a list function and will return either $5,6,9,10$, or 15 depending on the total block count of the block BLOCKA. This is the same function as one with the integer $1,2,3,4$, and 5 in the first position.
2. The block will compile correctly but, if the value of Q(WAIT) was 0 when a transaction arrived, it would be routed to block 1 . This is most probably a GENERATE block, so a run time error will occur.

## The TEST Block

So far transactions have moved through the various systems sequentially from block to block. The only way we had to route them to different blocks was via the TRANSFER block. There are many times in a model when the programmer will want to route a transaction to one block or another depending on some aspect of the system. There also will be times when the programmer will want to keep transactions from moving forward until a specific condition is met. One way to do this is by means of the TEST block.

It is possible to do a test on two SNAs and then route the transaction to one of two blocks depending on the result of the test. Examples of where a TEST block might be used arise frequently during a simulation. Some possible examples where a TEST block might be used are

1. If the queue at a shop is greater than 5 , arriving customers do not enter.
2. After 12 hours of working, a machine is shut down for maintenance for $1 / 2$ hour.
3. At $5: 00$, the barber locks the door on his shop, but customers already in are still served.

GPSS/H can make tests to determine (1) how long the queue is, (2) how long the machine has been in use, and (3) whether it's before or after 5 o'clock. GPSS/H also can perform a test on two SNAs and hold the transaction at the block doing the test until the test is true. Examples of the usefulness of this approach include:

1. A ship cannot enter the harbor until 1 of 2 tugboats is free to guide it into the berth.
2. A part will not move from one machine unless the next machine has been used less than $75 \%$ of the time.
3. If it is between noon and $12: 30$ p.m., no customer can enter a repair facility.
4. Once a machine has finished making 500 parts, it is taken out of service for repairs and maintenance. This downtime lasts for 2 hours. Parts arriving have to wait until the repairs and maintenance are finished.

The use of TEST blocks will greatly expand our programming ability. There are two basic forms of the TEST block, described next.

## THE TEST BLOCK IN REFUSAL MODE

This form of the TEST block is as follows:
$\diamond \quad$ TTEST $\square R \quad \square A, B$
where $R$ is a relational operator that is one of the following:

| Symbol | Meaning |
| :--- | :--- |
| L | less than |
| LE | less than or equal |
| E | equal |
| NE | not equal |
| G | greater than |
| GE | greater than or equal |

The relational operator must be placed 1 space after the operation TEST. A and $B$ are any SNAs to be tested via the relational operator. Some examples of the TEST block are

| $\bigcirc(a)$ | [testae | CQ(TOM) , Q(BILL) |
| :---: | :---: | :---: |
| $\Delta(\mathrm{b})$ | Otestine | [R(DOCK), 4 |
| $O(c)$ | CTESTCL | [FR (MACH) , 400 |
| $\diamond(\mathrm{d})$ | OTESTLG | [W(BACK1), 1 |
| $\Delta(e)$ | CTESTIE | [N(BLOCKA) , N (BLOCKB) |
| $\bigcirc(f)$ | [test[ge | [AC1, 480 |
| $\delta(\mathrm{g})$ | [testIe | [Q (ONE) + $Q$ ( TWO) , 5 |

The way the TEST block works when a transaction enters it is that the first SNA is compared with the second by using the relational operator. If the test is true, the transaction moves to the next sequential block. If the test is false, the transaction must wait in the TEST block until some future time when the test becomes true. In addition, the transaction waits on the CEC. Thus, in (a), the test is "Is the length of the queue named TOM equal to the length of the queue named BILL?" If the answer is yes, the transaction will move to the next block, but if the answer is no, the transaction will remain in the TEST block until such time that the test is true.

In (b), the remaining storage of DOCK must not be equal to 4 before the transaction can move to the next block. Similarly, for (c), the fractional utilization of the facility MACH must be less than 0.400 or the transaction will reside in the TEST block until that condition is attained. In example (d), the transaction will test to see if the current count of the block BACK1 is greater
than 1. Unless the current count is greater than 1, the transaction will not leave the TEST block.

In (e), the transaction will be held until the total block count of the block labeled BLOCKA is equal to the count of the block labeled BLOCKB. In ( $f$ ), the AC1 must be greater than 480 before the transaction can move to the next sequential block. In (g), the sum of the queue contents of queues ONE and TWO must equal 5 before the test is true.

## Example 16.1

This example should be studied to understand how a TEST block in refusal mode can be used. Joe cuts hair in $15 \pm 6$ minutes. Customers arrive every 14 $\pm 8$ minutes. Joe has only one chair for them to wait in, so if a customer arrives to find this taken, he will leave. Of the people who leave, $30 \%$ will be gone for $30 \pm 12$ minutes and then return to see if the waiting-area chair is free. (If the chair in the waiting area is not available this second time, he will again leave; $30 \%$ of the customers who checked back for the second time will, after $30 \pm 12$ minutes, return for a third attempt, etc.). The rest will go elsewhere. Joe works from 8:00 to 5:00 with no time off for lunch. At 5:00, Joe locks the door, but will finish cutting the hair of anyone in his shop. Simulate for a typical day.

## Solution



There are several TEST blocks in the program. The first (TEST L) is used to stop any customer transactions from entering the shop after 5:00. The simulation starts at time $t=0$ and, with 1 minute as the basic time unit, $5: 00$ will be given by time $t=480$. At time $t=480$, no more customers will be allowed in the shop. This block is
$\diamond$ [TESTIL [N(TIME), I
At simulated time $t=480$, a transaction leaves the following block:
OTIME [GENERATE [480
This event makes the block count 1 for the block labeled TIME. The test result of the TEST block is then false, and any transactions that enter it will be held up and not be allowed to proceed. This procedure corresponds to not allowing any customers to enter the shop after 5:00. Note that an alternate block to use would have been
$\bigcirc$ [TESTQL $\quad$ [AC1,480
The second TEST block (TEST E) is the timer transaction segment of the program. At time $t=480$, the timer transaction arrives to shut off the program. This corresponds to 5:00. However, the transaction first enters the TEST block
$\diamond \quad \square T E S T \square E \quad \square N(N D O N E), N($ INSHOP $)$
INSHOP is the label for the ENTER block, which corresponds to a customer entering the shop. N(NDONE) corresponds to the total number of customers who have left the shop. It is the label for the RELEASE JOEB block. Suppose that, at simulated time $t=480$, N(INSHOP) was 33 and N(NDONE) was 31. The effect of the second TEST block would then be to hold the timer transaction until all of the customers in the shop had been given haircuts by Joe.

The output from the simulation is as follows:

```
SIMULATED TIME SHOP WAS OPEN 496.72
NOMBER TO COME TO SHOP }3
JOE WAS BUSY 91.52%
NMMER OF HAIRCUTS 30
NMMBER TO GO AWAY AND NOT TRY TO CONE BACK 2
NUMBER TO GO ANAY AND TRY TO CONE BACK 2
```

Joe was busy $91.52 \%$ of the time. A total of 30 customers were able to enter the shop and receive haircuts. Joe worked until time 496.72 or 16.72 minutes past the normal closing time. The program should be rerun by using a RMULT to see the effect of using different random numbers in the simulation.

Whenever a TEST block in refusal mode is used in a program, great care must be exercised that the transaction does not remain in the block forever if this is not the programmer's desire. There is another caution in using this block that we have not been too concerned with up to this time. Whenever a transaction is in a blocked condition at a TEST block, it remains on the current events chain. Whenever the processor does a rescan, this block must be tested. This constant testing can be quite costly in terms of execution time. In some cases,
there will be ways to avoid using such inefficient blocks. The TEST block is both convenient and easy to understand. However, if it is possible to avoid using it, alternative programming should be used. Some other blocks that might be used in its place will be introduced in Chapter 21. In some cases, however, there is no method available other than the TEST block.

## TEST BLOCK IN NORMAL MODE

The other form of the TEST block has a C operand. The form of it is
$0 \quad \square \operatorname{TEST} \square \mathbb{R} \quad \square A, B, C$
where $C$ is the label of the block to which the transaction is routed if the test is false. Thus,

```
O [TEST\E DQ(TOMMY),Q(SALLY),DOWN
```

will test the length of the queue TOMMY and the queue SALLY. If they are equal, the transaction will go to the next sequential block. If they are unequal, the transaction will go to the block named DOWN. For programmers who are used to the logic of Fortran, the way GPSS/H works for the TEST block is going to seem to be quite the opposite to what one would expect. Thus, great care is required when using this block.

## Example 16.2

In a manufacturing process, parts come to a machine for forming. The interarrival rate is $14 \pm 7.5$ minutes. There are 2 machines available for forming. The first can form in $16 \pm 5.4$ minutes, and the other takes considerably longer: $24 \pm 8$ minutes. In fact, this second machine is in such poor condition that it is not used until the first machine is utilized to its fullest. The faster machine cannot be used more than $85 \%$ of the time, however, or it may overheat. Parts enter the room where both machines are located and are formed on the faster machine until it reaches the $85 \%$ utilization, at which time the slower machine is also used until the utilization is again below $85 \%$. Build a GPSS/H model to represent the system. Simulate for 100 straight shifts of 8 hours ( 480 minutes).

## Solution

| 0 | [SIMULATE |  |
| :---: | :---: | :---: |
| 0 | $\square \mathrm{GENERATE}$ | -14,7.5 |
| $\bigcirc$ | CQueve | WWAIT |
| 0 | CTESTLE | OFR(MACH1), 850, DOWN1 |
| 0 | ]seIze | TMACH1 |
| $\hat{2}$ | [DEPART | DWAIT |
| $\hat{3}$ | CADVANCE | [16, 5.4 |
| DONE1 | Crelease | [MACH1 |
| $\hat{O}$ | [TERMINATE |  |
| ODOWN1 | CSEIZE | ПMACH2 |
| b | CDEPART | [WAIT |
| $\bigcirc$ | [ADVANCE | [124, 8 |
| ODONE2 | [RELEASE | TMACH2 |
| 6 | [TERMINATE |  |

```
\diamond [GENERATE [480*100
0 [TERMINATE [1
OSTART \square1
\ \squarePUTPIC [LINES=6,FR(MACH1)/10.,FR(MACH2)/10.,QM(WAIT),-
    QA(WAIT),N(DONE1)/100.,N(DONE2)/100.
UTIL. OF MACHINE 1 ***.**%
UTIL. OF MACHINE 2 ***.***
MAX. QUEUE ***
AVERAGE QUEUE ***.**
DONE BY MACHINE 1 ***.** (PER SHIFT)
DONE BY MACHINE 2 ***.** (PER SHIFT)
\ \END
```

The results of the simulation are as follows:

```
UTIL. OF MACHINE I 85.01%
UTIL. OF MACHINE 2 45.068
MAX. QUEUE 4
AVERAGE QUEUE 0.60
DONE BY MACHINE 1 25.37 (PER SHIFT)
DONE BY MACHINE 2 9.02 (PER SHIFT)
```

Machine 1 was busy for the maximum allowable time of $85.01 \%$. The reason for the slightly higher percentage is that a transaction can use the machine when the percent utilization is less than $85 \%$, and this additional usage increases the utilization to greater than $85 \%$. The secondary machine was used only $45.06 \%$. The maximum queue was 4 , and the average queue was 0.60 . Machine 1 produced 25.37 units per shift, and machine 2 produced 9.02 units per shift.

## EXERCISES, CHAPTER 16

1. What do the following blocks do?

| $\bigcirc(a)$ | [testle | DQ (WAIT) , 3 |
| :---: | :---: | :---: |
| $\Delta(\mathrm{b})$ | [TESt]NE | Q Q (STOP1)*Q(STOP1), 4 |
| $\theta(c)$ | [test]g | [AC1, 5000 |
| (d) | [TEST]E | [ N (BLOCKA) , N (AWAY) |
| $\nabla(e)$ | [TEST/L | [ $\mathbb{N}$ (BLOCKC) $35, \mathrm{DDDD}$ |
| $\rangle(f)$ | [TEST]GE | -FR(MACH1), 500 |
| $\bigcirc(\mathrm{g})$ | CTESTIE | ]S (TUGS1) , R (TUGS2) , BYBYE |

2. A truck and single shovel system involves the following times:

| Operation | Time (minutes) |
| :--- | :---: |
| load a truck | $2 \pm 0.3$ |
| travel to crusher | $5 \pm 1$ |
| dump into crusher | $1 \pm 0.2$ |
| return to shovel | $4.5 \pm 0.7$ |

The mine currently has 6 trucks working. Only 1 truck can dump at a time. All the loads are ore, and none of the equipment ever breaks down. The mine works for 450 minutes per 480 -minute shift, after which the
drivers bring their trucks to the shovel and then leave for the day. The mine works 3 shifts per day. Simulate for 100 shifts to determine the production.
3. In exercise 2 , suppose that the actual working time is 400 minutes per shift. Determine how this fact changes the production per shift.
4. For the mine in exercise 2 , it is discovered that $20 \%$ of the loads are waste and need to be hauled to a waste area. Travel time there is obtained by sampling from a normal distribution with a mean of 6.5 minutes and a standard deviation of 1 minute. Dumping has no restriction in that a truck can dump as soon as it is at the waste area. Return time to the shovel is obtained by sampling from a normal distribution with a mean of 5.3 minutes and a standard deviation of 1.1 minutes. Determine the production of ore and waste per shift.
5. A car repair shop has room for only 2 vehicles to wait while it repairs other cars. Cars that arrive when the shop is full leave and do not return. There are two repair bays, so there can be as many as 4 cars at the shop. Cars arrive every $30 \pm 12.5$ minutes, and it takes $58 \pm 20$ minutes to repair each car. The shop is open 24 hours a day. Simulate for 500 days to determine how many cars arrive when the shop is full. Suppose that there could be room for another car to wait. Will this additional space result in much of a change in how many cars arrive when the repair shop is full?

## SOLUTIONS, CHAPTER 16

1. a. The transaction is delayed in the TEST block until the length of the queue at WAIT is equal to 3 . Once this is true, it passes to the next sequential block.
b. The transaction is delayed in the TEST block if the product of the queues, STOP1 and STOP2, are equal numbers other then 4 ; else it moves to the next sequential block.
c. The value of the absolute clock, AC 1 , must be greater than 500 before the transaction moves to the next sequential block.
d. The number of transactions that have entered the block with the label BLOCKA is compared to the number that have entered the block with the label BLOCKB. If they are equal, the transaction moves to the next sequential block; else it is routed to the block with the label AWAY.
e. The number of transactions that have entered the block with the label BLOCKC must be less than 35 in order for the transaction to move to the next sequential block; else it is routed to the block with the label DDDD.
f. The fractional utilization of the facility MACH1 must be greater than or equal to 500 before the transaction moves to the next sequential block.
$g$. The storage used as storage TUGS1 must be equal to the remaining storage of the storage TUGS2 in order for the transaction to move to the next sequential block; else the transaction is routed to the block with the label BYBYE.
2. The program to do the simulation is:


The results of the simulation are:
SOLUTION TO EXERCISE 16.2
SHOVEL WAS BUSY 91.188 OF THE TIME
PRODUCTION PER SHIFT IS 204.96 LOADS DUMPED
3. The changed program is:


The results of the simulation are:
SOLUTION TO EXERCISE 16.3
SHOVEL WAS BUSY $91.18 \%$ OF THE TIME
PRODUCTION PER SHIFT IS 182.21 LOADS DUMPED
4. The program to simulate this is:

```
    SIMULATE
    STORAGE S(REPAIR),2
COMEIN GENERATE 30,12.5
    TEST L Q(WAIT),2,AWAY
    QUEUE WAIT
    ENTER REPAIR
    DEPART WAIT
    ADVANCE 58,20
    LEAVE REPAIR
    TERMINATE
AWAY TERMINATE
    GENERATE 480*3*500
    TERMINATE 1
    START 1
    PUTPIC LINES=4,N(COMEIN) ,N(AWAY),SR(REPAIR)/10.
    RESULTS OF SIMULATION....
    NUMBER OF CARS TO COME TO SHOP (500 DAYS) ******
    NUMBER OF CARS TO LEAVE AS SHOP IS FULL *******
    UTIL. OF REPAIR SHOP ******%
        END
```

The results of the simulation are:
RESULTS OF SIMULATION....
NUMBER OF CARS TO COME TO SHOP (500 DAYS) 23997
NUMBER OF CARS TO LEAVE AS SHOP IS FULL 406
UTIL. OF REPAIR SHOP 95.178
Adding another space for a car to wait will change the number of cars that leave to 157 , which is quite significant.

## CHAPTER 17 <br> GPSS/H <br> Supplied Functions


#### Abstract

In Chapter 14, functions were introduced. By using piecewise linear approximations, it is possible to approximate any continuous function. Two functions that are very commonly used in simulations are the Poisson (exponential) distribution and the normal (Gaussian) distribution. These arise in simulation studies of a great many systems. For example, the interarrival rates of telephone calls often is given by the exponential distribution, the times to travel from point A to point B by truck is normally distributed, the time for a ship to return to a port is exponential, the time between storms is exponential, etc. It is assumed that both of these functions are well known to students of simulation. Since these functions are so commonly referred to in simulation studies, they are built into GPSS/H, and sampling from them is quite easy.


## THE POISSON DISTRIBUTION

The Poisson distribution is a one-parameter distribution being completely specified by its mean value. The built-in function to be used in sampling from it is given by
$0 \quad \operatorname{RVEXPO}(s, m)$
where $s$ is an integer that indicates which random-number stream is used and $m$ is the mean of the exponential distribution. Recall that GPSS/H has nearly an infinite number of these streams, but one normally uses only small numbers such as $1,2,3$, etc. (Note: RVEXPO comes from random variate exponential distribution.)

Examples of using the Poisson distribution function are

| $O(a)$ | ПADVANCE | [RVEXPO $(1,12.3)$ |
| :--- | :--- | :--- |
| $\hat{O}(\mathrm{~b})$ | GGENERATE | $\operatorname{RVEXPO}(1,3.4)$ |

In (a), the transaction is placed on the FEC for a time given by sampling from the exponential distribution with a mean of 12.3 . In (b), transactions are generated at times given by sampling from the exponential distribution with a mean of 3.4.

## THE NORMAL DISTRIBUTION

The normal distribution is a two-parameter distribution and is specified by the mean and standard deviation. The GPSS/H built-in function to sample from the normal distribution is given by
$\diamond \quad \square \operatorname{RVNORM}(s, m, a)$
where, again, $s$ is an integer that indicates which random-number stream is used, $m$ is the mean of the normal distribution, and $d$ refers to the standard deviation. RVNORM comes from random variate normal distribution. Examples of using the normal distribution function are
$\nabla(a) \quad \square A D V A N C E \quad \square R V N O R M(1,20,2.3)$
$\diamond(b) \quad \square \operatorname{GeNERATE} \quad[\operatorname{RVNORM}(1,30,5.5)$
In (a), the transaction is placed on the FEC for a time that is obtained by sampling from a normal distribution with a mean of 20 and a standard deviation of 2.3. In (b), transactions are generated according to the normal distribution with a mean of 30 and a standard deviation of 5.5.

GPSS/H samples from a distribution bounded by 44 standard deviations above and below the mean, so, while it is theoretically possible to obtain samples that are negative, such an occurrence is rare.

## THE TRIANGULAR DISTRIBUTION

GPSS/H has another built-in function that represents the triangular distribution. This distribution is one that looks like a triangle with one side on the $x$ axis. The side extends from a minimum value to a maximum value. The most likely value is the mode. A triangular distribution with a minimum value of 10 , a maximum value of 100 , and a mode of 20 will be skewed to the left. A triangular distribution with minimum value of 10 , maximum value of 100 , and a mode of 80 will be skewed to the right. If the mode of this distribution was 55 , the distribution would be symmetrical. To sample from a triangular distribution in GPSS/H, one uses the built-in function
$\diamond \quad$ !RVTRI (s,minimum, mode, maximum)
where again $s$ is an integer that indicates which random-number stream is used. RVTRI comes from random variate triangular distribution. Thus,
$\diamond \quad$ CADVANCE $\quad \operatorname{RVVTRI}(2,0,3,10)$
will sample from the triangular distribution having a minimum value of 0 , a mode of 3 , and a maximum value of 10 .

## OTHER BUILT-IN FUNCTIONS

The other built-in functions are given below. In every case, $s$ is an integer that indicates which random-number stream is used, i.e., $s=1$ implies the use of random-number stream 1 (RN1), etc. Unless specified as an integer, every parameter in the function is real. For the exact definition of the function as well as the meaning of the parameters, see any detailed textbook on statistics.

| Function | Form and Explanation |
| :---: | :---: |
| Beta | RVBETA(s, $\alpha_{1}, \alpha_{2}$ ), where $\alpha_{1}$ is shape parameter $1, \alpha_{2}$ is shape parameter 2 , and $\alpha_{1}$ and $\alpha_{2}>0.0$ |
| Binomial | RVBIN(s,no._of_trials,probability), where no. of trials is an integer $>0$ and probability is in the interval $(0,1.0)$ |
| Discrete Uniform | RVDUNI(s,lower_endpoint,upper_endpoint), where lower and upper endpoints are integers; lower endpoint $\leq$ upper endpoint |
| M-Erlang | RVERL( $s, m, \beta$ ), where $m$ is an integer (the order of the distribution) and $\beta$ is mean value |
| Extreme Value A | RVEVA(s, $\gamma, \beta$ ), where $\gamma$ (Iocation) has no limits and $\beta$ (scale) > 0.0 |
| Gamma | RVGAMA $(s, \alpha, \beta)$, where $\alpha$ (shape) $>0.0$ and $\beta$ (scale) $>0.0$ |
| Geometric | RVGEO(s,probability), where probability is in interval (0.0,1.0) |
| Inverse Gausian | RVIGAU $(s, \alpha, \beta$ ), where $\alpha$ (shape) > 0.0 and $\beta$ (scale) > 0.0 |
| Inverted Weibull | RVIWEIB $(s, \alpha, \beta, \gamma$ ), where $\alpha$ (shape) $>0.0, \beta$ (scale) $>0.0$, and $\gamma$ (location) has no limit |
| Bounded-Johnson | $\operatorname{RVJSB}\left(\mathrm{s}, \alpha_{1}, \alpha_{2}\right)$, where $\alpha_{1}$ has no limit and $\alpha_{2}>0$ |
| Unbounded-Johnson | RVJSB $\left(\mathrm{s}, \alpha_{1}, \alpha_{2}\right)$, where $\alpha_{1}$ has no limit and $\alpha_{2}>0$ |
| Laplace | $\operatorname{RVLAP}(s, \gamma, \beta)$, where $\gamma$ (location) has no limit and $\beta$ (scale) > 0.0 |
| Logistic | RVLGTC(s, $\gamma, \beta$ ), where $\gamma$ (location) has no limit and $\beta$ (scale) > 0.0 |
| Log-Laplace | $\operatorname{RVLLP}(\mathrm{s}, \alpha, \beta)$, where $\alpha$ (shape) $>0.0$ and $\beta$ (scale) $>0.0$ |
| Lognormal | RVLNOR(s,mean,variance), where mean $>0.0$ and variance > 0.0 |
| Negative Binomial | RVNBIN(s,successes,probability), where "successes" is an integer $>0$ and probability is $\rightarrow \infty$ to $<1.0$ |
| Poisson | RVPSSN(s,mean), where mean > 0.0 |
| Pearson Type V | $\operatorname{RVPT5}(\mathrm{s}, \alpha, \beta)$, where $\alpha$ (shape) $>0.0$ and $\beta$ (scale) $>0.0$ |
| Pearson Type VI | RVPT6 $(s, \alpha, \beta)$, where $\alpha$ (shape) $>0.0$ and $\beta$ (scale) $>0.0$ |
| Random Walk | RVRWK (s, $\alpha, \beta$ ), where $\alpha$ (shape) > 0.0 and $\beta$ (scale) $>0.0$ |
| Uniform | RVUNI(s,mean,spread), where mean has no limit; spread has no limit but must be less than or equal to mean |
| Weibull | RVWEIB $(\mathrm{s}, \alpha, \beta)$, where $\alpha$ (shape) $>0.0$ and $\beta$ (scale) $>0.0$ |

## USING EXPONENTIAL AND NORMAL DISTRIBUTIONS OTHER THAN THE BUILT-IN ONES

Before the exponential and normal distributions were built in, one had to sample from a 24 -piecewise linear approximation to them.

The exponential distribution can be put in a form so that given a random sample in the interval $[0,1$ ), a corresponding interarrival time is given by

$$
T_{\text {sample }}=T_{\text {mean }}[(\ln 1) /(1-\mathrm{RN})]
$$

where
$T_{\text {mean }}=$ mean value of distribution
$\mathrm{RN}=$ random number
The 24-piecewise approximation for the distribution $(\ln 1) /(1-\mathrm{RN})$ to be used in sampling from the exponential distribution is as follows:

```
OEYPDIS JFUNCTION DRN1,C24
0,0/._.104/.2,.222/.3,.355/.4,.509/.5,.69/.6,.915/.7,1.2/.75,1.38
.8,1.6/.84,1.83/.88,2.12/.9,2.3/.92,2.52/.94,2.81/.95,2.99/.96,3.2
.97,3.5/.98,3.9/.99,4.6/.995,5.3/.998,6.2/.999,7/.9998,8
```

Normally, one samples from the exponential distribution in either a GENERATE or an ADVANCE block. Some examples of how this can be done are as follows:

| $\diamond(a)$ | $\square$ GENERATE | $\square 100$, FN (EXPDIS) |
| :--- | :--- | :--- |
| $\diamond(b)$ | $\square A D V A N C E$ | $\square 225, F N(E X P D I S)$ |

In (a), a transaction is generated by sampling from the exponential distribution with a mean of 100 . In (b), a transaction is placed on the FEC for a time specified by sampling from the exponential distribution with a mean of 225.

Recall that, when either a GENERATE or ADVANCE block has a function as the $B$ operand, the effect is to multiply the value in the $A$ operand by the value of the function. This is true whenever a function is in the $B$ operand, not only for the exponential distribution. Thus, if you had
$\bigcirc \quad$ [ADVANCE [FN(ONE), FN (TWO)
and the value of $\mathrm{FN}(\mathrm{ONE})$ is 20 and that of $\mathrm{FN}(\mathrm{TWO})$ is 8 , the transaction is put on the FEC for 160 time units, not for a time obtained by sampling from the distribution $20 \pm 8$.

The normal distribution is a two-parameter distribution. These parameters are the mean and standard deviation. A standard normal distribution is one whose mean is 0 and standard deviation is 1 . To sample from such a distribution, one first samples from the standard normal distribution and then converts the result to the nonstandard distribution. This procedure is as follows:

Sample value $=[(s t d \operatorname{dev}) \times($ value from SNP $)]+$ mean
The SNP is the value drawn from the standard normal population. The piecewise continuous function used in sampling from the SNP is

```
OSNORM [FUNCTION [RN1,C25
0,-5/.00003,-4/.00135,-3/.00621,-2.5/.02275,-2
.06681,-1.5/.11507,-1.21/.15865,-1/.21186,-.8/.27425,-.6
.34458,-.4/.42074,-.2/.5,0/.57926,.2/.65542,.4
.72575,.6/.78814,.8/.84134,1/.88493,1.2/.93319,1.5
.97725,2/.99379,2.5/.99865,3/.99997,4/1,5
```

Examples of this are

| $\Delta(a)$ | $\square$ ADVANCE | [3.2*FN (SNORM) |
| :---: | :---: | :---: |
| $\diamond(\mathrm{b})$ | CADVANCE | O10*FN (SNORM) +100 |
| ) | jgenerate | 2.2*F |

In (a), the transaction is placed on the FEC for a time given by sampling from the normal distribution with a mean of 20.7 and a standard deviation of 3.2. In (b), the transaction is placed on the FEC for a time given by sampling from the normal distribution with a mean of 100 and a standard deviation of 10 . In (c), transactions are generated at times obtained from sampling from the normal distribution with a mean of 20.8 and a standard deviation of 2.2.

Notice that the function SNORM, used in sampling from the normal distribution, can return a value as low as -5 . Suppose one had
$\diamond \quad \square$ ADVANCE $\quad \square 2.1 *$ FN $($ SNORM $)+10$
and just such a value was returned. The resulting time is $(-2.1 \times 5)+10$ or -0.5 time units. This result is meaningless as one cannot go back in time, and an execution error would result. It is necessary to guard against such problems by always ensuring that the standard deviation is less than $1 / 5(20 \%)$ of the mean. Alternatively, one can add other GPSS/H code to test for negative times and filter them out.

## EXERCISES, CHAPTER 17

1. A careful study of a widget manufacturing facility showed that each widget is made from start to finish by a single person. This worker takes a raw form and turns it into a widget. After this is done, the worker takes the widget to a single finishing machine where it is polished and boxed for shipment. There are assumed to be an infinite number of raw forms available so that the widget maker always will be able to begin work on a new one as soon as one is done being boxed. The distribution of times for forming a widget is as follows:

| Assembly Time (minutes) | Relative Frequency |
| :---: | :---: |
| 25 | 0.01 |
| 26 | 0.03 |
| 27 | 0.05 |
| 28 | 0.10 |
| 29 | 0.18 |
| 30 | 0.26 |
| 31 | 0.18 |
| 32 | 0.10 |
| 33 | 0.05 |
| 34 | 0.03 |
| 35 | 0.01 |

The distribution of time to finish a widget is as follows:

| Finishing Time (minutes) | Relative Frequency |
| :---: | :---: |
| 6 | 0.05 |
| 7 | 0.25 |
| 8 | 0.40 |
| 9 | 0.25 |
| 10 | 0.05 |

Each widget manufactured earns the company a profit of $\$ 26.25$. The plant has an overhead of $\$ 125$ per day, and each worker earns $\$ 96$ per day. The workers work 8 -hour shifts. For the sake of this exercise, you can assume that the workers work continuously and that there is 1 shift per day. Determine the optimum number of workers to have making widgets.
2. The data for making a widget have been changed. Further careful study by you indicates that the assembly time is normally distributed with a mean of 30 and a standard deviation of $20 \%$. The finishing time is also normally distributed with a mean of 8 and a standard deviation of $20 \%$. Does the optimum number of workers change much?
3. Change the data in exercise 2 to be exponentially distributed with a mean of 30 for assembling and 8 for finishing. How does the answer change as the simulation is run with $4,5,6$, etc., assemblers?
4. A manufacturing system consists of two waiting lines and two servers. Only 4 units can wait at station 1 and 2 at station 2 . If another unit comes along when the waiting space at station 1 is full, it leaves and a penalty is incurred. Arrivals are exponentially distributed with a mean of 0.4 time units. Service times are exponentially distributed at both stations with means of 0.25 and 0.5 , respectively. Model this system to see how efficient it is. Simulate for 5000 time units.
5. Change the station working times in exercise 4 to have means of 0.35 for station 1 and 0.40 for station 2 . Note that their sum is still 0.75 as it was before. Is the system improved?
6. Repeat exercise 4, but now with waiting space for the stations allocated as 3 and 3.
7. Repeat exercise 6, but now with the service times changed as in exercise 2 .
8. Repeat exercises 4 to 7 , but with the interarrival and service times following an M-Erlang distribution with an order of 2. Recall that an M-Erlang distribution is one obtained by a Poisson distribution but with the mean divided by the order. Thus, if one had a Poisson distribution with a mean of 5, an M-Erlang distribution with an order of 4 would be 4 Poisson distributions, each with mean 1.25 ( 5 divided by 4).
9. Most queueing theory problems have no exact solutions. A few, however, do, and these can be studied to compare the simulation solution with the expected result obtained by using a formula. One such example is the exercise presented next.

A car-wash facility has 1 bay to wash cars. The cars arrive with an average interarrival time of 5 minutes. The washing time is 4 minutes. If a car arrives and there is no waiting space, it will leave and not return (or if it does return, it is considered as a "new" car). Determine the behavior of the system for 1,2 , and 3 waiting spaces.
The exact solution for this problem gives as the fractions served:
fraction served $=1-\left(\frac{1-x}{1-x^{m+1}}\right) x^{m}$
where $x$ is the utilization factor, which is the ratio of the mean service time to the mean interarrival time, and $m$ is the number of waiting spaces. Thus, for a single waiting space and $x=4 / 5$ (as given in the setup), the formula gives 0.738 as the theoretical fraction served over an infinite time.
Determine how many simulated time units are needed for the simulation result to approach this number.
10. A particular worker tends to work at a progressively slower rate as the 8hour day goes by. During the first 2 hours, it takes him 12 minutes to perform a service; during the next 2 hours, his average service time is 15 minutes; during the fifth, sixth, and seventh hours, each service takes him an average of 17 minutes; and service started during the eighth hour requires an average of 20 minutes. With a simulated time unit of 0.1 minute, define a discrete function to model this person's service time.
11. Change exercise 10 to a continuous function by assuming the following: at time $t=0$, the service time is 12 ; by the end of the second hour, it is 15 ; at the end of the fourth hour, it is 17; by the end of the seventh hour, it is 20 ; and finally, at the end of the eighth and last hour, it is 21.

## SOLUTIONS, CHAPTER 17

1. The program to do the simulation is:
```
MAKEIT FUNCTION RN1,D10
.01,25/.04,26/.09,27/.19,28/.38,29/.64,30/.82,31/.92,32
.97,33/1,34
    FINISH FUNCTION RN1,D5
.05,6/.3,7/.7,8/.95,9/1,10
    WORKER GENERATE ,,.6
    UPTOP ADVANCE FN(MAKEIT)
            SEIZE FINISH
            ADVANCE FN(FINISH)
            RELEASE FINISH
            TRANSFER ,UPTOP
            GENERATE 480*500
            TERMINATE 1
            START 1
            PUTPIC LINES=4,N(WORKER),FR(FINISH)/10.,FC(FINESH:500.._
                                    26.25*FC(FINISH)/500.-125-N(WORKER)*96
            NUMBER OF WORKERS ****
            UTIL. OF FINISHING MACHINE ******%
            WIDGETS MADE PER SHIFT ******
            PROFIT ******
            END
```

The results of the simulation are:

| NUMBER OF WORKERS | 3 |
| :--- | :---: |
| UTIL. OF FINISHING MACHINE | $62.55 \%$ |
| WIDGETS MADE PER SHIFT | 37.51 |
| PROFIT | 571.81 |
|  |  |
| NUMBER OF WORKERS | 4 |
| UTIL. OF FINISHING MACHINE | $82.20 \%$ |
| WIDGETS MADE PER SHIFT | 49.32 |
| PROFIT | 786.81 |


| NOMBER OF WORKERS | 5 |
| :--- | :---: |
| UTIL. OF FINISHING MACHINE | 97.798 |
| WIDGETS MADE PER SHIFT | 58.64 |
| PROFIT | 934.90 |


| NUMBER OF WORKERS | 6 |
| :--- | :---: |
| UTIL. OF FINISHING MACHINE | $99.99 \%$ |
| WIDGETS MADE PER SHIFT | 60.00 |
| PROFIT | 873.92 |

The optimum number of workers to have is 5 .
2. The changes to the program are minimal. The results of the simulation are summarized:

| Workers | Profit |
| :---: | :---: |
| 3 | $\$ 540.09$ |
| 4 | $\$ 720.08$ |
| 5 | $\$ 848.81$ |
| 6 | $\$ 860.35$ |
| 7 | $\$ 775.59$ |

Now the optimum number of workers to have is 6 .
3. The results of the simulation are:

| Workers | Profit |
| :---: | :---: |
| 3 | $\$ 483.00$ |
| 4 | $\$ 605.79$ |
| 5 | $\$ 684.71$ |
| 6 | $\$ 713.30$ |
| 7 | $\$ 689.12$ |

As can be seen, the number of workers needed remains as 6 , but the profit goes down dramatically.
4. The program to do the simulation is:

```
SIMULATE
COMEIN GENERATE RVEXPO(1,.4)
    TEST L Q(WAIT1),4,AWAY1
    QUEUE WAIT1
    SEIZE SERVE1
    DEPART WAIT1
    ADVANCE RVEXPO(1,.25)
    RELEASE SERVE1
    TEST L Q(WAIT2),1,AWAY2
    QUEUE WAIT2
    SEIZE SERVE2
    DEPART WAIT2
    ADVANCE RVEXPO (1,.5)
    RELEASE SERVE2
    TERMINATE
AWAY1 TERMINATE
AWAY2 TERMINATE
    GENERATE 5000
    TERMINATE 1
    START 1
    PUTPIC LINES=4,N(COMEIN),FR(SERVE1)/10,,QA(WAIT1),_
    FR(SERVE2)/10.,QA(WAIT2),N(AWAY1) ,N(AWAY2)
NUMBER TO ENTER SYSTEM
                                    ***
UTIL. OF SERVER 1 ***.**% AVERAGE NO. IN QUEUE AT SERVER 1 *.**
UTIL. OF SERVER 2 ***.**% AVERAGE NO. IN QUEUE AT SERVER 2 *.**
NO. TO NOT USE FIRST SERVER *** NO. TO NOT USE SECOND SERVER ****
END
```

The results of the simulation are:

```
NUMBER TO ENTER SYSTEM 12405
```

UTIL. OF SERVER 1 59.18\% AVERAGE NO. IN QUEUE AT SERVER 1 0.66
UTIL. OF SERVER 2 73.38\% AVERAGE NO. IN QUEUE AT SERVER 20.40
NO. TO NOT USE FIRST SERVER 451 NO. TO NOT USE SECOND SERVER 4763

The number of parts that could not use either server is: 5214
5. The results from making these changes are:

```
NUMBER TO ENTER SYSTEM 12464
UTIL. OF SERVER 1 78.33% AVERAGE NO. IN QUEUE AT SERVER 1 . }1
UTIL. OF SERVER 2 62.41% AVERAGE NO. IN QUEUE AT SERVER 2 0.29
NO. TO NOT USE FIRST SERVER 1497 NO. TO NOT USE SECOND SERVER 3041
```

The number of parts that could not use either server is: 4538
6. The results from making these changes are:

| NUMBER TO ENTER SYSTEM |  | 12561 |  |
| :--- | :--- | :--- | :--- | :--- | ---: |
| UTIL. OF SERVER 1 | $59.09 \%$ | AVERAGE NO. IN QUEUE AT SERVER 1 | 0.50 |
| UTIL. OF SERVER 2 | $87.46 \%$ | AVERAGE NO. IN QUEUE AT SERVER 2 | 1.52 |
| NO. TO NOT USE FIRST SERVER 847 | NO. TO NOT USE SECOND SERVER 3078 |  |  |

The number of parts that could not use either server is: 3925
7. The results from making these changes are:

NUMBER TO ENTER SYSTEM 12484
UTIL. OF SERVER 1 74.81\% AVERAGE NO. IN QUEUE AT SERVER 1 . 00
UTIL. OF SERVER $274.46 \%$ AVERAGE NO. IN QUEUE AT SERVER 20.95
NO. TO NOT USE FIRST SERVER 1914 NO. TO NOT USE SECOND SERVER 1264
The number of parts that could not use either server is: 3178
8. The number of parts that are unable to use either server for the data in the four examples ( $4,5,6$, and 7 ) are:

| Example | Number to Leave |
| :---: | :---: |
| 4 | 4,649 |
| 5 | 3,749 |
| 6 | 3,292 |
| 7 | 2,386 |

In all cases, the number to leave without using either server is less than when Poisson distributions were assumed. This is because the Erlang distribution tends to cut off the long tail found in the Poisson distribution. Thus, extreme values are not found as much with the Erlang distribution as with the Poisson distribution.
9. The program to do the simulation is easily written. It is:

```
    SIMULATE
    RMULT 123456
ARRIVE GENERATE RVEXPO (1,5)
    TEST L Q(WAIT),1,AWAY
    QUEUE WAIT
    SEIZE WASH
    DEPART WAIT
    ADVANCE RVEXPO(1,4)
    RELEASE WASH
    TERMINATE
AWAY TERMINATE
    GENERATE 480
    TERMINATE 1
    START 1
    PUTPIC LINES=4,N(ARRIVE),N(AWAY),1.-FLT(N(AWAY))/N(ARRIVE),_
    FR(WASH)/10
NUMBER OF CARS TO ARRIVE: ****
NUMBER TO GO AWAY ****
FRACTION SERVED
UTIL. OF CAR WASH
    END
```

The results of the simulation for 480 time units are:

| NUMBER OF CARS TO ARRIVE: | 95 |
| :--- | :---: |
| NMMBER TO GO AWAY | 29 |
| FRACTION SERVED | .695 |
| UTIL. OF CAR WASH | $64.95 \%$ |

Running the program for $10 * 480$ time units yields:

| NUMBER OF CARS TO ARRIVE: | 949 |
| :--- | ---: |
| NUMBER TO GO AWAY | 261 |
| FRACTION SERVED | .725 |
| UTIL. OF CAR WASH | $60.61 \%$ |

Running the program for $100 * 480$ time units yields:
NUMBER OF CARS TO ARRIVE: 9575
NUMBER TO GO AWAY 2548
FRACTION SERVED . 734
UTIL. OF CAR WASH $59.30 \%$
Finally, running the program for $1000 * 480$ time units yields:

| NUMBER OF CARS TO ARRIVE: | 95580 |
| :--- | ---: |
| NUMBER TO GO AWAY | 25191 |
| FRACTION SERVED | .736 |
| UTIL. OF CAR WASH | $59.15 \%$ |

It would appear that running the simulation for 100*480 time units gives a satisfactory result.
10. WORK FUNCTION AC1,D4
$200,12 / 400,15 / 700,17 / 800,20$

WORK FUNCTION AC1, C5
$0,12 / 200,15 / 400,17 / 700,20 / 800,21$
If the simulation runs for more than 800 time units, it is possible to have AC1@800 as the first operand in the FUNCTION statement.

## CHAPTER 18 <br> Parameters, the LOOP Block, and the EQU Statement

## PARAMETERS ATTACHED TO EACH TRANSACTION

As each transaction travels from block to block, it carries with it several things. For example, we already know that transactions can have different levels of priority. In addition, there are other ways to make each transaction different.

Each transaction possesses a set of abstract things known as parameters. These are carried with the transaction as it moves through the simulation and can be modified during the program. The values of these are not normally a part of the output report but can be used during the program by the programmer. Transactions can be viewed conceptually as "stick people," and it may be helpful to think of parameters as "pockets on the pants" of the stick people. Just as you can place items in pants' pockets, you can put numbers (or, less commonly, names) inside each of the pockets to differentiate between the transactions. Each parameter has a number from 1 to 255 . You can give parameter number 12 the value 4, parameter number 7 the value -47 , etc. The transaction will carry these values with it as it moves through the blocks. How you do this will be explained below.

Each transaction can have 4 different kinds of parameters. There can be up to 255 of each, although it is rare that one would use more than a few in a typical program. Parameters are designated by two letters to show the parameter type. The 4 types of parameters in GPSS/H (and their designations in GPSS/H code) are as follows:

1. Halfword parameters ( PH ) may be assigned integer values in the range $-32,768$ to $+32,767$.
2. Fullword parameters (PF) may be assigned integer values in the range $-2,147,483,648\left(=-2^{31}\right)$ to $+2,147,483,647\left(=+2^{31}-1\right)$.
3. Byte-word parameters ( PB ) may be assigned integer values in the range $-128\left(=-2^{7}\right)$ to $+127\left(=+2^{7}-1\right)$.
4. Floating-point (decimal) parameters (PL) may be assigned floating-point values whose maximum (or minimum) size is machine dependent, but can be as large as $10^{308}$ (or as small as $10^{-308}$ ) as far as the GPSS/H processor is concerned.

Parameters can be thought of as a collection of SNAs or values that the transaction owns. The form of a parameter when used as an SNA is the two typeindicating letters followed by a number to indicate which parameter of that type is to be evaluated (recall that GPSS/H evaluates any SNA in a line of code before doing anything else with the line of code). The form of a parameter when used to refer to a specific, previously defined value is a number followed by the parameter type. The values of these parameters are normally numbers, although one also can give them names. For the purposes of this book, the parameters used will have only number values.

As an example of the use of parameters, in the GENERATE block, every transaction initially receives 12 halfword parameters by default. Thus, although we didn't know it, all of our transactions so far had 12 of these halfword parameters. The number of halfword parameters can be increased or decreased, and other types of parameters can be attached to a transaction, in the GENERATE block in operands $F$ through $I$. In the GENERATE block, halfword parameters are defined by $n \mathrm{PH}$, fullword parameters by $n \mathrm{PF}$, byte-word parameters by $n \mathrm{~PB}$, and floating-point parameters by $n \mathrm{PL}$, where the $n$ indicates the number of available parameters of that type. It makes no difference where in operands $F$ through I you indicate the number of each type of parameter, so the following two lines of GPSS/H code are equivalent:
$\bigcirc \quad \square$ GENERATE $\quad \square 100,3, \ldots, 3 \mathrm{Ph}, 4 \mathrm{PF}, 5 \mathrm{~PB}, 6 \mathrm{PL}$
$\bigcirc \quad \square$ GENERATE $\quad \square 100,3, \ldots, 5 \mathrm{~PB}, 6 \mathrm{PL}, 3 \mathrm{PH}, 4 \mathrm{PF}$
Some examples of parameter definitions in GENERATE blocks follow:

| $\diamond(\mathrm{a})$ | $\square \mathrm{GENERATE}$ | $\square 12,2, \ldots, 4 \mathrm{PH}$ |
| :--- | :--- | :--- |
| $\diamond(\mathrm{b})$ | $\square$ GENERATE | $\square, \ldots, \ldots, 12 \mathrm{PF}, 20 \mathrm{PH}$ |
| $\diamond(\mathrm{c})$ | $\square \mathrm{GENERATE}$ | $\square, \ldots, 12,5 \mathrm{PF}$ |
| $\diamond(\mathrm{d})$ | $\square \mathrm{GENERATE}$ | $\square 12,4, \ldots, 0 \mathrm{PH}, 1 \mathrm{PF}$ |
| $\diamond(\mathrm{e})$ | $\square \mathrm{GENERATE}$ | $\square 100,3, \ldots, 3 \mathrm{PH}, 4 \mathrm{PF}, 5 \mathrm{~PB}, 6 \mathrm{PL}$ |
| $\diamond(\mathrm{f})$ | $\square \mathrm{GENERATE}$ | $\square,, 10,1,12 \mathrm{PL}$ |
| $\diamond(\mathrm{g})$ | $\square \mathrm{GENERATE}$ | $\square 100, \ldots, 20 \mathrm{PH}, 50 \mathrm{~PB}$ |

Block (a) generates transactions with 4 halfword parameters. Block (b) generates transactions with 12 fullword parameters and 20 halfword parameters. Block (c) generates transactions with 5 fullword parameters. Block (d) generates transactions with no halfword parameters and 1 fullword parameter. Block (e) generates transactions with 3 halfword parameters, 4 fullword parameters, 5 byte-word transactions, and 6 floating-point transactions. Block (f) generates transactions with 12 floating-point transactions. Block (g) generates transactions with 20 halfword transactions and 50 byte-word transactions.

It is important to remember that, once you specify any parameter types and numbers via the F-I operands of the GENERATE block, you no longer have the 12 halfword parameters by default. Thus,
$\bigcirc$ पGENERATE $\square, \ldots 1,1 P L$
generates a single transaction with only 1 floating-point parameter and no halfword parameters. If, later in the program, you tried to use the following ASSIGN block (this kind of block is described next), an error would result:
$\bigcirc \quad[\mathrm{ASSIGN} \quad \square 1,1, \mathrm{PH}$
Owing to storage constraints, it is best to use halfword or byte-word parameters unless the numbers used as parameter values are beyond the ranges of these parameter types. In addition, although it may not seem obvious, it is preferable to specify that all the transactions in a program have the same number and type of parameters. For example, you may have the main GENERATE block as
$\rangle$ IGENERATE $\quad \square, 1,5,20 \mathrm{PH}$
Later in the program, the timer transaction enters via
$\bigcirc$ ПGENERATE $\square 480 * 100 \quad$ ПTIMER TRANSACTION ARRIVES
It is preferable to have this as

```
\diamond [GENERATE [ \480*100,.,.,20PH \TIMER TRANSACTION ARRIVES
```

even though it is going to be terminated immediately.
Similar to other SNAs such as Qn, FRn, and SCn, parameters that are SNAs (i.e., $\mathrm{PH} n, \mathrm{PFn}, \mathrm{PB} n$, and $\mathrm{PL} n$ ) can be used as operands in other blocks besides the ASSIGN block (described in the next section). For example, consider the following lines of code:

| $\diamond(a)$ | [ADVANCE | [PF4 |
| :---: | :---: | :---: |
| $\diamond(\mathrm{b})$ | Otest]e | $\square \mathrm{PH} 1, \mathrm{PH} 4$, DOWN1 |
| $\bigcirc(\mathrm{c})$ | पqueve | [PH1 |
| $\checkmark(\mathrm{d})$ | [ENTER | [TUGS , PB2 |

In (a), the transaction will be placed on the FEC for a time given by the transaction's fullword parameter 4. In (b), a test is made to see if the first and fourth halfword parameters are equal (TEST E is covered in Chapter 16). If so, the transaction moves sequentially to the next block. It they are not equal, the transaction is routed to the block with the label DOWN1. In (c), the transaction joins the queue given by its first halfword parameter. In (d), the transaction will enter the storage TUGS and use a storage as specified by its second byte-word parameter.

In addition, consider the following:

```
OTIMES \FUNCTION \PH1,D4
1,100/2,125/3,150/4,175
```

Now, when a transaction enters the block
$\diamond \quad$ TADVANCE $\square F N(T I M E S)$
it will be placed on the FEC for a duration of $100,125,150$, or 175 time units depending on the value of its first halfword parameter.

## THEASSIGN BLOCK

Initially-i.e., when a transaction is created in a GENERATE block-the values of all the transaction's parameters are zero. The value(s) of a transaction's parameter(s) can be modified via the immediately following ASSIGN block(s):
$\square \quad \square A S S I G N \quad \square A, B, C$
where operand $A$ is the parameter number, which must be between 1 and 255 or may be any SNA whose value falls in that range; operand $B$ is the value (either given by a number or an SNA) to be assigned to the parameter; and operand $C$ is the parameter type ( $\mathrm{PH}, \mathrm{PF}, \mathrm{PB}$, or PL ) (the parameter type can be omitted for certain cases, but it is not considered good programming to do so in general). For example, if the transaction is given only the 12 halfword parameters by default, as has been the case in preceding chapters in this book, it would be acceptable to omit the parameter type. Thus, when a transaction leaves the block
$\diamond$ \ASSIGN [1,5, PH
the halfword parameter 1 will have the value of 5 . The following code

| $\diamond$ | $\square$ GENERATE | $\square, \ldots 3$ |
| :--- | :--- | :--- |
| $\diamond$ | $\square$ ASSIGN | $\square 2,100, \mathrm{PH}$ |

generates 3 transactions, and the value of their second halfword parameter is set to 100 . The result of

OVALUE DFUNCTION TRN1,D3
. 2, 1/ . 5, 2/1, 3
$\diamond$ [GENERATE $\square, \ldots 1$
$\bigcirc \quad$ पASSIGN $\quad \square 2, F N(V A L U E), P H$
is that the transaction's second halfword parameter will have the value of 1 for $20 \%$ of the time, the value of 2 for $30 \%$ of the time, and the value of 3 for the rest of the time. An example might be a mine in which $20 \%$ of the trucks are type $1,30 \%$ are type 2 , and the remainder are type 3 . Later in the program, these parameters can be used to differentiate the trucks. For example, suppose that the loading rates for the 3 truck types are given by the functions TYPE1, TYPE2, and TYPE3. A simulation of the loading of the fleet of trucks might be given by

```
\LOADIT \FUNCTION \PH2,M3
1,FN(TYPE1)/2,FN(TYPE2)/3,FN(TYPE3)
OLOAD1 \FUNCTION [RN1,C2O
\diamond [-----
OLOAD2 DFUNCTION [RN1,C24
\diamond
    0-----
```

| OLOAD3 | [FUNCTION | [RN2,C25 |
| :--- | :--- | :--- |
| $\diamond$ | $\square-\cdots$ |  |
| $\diamond$ | [---- |  |
| $\diamond$ | [ADVANCE | [FN(LOADIT) |

Since any of the operands of the ASSIGN block can be an SNA, it is possible to have the following:
$\diamond \quad$ ПASSIGN $\quad \mathrm{PHL}, 3, \mathrm{PH}$
In this block, which parameter is going to be assigned the value 3 depends on what value is already in the transaction's halfword parameter 1 (PH1). If PH1 contains a value of 4 , then halfword parameter $4(4 \mathrm{PH})$ will be assigned the value 3 . If PH1 contains a value of 8 , then halfword parameter $8(8 \mathrm{PH})$ will be assigned the value 3 .

The following code containing the SNA N(TIMES) (which tracks the total number of transactions to have entered the ASSIGN block) in the $B$ operand

```
OTimes \generate ],.,5
O [ASSIGN [1,N(TIMES),PH
```

creates 5 transactions. The first will have a 1 assigned to its halfword parameter 1, the second a 2 assigned to its halfword parameter 1, the third a 3, etc. This code pair is a method of generating a series of transactions with a single GENERATE block and giving the transactions sequential numbers in halfword parameter 1. The block
$\bigcirc \quad$ [ASSIGN $\quad \square Q($ WAIT $)+1,1.23$, PL
will assign the value of 1.23 to the floating-point parameter whose number is given by the value of $\mathrm{Q}(\mathrm{WAIT})+1$.

## Glving Parameters Names

As mentioned, it is also possible to designate the parameter by a name instead of a number, as in the following:
$\bigcirc$ ПASSIGN ПTOM,10, PH
Later, when reference to the halfword parameter named TOM is made, it is done as follows:
$\bigcirc \quad$ [ADVANCE $\square \mathrm{PH}(T O M)$
The transaction will be put on the FEC for a time of 10 , since the value assigned to the halfword parameter TOM is 10 . The preference here, however, is to use parameters given by numbers rather than by name.

## The assign Block In Increment or Decrement Mode

You can add to (or subtract from) the value of a parameter by putting a plus (or minus) before the first comma in the operands. The following ASSIGN block will take the value in halfword parameter 4 and add 5 to it:

The following ASSIGN block will subtract 6 from the value in halfword parameter 3:

```
< [ASSIGN \square3-,6, PH
```

The following ASSIGN block will add the length of the queue WAIT to the transaction's first halfword parameter. If the queue length was 4 and the value of PH1 was 12, its new value would be 16.
© ПASSIGN $\square 1+, Q($ WAIT $), \mathrm{PH}$
The following ASSIGN block will add the average waiting time of the nonzero entry transactions for the queue WAIT1 to the transaction's seventh floatingpoint parameter:
$\bigcirc \quad$ [ASSIGN [7+,QX(WAIT1),PL

## Example 18.1

In Chapter 12, we had an example (number 12.4) of a hardware store with shoppers selecting items from each of 4 possible aisles. Each shopper who went through the store took $45 \pm 12$ seconds to check out. Shoppers who went directly to the checkout counter took $20 \pm 8$ seconds. In actual practice, the time to check out is a function of how many items each person has in the shopping cart. Suppose the number of items selected by each person who goes down each aisle is given by the following:

| Aisle | No. of Items Selected |
| :---: | :---: |
| 1 | $3 \pm 2$ |
| 2 | $4 \pm 3$ |
| 3 | $3 \pm 1$ |
| 4 | $5 \pm 4$ |

At the checkout counter, all people select additional items as follows:

| No. of Additional items | Relative Probability |
| :---: | :---: |
| 0 | 0.30 |
| 1 | 0.25 |
| 2 | 0.45 |

Checkout time is 3.5 seconds per item. Shoppers arrive in a Poisson stream with a mean of 82.5 seconds. Simulate for 100 shifts of 8 hours each. Determine the number of carts to have in the store so that a shopper will always be guaranteed of having a cart. How busy is the checkout person? Modify the program written previously to include these changes.

## Solution

| $\bigcirc$ AISLE2 | [FUNCTION | [RN1, C2 | $\square$ SHOPPING IN AISLE 2 |
| :---: | :---: | :---: | :---: |
| 0,1/1, 8 |  |  |  |
| $\checkmark$ AISLE3 | IFUNCTION | [RN1, C2 | [SHOPRING IN AISLE 3 |
| 0,2/1,5 |  |  |  |
| OAISLE4 | DFUNCTION | CRN1, 22 | DShopring in aiste 4 |
| 0,1/1,10 |  |  |  |
| SWAIT | [FUNCTION | TRN1, D3 |  |
| .3,0/.55,1/1,2 |  |  |  |
| $\bigcirc$ | [STORAGE | [ 1 S (CARTS) , 1000 | $\square \mathrm{PROVIDE} 1000$ CARTS |
| 0 | [GENERATE | IRVEXPO (1,82.5) | $\square C U S T O M E R S ~ A R R I V E$ |
| $\bigcirc$ | [TRANSFER | [.12, , COUNTER | [12\% GO TO COUNTER |
| 0 | [ENTER | $\square \mathrm{CARTS}$ | $\square$ REST TAKE A CART |
| $\bigcirc$ | DTRANSFER | -.2, ,AISLE2 | [80\% GO TO AISLE 1 |
| $\bigcirc$ | \ASSIGN | [1, FN(AISLE1) , PH | CSELECT ITEMS IN AISLE 1 |
| $\bigcirc$ | [ADVANCE | -125,70 | [SHOP IN AISLE 1 |
| OAISLE2 | TTRANSFER | [.25, , AISLE3 | -75\% GO TO AISLE 2 |
| $\bigcirc$ | [ASSIGN | $[1+$, FN (AISLE2) , PH | [SELECT ITEMS IN AISLE 2 |
| $\diamond$ | -ADVANCE | [140,40 | $\square$ SHOP IN AISLE 2 |
| $\bigcirc$ AISLE3 | DTRANSFER | [.15, AISLE4 | [85\% GO TO AISLE 3 |
| $\bigcirc$ | [ASSIGN | $\square 1+$ FN(AISLE3) , PH | [SELECT ITEMS IN AISLE 3 |
| $\bigcirc$ | [ADVANCE | [150,65 | [SHOP IN AISLE 3 |
| $\bigcirc$ AISLE4 | [TRANSFER | [.10, CHECK | [90\% GO TO AISLE 3 |
| $\bigcirc$ | [ASSIGN | $\square 1+$ FN(AISLE4) , PH | [SELECT ITEMS IN AISLE 4 |
| $\bigcirc$ | -advance | [175,70 | [SHOP IN AISLE 3 |
| $\bigcirc$ CHECK | DASSIGN | [1+, FN(WAIT) , PH | $\square S E L E C T$ ITEMS AT COUNTER |
| $\checkmark$ | Deueue | [Line | $\square \mathrm{Stand}$ In line |
| 0 | -SEIZE | [CHECKER | [READY TO CHECK OUT |
| 0 | CDEPART | [line | [leave the queue |
| 0 | [ADVANCE | [PH1*3.5 | [CHECK OUT |
| $\bigcirc$ | [RELEASE | [CHECKER | [FREE THE CHECKER |
| $\bigcirc$ | [LEAVE | DCARTS | [GET RID OF CART |
| $\bigcirc$ | [TERMINATE |  | [LEAVE THE STORE |
| $\bigcirc$ COUNTER | CASSIGN | [1, FN(WAIT) , PH | [SELECT ITEMS AT COUNTER |
| $\bigcirc$ | Deueve | [LINE | ISTAND IN LINE |
| $\bigcirc$ | -SEIZE | ПCHECKER | [READY TO CHECK OUT |
| $\bigcirc$ | CDEPART | TuINE | Cleave the queue |
| $\bigcirc$ | CADVANCE | ПPH1*3.5 | [CHECK OUT |
| 0 | [RELEASE | [CHECKER | [FREE THE CHECKER |
| $\bigcirc$ | [TERMINATE |  | [LEAVE THE STORE |
| $\bigcirc$ | -GEnERATE | $\square 3600 * 8 * 100$ | [SIMULATE FOR 20 DAYS |
| $\bigcirc$ | [TERMINATE | [1 | CTIMER TRANSACTION ARRIVES |
| 0 | [START | $\square 1$ |  |
| $\bigcirc$ | IPUTPIC | LLINES $=7, \mathrm{~N}$ (COMEIN) N(COUNTER), FR (CHE QA (LINE) SM (CARTS) | , N(TAKECART), CKER)/10., QM(LINE)_ |
| NUMBER T | to come to | SHOP ** |  |
| NUMBER T | TO USE AISLE |  |  |
| NUMBER T | TO GO DIRECT | TLY TO COUNTER *** |  |
| UTIL. OF | F CHECKER AT | T CHECKOUT | **.**\% |
| MAXIMUM | QUEUE AT CL | HECKOUT | ** |
| AVERAGE | QUEUE AT CL | HECKOUT | *.** |
| MAXIMUM | CARTS IN US | SE AT ONE TIME | ** |
| 0 | Onend |  |  |

The output from the simulation is

| NUMBER TO COME TO SHOP | 34973 |
| :--- | :---: |
| NUMBER TO USE AISLES | 30841 |
| NUMBER TO GO DIRECTLY TO COUNTER | 4132 |
| UTIL. OF CHECKER AT CHECKOUT | $49.94 \%$ |
| MAXIMUM QUEUE AT CHECKOUT | 8 |
| AVERAGE QUEUE AT CHECKOUT | 0.31 |
| MAXIMUM CARTS IN USE AT ONE TIME | 18 |

The results of the simulation show that 34,973 people entered the hardware store. Of these, 30,841 went shopping down the various aisles. The remaining 4,132 went directly to the checkout counter. The checkout person was busy $49.94 \%$ of the time, and the average queue at the checkout was 0.31 . Notice that, even though the average queue length was short, there was at least once a queue length of 8 . The maximum number of carts in use in the shop at one time was 18. It would appear that having 20 carts available would be sufficient to guarantee that no person would come and find them all taken.

## General Form of the Assign Block

There is a more general form of the ASSIGN block that is not used much anymore since the exponential distribution now is built in and is referenced by a single function call. However, the more general form is presented here for the sake of being complete:
$\diamond \quad$ [ASSIGN $\quad \square A, B, C, D$
Operands $A$ and $B$ have their usual meaning. $C$, however, is the name or number of a function. $D$ is the type of parameter that $A$ is. If $C$ is omitted, then $D$ takes its place, and we have the ASSIGN block presented previously. If one used all 4 operands, the effect is as follows:

1. The function as specified by the $C$ operand is evaluated. If the value returned is a decimal, the value is truncated if the parameter is an integer type.
2. This value is then multiplied by the number in the $B$ operand.
3. The result of the multiplication in step 2 is placed in the transaction's parameter as specified by the $A$ operand.

For example,
$\diamond \quad$ ПASSIGN $\quad \square 3,6,5, \mathrm{PH}$
The function defined with the label 5 is evaluated. Suppose the result is 2 . This is multiplied by 6 and the new result-namely, 12-is placed in the transaction's third halfword parameter. In the following block,
$\checkmark$ TASSIGN $\square 1,3$, FIRST, PL
the function FIRST is evaluated. Suppose the number returned is 2.9543 . This is multiplied by 3 . The result, 8.8629 , is placed in the transaction's first float-ing-point parameter. If the ASSIGN block had been
$\bigcirc \quad$ [ASSIGN $\quad \square 1,3$, FIRST, PH
the result returned would have been 8 and not 8.8629 because values are truncated to integers.

Notice the form in the two preceding lines of code. If you had written
万 [ASSIGN $\quad \square 1,3, \operatorname{FN}($ FIRST $), \mathrm{PH}$
a run-time error would probably result unless there happened to be a function with the number (i.e., as a label) given by the value returned by referencing the function FIRST because GPSS/H evaluates the function FIRST before doing the ASSIGN specification. If, for example, FN(FIRST) returns the value 7 , then the function with the label 7 is evaluated. If no such function exists, a run-time error occurs.

In Chapter 14, it was mentioned that the block
$\bigcirc \quad$ IADVANCE $\quad$ IFN(ONE), FN (TWO)
would place the transaction on the FEC for a time of FN(ONE) $\times$ FN(TWO), not for a time given by $\mathrm{FN}(\mathrm{ONE}) \pm \mathrm{FN}(\mathrm{TWO})$. If this latter result is needed, the way to accomplish it is with the following three lines of code:

| 0 | ПASSIGN | $\square 1, \mathrm{FN}(\mathrm{ONE}), \mathrm{PH}$ |
| :--- | :--- | :--- |
| 0 | $\square \mathrm{ASSIGN}$ | $\square 2, \mathrm{FN}(\mathrm{TWO}), \mathrm{PH}$ |
| 0 | $\square A D V A N C E$ | $\square \mathrm{PH} 1, \mathrm{PH} 2$ |

THE LOOP BLOCK
GPSS/H does not have general DO loops as blocks. These are common in other languages such as Fortran and Pascal. In Chapter 23, however, we shall see that it is possible to have DO loops that are used in control statements. These DO loops are very useful in running programs multiple times with selected variables changed.

GPSS/H does have a block that acts similarly to the DO loop, but it is restricted. This block is the LOOP block, and it acts in connection with a transaction's specified parameter. The general form of it is
$\diamond$ [LOOR DA,B
where operand $A$ is a parameter and operand $B$ is the label of the block at the start of the loop. An example of such a block is
$\theta \quad$ [LOOP $\triangle 1 \mathrm{PH}, \mathrm{BACK} 1$
The way the LOOP block works is as follows: The transaction's parameter, as specified in the $A$ operand, is used to control the looping. (Note that the first iteration of the loop has already been done by the time that the transaction reaches the LOOP block.) When the transaction enters the LOOP block, the value given by the $A$ operand is decremented by 1 , and the result is compared with 0 . If the value is 0 , the transaction is routed to the next sequential block. If the value is greater than 0 , the transaction is routed to the block whose
label is given in the $B$ operand of the LOOP block. The destination block is always before the LOOP block. Some examples of LOOP blocks are

| $\diamond(\mathrm{a})$ | $\square \mathrm{LOOP}$ | $\square 3 \mathrm{PH}, \mathrm{BACK} 1$ |
| :--- | :--- | :--- |
| $\diamond(\mathrm{~b})$ | $\square \mathrm{LOOP}$ | $\square \mathrm{PH}, \mathrm{UPTOP}$ |
| $>(\mathrm{c})$ | $\square \mathrm{LOOP}$ | $\square 5 \mathrm{PF}$, OVER |

In (a), suppose that the value of the transaction's third halfword parameter is 6 . Then the looping is done for values of $5,4,3,2$, and 1 . In (b), the transaction's first halfword parameter is used. Suppose its value is 4 , and the value of halfword parameter 4 is 5 . Looping is done for $4,3,2$, and 1 . In (c), the looping depends on the value of the transaction's fullword parameter 5.

Looping is done only by a decrement of 1 and cannot be done by increments. As restrictive as this block may seem, there are many uses for it.

## THE EQU STATEMENT (COMPILER DIRECTIVE)

You can use parameters as operands of other blocks such as the QUEUE and SEIZE blocks. In fact, this is often done. Thus, one could have blocks such as

| $\diamond$ | $\square$ QUEUE | $\square \mathrm{PH} 2$ |
| :--- | :--- | :--- |
| 0 | $\square$ QUEUE | $\square \mathrm{PH} 1+\mathrm{PH} 4$ |
| $\diamond$ | $\square$ SEIZE | $\square \mathrm{PH} 4$ |

Use of such code can greatly compress the number of lines of GPSS/H. For example, suppose that there are 3 types of ships entering a harbor. Type 1 requires 1 tugboat to berth it, type 2 requires 3 tugboats, and type 3 requires 4 tugboats. Rather than have three nearly identical segments of code, you could set each ship type to have a different number in one of its parameters, say halfword parameter 5 . Thus, type 1 ships might have a 1 in halfword parameter 5 , type 2 ships have a 3 , and type 3 ships have a 4 . Then you could use the block
$\Delta$ [ENTER [TUGS, PH5
where TUGS has been defined as the STORAGE to represent the number of tugboats available. In addition, you could have the ships enter separate queues according to ship type by using the block

```
O DQUEUE \PH5
```

If you wanted the ships to be in a global queue, it is tempting to write

| $\diamond$ | DQUEUE | IWAIT |
| :--- | :--- | :--- |
| $\diamond$ | ПQUEUE | ЈPH5 |

Unfortunately, there is a problem. If it is assumed that there are no other queues in the program or that the queue WAIT is the first queue encountered by the compiler, the queue WAIT is assigned to the first queue during compiling. Now, when a type 1 ship enters queue 1, this is not only QUEUE 1 but also QUEUE WAIT. The statistics will be incorrect. One way around this is to have the queue WAIT renamed as, say,

This approach will work, but it is better to use mnemonics that represent names that are more meaningful than just numbers. The EQU compiler directive allows programmers to use names for operands but also to assign them specific numbers. The general form of this statement is
$\triangle L A B E L$ [EQU [A,B
The label is the mnemonic that you want to use. Operand $A$ is the integer number that you want to assign to the entity. Operand $B$ is the family name of the entity. These are

| Entity | Family Name |
| :--- | :--- |
| facility | F |
| function | Z |
| parameter | $\mathrm{PH}, \mathrm{PB}, \mathrm{PF}$, or PL |
| queue | Q |
| random number | RN |
| storage | S |

Some examples of the EQU statement are discussed next.

| $\triangle M A C H 1$ | $\square E Q U$ | $\square 10, F$ | $\square(a)$ |
| :--- | :--- | :--- | :--- |
| $O H A L T$ | $\square E Q U$ | $\square 4, Q$ | $\square(b)$ |

In (a), the facility MACH1 is specified as being the tenth facility. In (b), the queue HALT is specified as being the fourth queue.

| SWAIT | -EQU | [7, Q | $\square(\mathrm{c})$ |
| :---: | :---: | :---: | :---: |

In (c), the queue WAIT is specified as being the seventh queue of all of the possible queues GPSS/H has. Example 18.2 uses a similar statement, but there is a caveat. In a program, if you had

| 0 | ПQUEUE | ПWAIT |
| :--- | :--- | :--- |
| 0 | ПQUEUE | ПPH1 |

and PH1 was between 1 and 6 , there would be no problem in having the queue WAIT specified as queue 7 , but if PH1 could be 7 or more, then a runtime error could arise.

Finally, in the following code, both queue HALT and facility HALT are designated as the tenth queue and tenth facility, respectively.

| OHALT | ПEQU | ПIO, Q,F |
| :--- | :--- | :--- |
| $\diamond$ | $\square-$ |  |
| $\rangle$ | $\square----$ |  |
| $\rangle$ | ПQUEUE | ПHALT |
| $\rangle$ | ПSEIZE | ПHALT |

## Example 18.2

Three types of ships use a harbor: type 1 , type 2 , and type 3 . Ships of type 1 and type 2 enter the harbor and are guided into a dock by either 1 or 2 tugboats. Type 1 ships need one tugboat and type 2 ships require two tugboats.

Type 3 ships require three tugboats. When the ships leave the docks, type 1 and type 2 ships sail to another port and eventually return in a closed circuit or cycle. Type 3 ships enter the harbor every $14 \pm 7$ hours and then leave for good. The number of ships of type 1 and of type 2 and the unloading and reloading times for all ships in the harbor are as follows:

| Ship Type | Number | Time in Dock (hours) | Time to Cycle (hours) |
| :---: | :---: | :---: | :---: |
| 1 | 12 | $24 \pm 6.6$ | $180 \pm 25$ |
| 2 | 14 | $28 \pm 8.6$ | $206 \pm 27$ |
| 3 | - | $27 \pm 7.7$ | - |

When a ship enters the harbor, it must wait until a berth is free. There are 3 berths available. There are 3 tugboats available. When a berth is free, and there are ships waiting in a queue, the captain of the first ship in the queue checks to see if enough tugboats are available. If so, the tugboat takes 1 hour to dock the ship. After unloading and reloading, the captain of the ship again checks to see if enough tugboats are available. If so, it takes 0.15 hours for the tugboat to move the ship far enough away to free the berth. It then takes $1 \pm$ 0.2 hours to complete unberthing and free the tug(s).

Write a GPSS/H model to simulate the harbor facility. When the ship transactions are put into the system, have them spaced out by 24 hours each, and have the ships of type 1 and type 2 enter the system via their respective ADVANCE blocks so that they are initially at the beginning of their circuit sailing away from the harbor. Form separate queues for each type of ship as well as a global queue. The program is to have all the ships in the main segment rather than to have 3 separate segments. Simulate for 2 years of 365 days, 24 hours per day, of operation.

## Solution

| $\bigcirc$ | ISIMULATE |  |  |
| :---: | :---: | :---: | :---: |
| $\bigcirc$ | CSTORAGE | TS (DOCK) , 3/S (TUGS | $\square \mathrm{PROVIDE} \mathrm{BERTHS}$, |
| OWHICH | DFUNCTION | $\square \mathrm{PH} 1$, D3 |  |
| 1,FIRST/2, SECOND/3,THIRD |  |  |  |
| $\triangle$ WEIT | CEQU | $\square 10 . Q$ | DDEFINE WAIT AS QUEUE NO. 10 |
| $\bigcirc$ SHIPA | [GENERATE | $\square, ~, 12,1 \mathrm{PH}, 2 \mathrm{PL}$ | [PROVIDE TYPE 1 SHIPS |
| $\bigcirc$ | DASSIGN | $\square 1,1, \mathrm{PH}$ | [NUMBER THEM 1 |
| $\bigcirc$ | [ASSIGN | [1, 24, PL | CMEAN UNLOAD \& LOAD TIME |
| $\bigcirc$ | [ASSIGN | $\square 2,6.6, \mathrm{PL}$ | CSPREAD |
| $\theta$ | CADVANCE | [N(SHIPA)*24 | [SPACE OUT THE SHIPS |
| $\bigcirc$ | OTRANSFER | [.FIRST | $\square$ SEND TO SEA |
| OSHIPB | [GENERATE | $\square, 14,1 \mathrm{PH}, 2 \mathrm{PL}$ | [PPROVIDE TYPE 2 SHIPS |
| $\bigcirc$ | $\square A S S I G N$ | $\square 1,2, \mathrm{PH}$ | CNUMBER THEM 2 |
| 0 | [ASSIGN | [] $1,28, \mathrm{PL}$ | CMEAN UNLOAD \& LOAD TIME |
| $\bigcirc$ | $\square A S S I G N$ | $\square 1,8.6, \mathrm{PL}$ | DSPREAD |
| 0 | CADVANCE | $\square \mathbb{N}$ (SHIPB)*24 | ISPACE OUT THE SHIPS |
| $\bigcirc$ | CTRANSFER | []. SECOND | CSEND TO SEA |
| 0 | JGENERATE | [114, 7 , , , , 1PH, 2PL | DTYPE 3 SHIPS ARRIVE |
| $\bigcirc$ | CASSIGN | $\square 1,3, \mathrm{PH}$ | CNUMBER THEM 3 |
| 0 | $\square A S S I G N$ | O1, 27, PL | [MEAN UNLOAD \& LOAD TIME |
| $\bigcirc$ | DASSIGN | $\square 1,7.7, \mathrm{PL}$ | CSPREAD |




The program should be carefully studied. Notice the use of the EQU compiler directive:
$\triangle$ WAIT ПEQU $\quad \square 10.0$
This statement sets the queue WAIT equal to the tenth queue in the program. If this directive had not been given, then when a type 1 ship transaction entered the block

- $\quad$ QUUEUE $\quad$ PHH
it also would have been entering the queue WAIT. The output from the program is as follows:

| NUMBER OF DOCKS WAS | 3 |
| :---: | :---: |
| NUMBER OF TUGBOATS WAS | 3 |
| AVERAGE NUMBER OF SHIPS IN GLOBAL QUEUE | 1.37 |
| AVERAGE NO. TYPE 1 SHIPS IN QUEUE | 0.36 |
| AVERAGE NO. TYPE 2 SHIPS IN QUEUE | 0.47 |
| AVERAGE NO. TYPE 3 SHIPS IN QUEUE | 0.54 |
| UTILIZATION OF DOCK | 92.018 |
| UTILIZATION OF TUGBOATS | 28.28\% |
| ====================================================* |  |
|  |  |
| NUMBER OF DOCRS WAS | 3 |
| NMMER OF TUGBOATS WAS | 4 |
| AVERAGE NUMBER OF SHIPS IN GLOBAL QUEUE | 1.20 |
| AVERAGE NO. TYPE 1 SHIPS IN QUEUE | 0.30 |
| AVERAGE NO. TYPE 2 SHIPS IN QUEUE | 0.42 |
| AVERAGE NO. TYPE 3 SHIPS IN QUEUE | 0.48 |
| UTILIZATION OF DOCK | 90.668 |
| UTILIEATION OF TUGBOATS | $21.14 \%$ |
| ============ |  |
|  |  |
| NUMBER OF DOCKS WAS | 4 |
| NUMBER OF TUGBOATS WAS | 3 |
| AVERAGE NJMPER OF SHIPS IN GLOBAL QUEUE | 0.28 |
| AVERAGE NO. TYPE 1 SHIPS IN QUEUE | 0.08 |
| AVERAGE NO. TYPE 2 SHIPS IN QUEUE | 0.11 |
| AVERAGE NO. TYPE 3 SHIPS IN QUEUE | 0.10 |
| UTILIZATION OF DOCK | 68.967 |
| UTILIZATION OF TUGBOATS | 28.40\% |

The results of the program indicate that, with 3 docks and 3 tugs, the docks are used $92.01 \%$ of the time and the tugboats are busy $28.28 \%$ of the time. The average number of ships waiting in the global queue is 1.37 . When another tugboat is added, the changes are minor: the docks are still busy more than $90 \%$, namely, $90.66 \%$ and the tugboats are busy $21.14 \%$. The average queue of all the ships is 1.20 . When another dock is added, the changes are quite dramatic: the docks are now used only $68.96 \%$ of the time and the tugboats are busy $28.40 \%$ of the time, but the average global queue is reduced to .28 ships.

## EXERCISES, CHAPTER 18

1. A transaction has values 1 and 2 in halfword parameters 1 and 2 , respectively.
```
\diamondFIRST \FUNCTION \PH1,D2
1,6/2,10
OSECOND [FUNCTION \PH2,D2
1,2/2,3
```

State what will happen when the transaction enters each of the following blocks:

| $\bigcirc(a)$ | TADVANCE | \PH1*60 |
| :---: | :---: | :---: |
| $\bigcirc(b)$ | [advance | [FN(FIRST) *FN(SECOND) |
| $\bigcirc(c)$ | CQueve | [PH2 |
| $\bigcirc(d)$ | CENTER | TTUGS, PH1 |
| $\bigcirc(e)$ | Cleave | ]SHIP, PH1*PH2 |
| $\rangle(\mathrm{f})$ | [ADVANCE | $\square \mathrm{FN}$ (FIRST) , PH2 |
| $\bigcirc(g)$ | CADVANCE | $\square 10$, FN(FIRST) |

Also state the effect of each of the following three blocks:

| $\diamond(\mathrm{h})$ | $\square \mathrm{ASSIGN}$ | $\square 3, \mathrm{PH} 1, \mathrm{PH}$ |
| :--- | :--- | :--- |
| $\diamond$ | $\square$ ASSIGN | $\square 4, \mathrm{PH} 2, \mathrm{PH}$ |
| $\theta$ | $\square$ ADVANCE | $\square \mathrm{PH} 3 * \mathrm{PH} 4$ |
|  |  |  |
| $\diamond(\mathrm{i})$ | $\square \mathrm{ASSIGN}$ | $\square 3, \mathrm{PH} 1, \mathrm{PH}$ |
| $\diamond$ | $\square$ ASSIGN | $\square 4, \mathrm{PH} 2, \mathrm{PH}$ |
| $\diamond$ | $\square$ ADVANCE | $\square \mathrm{PH} 4, \mathrm{PH} 3$ |

2. Assume that the following entities hold the following values at a particular time in a program:

| Entity | Value |
| :--- | :---: |
| F(MACH1) | 1 |
| Q(WAIT1) | 2 |
| Q(WAIT2) | 3 |
| FR(MACH1) | 578 |
| S(TUGS) | 5 |
| SC(TUGS) | 123 |
| R(TUGS) | 2 |

A transaction has the value of its first 6 halfword parameters as follows. All other parameter values are 0 .

| Halfword Parameter Number | Value |
| :---: | :---: |
| 1 | 3 |
| 2 | -1 |
| 3 | -2 |
| 4 | 5 |
| 5 | 4 |
| 6 | 6 |

State what happens if the transaction were to enter each of the following independent blocks:

| $\Delta(a)$ | [ASSIGN | [4, F (MACH1) , PH |
| :---: | :---: | :---: |
| $\nabla(\mathrm{b})$ | [ASSIGN | [4+, F (MACH1) , PH |
| $\theta(c)$ | [ASSIGN | [PH4, F (MACH1), PH |
| $\diamond(\mathrm{d})$ | DASSIGN | [PH4-, F (MACH1), PH |
| $\Delta(e)$ | $\square A S S I G N$ | [1, PH1*PH5, PH |
| $\bigcirc(f)$ | -ASSIGN | -1-, PH1*PH5, PH |
| $\bigcirc(\mathrm{g})$ | $\square A S S I G N$ | [ Q ( WAIT1) , PH3, PH |
| $\Delta(\mathrm{h})$ | [ASSIGN | [PPH5, FR (MACH1)/S (TUGS), PH |
| $\bigcirc(\mathrm{i})$ | [ASSIGN | $\square 1, \mathrm{Q}$ (WAIT1) + Q (WAIT2) , PH |
| ه(j) | [ASSIGN | [IS (TUGS), SC (TUGS), PH |
| $\bigcirc(\mathrm{k})$ | [ASSIGN | [S(TUGS) -PH1, PH6, PH |
| $\bigcirc(1)$ | [ASSIGN | OPH5 +, SC (TUGS) -F (MACH1) , PH |

3. A construction job is using 1 shovel and 10 trucks- 6 of type 1 and 4 of type 2 . The shovel can load only 1 truck at a time. Each truck is loaded in $1.2 \pm 0.5$ minutes. Both types of trucks then travel to a junction in the same time, namely, a time given by the normal distribution with a mean of 5 minutes and a standard deviation of 0.75 minutes. At the junction, trucks of type 1 travel to a dump area in $2 \pm 1.2$ minutes. Type 2 trucks travel to a different dump area in $2.5 \pm 0.8$ minutes. Both types of trucks take $1 \pm 0.2$ minutes to dump. Type 1 trucks return to the shovel in $5.5 \pm$ 2 minutes, and type 2 trucks return to the shovel in $3.5 \pm 1.2$ minutes. Simulate for 100 continuous shifts of 480 minutes each. You are to use the same ADVANCE blocks for both truck types.
4. Consider the following code:

| 0 | ПGENERATE | $\square,, 1$ |
| :--- | :--- | :--- |
| $\rangle$ | ПASSIGN | $\square 1,5, \mathrm{PH}$ |
| $\rangle$ | ПASSIGN | $\square 5,2, \mathrm{PH}$ |
| $\diamond$ BACK | $\square$ ISSIGN | $\square 2+, \mathrm{PH} 1, \mathrm{PH}$ |
| 0 | $\square$ LOOP | $\square 1 \mathrm{PH}, \mathrm{BACK}$ |
| $\rangle$ | $\square$ TERMINATE $\square 1$ |  |
| 0 | $\square S T A R T$ | $\square 1$ |

What will be the value of the transaction's second parameter at the end of the program?
5. Suppose that the LOOP block was LOOP PH1,BACK in exercise 4. What would the value of the transaction's second parameter be at the end of the program?

## SOLUTIONS, CHAPTER 18

1. a. It will be put on the FEC for 60 time units.
b. It will be put on the FEC for 18 time units.
c. It will enter queue number 2.
d. It will use 1 of the storages TUGS.
e. It will free 2 of the storages, SHIP.
f. It will be placed on the FEC for a time of $6 \pm 2$.
g. It will be placed on the FEC for a time of $10^{\star} 1$ time units, NOT $10 \pm 1$.
h. The effect of the 3 blocks is to place the transaction on the FEC for 2 time units.
i. The transaction will be placed on the FEC for $2 \pm 1$ time units.
2. a. Halfword parameter 4 has the value 1 .
b. Halfword parameter 4 has the value 6 .
c. Halfword parameter 5 has the value 1 .
d. Halfword parameter 5 has the value 4.
e. Halfword parameter 1 has the value 12.
f. Halfword parameter 1 has the value -9 .
g. Halfword parameter 2 has the value -2 .
h. Halfword parameter 4 has the value 115. (integer division)
i. Halfword parameter 1 has the value 5 .
j. Halfword parameter 5 has the value 123.
k. Halfword parameter 2 has the value 6.
3. Halfword parameter 4 has the value 122.
4. The program to do the simulation is as follows:

|  | SI |  |
| :---: | :---: | :---: |
| TODUMP | FUNCTION | PH1, M2 |
| 1, FN (ONE) /2, FN(TWO) |  |  |
| ONE | FUNCTION | RN1, C2 |
| 0,.8/1,3.2 |  |  |
| Two | FUNCTION | RN1, C2 |
| 0,1.7/1,3.3 |  |  |
| TOSHOVE | FUNCTION | PH1, M2 |
| 1, FN (THREE) /2, FN (FOUR) |  |  |
| THREE | FUNCTION | RN1, C2 |
| 0,3.5/1,7.5 |  |  |
| FOUR | FUNCTION | RN1, C2 |
| 0,2.3/1,4.7 |  |  |
|  | GENERATE | , , , 6 |
|  | ASSIGN | 1,1, PH |
|  | TRANSFER | , DDDD |
|  | GENERATE | , , 4 |
|  | ASSIGN | 1,2, PH |
| DDDD | QUEUE | WAIT |
|  | SEIZE | SHOVEL |
|  | DEPART | WAIT |

```
    ADVANCE 1.2,.5
    RELEASE SHOVEL
    ADVANCE RVNORM(1,5,.75)
    ADVANCE FN(TODUMP)
    ADVANCE 1..2
    ADVANCE FN(TOSHOVEL)
    TRANSFER ,DDDD
    GENERATE 480*100
    TERMINATE 1
    START 1
    PUTPIC LINES=3,FC(SHOVEL)/100.,FR(SHOVEL)/10
    RESULT OF SIMULATION.....
TRUCKS LOADED PER SHIFT ***.** UTIL. OF SHOVEL ***.**%
    END
```

The results of the simulation are:
result of simulation.....

TRUCKS LOADED PER SHIFT 321.36 UTIL. OF SHOVEL $80.52 \%$
4. The value of the second parameter will be 15 .
5. The value of the second parameter will be 15 . This value is not obtained in the same manner as in Exercise 14.4 but is the result of adding $5+5+5$. In Exercise 14.5 the value of 15 was obtained from adding $5+4+3+2+1$.

## CHAPTER 19

## Tables in GPSS/H

It is possible in GPSS/H to make tables of any SNA values. A table might be the length of a queue, the value of a parameter, the percentage of time a machine is working, etc. Often, the time a transaction has been in the system is tabulated or how long it took to go from one point in the program to another point is of interest. GPSS/H makes these tables in the form of histograms. For example, in studying people entering a hardware store and using the shopping carts, the simulation might give the maximum number of carts in use as 14. The mean number of carts in use at any time might be 4.5. It would be instructive to see how often 14 carts were in use as well as the distribution of the usage of the carts during the simulation. These data can be easily acquired via GPSS/H programs.

In making up the tables, GPSS/H also computes the sample mean of the data, the sample distribution, the number of samples that fall into each of the ranges, and the percentage of values in the sample that fall into each of the ranges in the series. The computations are done automatically.

Recall that a histogram has intervals that record the number of times a variable falls within each interval. Since a person doing a simulation often is concerned with tabulating data, GPSS/H provides a very simple method of doing this. In fact, to make a histogram for any SNA takes only 2 lines of code! One of these is a block and the other a statement.

To record data in a table requires the defining of a statement called the TABLE statement. Its general form is
$\bigcirc L A B E L$ TTABLE $\square A, B, C, D, E$
where operand $A$ is an SNA, operand $B$ is the starting data point, operand $C$ is the interval width (for all but the starting and ending intervals), operand $D$ is
the number of intervals, and operand $E$ gives the time span to be used (if any). GPSS/H will count the intervals you specify in the following way:

1. The first interval will be from $-\infty$ to the value specified by the $B$ operand.
2. The succeeding $D-1$ intervals (where $D$ refers to the $D$ operand) will each be of the width specified by the $C$ operand.
3. The last or $D$ th interval will be from the value obtained by using the $B, C$, and $D$ operands to $+\infty$.

In general, therefore, the beginning interval and ending intervals are the regions from $-\infty$ to the first data point of the histogram as specified in the $B$ operand and from the last data point of the histogram to $+\infty$. These two "extra" intervals, which are included in the interval count indicated by the D operand, are important to keep in mind when you are using the TABLE statement. For example,
$\triangle M Y T A B \quad\lceil T A B L E \quad C Q(F I R S T), 0,3,4$
would have 4 intervals as follows: $-\infty$ to 0,0 to 3,3 to 6 , and 6 to $+\infty$. Some other examples of the TABLE statement are

| $\triangle$ FIRST | ПTABLE | $\square S($ CARTS $), 0,1,20$ |
| :--- | :--- | :--- |
| $\triangle M A R K 1$ | $\square T A B L E$ | $\square Q($ WAIT $), 0,1,15$ |
| $\diamond$ NEXT | $\square T A B L E$ | $\square F R($ MACH 1$), 0,50,22$ |

The table FIRST will record the amount of storage used in the storage CARTS and put the values in a table with intervals from 0 to 18 . The interval widths will be 1 . The first interval will be from $-\infty$ to 0 (even though there will never be an entry here), the second from 0 to 1 , etc., and the last interval (i.e., the twentieth) from 18 to $+\infty$.

The table MARK1 will give the distribution of the number of people who were in the QUEUE called WAIT. The table will have 15 intervals, which include the interval from $-\infty$ to 0 and the interval from 13 to $+\infty$.

The table NEXT gives the utilization of the facility called MACH1. The table will go from 0 to 50,50 to 100,100 to 150 , etc. (not counting the end intervals). The class interval of 50 was chosen because the utilization is given in parts per thousand.

## the tabulate block

To make an entry in a table, you use the TABULATE block:
$\bigcirc$ ¿TABULATE DA
where the operand $A$ is the label of the appropriate TABLE statement. Every time a transaction enters this block, an entry in made in the TABLE that has the label given as operand $A$ in the TABULATE block. Thus, the combination of a TABLE statement and a TABULATE block such as

| $\triangle$ PEOPLE | CTable | [Q (WAIT) , 0, 1, 10 |
| :---: | :---: | :---: |
| $\bigcirc$ | [---- | 0----- |
| $\bigcirc$ | ----- | [----- |
| $\bigcirc$ | [tabulate | [PEOPLE |

would make a table (histogram) of the people in the queue named WAIT.
To illustrate what a table from a program looks like, consider the program to study people using a single facility. People arrive every $12 \pm 4$ minutes. The service time is $11 \pm 7$ minutes. If the server is busy, people wait in a queue until the server is free. The program to simulate for 50 days of 480 minutes per day and to obtain a table of times for people who had to wait for service is as follows:

| $\bigcirc$ | [SIMULATE |  |
| :---: | :---: | :---: |
| $\bigcirc$ InQue | [TABLE | [QX(WAIT) , 0, 1,20 |
| $\bigcirc$ | [GENERATE | [12, 4 |
| 0 | DQueve | [WAIT |
| 0 | -SEIzE | [MACH1 |
| $\bigcirc$ | [TABULATE | OInQue |
| $\bigcirc$ | [DEPART | [WAIT |
| 0 | [advance | [11, 7 |
| 0 | CRELEASE | [MACH1 |
| 0 | [TERMINATE |  |
| $\bigcirc$ | [GENERATE | [480*50 |
| 0 | OTERMINATE | [1 |
| 0 | -Start | [1 |
| $\bigcirc$ | $\square \mathrm{END}$ |  |

The block entry count and the table from the output are as follows:


| 4.0000 | 1.0000 | 0.05 | 0.60 | 99.40 | 0.3823 | -4.8566 |
| ---: | ---: | ---: | ---: | ---: | ---: | ---: |
| 5.0000 | 4.0000 | 0.20 | 0.80 | 99.20 | 0.4779 | -4.1051 |
| 6.0000 | 50.0000 | 2.50 | 3.30 | 96.70 | 0.5735 | -3.3536 |
| 7.0000 | 16.0000 | 0.80 | 4.11 | 95.89 | 0.6691 | -2.6021 |
| 8.0000 | 9.0000 | 0.45 | 4.56 | 95.44 | 0.7646 | -1.8506 |
| 9.0000 | 3.0000 | 0.15 | 4.71 | 95.29 | 0.8602 | -1.0991 |
| 10.0000 | 268.0000 | 13.42 | 18.13 | 81.87 | 0.9558 | -0.3476 |
| 11.0000 | 857.0000 | 44.42 | 62.54 | 37.46 | 1.0514 | 0.4039 |
| 12.000 | 717.0000 | 35.90 | 98.45 | 1.55 | 1.1469 | 1.1553 |
| 13.0000 | 30.0000 | 1.50 | 99.95 | 0.05 | 1.2425 | 1.9068 |
| 14.0000 | 1.0000 | 0.05 | 100.00 | 0.00 | 1.3381 | 2.6583 |

As shown in TABLE INQUE, there were 1997 entries. The output stops at the upper limit of 14.0000 as there were no entries beyond this. GPSS/H does not give output if there are no entries. Thus, the $D$ operand of the TABLE statement could have been any number greater than 14 , and the same output results would be produced, for this example.

There is nothing else to do to make tables of SNAs. This ability to make tables of any SNA so easily and rapidly is often hard for people to believe the first time they are introduced to it.

## SNAS ASSOCIATED WITH TABLES

There are several SNAs associated with tables. These are as follows:
TB(LABEL) or TBj Sample mean. For the previous table, labeled INQUE, this is 10.4626, as shown.

TC(LABEL) or TCj Number of observations (= entries). This SNA's value is 1977 for the table INQUE.

TD(LABEL) TDj Standard deviation. For the table INQUE, this value is 1.3307.

## THE SNA M1

An SNA that is quite useful when constructing tables-first introduced in Chapter 15-is M1; it gives the time a transaction has been in the system. Whenever a transaction is created, it is marked with the time it enters the system (by using the absolute clock!). At any later time in the simulation, when the SNA M1 is referred to, the compiler takes the time of the absolute clock and subtracts the transaction's entry time from it. This procedure gives the time that the transaction has been in the system; i.e., M1. For example, a transaction entered the system at time 404.56; when the absolute clock reads 625.77, the transaction's M1 is 231.21. Consider the following lines of code:


The table TIMES will give the tabulation of times that the transactions are in the system from the time they entered up to the time that they encounter the block TABULATE TIMES. The times will be in intervals of 25 , and there will be 30 such intervals.

Suppose you want a tabulation of times for the transaction to go from point A to point $B$ in a system. It is first necessary to make a record of the absolute clock time when the transaction arrives at point A by making a record of the absolute clock value in a parameter of the transaction. Which parameter this value is to be stored in must be specified by using the MARK block. The general form of the block is
$\bigcirc$ TMARK ILA
where the $A$ operand is the number of the chosen parameter followed by its type $(\mathrm{PH}, \mathrm{PE}, \mathrm{PL}, 9 \mathrm{~PB}$, e. $\mathrm{g}, 4 \mathrm{PH}$. Note that the parameter as used in this block is not an SNA. Also note that the form MARK (number of parameter) $\$$ (parameter type) will also work. Thus, the following will work but is not used in this book:
$\diamond \quad$ MMARK $\quad$ [5\$PL
When a transaction leaves the MARK block, the effect is to put the absolute clock time in the transaction's parameter specified by the number in the $A$ operand. Since the absolute clock value is a real number, if the parameter number does not refer to a floating-point parameter, the value is truncated to an integer. When this happens, a message such as the following appears:
"IN STATEMENT 9 - WARNING 393 - Clock valve (floating point) will be truncated to an integer value."

Thus, if the absolute clock was at 1234.567 and you had:
$\bigcirc \quad[\mathrm{MARK} \quad \square 4 \mathrm{PH}$
then halfword parameter 4 would have the value of 1234 . Such truncation is normally not desired and, so, when using this block, it is recommended that floating-point parameters be used to avoid truncation error. For example, you could have

| $\hat{0}$ | ПGENERATE | $\square,,, 1,, 5 \mathrm{PL}$ |
| :--- | :--- | :--- |
| $\hat{0}$ | $\square-\cdots-\cdots$ | $\square \cdots-\cdots$ |
| $\hat{0}$ | $\square$ MARK | $\square 5 \mathrm{PL}$ |

If you had omitted the PL in the MARK block, you would get an error message. Don't forget that, since you are now specifying in the GENERATE block that the transaction has 5 floating-point parameters, it does not have any halfword parameter.

In order to tabulate the time it takes for a transaction to go from point A to point $B$, the SNA that is used in the $A$ operand of the TABLE statement in conjunction with the MARK block is MPxn, where M refers to time (as in the SNA M1), Px indicates the parameter type ( $x=\mathrm{H}, \mathrm{B}, \mathrm{F}$, or L ), and $n$ is the parameter number (the parameter type and number must match the usage in the associated MARK block; see Appendix B for more information). In the TABLE statement, the effect of this SNA is to subtract its value from the current absolute clock value. Referring to the same example, if the clock value
was now 2344.777, the value of MPL4 would be 1110.21. Examples of this SNA are as follows:


The preceding code will give 3 tables of the simulated times it takes the transactions to travel from the 3 MARK blocks to the 3 TABULATE blocks in the program.

## ADDITIONAL TABLES

There are several tables described next that GPSS/H can make for you with only a minor change to the program.

## IA Mode Table

Whenever a GENERATE block is used, the distribution of interarrival times is required as data. Often, the interarrival (IA) times at points interior to a model are required. For example, at a particular point in a model, whenever a transaction arrives, a record is made of the arrival time, say, 456.78 time units. At a later time, say, 666.99 time units, a second transaction arrives at the same point. The interarrival time is then determined as $666.99-456.78$ or 210.21 .

The interarrival time can be tabulated by the following lines of code, for example,


The SNA IA in the TABLE statement must be operand $A$.

## RT Mode Table

Closely related to the IA mode is the rate (RT) of the arrivals at a point, for example, the arrivals per 10 seconds, the arrivals per minute, etc. A table showing arrival rates is constructed as follows:

Notice that there is an $E$ operand in the TABLE statement. Recall that, in a TABLE statement, the $E$ operand gives the time span to be used. In the above example, the table will give arrivals per 10 time units. To make an entry in the table, the following block is used in conjunction with the TABLE statement labeled SECOND:

```
O \TABULATE \SECOND
```


## QTABLE Mode

The average residence time in a queue is often required. The average time is given in the ordinary output. The QTABLE gives the table of average times in the queue. Amazingly enough, this table requires only a single line of code:
$\triangle$ LABEL ПQTABLE $\square A, B, C, D$
where operand $A$ is a queue label and operands $B, C$, and $D$ are the same as in the TABLE statement. For example, in the code

OLINE1 Cletable Jwait. 0,600,20
whenever a transaction leaves the queue WAIT, an entry is made in the QTABLE labeled LINE1; the entry is the time that the transaction spent in the queue.

## EXERCISES, CHAPTER 19

1. At stage $A$, parts enter a system every $15 \pm 6$ seconds. They join a queue before the first machine, which can work on only 1 part at a time. The process takes $13 \pm 7$ seconds. The parts then move to stages B, C, and D before leaving the system. However, after stage D, $10 \%$ of the parts go back for complete reworking and must go through the system again. Determine (a) the average time for the parts to go completely through the system, (b) the average time for the parts to go from A to C , (c) the average time for the parts to go from A to D, and (d) the average time for the parts to go from B to finish.
2. Shoppers enter a small grocery store in a Poisson stream with a mean of 75 seconds. Each takes a shopping cart. Each person will purchase from 0 to 25 items, uniformly distributed. It takes 3.2 seconds per item at the checkout counter, and there is only 1 checkout clerk. The shop is open 10 hours each day. Determine a histogram of the number of carts in use for a 20-day period.
3. At a repair shop there are 3 bays to repair trucks. There are 3 types of trucks that come for repairs: type 1, type 2, and type 3. The percentage of each that arrives are $35 \%$ for type 1, $40 \%$ for type 2 , and $25 \%$ for type 3 . A truck arrives every $16 \pm 6$ minutes for repairs. There are two types of repairs: normal and long. The time to repair the trucks if the service type is normal is

|  | Time in Minutes (normal distribution) |  |
| :---: | :---: | :---: |
| Type | Mean | Standard Deviation |
| 1 | 30 | 6.0 |
| 2 | 35 | 5.5 |
| 3 | 50 | 8.4 |

Of the total trucks that come for repairs, $20 \%$ require a longer time to finish. The repair time for all three types of these trucks is the same, $80 \pm 30$ minutes. However, the long-repair-time trucks are given a lower priority than trucks requiring normal service. Determine how long each truck is in the repair shop.

## SOLUTIONS, CHAPTER 19

1. The program to do the simulation is given below:

|  | SImulate |  |
| :---: | :---: | :---: |
|  | Storage | S (MACHB) , 2/S (MACHD) , 3 |
| TOTTIME | table | M1, 10, 5, 30 |
| timatoc | table | MP1PL, 10, 5,30 |
| timatod | TABLE | MP2PL, 10, 5,30 |
| timbTOX | TABLE | MP3PL, 10, 5, 30 |
|  | GEnvRate | 15,6, , , 10PL |
| BACK | MARK | 1 PL |
|  | MARK | 2PL |
|  | QUEUE | WAITA |
|  | SEIZE | MACHA |
|  | DEPART | WAITA |
|  | ADVANCE | 13,7 |
|  | RELEASE | MACHA |
|  | MARK | 3PL |
|  | QUEUE | WAITB |
|  | ENTER | MACHB |
|  | DEPART | WAITB |
|  | ADVANCE | 26,8 |
|  | LEAVE | MACHB |
|  | tabulate | TIMATOC |
|  | QUEUE | WAITC |
|  | SEIZE | MACHC |
|  | DEPART | WAITC |
|  | ADVANCE | 12,8 |
|  | RELEASE | MACHC |
|  | tabulate | TIMATOD |
|  | QUEUE | MACHD |
|  | ENTER | MACHD |
|  | DEPART | MACHD |
|  | ADVANCE | 40,12 |
|  | LEAVE | MACHD |
|  | TRANSFER | . 10, , BACK |
|  | tabulate | TOTTIME |
|  | tabulate | TIMBTOX |
|  | TERMINATE |  |

```
    GENERATE 3600*8,.,.,10PL
    TERMINATE 1
    START 1
    PUTPIC LINES=4,TB(TIMATOC),TB (TIMAPOD),TB(TIMBTOX),_
    TB(TOTTIME)
TIME FROM A TO C *****.**
TIME FROM A TO D *****.**
TIME FROM B TO FINISH ********
TIME IN SYSTEM *****.**
    END
```

The result of the simulation is:

| TIME FROM A TO C | 262.96 |
| :--- | ---: |
| TIME FROM A TO D | 89.63 |
| TIME FROM B TO FINISH | 110.94 |
| TIME IN SYSTEM | 195.46 |

2. The program to do the simulation is as follows:
```
            SIMULATE
    STORAGE S(CARTS),1000
ITEMS FUNCTION RN1,C2
0,0/1,26
    CARTSIN TABLE S(CARTS),1,1,20
    GENERATE RVEXPO(1,75)
    ENTER CARTS
    ADVANCE 300,300
    ASSIGN 1,FN(ITEMS), PH
    QUEUE WAIT
    SEIZE CHECKER
    DEPART WAIT
    ADVANCE 3.2*PH1
    RELEASE CHECKER
    TABULATE CARTSIN
    LEAVE CARTS
    TERMINATE
    GENERATE 3600*10*20
    TERMINATE 1
    START 1
    PUTPIC LINES=3,SM(CARTS),IB(CARTSIN),FR(CHECKER)/10.
    MAXIMUM NUMBER OF CARTS USED ****
    AVERAGE NUMBER OF CARTS IN USE *******
    UTIL. OF CHECKER ***.**%
            END
```

The results of the simulation are:

| MAXIMUM NJMBER OF CARTS USED | 15 |
| :--- | :---: |
| AVERAGE NUMBER OF CARTS IN USE | 5.99 |
| UTIL. OF CHECKER | $54.17 \%$ |

3. The program to do the simulation is as follows:

|  | SIMULATE |  |
| :--- | :--- | :--- |
|  | STORAGE | S\{BAYS $\} .3$ |
| TYPE | FUNCTION | RN1,D3 |
| $.35,1 / .75,2 / 1,3$ |  |  |

. $35,1 / .75,2 / 1.3$

```
WHICH FUNCTION PH1,M4
1,RVNORM(1,30,6)/2,RVNORM(1,35,5.5)/3,RVNORM(1,50,8.4)/4,FN(BIGFIX)
    BIGFIX FUNCTION RN1,C2
0,50/1,110
    TIMEIN TABLE M1,10,5,30
    COMEIN GENERATE 16,6,,1
    ASSIGN 1,FN(TYPE),PH
    TRANSFER . 20,,MAJOR
    BACKUP QUEUE WAIT
            ENTER BAYS
            DEPART WAIT
            ADVANCE FN(WHICH)
            LEAVE BAYS
            TABULATE TIMEIN
            TERMINATE
MAJOR PRIORITY O
            ASSIGN 1,4,PH
            TRANSFER ,BACKUP
            GENERATE 480*100
            TERMINATE 1
            START 1
            PUTPIC LINES=3,N(COMEIN),SR(BAYS)/10.,TB(TIMEIN)
    NUMBER OF TRUCKS TO COME FOR SERVICE (100) SHIFTS ****
    UTIL. OF THE SERVICE BAYS ***.**%
    AVERAGE TIME IN THE SYSTEM FOR ALL TRUCKS
                        END
The results of the simulation are as follows:
\begin{tabular}{ll} 
NUMBER OF TRUCKS TO COME FOR SERVICE (100) SHIFTS 2972 \\
UTIL. OF THE SERVICE BAYS & \(93.18 \%\) \\
AVERAGE TIME IN THE SYSTEM FOR ALL TRUCKS & 59.84
\end{tabular}
```


## CHAPTER 20 <br> Savevalues

Up to this point, all of the SNAs we have used were supplied by one of the blocks or were internal to GPSS/H. Often the programmer will want to have his or her own user-supplied SNAs. Parameters have been used to store various numbers, but these are not printed out after a program is run. There are two ways to provide such user-supplied SNAs. The original way will be presented here; the other in Chapter 23. Although the methods have a lot in common, there are several significant differences.

GPSS/H provides for user-defined SNAs and calls them savevalues (values that are "saved"). These values are printed out in the output report, except for zero values. GPSS/H has 4 different types of savevalues:

1. Halfword savevalues are integers in the range $-32,768$ to $+32,767$. Their family name is XH .
2. Fullword savevalues are integers in the range $-2^{31}(=-2,147,483,648)$ to $+2^{31}-1(=+2,147,483,647)$. Their family name is XF. A fullword savevalue is referenced in this book by XF (name) if a name is used or XF $n$, where $n$ is a number, if a number is used.
3. Byte-word savevalues are integers in the range -128 to +127 . Their family name is XB.
4. Floating-point savevalues are decimal values whose family name is XL . Their size depends on the computer, but can be as large (or small) as $10^{-308}$ to $10^{308}$.

To reference a savevalue, it is necessary to do so by using the family name with parentheses around the user-supplied name. Thus,

```
O [ADVANCE [XF(SPEED)
\ [GENERATE \XL(AVG),XL(SPREAD)
O [QUEUE [XH(WAIT)
() [ASSIGN [1,XL(FIRST),PL
O [SEIZE \XB(MACH1)
\ TRELEASE \XH2
```

are all examples of using savevalues as operands of various blocks.
If the second letter in the family name is omitted, the GPSS/H processor assumes that the savevalue is a fullword savevalue (such omission is not recommended, however). For example,
$\bigcirc \quad \square A S S I G N \quad \square 1, \mathrm{XF}(T \mathrm{TEST}), \mathrm{PH}$
and
$\bigcirc \quad \square A S S I G N \quad \square 1, X(T E S T), P H$
are the same. In both cases, the value of the savevalue TEST will be given to the transaction's first halfword parameter. In this book, however, the exact type of the savevalue will be fully specified; thus, reference to savevalues as X (TEST) will not be done.

An old way of referencing savevalues that still works in GPSS/H is to use the dollar sign (\$). Thus, XL\$NUMB and XL(NUMB) are the same. The dollar sign method of referencing savevalues will not be used here as it is a holdover from the original versions of GPSS.

## THE SAVEVALUE BLOCK

All savevalues are initially 0 . (How to give them initial values different from 0 will be considered in the section on the INITIAL statement at the end of this chapter.) During the running of a program, it is often desired to change their values. This is done by the SAVEVALUE block. Its general form is
$\triangle \operatorname{OLABEL} \square$ SAVEVALUE $\square A, B, C$
where operand $A$ is the name the programmer chooses for the savevalue; the name can be a "word" (must start with a letter and be no longer than 8 characters), a number, or any SNA. Operand $B$ is the value to be assigned to the savevalue and can be a number or an SNA. Operand $C$ is the family name of the savevalue ( $\mathrm{XH}, \mathrm{XF}, \mathrm{XB}$, or XL ). If operand $C$ is omitted, the savevalue is a fullword savevalue by default. The label for this block is omitted unless the block is cross-referenced.

Some examples of the SAVEVAL.UE block are

| $\bigcirc(a)$ | [\|SAVEVALUE [JIM, 2, xF |
| :---: | :---: |
| $\diamond(b)$ | [SAVEVALUE TTOMMY, -100, XH |
| $O$ (c) | [SAVEVALUE [JANE, $32, \mathrm{xF}$ |
| $\bigcirc(d)$ | [SAVEVALUE [1, 4, xF |
| $O(e)$ | ISAVEVALUE [ANNA, 25.63, XL |
| $\bigcirc(f)$ | [SAVEVALUE \NEXT, 25/2, XL |
| $\bigcirc(\mathrm{g})$ | [SAVEVALUE ]OTHER, 25.0/2, XL |
| $\theta(\mathrm{h})$ | [SAVEVALUE $\square$ PH4, 12, XH |

In (a), the fullword savevalue JIM is set equal to 2 . In (b), the halfword savevalue TOMMY is set equal to -100. In (c), the fullword savevalue JANE is set equal to 32 . In (d), the fullword savevalue 1 is set equal to 4 . In (e), the floating-point savevalue ANNA is set equal to 25.63. In (f), the value of NEXT
is set equal to 12.0000 . It is not 12.5000 because division is integer division unless specified by using at least one floating-point number in the operand list. In (g), the division is floating-point division because of the decimal point in the 25.0 value (GPSS/H converts the 2 to a floating-point number). Here the value of OTHER is 12.5000 . (There are 4 decimal places because this is the format that GPSS/H prints out for savevalues, not because this is the number of digits actually stored). In (h), it is not known what halfword savevalue will have the value of 12 . This assignment will depend on the number stored in the transaction's fourth halfword parameter. If that number is 5 , then savevalue 5 will have the value 12 .

The use of a number for the name of a variable may seem confusing since, in other languages, variable names normally must be alphanumeric and must start with a letter. For example, in Fortran, one might have statements defining variables such as $\mathrm{JIM}=2, \mathrm{TOMMY}=-100.0$, and $\mathrm{JANE}=32$. These 3 Fortran statements have the same effect as the first 3 examples ( $a-c$ ) of the SAVEVALUE block. Corresponding Fortran statements for examples (e), (f), and $(\mathrm{g})$ might be ANNA $=25.63$, NEXT $=25 / 2$, and OTHER $=25.5$. But there is no equivalent Fortran statement for example (d), i.e., in Fortran you cannot say $1=4$.

The use of numbers for names of savevalues will be avoided in this book wherever possible. (However, there are times when this feature is very handy, especially when using a parameter for the first operand of the savevalue.) For example, consider the SAVEVALUE
) $\quad$ SAVEVALUE $\square \mathrm{PH} 1$, 3, PH
Here the savevalue to be given the value of 3 will depend on the transaction's first halfword parameter. If it happened to be 4 , then the savevalue 4 is given the value 3 . Referencing values by means of another number may seem strange, but there are times when this feature is very useful. This technique is possible because the equals sign ( $=$ ) in computer programming does not mean "the left-side value is equal to the right-side value" but, rather, means "the old value is replaced by the new value."

## THE FIX AND FLT MODE CONVERSION

Suppose you want to have the value of savevalue FIRST be equal to $Q$ (ONE) plus Q(TWO), the sum of which is divided by Q(THREE), and you want an exact floating-point result. It would not be correct to write
$\rangle \quad \square$ SAVEVALUE [FIRST: $(Q(O N E)+Q(T W O)) / Q(T H R E E) X L$
Since the length of a queue $(\mathrm{Q})$ is an integer, the quotient will represent integer division. In order to have floating-point division, one could write the following:

```
\ TSAVEVALUE \JUNK1,Q(ONE) +Q (TWO), XL
}) \squareSAVEVALUE TJUNK2,Q(THREE),XL
\ \SAVEVALUE \FIRST,XL (JUNK1)/XL (JUNK2),XL
```

This code is a bit awkward. GPSS/H offers two mode-conversion operatorsFIX and FLT-to convert to fixed-point (integer) or floating-point mode. They work identically to the mode converters found in other languages, such as Fortran, where the corresponding mode converters are IFIX and FLOAT. In GPSS/H, one might have

```
FLT(Q(ONE))
```

FIX (XL(TEST))
$\operatorname{FLT}(\mathrm{FC}(\mathrm{MACHA}))$

Thus, one could have written the desired savevalue as

```
\diamond \SAVEVALUE \FIRST, (Q(ONE) +Q(TWO))/FLT(Q(THREE)),XL
```

Notice that it was not necessary to convert all 3 fixed-point queue values.
Savevalues can be used in increment or decrement mode, just as the ASSIGN block was used. Thus,

```
\diamond(a) \SAVEVALUE \LOAD+,25,XF
\diamond(b) \SAVEVALUE \COST-,XF (PRICE),XF
O(c) \SAVEVALUE \PILE+,FN(TRUCK),XF
O(d) पSAVEVALUE \PH1+,PH2,XF
O(e) \squareSAVEVALUE [NEXT+,FN(LAST) +FN(FIRST),XL
\diamond(f) \SAVEVALUE ПTOM-,Q(ONE)/3,XL
O(g) \SAVEVALUE [TOM-,Q(ONE)/3.0,XL
```

In (a), the savevalue LOAD is incremented by 25 . In (b), the savevalue COST is decremented by whatever the savevalue PRICE is. In (c), the savevalue PILE is incremented by reference to the function TRUCK. In (d), the savevalue specified by the transaction's first halfword parameter is incremented by the value in its second halfword parameter. In (e), the value of the savevalue is given by reference to the sum of the functions LAST and FIRST; this sum is added to the current value of the savevalue NEXT. In ( $f$ ), the savevalue TOM is decremented by the length of the queue ONE divided by 3 (integer division!). In (g), the savevalue TOM is decremented by the length of the queue ONE divided by 3.0 (floating-point division). In the first 4 examples, the savevalues are fullword savevalues. In the other 3 , the savevalues are floating point. In another language, such as Fortran, corresponding statements might be

```
LOAD = LOAD + 25
COST = COST - PRICE
PILE = PILE + F(TRUCK)
X(1) = X(1) + X(2)
NEXT = NEXT + F(LAST) + F(FIRST)
TOM = TOM - QONE/3
TOM = TOM - QONE/3.0
```

A common error in programming is to omit the family name $\mathrm{XH}, \mathrm{XF}, \mathrm{XB}$, or XL with the savevalue in parentheses when referencing it. If the family name is omitted, the value of the savevalue is taken to be 0 no matter what it actually is. This type of error is most insidious as it can be extremely hard to detect and no run-time error takes place. Thus, if you had intended to write
but instead wrote:
$\diamond$ [TTEST[E [VALUE, 1, AWAY
The test would always be false. There would be no run-time error.

## the initial statement

As has been indicated, the values of all savevalues are set equal to 0 by the processor when a program begins. Often, however, a programmer wants savevalues to be initially set to nonzero values. This is done with the INITIAL statement. The general form of the INITIAL statement is
$\diamond$ Пinitial $\square A, B, C, D, \ldots$
where each operand (as many as necessary) contains a pair of items: Item 1 is the family name of the savevalue followed by the specific name of the savevalue in parentheses or just the number of the savevalue without parentheses; item 2 is the value to be assigned to the specific savevalue. The two parts of each operand are separated by a comma (no space), and the various operands are separated by slashes ( $/$ ).

For students who have studied Fortran, the INITIAL statement in GPSS/H is analogous to the DATA statement. An example of the INITIAL statement is
$\bigcirc$ DINITIAL [XF(FIRST), 100/XH(TEST), -340/XF1, 10000
An alternate way (a holdover from the early days of GPSS) to write the above is with dollar signs:

- [INITIAL [XF\$FIRST,100/XH\$TEST, - $340 / \mathrm{XF} 1,10000$

A shorthand form can be used for multiple initialization, as follows:

```
\ [INITIAL [XH1-XH10,3/XH(PLACE),125/XL(TOWN),1234.5432
```

This statement sets the halfword savevalues 1 through 10 equal to 3 . The half word savevalue PLACE is set equal to 125 , and the floating-point savevalue TOWN is set equal to 1234.5432 .

## effect of reset and clear on savevalues

A RESET statement does not affect the savevalues, but a CLEAR statement sets all savevalues to 0 . If the program is to be rerun with the original initialized (i.e., nonzero) values, there are two things that can be done: (1) Reinitialize all the values with a new INITIAL statement (or statements) or (2) use a form of the CLEAR statement called the selective CLEAR. The selective CLEAR is simply the CLEAR statement followed by a list of savevalues that are not to be set to zero. The general form of the selective CLEAR statement is

```
O \CLEAR [A,B,C,D,..
```

where each operand (as many as necessary) is a savevalue that must retain its value in the succeeding simulation. Thus,
$\diamond \quad$ ICLEAR $\quad$ XXH $(\mathrm{TOM}), \mathrm{XF}(\mathrm{JOHN}), \mathrm{XH}(\mathrm{PLACE}), \mathrm{XF} 7$
will clear all the savevalues in the program except for TOM, JOHN, PLACE, and 7.

## Example 20.1

A common problem in inventory control is known as the "newspaper boy's problem," which concerns a newsboy who sells his papers on the street corner, as opposed to one who delivers papers from house to house. The demand for newspapers is uncertain each day but, by building up past records, the newsboy can determine a probability distribution of expected sales. The newsboy must go in the morning to the main newspaper office and purchase papers. If he does not have enough to sell (demand greater than supply), he must buy papers from a newsstand. These cost him more than if he were able to purchase them himself at the newspaper office in the morning, but he still makes a profit by doing so. If he has too many, the main office will purchase back his unsold stock for a token amount. Suppose that the following data held:

| cost per paper: | $\$ 0.36$ |
| :--- | ---: |
| selling price: | 0.55 |
| cost per paper later in the day: | 0.45 |
| refund per unsold paper: | 0.15 |

The expected sales are given by the following data from past sales of newspapers:

| No. of Papers Sold | Relative Probability |
| :---: | :---: |
| 50 | 0.05 |
| 55 | 0.08 |
| 60 | 0.14 |
| 65 | 0.20 |
| 70 | 0.15 |
| 75 | 0.13 |
| 80 | 0.10 |
| 85 | 0.08 |
| 90 | 0.05 |
| 95 | 0.02 |

Determine the number of papers the newsboy should obtain each day from the main office to maximize his expected profit each day. Simulate for 200 days of sales. Use supply amounts from 50 to 95 in increments of 5 . Use the PUTPIC statement to print out only the number of papers supplied and the resulting expected profit each day. Use a LOOP block to run the program several times.

## Solution

The program to do the simulation is as follows:


From the output of the program, the following table was constructed:

| No. of Papers to Stock | Expected Profit (cents) |
| :---: | :---: |
| 50 | 1142 |
| 55 | 1180 |
| 60 | 1210 |
| 65 | $1222^{*}$ |
| 70 | 1207 |
| 75 | 1176 |
| 80 | 1127 |
| 85 | 1067 |
| 90 | 1000 |
| 95 | 929 |

As can be seen from the asterisk in the table, the number of papers to stock each day is 65 . This will result in an expected profit per day of $\$ 12.22$.

## EXERCISES, CHAPTER 20

1. Determine the value of the savevalue for each of the following. All savevalues were initially 0 . Assume the following values:
$\mathrm{Q}(\mathrm{ONE})$ is 1
$F$ (MACH) is 0
PH 1 is 3
S (TUGS) is 4
$\bigcirc(a) \quad$ SSAVEVALUE $\quad$ JJOE, $\mathrm{PH} 1+\mathrm{F}(\mathrm{MACH}), \mathrm{XH}$
$\diamond(\mathrm{b}) \quad$ [SAVEVALUE ПJIM-,S (TUGS), XF
$\bigcirc(c) \square S A V E V A L U E$ DPH1,50/20, XH
$\Delta(d) \quad$ SSAVEVALUE $[2+, 5.0 / 3.0, \mathrm{XH}$
$O$ (e) $\quad$ SAVEVALUE $\square T O M M Y, Q(O N E)-\mathrm{PH} 1, \mathrm{XL}$
$\bigcirc(f) \quad \square S A V E V A L U E$ ПBILLY, PH1*S(TUGS), XB
2. A storage bin can hold 10,000 tons of coal. The amount removed each day varies from 600 to 900 tons (uniform distribution). The stock is checked each morning. When the stock reaches 5,000 tons or less, an order is placed for 1,000 tons. This order takes 7 days to arrive. Simulate for 1,000 days and determine the number of stockouts that occur. (A stockout occurs when there is not enough coal to satisfy the demand for the day.) Initially there are 9,000 tons in the bin.
3. Although not obvious, exercise 2 can be done by using the concept of storages for the storage bin. Redo it by using a storage of 10,000 for the bin. You will need to initialize the program by means of a dummy transaction that has no other purpose than to initialize the storage of the coal in the bin.

## SOLUTIONS, CHAPTER 20

1. a. The value of the savevalue JOE is 3 .
b. The value of the savevalue $Л М$ is -4 .
c. The value of the third savevalue is 2 (integer division).
d. The value of the second savevalue is 1 (integer conversion).
e. The value of the savevalue TOM is -2 .
f. The value of the savevalue BILL is 12 .
2. The program to do the simulation is as follows:

|  | SIMULATE |  |
| :---: | :--- | :--- |
|  | INITIAL | $\mathrm{XH}(S T O C K), 9000$ |
| STOCKDMD | TABLE | $\mathrm{XH}(S T O C K), 0,500,500$ |
| DEMAND | FUNCTION | RN1,C2 |
| $0,600 / 1,900$ |  |  |
|  | GENERATE | $1, \ldots, 1$ |
|  | TEST L | $\mathrm{XH}(\mathrm{STOCK}), 5000$, ITSOK |
|  | ADVANCE | 7 |
|  | SAVEVALUE | STOCK+,1000,XH |
| ITSOK | TERMINATE |  |
|  | GENERATE | 1 |

```
    SAVEVALUE USED,FN(DEMAND),XH
    TEST G XH(STOCK),XH(USED),STOCKOUT
    SAVEVALUE STOCK-,XH(USED),XH
    TABULATE STOCKDMD
    TERMINATE 1
    STOCKOUT SAVEVALUE TIMESOUT+,1,XH
    TERMINATE 1
    START 1000
    PUTPIC XH(TIMESOUT)
OUTAGES ***
    END
```


## The output is:

OUTAGES 35
3. One such program is as follows:

|  | SImulate |  |  |
| :---: | :---: | :---: | :---: |
|  | STORAGE | S(STOCK), 10000 |  |
| STOCKDMD | TABLE | S(STOCK) , 0,500,500 |  |
| DEMAND | FUNCTION | RN1, C2 |  |
| 0,600/1,900 |  |  |  |
|  | GENERATE | 1,.,1 ONE DAY GOES BY |  |
|  | TEST L | S(STOCK), 5000, ITSOK IS LEVEL BELOW 5000? |  |
|  | ADVANCE | WAIT A WEEK |  |
|  | ENTER | STOCK, 1000 | ADD COAL TO BIN |
| ITSOK | TERMINATE |  |  |
|  | GENERATE | 1 ONE DAY GOES BY |  |
|  | ASSIGN | 1,FN (DEMAND), PH WHAT WILL DEMAND BE? |  |
|  | TEST G | S(STOCK), PH1, STOCKOUT IS THERE ENOUGH COAL? |  |
|  | LEAVE | STOCK, PH1 | YES, TAKE IT |
|  | tabulate | STOCKDMD TABULATE COAL IN BIN |  |
|  | TERMINATE | 1 |  |
| STOCKOUT | SAVEVALUE | TIMESOUT+, 1, XH | STOCKOUT HAS OCCURRED |
|  | TERMINATE | 1 |  |
|  | GENERATE | , , 1, 2 | INITIALIEE COAL IN BIN |
|  | ENTER | STOCR, 9000 |  |
|  | TERMINATE |  |  |
|  | START | 1000 |  |
|  | PUTPIC | XH (TIMESOUT) |  |
| OUTAGES | *** |  |  |
|  | END |  |  |

The output is the same as for Exercise 2:

## CHAPTER 21 <br> Logic Switches and Gates

## LOGIC SWITCHES

In many simulations, transactions are frequently in a blocked condition in which a certain condition or conditions are true (or false). A given transaction may be forced to remain blocked until the blocking condition becomes false (or true) or may be routed to another block. This blocking can be done by using a TEST block. However, the TEST block is the most inefficient block in GPSS/H. A much better way to block or route a transaction is the GATE block. A GATE block is always used with another condition that (1) allows the transaction to pass to the next sequential block, (2) delays the transaction until the blocking condition changes from true to false (or vice versa), or (3) routes the transaction to another block. Before the GATE block is described further, however, a block that is used primarily with the GATE block will be intro-duced-the LOGIC block.

Consider the following program code:

| 0 | OTESTIE | IXX (LOCK), 0 |
| :---: | :---: | :---: |
| $\bigcirc$ | []---- | D----- |
| $\bigcirc$ | [----- | [----- |
| $\diamond$ | [GENERATE | [.,.1 |
| BACK | [IADVANCE | [RVEXPO $(1,125)$ |
| $\bigcirc$ | [SAVEVALUE | [LOCK, 1, XH |
| $\diamond$ | [ADVANCE | [RVEXPO (1, 12.5) |
| $\bigcirc$ | [SAVEVALUE | [LOCK, $0, \mathrm{XH}$ |
| $\bigcirc$ | CTRANSFER | -, BACK |

When the program begins, the value of the halfword savevalue LOCK is 0 (as are all savevalues unless an INITIAL statement is used to specify nonzero initial values) so the transactions that enter the TEST block will pass through to the next sequential block. The transaction created in the GENERATE block is put on the FEC chain for a time given by sampling from the
exponential distribution with a mean of 125 . After this transaction is returned to the CEC, the value of the savevalue LOCK is set equal to 1 (any other value could have been selected for the savevalue for this example). The transaction is then put on the FEC for a time given by sampling from the exponential distribution with a mean of 12.5 . Now, any transactions that enter the TEST block will be delayed until the value of the savevalue LOCK becomes equal to 0 . This delay might represent a traffic light turning red, a break at a factory for lunch, a breakdown of an assembly line, etc.

Rather than using savevalues and TEST blocks in this manner, there is a better way to handle such conditions in GPSS/H by using switches that are either "on" or "off." The "on" condition is known as "set," and the "off" condition is known as "reset." These switches are turned on and off by the LOGIC block. Its form is as follows:
$\diamond \quad$ ILOGIC $\cap \mathrm{R} \quad[\mathrm{A}$
where $R$ is a relational operator whose value is $S$ for set, $R$ for reset, or I for invert and operand $A$ is the name or number of the switch. When a transaction enters a logic block, the effect is as follows:

1. If the logic relationship is $S$, the switch is put in a set position.
2. If the logic relationship is $R$, the switch is put in a reset position.
3. If the logic relationship is $I$, the switch is inverted, i.e., if it was set, it becomes reset or vice versa.

Examples of LOGIC blocks are as follows:

|  | ПLOGIC]S | ПHALT |
| :--- | :--- | :--- |
| $\diamond$ | ПLOGIC[R | П1 |
| $\diamond$ | ПLOGIC[II | [WAIT |

Notice that logic switches can be named either symbolically or numerically. The usual rules apply for selecting names or numbers for these switches, namely, they start with a letter and can be up to 8 characters in length.

When a program begins, all switches are in a reset position. It is possible to have the switches in a set position by means of the INITIAL statement, a form of which is

0 —INITIAL ПLS (SWITCHA)/LS (SWITCHB)/LS1
An example of this statement is
$\bigcirc \quad$ LINITIAL LLS (HALT)/LS (PATH)/LS1
Alternatively, in place of the parentheses, one can use a single dollar sign. The above line of code could have been written as
$\diamond \quad$ INITIAL DIS\$HALT/LS\$PATH/LS1
If you have multiple switches all given by numbers, there is a shorthand way to put them in a set position:
$\bigcirc$ DINITIAL [LS1-5/LS9-12

This statement would put logic switches 1 through 5 in a set position and also switches 9 through 12 in a set position. Although rarely needed, LR may also be used in the INITIAL statement to reset logic switches.

Some sample program code might be

| $\bigcirc$ | ПGENERATE | [, , , 1 | ПDUMMY TRANSACTION |
| :---: | :---: | :---: | :---: |
| OUPTOP | [ADVANCE | [RVEXPO $(1,200)$ | [MACHINE WORKING |
| $\diamond$ | [LOGIC]S | [STOPIT | [MACHINE DOWN |
| $\bigcirc$ | [ADVANCE | [RVNORM ( $1,20,3.5$ ) | [MACHINE BEING FIXED |
| $\diamond$ | ПLogic\R | $\square S T O P I T$ | [MACHINE FIXED |
| $\bigcirc$ | ПTRANSFER | D, UPTOP | [BACK TO WORK |

This code might be used to represent a machine that works for a certain time and then is shut down when repairs and/or maintenance is performed. The time between breakdowns is given by sampling from the exponential distribution with a mean of 200 time units. When the machine is down, it is fixed or otherwise maintained. This work takes a time that is normally distributed with mean of 20 time units and a standard deviation of 3.5 time units. Notice how the dummy transaction keeps looping in the program segment and alternately sets the logic switch from set to reset. Although it would not be as clear, it would have been all right to have the 2 LOGIC blocks replaced by just

```
\ \LOGIC[I \STOPIT
```


## THE GATE BLOCK

Logic switches generally need another block in the main program in order to be of any use. This block is often the GATE block. This block works as its name implies, much like a gate in the path of the transactions. When the gate is open, transactions pass through; when it is closed, they either wait until the gate becomes open or they are routed elsewhere.

There are two forms of the GATE block. The first is refusal mode. The general form is
$0 \quad[G A T E] R \quad[A, B$
where $R$ is a relational operator such as LS ("logic switch set") or LR ("logic switch reset"), operand $A$ is the name or number of a logic switch, and operand $B$ is the label of a block to which a transaction will be routed if the logic switch is in a set position. (Operand $B$ is omitted in some cases.) An example of this block might be
$\bigcirc$ Dgatelle Dhait
When a transaction arrives at this block, the GPSS/H processor tests to see if the logic switch HALT is in a set position. If so, the transaction moves to the next sequential block. If the logic switch HALT is in a reset position, the transaction remains in the previous block. It also remains on the CEC. However, an internal flag is turned to the "on" position, and the transaction is not scanned again until such time as the switch is turned to an "off" position. The internal flag is turned off when the LOGIC block is entered by another transaction.

If a machine in a simulation is to be periodically shut down, one might use a GATE block as follows:

| 0 | [QUEUE | [WAIT |
| :---: | :---: | :---: |
| $\bigcirc$ | [GATEILR | ISTOPIT |
| $\bigcirc$ | -SEIzE | [MACH1 |
| $\bigcirc$ | [DEPART | [WAIT |
| 0 | Пadvance | [RVEXPO $(1,25)$ |
| $\bigcirc$ | [RELEASE | [MACH1 |

Whenever the logic switch STOPIT is in a set position, the transaction is kept in the block QUEUE WAIT.

GATE blocks can also be used with facilities and storages as follows:
$\diamond \quad$ [GATE $\quad \square A$
where operand $A$ specifies a facility or storage entity such as a machine or a ship's berth and relational operator $R$ can be one of the following:

| $\boldsymbol{R}$ | Gate Block Tests for |
| :--- | :--- |
| FU | facility in use |
| FNU | facility not in use |
| FS | facility can be seized |
| FNS | facility cannot be seized |
| SF | storage full |
| SNF | storage not full |
| SE | storage empty |
| SNE | storage not empty |

(There are other relationships that can be used with a GATE block, but they will not be used in this book.) Some examples of using facilities and storages in GATE blocks are
$\hat{O}(a) \quad$ GGATE[FU MMACH1
$\diamond(b) \quad[G A T E D S N E$ [TUGS
$\bigcirc(c) \quad \square G A T E D F N U$ ISHOP
$\Delta(\mathrm{d})$ [GATE]SF [bERTH
In (a), the transaction will be held in the previous block if the facility MACH1 is not in use. In (b), the transaction is delayed if the storage TUGS is in any situation other than empty. Thus, if the storage of TUGS is 4 and 1 is being used, the transaction will be held up. In (c), the transaction is delayed if the facility SHOP is being used. Finally, in (d), the transaction is held up if the storage BERTH is not full.

## THE GATE BLOCK IN CONDITIONAL TRANSFER MODE

When a GATE block has a $B$ operand, this is the label of a block. If the GATE is closed, the transaction will be transferred to the block with this label. Thus,

0 [gate]ler [halitit, away
will send the transaction to the block AWAY whenever the logic switch HALTTT is in a set position.

## Example 21.1

A contractor is excavating for a large shopping center. He has 5 trucks, numbered 1 to 5 , that haul excavated dirt away to a dump. There is a single shovel to load the trucks. The trucks travel in a circuit: load, haul, dump, and return. All times for these activities are found to be normally distributed, as follows:

|  | Time (minutes) |  |
| :---: | :--- | :---: |
| Truck Activity | Mean | Standard Deviation |
| Loading | 2.5 | 0.35 |
| Traveling to dump | 7.5 | 1.26 |
| Dumping | 1.75 | 0.2 |
| Returning to shovel | 5.6 | 1.1 |

Only 1 truck can be loaded at a time, but there is no such restriction on dumping. The various times for the trucks are the same regardless of the truck.

The trucks periodically break down and/or must be serviced. Each has a different reliability. The downtimes for the trucks follow the exponential distribution, and the time to repair a truck follows the normal distribution, as shown:

| Truck No. | Downtime Distribution | Repair-Time Distribution |
| :---: | :---: | :---: |
| 1 | 400 | $(20,3.5)$ |
| 2 | 425 | $(35,6.9)$ |
| 3 | 550 | $(55.5,12)$ |
| 4 | 345 | $(40,7)$ |
| 5 | 300 | $(50,8)$ |

The downtimes are given as the means for the exponential distribution and the repair times are given as (mean, standard deviation) for the normal distribution. Write the GPSS/H program to simulate the situation by using GATE blocks and LOGIC switches to cause the trucks to be down periodically. Even though the breakdowns of the trucks can be any place in the system, it is sufficient to have the trucks tested for breakdowns after they dump.

## Solution

The program is written such that halfword parameter 1 is used to store a number from 1 to 5 to represent the 5 different trucks. When a truck dumps, it is sent to 1 of 5 different GATE blocks depending on what type of truck it is. If a truck is down, the corresponding LOGIC switch will be in a set position, and it will be held up at this point (the transaction will remain in the TRANSFER block). There are 5 program segments to alternately put the logic switches in set and reset positions. Notice how the two segments work. For example, for the first truck, the lines of code for when it is tested to see if it is down and the segment to shut it down are written side by side:

| $\bigcirc$ BLOCKA | [buFfer |  | [GENERATE | D. . 1, 10 |
| :---: | :---: | :---: | :---: | :---: |
| $\bigcirc$ | [GATE[LR [FIRST | $\triangle$ BACK1 | [ADVANCE | [RVEXPO $(1,400)$ |
| $\bigcirc$ | [TRANSFER $]$, DOWN | OTIIMEA | [LOGIC]S | -FIRST |
|  |  |  | $\square \mathrm{TEST}$ ]E | ]w(BLOCKA) 1 |
|  |  |  | [ADVANCE | [ $\left.\operatorname{RVNORM}^{\text {(1, }} 5.6 .1 .1\right)$ |
|  |  |  | [LOGIC[R | -FIRST |
|  |  |  | Ctransfer | [, BACK1 |

When a truck transaction is to be tested to see if it is down, it first goes to a BUFFER block. This causes a rescan of the CEC. The dummy transaction that will alternately set and reset the logic switch FIRST has a priority of 10 . Thus, in case of a time tie, it will be moved forward first. Let us suppose that the dummy transaction has left the ADVANCE RVEXPO $(1,400)$ block so that the truck is to be down. The switch FIRST is placed in a set position. However, before the transaction can enter the ADVANCE RVNORM $(1,5.6,1.1)$ block to represent the truck being down, it is held up in the block TEST E W(BLOCKA) 1. This is so that the truck will, indeed, be delayed. For example, suppose the truck breakdown occurred just after the truck was loaded, this breakdown lasted for 8 minutes, and then the truck took 9 minutes to reach BLOCKA. If the dummy transaction was not delayed, it would immediately enter the ADVANCE RVNORM $(1,5.6,1.1)$ block, and when the truck arrived at BLOCKA, the logic switch FIRST would no longer be in a set position, and the truck therefore would not experience any delay.

The effect of testing for failures in this manner introduces a slight error in that the trucks will continue to operate when they are to be down until they reach the various GATE blocks to delay them. This error can be overcome in several ways: Have more such GATE blocks in the program, which will tend to increase the lines of code, or adjust the statistical distributions to compensate for the error introduced.

The program listing follows. In Chapter 31, the technique of using macros is presented. Macros greatly reduce the length of the programming code.

```
\diamond \SIMULATE
OWHEPE [FUNCTION [PH1,L5
1,BLOCKA/2,BLOCKB/3,BLOCKC/4,BLOCKD/5,BLOCKE
OTIMES [GENERATE [|,,5
O [ASSIGN \square1,N(TIMES),PH
\UPTOP DQuEUE एWAIT
\diamond \SEIZE [SHOVEL
O DDEPART DWAIT
O [ADVANCE [RVNORM(1,2.5,.35)
< [RELEASE [SHOVEL
0 [ADVANCE [RVNORM(1,7.5,1.2)
< [ADVANCE [RVNORM(1,1.75,.2)
0 [TRANSFER [,FN(WHERE)
OBLOCKA DGATEDLR [FIRST
O \TRANSFER [I,DDWN
OBLOCKB [GATE_LR \SECOND
O ITRANSFER I_DDWN
OBLOCKC [GATE[LR [THIRD
```



The output is as follows:

```
RESULTS OF SIMULATION FOR 1000 SHIFTS
LOADS DIMPED PER SHIFT 124.09
UTILIZATION OF SHOVEL 64.62%
TIMES TRUCK 1 DOWN 1104
TIMES TRUCR 2 DOWN 1031
TIMES TRUCK 3 DOWN 770
TIMES TRUCK 4 DOWN 1167
TIMES TRUCK 5 DOWN }134
```


## EXEREISES, CHAPTER 21

1. In Example 21.1, the shovel was busy only $64.62 \%$ of the time. Assume that the trucks never failed or, if one did fail, a replacement was immediately available. Determine the utilization of the shovel under this condition.
2. What GATE block can be used to replace the following TEST blocks:

| $\diamond(a)$ | $\square T E S T I N E$ | $\square R($ TUGS $), 0$ |
| :--- | :--- | :--- |
| $\diamond(b)$ | $\square T E S T \square E$ | $\square F($ MACH 1$), 1$ |
| $\diamond(c)$ | $\square T E S T E$ | $\square S($ BOATS $), 0$ |
| $\diamond(d)$ | $\square T E S T \square E$ | $\square R($ BOATS $), 0$ |

3. Write the GATE block in refusal mode so that it will be used to hold the transaction unless the condition is true: (1) The logic switch STOP1 is in a set position. (2) The facility MACH1 is being used. (3) The logic switch STOP1 is in a reset position. (4) The storage of TUGS is all taken.
4. At a storage bin, 1 ton of ore arrives every 1 minute in a Poisson stream. The bin can hold 75 tons. If the bin is full when the ore arrives, it will spill and have to be loaded onto an ore car later. A truck comes along every 60 $\pm 5$ minutes. The truck has room for $100 \pm 50$ tons of coal. The time to load the truck is insignificant. Simulate for 500 days and determine the average spillage per day ( 1 day $=3$ times 480 minutes).
5. In exercise 21.4 , increase the bin by units of 5 up to 90 tons. Determine the spillage per day. Suppose you can speed up the trucks, and they now arrive every $50 \pm 5$ minutes. Determine the spillage per day for bin sizes of 75 tons and 80 tons.
6. Trucks come to a repair facility every $20 \pm 10$ minutes. There are 3 repair areas and repairs take $55 \pm 20$ minutes. The facility also does other repairs, and, on an average of 100 minutes (exponentially distributed), the repair shop works on other projects. These take 10 minutes (also exponentially distributed). Trucks waiting for the repair shop, or trucks that arrive during this time, remain at the shop until it is ready for them. Any trucks being repaired continue to be repaired. Determine the utilization of the shop, the number of trucks repaired in 1 day, and the maximum number of trucks that were waiting.

## SOLUTIONS, CHAPTER 21

1. The program to do the simulation is obtained by removing the segments that cause the trucks to be down. It is not necessary to remove the GATE blocks as the logic switches are always reset.
The results of the simulation are that the average number of loads dumped each day are 133.00 and the utilization of the shovel is $69.25 \%$
2. a. GATE SNE TUGS
b. GATE FNS MACH
c. GATE SNE BOATS
d. GATE SNE BOATS
3. a. GATE LS STOP1
b. GATE FNS MACH1
c. GATE SE TUGS
d. GATE SF TUGS
4. The program to do the simulation is as follows:
```
    SIMULATE
    STORAGE S(BIN),80
    INCAR FUNCTION RN1,C2
0,50/1,150
    INBIN TABLE S(BIN),20,1,75
            GENERATE RVEXPO(1,1) ONE TON OF COAL COMES
            GATE SNF BIN,AWAY
            ENTER BIN,1
            TERMINATE
    AWAY SAVEVALUE OVERFLOW+,1,XH
            TERMINATE
            GENERATE 50,5
            TABULATE INBIN
            ASSIGN 1,FN(INCAR),PH
            TEST GE PH1,S(BIN),NOTSO
            LEAVE BIN,S(BIN)
            TERMINATE
    NOTSO LEAVE BIN,PH1
            TERMINATE
            GENERATE 480*3*100
            TERMINATE 1
            START 1
            PUTPIC LINES=2,TB(INBIN),XH (OVERFLOW)/100.
    AVG. AMOUNT IN BIN WHEN TRUCK COMES **.**
    TONS OVERFLOWED PER DAY ***.**
            END
The results of the simulation are:
```

```
AVG. AMOUNT IN BIN WHEN TRUCK COMES 61.37
```

AVG. AMOUNT IN BIN WHEN TRUCK COMES 61.37
TONS OVERFLOWED PER DAY 7.63

```
TONS OVERFLOWED PER DAY 7.63
```

5. The results of the simulation for different bin sizes are:

| Bin Size | Avg. Ore in Bin When <br> Truck Comes | Avg. Spillage |
| :---: | :---: | :---: |
| 80 | 60.41 | 3.41 |
| 85 | 60.52 | 1.59 |
| 90 | 60.58 | 0.76 |

If the truck now arrives every $50 \pm 5$ minutes, the results are:

| Bin Size | Avg. Ore in Bin When <br> Truck Comes | Avg. Spillage |
| :---: | :---: | :---: |
| 75 | 49.91 | 0.17 |
| 80 | 49.93 | 0.01 |

It would appear that it is much better to increase the truck speed than the bin size.
6. The program to simulate this is as follows:

```
    SIMULATE
    STORAGE S(REPAIR),3
    GENERATE 20,10
    QUEUE WAIT
    GATE LR SHOPOPEN
    ENTER REPAIR
    DEPART WAIT
    ADVANCE 55,20
    LEAVE REPAIR
    TERMINATE
    GENERATE ,,.1
BACK ADVANCE RVEXPO(1,100)
LOGIC S SHOPOPEN
ADVANCE RVEXPO (1,10)
LOGIC R SHOPOPEN
TRANSFER ,BACK
GENERATE 480*3*500
TERMINATE 1
START 1
PUTPIC LINES=5,SC(REPAIR)/500.,SR(REPAIR)/10.,N(BACK)/500.,,
    QM(WAIT), QA(WAIT)
```

TRUCKS REPAIRED PER DAY ***.**
UTIL. OF REPAIR SHOP ***.**
NUMBER OF TIMES DOWN PER DAX ***.**
MAXIMUM QUEUE ***
AVERAGE QUEUE LENGTH **.**
END

The results of the simulation are:

| TRUCKS REPAIRED PER DAY | 71.82 |
| :--- | :--- |
| UTIL. OF REPAIR SHOP | $91.59 \%$ |
| NUMBER OF TIMES DOWN FER DAY | 13.12 |
| MAXIMUM QUEUE | 8 |
| AVERATE QUEUE LENGTH | 0.62 |

## CHAPTER 22 <br> Other Forms of the TRANSFER Block

In Chapter 7, three forms of the TRANSFER block were discussed: the unconditional TRANSFER, the conditional TRANSFER, and the TRANSFER BOTH modes. The first two of these are by far the most commonly used. However, there are other forms of the TRANSFER block that can be quite handy when they are needed. Each will be discussed here along with possible applications.

## the transfer block in pick mode

This form of the TRANSFER block will select a block to which to transfer the transaction at random from a number of possible blocks. The transaction will unconditionally go to this block. Each of the blocks to be selected will have the same probability of being selected. Thus, if there are 3 blocks, each will be selected with a probability of 0.3333 ; for 4 blocks, the probability of picking a particular one is 0.250 , etc. The form of the block is
$\bigcirc \quad$ ITRANSFER $\square A, B, C$
where operand $A$ is the word "PICK" and operands $B$ and $C$ are block labels. The block with the label in operand $B$ must appear in the program code before the block with the label in operand C. Each block between these two blocks is considered to be in the range of the transfer. This restriction means that, in general, only TERMINATE and TRANSFER blocks are between the blocks labeled in operands B and C . Consider the following code:

| $\diamond$ | ПTRANSFER | ПPICK, FIRST, LAST |
| :--- | :--- | :--- |
| $\diamond$ FIRST | ПTRANSFER | $\square$, MACH1 |
| $\diamond$ | ПTRANSFER | $\square$, MACH2 |
| $\diamond$ | ПTRANSFER | $\square$, MACH3 |
| $\diamond$ | ПTRANSFER | $\square$, MACH 4 |
| $\diamond L A S T$ | ПTRANSFER | $\square$, MACH 5 |

A transaction will be routed with equal probability to one of the blocks labeled MACH1, MACH2, MACH3, MACH4, and MACH5.

## Example 22.1

What will the following program do?

| 0 | [simulate |  |
| :---: | :---: | :---: |
| 0 | [generate [1] | TTHIS IS BLOCK 1 |
| $\bigcirc$ | [ADVANCE $]_{1}$ | [THIS IS BLOCK 2 |
| $\bigcirc$ | OTRANSFER DPICK, FIRST, LAST | CTHIS IS BLOCK 3 |
| FIRST | [TERMINATE | ThHIS IS BLOCK FIRST |
| B | CTERMINATE | JTHIS IS BLOCK 5 |
| 0 | [TERMINATE | DTHIS IS BLOCK 6 |
| $\bigcirc$ | CTERMINATE | DTHIS IS BLOCK 7 |
| $\bigcirc$ | TIERMINATE | [THIS IS BLOCK 8 |
| CLAST | CTERMINATE | ПTHIS IS BLOCK LAST |
| 0 | [GENERATE [1000 | [THIS IS BLOCK 10 |
| $\bigcirc$ | [TERMINATE [I | [THIS IS BLOCK 11 |
| $\bigcirc$ | [START $\square 1$ |  |
| $\bigcirc$ | LEND |  |

## Solution

The program will generate a transaction every 1 time unit. The transaction will be put on the FEC for 1 time unit. When the transaction returns to the CEC, it will then be transferred to one of 6 TERMINATE blocks with equal probability. The following is selected output from running the program for the 999 transactions that enter the TRANSFER block:

| RELATIVE CLOCK: | 1000.0000 ABSOLUTE CLOCK: | 1000.0000 |  |  |
| :--- | ---: | ---: | ---: | ---: |
| BLOCK CURRENT | TOTAL | BLOCK CURRENT | TOTAL |  |
| 1 |  | 999 | 11 |  |
| 2 | 1 | 999 |  |  |
| 3 |  | 998 |  |  |
| FIRST |  | 177 |  |  |
| 5 |  | 164 |  |  |
| 6 |  | 146 |  |  |
| 7 |  | 175 |  |  |
| 8 | 170 |  |  |  |
| LSST |  | 166 |  |  |
| 10 |  | 1 |  |  |

Each of the TERMINATE blocks between and including FIRST and LAST can be expected to be entered approximately 166 times, as shown in the TOTAL columns of the output.

## the transfer block in all mode

The TRANSFERALL mode attempts to route the transaction to a series of blocks by trying each one in sequence. For example, if the blocks relating to a truck-repair shop are BAYA, BAYB, BAYC, and BAYD, the transaction attempts to first enter the block labeled BAYA. If it can, it does so. If not, it tries the block labeled BAYB, etc. If all of the blocks are in refusal mode, the transaction waits until the first block in the series is free.

The form of the TRANSFER block in ALL mode is as follows:

```
\vartheta MTRANSFER TA,B,C,D
```

where the word ALL must be in operand $A$, operands $B$ and $C$ are block labels that define the range of the transfer, and operand $D$ must be a positive integer that indicates that the blocks to which the transaction is to be transferred are $D$ program lines (i.e., blocks) apart. For example,


According to the program outline, the transaction first attempts to enter the block labeled BEGIN because that is the value of operand $B$ in the TRANSFER block. If the transaction can do so, it does. If not, it attempts to enter the block with the label BLOCKX because, although the BLOCKX block is not directly specified in the TRANSFER block, it is 4 blocks down from the block START. (The labels of intermediate blocks at appropriate spacing-here, BLOCKX and BLOCKZ-need not be in the program.) This attempt of the transaction to enter a block is continued until all blocks 4 lines apart are considered by the GPSS/H processor up to and including block STOP. If all are in refusal mode, the transaction is held in the TRANSFER block until future scans of the CEC show that one of the blocks has become able to accept the transaction.

## Example 22.2

A factory has 3 machines to rework failed parts. Parts arrive every $12 \pm 4.5$ minutes. Machine $A$ is the best and can finish a part every $14 \pm 4.3$ minutes. If this machine is free, the part goes there; otherwise, it is sent to machine $B$, which works in $20 \pm 5.7$ minutes. If both machines $A$ and $B$ are busy, the part is sent to machine $C$, which is quite slow, working at $30 \pm 3.4$ minutes. If all machines are busy, the part waits for the first one to be free. Simulate for 100 days of operation of 24 hours per day.

## Solution

| $\bigcirc$ | [ ${ }^{\text {SIMMLATE }}$ |  |
| :---: | :---: | :---: |
| 0 | DGENERATE | $\square 12,4.5$ |
| 0 | CADVANCE | $\square 0$ |
| $\bigcirc$ | TrRansfer | [ALL, AAAA, BBBB, 4 |
| $\triangle$ AAAA | OSEIZE | [MACHI |
| $\bigcirc$ | Пadvance | -14,4.3 |
| $\bigcirc$ | [RELEASE | [MACH1 |
| 0 | [TERMINATE |  |
| 0 | -SEIzE | [MACH2 |
| 0 | $\square$ ADVANCE | [20,5.7 |

```
\begin{tabular}{lll}
\(\hat{\theta}\) & ПRELEASE & [MACH2 \\
\(\theta\) & ПTERMINATE & \\
\(\diamond\) BBBB & ПSEIZE & [MACH3 \\
\(\theta\) & ПADVANCE & \(\square 30,3.4\) \\
\(\theta\) & ■RELEASE & [MACH3
\end{tabular}
[TERMINATE
    [GENERATE [480*3*100
    [TERMINATE [1
    \START \1
    [PUTPIC [LINES=4,FR(MACH1)/10.,FC(MACH1)/100.,-
        FR(MACH2)/10. FC(MACH2)/100.,_
                FR(MACH3)/10.,FC(MACH3)/100.
    FACILITY UTIL. PARTSPERDAY
MACH1 ***.**& ***.**
MACH2 ***.**% ***.**
MACH3 ***.**& ***.**
O IEND
```

The results of running the simulation are as follows:

| FACILITY | UTIL. | PARTS PER DAY |
| :--- | :--- | :--- |
| MACH1 | $68.38 \%$ | 70.27 |
| MACH2 | $57.39 \%$ | 41.24 |
| MACH3 | 16.828 | 8.09 |

The output shows that the first machine is busy $68.38 \%$ of the time and is repairing 70.27 parts per day. The second machine is busy $57.39 \%$ of the time and is repairing 41.24 parts per day, while the third machine is working only $16.82 \%$ of the time and is repairing 8.09 parts per day.

## the transfer block in function mode

The TRANSFER PICK transfers the transactions to different blocks with equal probability. Sometimes you want to transfer a transaction to particular blocks with set but different percentage probabilities for each. The TRANSFER block in function mode is used for this procedure. Since this form of the TRANSFER block is so similar to the unconditional TRANSFER block, it has been used in previous chapters in a simple form. However, it will be discussed in detail here. There can be several forms, but the one most frequently used is
$\bigcirc$ ITRANSFER D,B
where operand $A$ is omitted (as shown by the comma) and the $B$ operand is FN (for "function") followed by the block label of the line of code defining the function. The function referenced can have blocks in the number pairs in the function definition. For example,

```
OFIRST पFUNCTION [RN1,D4
.1,BLOCKA/.35,BLOCKB/.8,BLOCKC/1,8LOCKD
\diamond [--.--
< []----
| ITRANSFER D,FN(FIRST)
```

BLOCKA, BLOCKB, BLOCKC, and BLOCKD are block labels. The transaction will be transferred to BLOCKA $10 \%$ of the time, to BLOCKB $25 \%$ of the time,
to BLOCKC $45 \%$ of the time, and to BLOCKD 15\% of the time. This is a very useful form of the TRANSFER block.

## Example 22.3

Trucks arrive for service at a repair shop. Interarrival times are $28 \pm 6 \mathrm{~min}$ utes. Serious repairs are needed for $10 \%$ of the trucks, and a special crew is called in to do the work. These repairs take $200 \pm 60$ minutes to complete. The other services can be broken into two types, type B and type C. Type B service is required by $30 \%$ of the trucks, and type C service is needed by the remaining $60 \%$. Both of these types of service are done by the same crew. Type $B$ service takes $45 \pm 15$ minutes, and type $C$ service takes $20 \pm 6$ minutes. Simulate for 20 shifts of 8 hours each.

## Solution

```
\diamond \SIMULATE 
.1,SERVA/.4,SERVB/1,SERVC
\diamond [GENERATE [28,6
\diamond IQUEUE IWAIT
|TRANSFER D,FN(WHICH)
OSERVA [SEIZE [OTHER
\diamond [DEPART [WAIT
\ \ADVANCE \200,60
\ \RELEASE [OTHER
\ [TERMINATE
\triangleSERVB पSEIZE \FIRST
O DDEPART JWAIT
\diamond \aDVANCE \45.15
O \RELEASE \FIRST
O [TERMINATE
OSERVC पSEIZE \FIRST
\ [DEPART [WAIT
\ Dadvance \20,6
|RELEASE [FIRST
O TTERMINATE
\diamond [GENERATE [480*20
\diamond \TERMINATE [1
\diamond \START \I
\ \squarePUTPIC \LINES=3,FC(OTHER)/100.,FR(OTHER)/10.._
    FC(FIRST) /100 .,FR(FIRST) /10, QM (WAIT), QA (WAIT)
O IEND
```

The results from running the program are as follows:

```
TIMES FACILITY OTHER USED/DAY 5.19 UTIL OF FACILITY OTHER 71.62%
TIMES FACILITY FIRST USED/DAY 46.12 UTIL OF FACILITY FIRST 90.13%
MAXIMIM QUEUE 10 AVERAGE QUEUE 1.82
```

When using the TRANSFER function mode, it is possible to have a function that returns a number. This number then refers to the number of the program block to which the transaction is to be transferred. (Recall that the GPSS/H
processor numbers all of the blocks consecutively during compiling, as shown in the .LIS file.) For example, if the block
$\diamond \quad$ [TRANSFER ], FN (WHERE)
returns the value 12 , the transaction is routed to the block in numerical position 12. The problem with using this form of the TRANSFER block is that, if any changes are made to the program such as adding or deleting blocks, all such TRANSFER blocks must also be changed.

It is also possible to include arithmetic operations, such as in the following:
$\diamond \quad$ ITRANSFER $\quad$ D, FN (THIRD $)+5$
The function THIRD is referenced and a value is returned, say, 14. Then 5 is added to 14 , and the transaction is routed to the block in position 19.

## THE TRANSFER BLOCK IN PARAMETER MODE

It is possible to transfer to a block number whose value is given by one of the transaction's parameters. The form of this TRANSFER mode is shown by
$\bigcirc \quad$ TTRANSFER $\quad], B, C$
where operand $A$ is blank (again shown by the comma), operand $B$ is the transaction's parameter that identifies the block to which the transaction will be transferred, and operand $C$ (may be omitted) is a positive or negative value that is added to the value stored in the parameter given in operand $B$. Consider the code
$\diamond \quad$ [TRANSFER $\quad$, PH4
In this example, the transaction is routed to the block given by the value of the transaction's fourth halfword parameter. If this value is 15 , the transaction is routed to block 15 ; if the value is 20 , the transaction goes to block 20 , etc.

The following code is an example of use of the $C$ operand in such transfer blocks:
$\diamond$ DTRANSFER [1, PH7,3
Now, 3 is added to the value stored in the transaction's seventh halfword parameter, and the transaction is routed to the block whose number is given by this total. For example, if the value stored in halfword parameter 7 was 30 , the transaction would be routed to block 33. However, because it is possible to have arithmetic in operands, the use of the $C$ operand in the TRANSFER block is hardly ever used. For example, the above transfer also could have been coded as
$\diamond \quad$ [TRANSFER [], PH7 7
The simulation in Example 22.3 could have been written by using the TRANSFER block in parameter mode as follows:

```
\diamond [SIMULATE 
.1,4/.4,10/1,16
< <lll
|TRANSFER D, PH5
\diamond DQUEUE [WAIT
\diamond ISEIZE DOTHER
\diamond [DEPART IWAIT
O \ADVANCE [200,60
\diamond [RELEASE ПOTHER
\diamond [TERMINATE
O LQUEUE [WAIT
\diamond ISEIzE |FIRST
\diamond [DEPART [WAIT
O TADVANCE \square45,15
\diamond [RELEASE [FIRST
\ [TERMINATE
\ LQUEUE IWAIT
\diamond [SEIZE ]FIRST
< [DEPART ]WAIT
O [ADVANCE \20,6
\diamond [RELEASE [FIRST
\ TTERMINATE
0 \GENERATE \480*20
\ [TERMINATE [1
| \START \square1
\ \PUTPIC \LINES=3,FC(OTHER)/100.,FR(OTHER)/10.,-
    FC(FIRST)/100.,FR(FIRST)/10,QM(WAIT),QA (WAIT)
TIMES FACILITY OTHER USED/DAY **.** UTIL OF FACILITY OTHER ******%
TIMES FACILITY FIRST USED/DAY **.** UTIL OF FACILITY FIRST ***.**%
    MAXIMUM QUEUE ** AVERAGE QUEUE **.**
O [END
```

The output from this program is identical to that of the previous one.

## THE TRANSFER BLOCK IN SUBROUTINE MODE

It is possible to transfer to a subroutine and then return to the main program. This approach might be taken when there are a series of identical blocks that have to be repeatedly referenced. The general form used is
$\bigcirc$ TrRansfer $\square A, B, C$
The "word" SBR must be in operand $A$. Operand $B$ contains the block label to transfer the transaction to, i.e., the initial block of the subroutine. Upon entering the TRANSFER SBR block, the transaction is unconditionally routed to the subroutine block. The GPSS/H processor places the block number of the TRANSFER SBR block in the transaction's parameter as specified by operand C. Unlike in other programming languages, when the transaction finishes with the subroutine, it does not automatically return to the main program. The transaction must be directed back to the block it came from in order to continue moving from block to block. To accomplish returning the transaction to the
main program once the transaction finishes the subroutine, the following form of code can be used:
$\bigcirc \quad$ ITRANSFER $\quad$, $B$
where the $A$ operand is again blank and the $B$ operand is the transaction's parameter that was listed in the $C$ operand of the original TRANSFER SBR block plus 1. The effect of this line of code is that the transaction is transferred back to the main program at the block below the one that transferred the transaction to the subroutine. For example, if the initial TRANSFER SBR block is
$\bigcirc$ ITRANSEER ISBR,SUBFIVE, 2PH
then the code to return the transaction to the main program would be
$\bigcirc \quad$ ITRANSFER $\quad \square, \mathrm{PH} 2+1$

## THE TRANSFER BLOGK IN SIMULTANEOUS MODE

Another form of the TRANSFER block is the TRANSFER SIM mode. This mode was used more in earlier versions of GPSS when it was more important to write code that took the minimum time for execution. This form of the TRANSFER block makes use of the fact that, every time a transaction is delayed, it has a switch called the SIM indicator that is put in a set position. Whenever a transaction leaves an ADVANCE block, this switch is reset. Also when a transaction leaves the TRANSFER SIM block, the switch is reset. The general form of this block is

0 [TRANSFER ]SIM, B,C
The "word" SIM must be in operand $A$. Operand $B$ is the label of the block where the transaction is routed when the switch is in a reset position. It is rarely used because the next sequential block is often the one to route the transaction to. In this regard, TRANSFER SIM is similar to the TRANSFER BOTH block. Operand $C$ is the block where the transaction is routed when the switch is in a set position. This block is usually the first of a series of GATE blocks or other blocks used in logic testing.

Consider the following series of blocks that might have to do with a ship ready to enter a harbor. In order for the ship to enter, three conditions must be satisfied simultaneously: (1) There must be a high tide. (2) The single tugboat must be available. (3) A berth must be free.

| $\bigcirc$ BACR1 | [GATE]LS | CONE | DIS THERE A HIGH TIDE? |
| :---: | :---: | :---: | :---: |
| $\bigcirc$ | [GATE]FNU | [TUG | DIS THE TUG AVAILABLE? |
| $\bigcirc$ | [GATE]SNF | BERTH | DIS A BERTH FREE? |
| $\bigcirc$ | [TRANSFER | ]SIM, , BACK1 |  |

The first GATE block has to do with the fact that there must be a high tide. The second and third control the availability of the tugboat and the berth.

Suppose that a transaction arrives at the first of these blocks. The transaction's SIM switch is reset. If the transaction is not delayed at any of the three GATE blocks, it simply leaves the TRANSFER SIM block and enters the next sequential block.

Alternatively, suppose that there was no high tide. The transaction waits in the block before BACK1 until high tide. Since it has now been delayed, its SIM switch is placed in a set position. If the other two GATE blocks allow it to pass through, it arrives at the TRANSFER SIM block with its SIM indicator in a set position. While in the TRANSFER SIM block, the transaction's SIM switch is placed in a reset position, and then it is routed to try to enter the BACK1 block again, as given by the $C$ operand. If there is still a high tide, the transaction's switch is reset; if the two succeeding blocks also allow it to pass through, then when it again encounters the TRANSFER SIM block, it passes through to the next sequential block.

Suppose that another transaction enters the series of three blocks at a later time. The tide is high but the tugboat is busy. The transaction is held at the second GATE block until a tugboat is free. Now, suppose that, while the ship was waiting for the tugboat, the tide changes to a low tide. When the transaction reaches the TRANSFER SIM block, the switch is in a set position because of the delay in waiting for the tugboat. Thus, it will be routed to the first GATE block. But now the tide is low, so the transaction will be delayed here until the tide becomes high. The transaction will continue to cycle through the three GATE blocks and the TRANSFER SIM block until all three conditions as given by the GATE blocks are satisfied.

The above situation could have been simulated by using a single TEST block and Boolean logic (covered in Chapter 27), but this approach causes more execution time than using the three GATE blocks. Whenever possible, the programmer is encouraged to avoid the use of the TEST block because it increases execution time.

## EXERCISES, CHAPTER 22

1. What will happen when a transaction enters the following TRANSFER PICK block?

| $\bigcirc$ | [TRANSFER | [PICK, FIRST, LAST |
| :---: | :---: | :---: |
| $\bigcirc$ FIRST | [TRANSFER | [1, AAAA |
| $\bigcirc$ | CTRANSFER | [1, BBBB |
| $\bigcirc$ | [TRANSFER | ], CCCC |
| $\bigcirc$ | -TERMINATE |  |
| 0 | CTRANSFER | $\square, ~ D D D D$ |
| $\bigcirc$ LAST | CTRANSFER | $\square 1 . \operatorname{EEEE}$ |

2. Explain what happens for each of the following TRANSFER function blocks:
```
OWHERE [FUNCTION [RN1,D3 [](a)
```

.25, BLOCKA/.8, BLOCKB/1,BLOCKC
$\bigcirc$ D----
0 [--.--
3 [TRANSFER D.FN(WHERE)
OWHAT $\square$ FUNCTION $\square$ PH1,L4 $\square(b)$
, AAAA/, BBBB/,CCCC/,DDDD
○ [1----
0 - $-\cdots$
$\diamond$ TTRANSFER D,FN (WHAT)
3. Ships arrive at a port every $8 \pm 2$ hours, and there are 3 berths for the ships. A ship will remain in a berth for $21 \pm 4$ hours. It cannot enter or leave when the following conditions hold:
a. A storm has closed the harbor. These come up on average every 24 hours (exponentially distributed). They last for an average of 2.5 hours, also exponentially distributed.
b. Miscellaneous work stoppages occur every $12 \pm 2$ hours and last for $1 \pm$ 0.5 hours.
c. The tide is out every $10 \pm 3$ hours, and this condition remains for 1.5 $\pm 0.5$ hours.
Model the harbor to determine how busy the berths are and the maximum number of ships that had to wait in the queue. Model for 5 years.
4. Run the following program and discuss the output.

| $\bigcirc$ | ¢SIMULATE |  |
| :---: | :---: | :---: |
| $\bigcirc$ MYSUB | पTEST\NE | CXIL (TIMER) , AC1, AWAY |
| $\bigcirc$ | [BPUTPIC | $\square \mathrm{AC} 1$ |
| OTHE TIME IS NOW ****** |  |  |
| $\bigcirc$ | [SAVEVALUE | CTIMER, AC1, XL |
| OAWAY | CTRANSFER | $\square, \mathrm{PH} 1+1$ |
| $\bigcirc$ | [GENERATE | [18, 6 |
| $\bigcirc$ | CTRANSFER | $\square$ SBR, MYSUB, 1PH |
| $\rangle$ | [OUEUE | -WAIT |
| $\bigcirc$ | [SEIZE | BARBER |
| 0 | TDEPART | TWAIT |
| $\bigcirc$ | [ADVANCE | -16,8 |
| $\bigcirc$ | ПRELEASE | -BARBER |
| $\bigcirc$ | DTRANSFER | $\square \mathrm{SBR}$, MYSUB , 1PH |
| $\bigcirc$ | CTERMINATE |  |
| $\bigcirc$ | [GENERATE | $\square 60 * 2$ |
| 0 | OTERMINATE |  |
| $\bigcirc$ | [START | [1 |
| $\diamond$ | CEND |  |

5. In a factory, parts come along every $20 \pm 10$ seconds. Machine 1 , which takes $35 \pm 4$ seconds, is used for $50 \%$ of the parts; machine 2 , which takes $77 \pm 3.5$ seconds, is used for $25 \%$ of the parts; machine 3 , which takes 85 $\pm 5$ seconds, is used for $15 \%$ of the parts; and machine 4 , which takes 150 $\pm 7$ seconds, is used for $10 \%$ of the parts. Simulate for 100 days of 1440 minutes each. Determine the utilization of each of the 4 machines. Use a TRANSFER function block.
6. It is possible to write the program in exercise 22.5 by using a TRANSFER block as a parameter. Make the necessary changes to use this approach.

## SOLUTIONS, CHAPTER 22

1. The transaction will be routed to any of the 6 blocks between and including the one labeled FIRST and LAST with equal probability. In 5 of these cases, the transaction will be routed to different parts of the program; in the other, it is terminated.
2. The transaction will be routed to the block with the label BLOCKA $25 \%$ of the time; it will be routed to the block with the label BLOCKB 55\% of the time and it will be routed to the block with the label BLOCKC $20 \%$ of the time.
3. The program to do the simulation is given:

|  | SIMULATE |  |  |
| :---: | :---: | :---: | :---: |
|  | STORAGE | S (BERTH) , 3 |  |
|  | GENERATE | 8,2 |  |
|  | QUEUE | HARBOR |  |
| BACK1 | GATE LR | STORM |  |
|  | GATE LR | STOPAGE |  |
|  | GATE LR | TIDE |  |
|  | TRANSFER | SIM, , BACK1 |  |
|  | ENTER | BERTH |  |
|  | DEPART | HARBOR |  |
|  | ADVANCE | 21,4 |  |
| BACK2 | GATE LR | STORM |  |
|  | GATE LR | STOPAGE |  |
|  | GATE LR | TIDE |  |
|  | TRANSFER | SIM, , BACK2 |  |
|  | LEAVE | BERTH |  |
|  | TERMINATE |  |  |
|  | GENERATE | , , , 1 |  |
| BACK3 | ADVANCE | RVEXPO (1,24) | STORM COMING |
|  | LOGIC S | STORM |  |
|  | ADVANCE | RVEXPO (1, 2.5) |  |
|  | LOGIC R | STORM |  |
|  | TRANSFER | , BACK3 |  |
|  | GENERATE | , , , 1 |  |
| BACK4 | ADVANCE | 12,2 | WORK STOPPAGE |
|  | LOGIC S | STOPAGE |  |
|  | ADVANCE | 1,.5 |  |
|  | LOGIC R | STOPAGE |  |
|  | TRANSFER | , BACK4 |  |
|  | GENERATE | , , , 1 |  |
| BACK5 | ADVANCE | 10,3 | TIDE OK |
|  | LOGIC S | TIDE |  |
|  | ADVANCE | 1.5,.5 |  |
|  | LOGIC R | TIDE |  |
|  | TRANSFER | , BACK5 |  |
|  | GENERATE | 24*365*5 |  |
|  | TERMINATE | 1 |  |
|  | START | 1 |  |
|  | PUTPIC | LINES $=2, \mathrm{SR}$ (BE | TH) $/ 10 ., \mathrm{QM}$ (HAR |
| UTIL. OF BERTHS ***.**\% |  |  |  |
| MAXIMUM QUEUE |  |  |  |
|  | END |  |  |

The result of running the simulation give the following:
UTIL. OF BERTHS
MAXIMUM QUEUE
8.83\%

MAXIMUM QUEUE 3
4. The program puts the simulation clock time on the screen every time it changes. If the subroutine is called and the clock time has not changed, nothing is done. (For this example, every time the subroutine is called, there will be a change in the clock time.
5. The program for this example follows.

```
                                    SIMULATE
WHERE FUNCTION RN1,D4
.5,BLOCKA/.75,BLOCKB/.90,BLOCKC/1,BLOCKD
    GENERATE 20,10
    QUEUE WAIT
    TRANSFER ,FN(WHERE)
BLOCKA SEIZE MACH1
    DEPART WAIT
    ADVANCE 35,4
    RELEASE MACH1
    TERMINATE
BLOCKB SEIZE MACH2
    DEPART WAIT
    ADVANCE 77,3.5
    RELEASE MACH2
    TERMINATE
BLOCKC SEIZE MACH3
    DEPART WAIT
    ADVANCE 85,5
    RELEASE MACH3
    TERMINATE
BLOCKD SEIZE MACH4
    DEPART WAIT
    ADVANCE 150,7
    RELEASE MACH4
    TERMINATE
    GENERATE 480*100*3
    TERMINATE 1
    START 1
    PUTPIC LINES=4,FR(MACH1)/10.,FR(MACH2)/10.,_
    FR (MACH3)/10.,FR (MACH4)/10.
    UTIL. OF MACH1 ***.**%
    UTIL. OF MACH2 ***.**%
    UTIL. OF MACH3 ***.**%
    UTIL. OF MACH4 ***.**%
        END
```

The results of running the simulation are:

| UTIL. OF MACH1 | $87.21 \%$ |
| :--- | :--- |
| UTIL. OF MACH2 | $77.35 \%$ |
| UTIL. OF MACH3 | $65.54 \%$ |
| UTIL. OF MACH4 | $72.26 \%$ |

6. The modified program is:
```
        SIMULATE
WHERE FUNCTION RN1,D4
.5,5/.75,10/.90,15/1,20
    GENERATE 20,10
    QUEUE WAIT
ASSIGN 1,FN(WHERE), PH
    TRANSFER ,PH1
        SEIZE MACH1
        DEPART WAIT
        ADVANCE 35,4
        RELEASE MACH1
        TERMINATE
        SEIZE MACH2
        DEPART WAIT
        ADVANCE 77,3.5
        RELEASE MACH2
        TERMINATE
        SEIZE MACH3
        DEPART WAIT
        ADVANCE 85,5
        RELEASE MACH3
        TERMINATE
        SEIZE MACH4
        DEPART WAIT
        ADVANCE 150,7
        RELEASE MACH4
        TERMINATE
        GENERATE 480*100*3
        TERMINATE 1
        START 1
        PUTPIC LINES=4,FR(MACH1)/10.,FR(MACH2)/10.,-
                        FR(MACH3)/10., FR(MACH4)/10.
    UTIL. OF MACH1 ***.**%
    UTIL. OF MACH2 ***.**%
    UTIL. OF MACH3 ***.**%
    UTIL. OF MACH4 ***.**%
        END
```

Although the program gives identical results to the one used to simulate exercise 18.5 , this program is harder to follow since the blocks where the transfer takes place do not have labels.

## CHAPTER 23

# Ampervariables; DO Loops; GETLIST Statements; IF, GOTO, HERE, and LET Statements 

It is possible to have variables that change in a GPSS/H program each time it is run. We have done this already by redefining the block that we wanted to be changed. For example, a program that was run once with 4 workers in a factory had

SWORKERS [GGENERATE [],.,4
After the first run, we might have had statements such as

| 0 | ISTART | $\square 1$ |
| :---: | :---: | :---: |
| 0 | [CLEAR |  |
| 3 | [RMUTT | C777 |
| OWORKERS | [generate | [., , 5 |
| $\bigcirc$ | ]START | [1] |

Now the program is run a second time but with 5 worker transactions being used in the simulation. If it is desired to run the program again but now with 6 workers, it is easy to add the necessary lines of code. However, it is possible in GPSS/H to simplify this procedure further by using the concept of ampervariables. These are variables that have their values changed during the running of the program. They are defined by the use of the ampersand as their first character (hence, their name).

GPSS/H allows for 5 types of these ampervariables: integer, real or floating point, 2 character types, and external. Integer ampervariables cannot have a decimal point; real or floating-point ampervariables must have a decimal point; character ampervariables are for character strings; and external ampervariables refer to external functions and subroutines. In the following discussion, only integer, real, and character ampervariables are covered as they are the ones most commonly used. The other two are not used in this book.

All ampervariables must be defined prior to their use. They are defined by a statement, as follows:

| 0 | DINTEGER | $\square A, B, C, \ldots$ |
| :--- | :--- | :--- |
| $\hat{0}$ | $\square R E A L$ | $\lceil A, B, C, \ldots$ |
| 0 | $\square C H A R * \cap$ | $\square A, B, C, \ldots$ |

where the operands are the list of ampervariables. INTEGER and REAL ampervariables may have as many as 8 alphanumeric characters. Character (CHAR)


| $\diamond(a)$ | $\square I N T E G E R$ | $\square \& I, \& J O E, \& K 123456, \& J J J, \& X Y Z$ |
| :--- | :--- | :--- |
| $\diamond(b)$ | $\square R E A L$ | $\square \& Z X, \& K L M N, \& T R U C K S, \& S P E E D$ |
| $\diamond(c)$ | $\square C H A R * 2$ | $\square \& A N S, \& Y E S, \& N O$ |

The code labeled (a) defines the integer ampervariables I, JOE, K123456, JJJ, and XYZ. The code labeled (b) defines the real ampervariables ZX, KLMN, TRUCKS, and SPEED. That in (c) defines three character ampervariables of length 2 (note that the length of the name of an ampervariable may be different from the length of the string it represents). In the main program blocks, it is then possible to have the following, for example:

| $\diamond$ | ПQUEUE | $\square \& I$ |
| :--- | :--- | :--- |
| $\diamond$ | ПADVANCE | П\&SPEED |
| $\diamond$ | ПGENERATE | $\square,, \& J J J$ |
| $\diamond$ | ПSEIZE | $\square \& J O E$ |
| $\diamond$ | ПASSIGN | $\square 1, \& Z X$, PL |

One defines values for ampervariables by the LET statement or the BLET block. These are used as follows:

| $\diamond$ | $\Pi L E T$ | $\square \& I=4$ |
| :--- | :--- | :--- |
| $\diamond$ | $\square L E T$ | $\square \& S P E E D=45.67$ |
| $\diamond$ | $\square L E T$ | $\square \& A N S=' Y '$ |

Notice that character ampervariables are enclosed in single quotation marks. In Chapter 8 it was mentioned that ASCII extended characters (e.g., the $\pm$ symbol) are not normally allowed in the PUTPIC statement. However, recall that one can have the following:

```
< [\mp@code{CHAR*1 }
```

Then, one can place \&PLUSMNUS in a PUTPIC statement and the output will contain the $\pm$ symbol.

## THE GPSS/H DO LOOP

GPSS/H has DO loops that can be used to greatly shorten the code for control statements. Integer ampervariables are commonly used in connection with DO loops. The form is quite similar to that found in other programming languages:

| 0 | ПDO | $\square A, B, C$ |
| :--- | :--- | :--- |
| $\diamond$ | $\square]-\cdots$ |  |
| 0 | $\square] \cdots-\cdots$ |  |
| 0 | $\square E N D D O$ |  |

where operand $A$ is an integer ampervariable and has the form $\& \mathrm{I}=$ lower limit, operand $B$ is the upper limit, and operand $C$ is the increment. Explicitly giving the increment is optional. It is not possible to decrement the ampervariable in a DO loop.

Here is how the DO loop works. The integer ampervariable is set equal to its lower limit, and the statements from the DO statement down to the ENDDO statement are executed. The integer ampervariable is then incremented. If the increment is missing (as it often is), the value is assumed to be 1 by default. The statements are then executed up to ENDDO. This looping through the code is continued until the value of the ampervariable is greater than the upper limit. Thus, the lines of code

| 0 | [INTEGER | 7 ¢ 8 I |
| :---: | :---: | :---: |
| $\bigcirc$ | [D0 | $\square \propto I=2,10$ |
| $\diamond$ | ICLEAR |  |
| $\bigcirc$ | [RMULT | $\square 9$ |
| OWORKS | [GENERATE | [], , \& $\&$ |
| $\bigcirc$ | [START | $\square 1$ |
| $\bigcirc$ | CENDDO |  |

would run the program first with $\mathrm{I}=2$ and then with $\mathrm{I}=3$, etc., up to and including I = 10 for a total of 9 times. There would be 9 reports written.

The lines of code

| $\bigcirc$ | [INTEGER | $\square ¢ \mathrm{~K}$ |
| :---: | :---: | :---: |
| $\bigcirc$ | [D0 | $\square ¢ K=4,10,2$ |
| 0 | [CLEAR |  |
| $\bigcirc$ | [RMULT | $\square 777$ |
| $\bigcirc$ | Qinitial | [XH (VALUE) , \&K+3 |
| $\rangle$ | DStart | $\square 1$ |
| $\bigcirc$ | [ENDDD |  |

would run the program first for values of $\mathrm{K}=4$ and XH (VALUE) $=7$. The second time, the values would be $\mathrm{K}=6$ (increment is 2 ) and XH(VALUE) $=9$, etc., up to $\mathrm{K}=10$ and $\mathrm{XH}(\mathrm{VALUE})=13$.

It is possible to have nested DO loops. Each DO loop must have its own ENDDO statement:

| $\diamond$ | $\square$ INTEGER | $\square \& J$ |
| :--- | :--- | :--- |
| $\diamond$ | $\square D O$ | $\square \& J=2,6$ |


| $\diamond$ | ПCLEAR |  |
| :--- | :--- | :--- |
| $\diamond$ | ПRMULT | $\lceil 54321$ |
| $\diamond$ TRUCKS | ПGENERATE | $\square, \ldots \& J$ |
| $\diamond$ | ПDO | $\square \& I=1,3$ |
| $\diamond$ | ПSTORAGE | $\square S($ TUGS $), \& I$ |
| $\diamond$ | ПSTART | $\square 1$ |
| $\diamond$ | ПENDDO |  |
| $\diamond$ | $\square$ ENDDO |  |

The value of $\& J$ is first set equal to 2 . The block

```
TTRUCKS [GENERATE [,.&J
```

would be
$\checkmark$ TRUCKS [GENERATE [, ,, 2
next, the value of $I$ is 1 , and so the STORAGE is
$\diamond \quad \square$ STORAGE $\quad \square S(T U G S), 1$
The program is run for these values. The value of I is next incremented to 2 , and the program run with the STORAGE of TUGS equal to 2 ( $\& \mathrm{~J}$ remains equal to 2 ). Thus, the main program will be executed 18 times. ( $\& J=2,3,4$, 5,6 , and $\& I=1,2$, and 3 .)

## SIMULATION OF A TIRE SUPPLY PROBLEM

## Example 23.1

The owner of a garage stocks snow tires for sale during the winter months. He places one order at the end of summer and cannot receive any more tires if the demand is greater than the supply. In addition to a $\$ 20.00$ service charge per order, tires cost $\$ 25.00$ times the number of tires ordered. The $\$ 20$ is a fixed cost no matter how many tires are ordered. The tires sell for $\$ 45$ each. If any tires are left over, there is a penalty of $\$ 5$ per tire in "holding" costs. If a person wants to buy a tire and it is no longer in stock, the $\$ 20$ profit is considered as a loss. From past records, the owner feels that the demand for tires is given by the following relative probability distribution:

| Demand for Tires | Relative Probability |
| :---: | :---: |
| 100 | 0.03 |
| 105 | 0.05 |
| 110 | 0.10 |
| 115 | 0.15 |
| 120 | 0.18 |
| 125 | 0.14 |
| 130 | 0.12 |
| 135 | 0.10 |
| 140 | 0.08 |
| 145 | 0.03 |
| 150 | 0.02 |

Determine the number of tires the garage owner should order to maximize his expected profit. Simulate for 200 winters.

## Solution

The way to do the simulation is to first assume a supply amount of a reasonable amount of tires. Suppose this amount is 120 . Then by using the owner's data on demand distribution, a demand is simulated by means of Monte Carlo simulation. Suppose this is 100 . This means that the store made a profit of $(100 \times \$ 45)-\$ 20-(\$ 120 \times 25)-[\$ 5 \times(\$ 120-\$ 100)]=\$ 1,380$. If the demand had been 130 , however, the profit would have been $(120 \times 45)-\$ 20$ $-(\$ 120 \times 25)-[\$ 20 \times(\$ 130-\$ 120)]=\$ 2,180$.

Such computations are done for a large number of possible demands, say 200. The expected profit is then the average of the simulated ones. This result is then taken to be the expected profit (or loss) for the given supply amount. The following program to do the simulation assumes supply amounts of 90 to 150 tires in increments of 5 , i.e., amounts of $90,95,100, \ldots, 150$.

GPSS/H is ideal for such inventory problems. The program to do the simulation is given below:

```
\begin{tabular}{|c|c|c|}
\hline 0 & DSIMULATE & \\
\hline 0 & \(\square\) INTEGER & \(\square \& I, \& S T O C K, \& D M D\) \\
\hline \(\bigcirc\) & [REAL & [\&PROFIT, \&RESULT \\
\hline OMYOUT & CFILEDEF & -'TIRES.OUT' \\
\hline \(\checkmark\) & OPUTSTRING & [ ' \(\square^{\prime}\) ') \\
\hline 0 & \(\square \mathrm{PUTSTRING}\) & [ ('] ') \\
\hline 0 & [PUTSTRING & [(' SIMULATION OF A TIRE SUPPLY PROBLEM') \\
\hline \(\bigcirc\) & [PUTSTRING & - ('D') \\
\hline \(\checkmark\) & [PUTSTRING & -(' A DEALER PLACES AN ORDER FOR TIRES') \\
\hline \(\bigcirc\) & -FUTSTRING & [(' THIS IS DONE ONLY ONE TIME') \\
\hline 3 & -PUTSTRING & [(' THESE COST \$20 + \$25* (NUMBER ORDERED)') \\
\hline \(\bigcirc\) & DPUTSTRING & [(' TIRES SELL FOR \$45 EACH') \\
\hline 0 & \(\square \mathrm{PUTSTRING}\) & [(' IF ANY TIRES ARE LEFT OVER, A PENALTY') \\
\hline \(\bigcirc\) & [PUTSTRING & \(\square('\) OF \(\$ 5.00\) PER TIRE RESULTS') \\
\hline 0 & [PUTSTRING &  \\
\hline \(\bigcirc\) & \PUTSTRING & []' IS NOT IN STOCK, THE \$20 PROFIT IS') \\
\hline 0 & \(\square\) PUTSTRING & \(\square(' \operatorname{CONSIDERED~TO~BE~A~LOSS')~}\) \\
\hline \(\bigcirc\) & -PUTSTRING &  \\
\hline \(\bigcirc\) & [PUTSTRING & 口 ('D') \\
\hline \(\bigcirc\) & IPUTSTRING & ](' THE SIMULATION IS IN PROGRESS...') \\
\hline ODEMAND & [FUNCTION & [RN1, D11 \\
\hline .03,100/ & 08,105/.18 & , 110/.33,115/.51,120/.65,125/.77,130 \\
\hline .87,135/ & 95,140/.98 & ,145/1,150 \\
\hline \(\bigcirc\) & [GENERATE & [, ., 1 \\
\hline \(\bigcirc\) BACK1 & [BLET & \(\square \& D M D=F N\) ( DEMAND) \\
\hline \(\bigcirc\) & [TEST]GE & П\&STOCK, \& DMD, DDDD \\
\hline \(\bigcirc\) & CBLET & ```
C&PROFIT=&PROFIT+&DMD*45.-(20.+25.*&STOCK)-_
    5.*(&STOCK-&DMD)
``` \\
\hline 0 & [ADVANCE & \(\square 1\) \\
\hline 0 & CTRANSFER & [, BACK1 \\
\hline \(\bigcirc\) ODDD & DBLET & ```
|&PROFIT=&PROFIT+&STOCK*45.-(20.+25.*&STOCK)-_
20.*(&DMD-&STOCK)
``` \\
\hline
\end{tabular}
```

```
O [ADVANCE [I
DTRANSFER \square,BACK1
    TDO [&&I=90,150.5
    [CLEAR
    \RMULT प777777
    [LET \&STOCK=&I
    [GENERATE [200
    \TERMINATE \1
    \START DI
    [LET L&RESULT=&PROFIT/200.
    FPUTPIC CIINES=3,FILE=TIRES.OUT,&I,&RESULT
RESULTS OF TIRE SHOP SIMULATION
NUMBER OF ITEMS IN STOCK WAS ***
WITH THESE, THE EXPECTED PROFIT IS ****.**
    [LET -&&ROFIT=0
    [ENDDO
    [END
```

While the simulation takes place, the following is shown on the screen:

```
A DEALER PLACES AN ORDER FOR TIRES
THIS IS DONE ONLY ONE TIME
THESE COST $20 + $25*(NUMBER ORDERED)
TIRES SELL FOR $45 EACH
IF ANY tIRES ARE LEFT OVER, A PENALTY
OF $5.00 PER TIRE RESULTS
IF A PERSON WANTS TO BUY A TIRE AND IT
IS NOT IN STOCK, THE $2O PROFIT IS
CONSIDERED TO BE A LOSS
THE DEMAND PROBABILITY DISTRIBUTION IS GIVEN
THE SIMULATION IS IN PROGRESS...
```

The output file TIRES. OUT has been created to hold the results of the simulation. Had they been sent to the screen, it would not have been possible to read them as they would scroll by too rapidly. The file TIRES.OUT is as follows:

```
RESULTS OF TIRE SHOP SIMULATION
    NMMBER OF ITEMS IN STOCK WAS 90
    WINH THESE, THE EXPECTED PROFIT IS 1102.50
RESULTS OF TIRE SHOP SIMULATION
    MOMBER OF ITEMS IN STOCK WAS
    WITH THESE, THE EXPECTED PROFIT IS 1302.50
RESULTS OF TIRE SHOP SIMULATION
    NUMBER OF ITEMS IN STOCK WAS100
    WITH THESE, THE EXPECTED PROFIT IS 1502.50
RESULTS OF TIRE SHOP SIMULATION
    NMMER OF ITEMS IN STOCK WAS
    WITH THESE, THE EXPECTED PROFIT IS 1693.75
RESULTS OF TIRE SHOP SIMULATION
    NMMER OF ITEMS IN STOCK NAS
    1 1 0
    WITH THESE, THE EXPECTED PROFIT IS 1864.00
RESULTS OF TIRE SHOP SIMULATION
    NMMER OF ITEMS IN STOCR WAS115
```

WITH THESE, THE EXPECTED PROFIT IS 2009.75

```
RESULTS OF TIRE SHOP SIMULATION
    NUMBER OF ITEMS IN STOCK WASS 120
    WITH THESE, THE EXPECTED PROFIT IS 2110.00
RESULTS OF TIRE SHOP SIMULATION
    NUMBER OF ITEMS IN STOCK WAS 125
    WITH THESE, THE EXPECTED PROFIT IS 2131.50
RESULTS OF TIRE SHOP SIMULATION
    NUMBER OF ITEMS IN STOCK WAS 130
    WITH THESE, THE EXPECTED PROFIT IS 2112.75
RESULTS OF TIRE SHOP SIMULATION
    NUMBER OF ITEMS IN STOCK WAS 135
    WITH THESE, THE EXPECTED PROFIT IS 2050.25
RESULTS OF TIRE SHOP SIMULATION
    NUMBER OF ITEMS IN STOCK WAS 140
    WITH THESE, THE EXPECTED PROFIT IS 1954.50
RESULTS OF TIRE SHOP SIMULATION
    NTMBER OF ITEMS IN STOCK WAS
    1 4 5
    WITH THESE, THE EXPECTED PROFIT IS 1818.50
RESULTS OF TIRE SHOP SIMULATION
    NUMBER OF ITEMS IN STOCK WAS
    150
    WITH THESE, THE EXPECTED PROFIT IS 1673.75
```

From the output, it is found that the optimum number of tires to order is 125 , which will result in an expected profit of $\$ 2,131.50$. However, if 120 or 130 are ordered, the expected profit is only slightly less. If desired, the program can be rerun by using supply amounts from 120 to 130 in increments of 1 . (Note: This example is modified from one found in Cooper et al. [1977, p. 344].)

## the getlist statement

Once ampervariables are defined, they can be read into the program by means of the GETLIST statement. This causes the program execution to stop until the ampervariables as specified in GETLIST are read from the user's input device. A prompt appears on the screen until the data are input. The general form of this statement is
$\triangle$ LABEL $\quad$ GGETLIST $\cap A, B, C, \ldots$
where the label is optional, the $A$ operand is FILE=filename, and the remaining operands are ampervariables, the values of which must be input by the user. The filename GUSER is commonly used for interactive screen input. (However, the FILE = GUSER specification can be omitted as GPSS/H assumes this is the file by default.) Multiple ampervariables may be read in by a single GETLIST statement, for example,
$\diamond \quad$ [GETLIST $\square F I L E=G U S E R, \& I, \& J, \& K$
If values of 2,3 , and 7 are to be assigned to \&I, \&J, and \&K, respectively, the data must be input as

## 237

i.e., they must be separated by blanks, not commas. If a GETLIST statement asks for more than 1 value to be read in and fewer than this number is input, the prompt remains on the screen until all the data are input.

## Example 23.2

Go back to example 23.1 and add the necessary code so that the number of years to simulate for is a variable. Also, have the supply amounts and the increments as variables.

## Solution

The changes are as follows: Replace
with
$\therefore$ DINTEGER $\square \& I, \& J, \& K, \& I, \& M, \& S T O C K, \& D M D$
Add the code
THE IP, GOTO, AND HERE STATEMENTS IN GPSS/H

It is possible to have IF statements in GPSS/H. These can be used in the control statements to check on the input data or after the program has executed to prompt the user to rerun the program, often with different data. The form of the IF statement is

where operand $A$ is a condition. Conditions are logical statements such as the following:

```
&I+&J}<=&
&KLM-&MMMM=0
&YES'E'1
```

If the condition in operand $A$ is true, the group of statements after the IF statement are executed.

It is also possible to have ELSEIF and ELSE statements contained between the IF and ENDIF statements, such as is typical in other programming languages. Their form is

| $\bigcirc$ LABEL | \IF |
| :---: | :---: |
| $\bigcirc$ | [----- |
| $\bigcirc$ | ------ |
| $\bigcirc$ | -ELSEIf |
| $\bigcirc$ | [----- |
| $\bigcirc$ | [----- |
| 0 | [----- |
| $\bigcirc$ | [ELSE |
| 0 | ------ |
| $\bigcirc$ | [----- |
| $\bigcirc$ | CENDIF |

In this code, the three $A$ operands would be different conditions of interest, for example,

| $\bigcirc$ | QIF | [¢I'E'2 |
| :---: | :---: | :---: |
| $\bigcirc$ | पLET | $\square \chi_{6} J=0$ |
| $\bigcirc$ | [ELSEIF | [ $\chi^{\prime \prime}$ 'E'3 |
| $\bigcirc$ | [LET | $\square \& \in=1$ |
| $\bigcirc$ | Celse |  |
| $\bigcirc$ | [LET | $\square \& J=2$ |
| $\bigcirc$ | [ENDIF |  |

Often GOTO is used with the IF statement. The form is simply
$\checkmark \quad$ ПGOTO DA
where the operand $A$ is the label of the block to which the transaction is to be transferred. For example, you might have

```
\diamond [PUTSTRING [](' THE DATA YOU TYPED IN IS AS FOLLOWS')
\diamond [PUTPIC [LINES=3,&I,&J,&SPEED
    THE VALUE OF I = ***
    THE VALUE OF J = ***
    THE SPEED IS ***.**
\diamond \PUTSTRING [\('D]')
| UPUTSTRING [(' ARE YOU HAPPY WITH THESE?')
```

```
\diamond \squarePUTSTRING \square(' RESPOND: 1 = YES; 0 = NO')
\ [GETLIST \&L
\diamond IFF [&L'E'O
\diamond DGOTO [TRYAGAIN
O [ENDIF
```

The effect of the code in the example is to prompt the user to examine the data already input. If something in the data is not satisfactory, control returns to where the data items were originally input.

It is possible to have control return to a target of the GOTO that is a dummy statement known as the HERE statement. The form of this is

OLABEL [HERE
Thus, in the previous example, there might have been the following statement:

## OTRYAGAINTHERE

The HERE statement is analogous to the Fortran CONTINUE statement.

## Example 23.3

Consider the following code:

```
\squarePUTSTRING \('D]')
OPUTSTRING [(' DO YOU WANT TO DO ANOTHER SIMULATION? (Y/N)')
\squareputSTRING [('T]')
[GETLIST [\&ANS
\squareIF \square(&ANS'E''Y')OR(&ANS'E''Y'')
ICLEAR
\squareGOTO \AGAIN
[ENDDO
\squarePUTSTRING \(' SIMULATION OVER')
```

What will this code do?

## Solution

The ampervariable \&ANS needs to be defined as a character ampervariable of length 1. The effect of the above code is to prompt the user to redo the example. If the response is $Y$ (or y), the program clears the previous results, and control transfers to the statement with the label AGAIN.

## Example 23.4

Consider the following code:

| $\diamond$ | [INTEGER | $[¢ \mathrm{I}$ |
| :---: | :---: | :---: |
| 0 | [DO | $\square \propto \mathrm{I}=1,25$ |
| 0 | [PUTSTRING | [ ( $\square$ ] ) |
| $\bigcirc$ | [ENDDO |  |

What will this code do?

## Solutlon

The computer screen holds 25 lines of text per screen. The effect of the above is to put 25 blank lines on the screen. This code, therefore, gives a clear screen.

## EXERCISES, CHAPTER 23

1. A program is to prompt the user to input the number of trucks to use in the simulation. This number cannot be 0 or less and also cannot be more than 10. Give the code to check that the input number of trucks is correct.
2. A program is to be run 4 times for storages of TUGS from 3 to 6 . Show how this situation can be simulated with an appropriate DO loop.
3. The user is to be prompted after a program is run as to whether it should be run again. If the answer is "Yes," the user is to be prompted as to whether all new data are to be input or the only change is to be the number of trucks.
4. A simple barbershop example has customers arriving every $A \pm B$ minutes; haircuts take $C \pm D$ minutes. Write a program to simulate such a system with all data as input variables, including the length (i.e., number of time units) of the simulation.
5. Add the code to Exercise 23.4 to prompt the user to run the program again.

## SOLUTIONS, CHAPTER 23

| 1. | PUTSTRING | (' HOW MANY trucks to have in the simulation?') |
| :---: | :---: | :---: |
|  | PUTSIRING | (' ') |
|  | GETLIST | \&TRUCK |
|  | IF | ( $¢$ TRUCK'LE'0) OR( $\%$ TRUCK'G'10) |
|  | PUTSTRING | (' THE NUMBER OF TRUCKS MUST BE BETWEEN') |
|  | PUTSTRING | (' 1 AND 10. GO BACK AND INPUT THE') |
|  | PUTSTRING | (' CORRECT NUMBER.') |
|  | GOTO | BACK |
|  | ENDIF |  |
| 2. | DO | $\& \mathrm{I}=3,6$ |
|  | CLEAR |  |
|  | INITIAL | S(TUGS), \&I |
|  | START | 1 |
|  | PUTPIC |  |
|  | ENDDO |  |
| 3. | PUTSTRING | (' ') |
|  | PUTSTRING | (' RUN AGAIN? (Y/N)') |
|  | PUTSTRING | (' ') |
|  | GETLIST | \&ANS |
|  | IF | ( $\&$ ANS'E''Y) OR (\&ANS'E''Y') |
|  | PUTSTRING | (' WITH ONLY THE TRUCKS CHANGE? (Y/N)') |
|  | PUTSTRING | (' ') |
|  | GETLIST | \&ANS |


| IF | ( $¢$ ANS 'E''Y')OR(\&ANS'E''Y') |
| :---: | :---: |
| GOTO | TRUCKS |
| ENDIF |  |
| GOTO | ALLOVER |
| ENDIF |  |

Note: For better readable of the code, it is a good idea to indent as is done here. However, care must be taken not to exceed column 25. If this happens, the OPERCOL statement will be needed.
4. The program is as follows:


```
DEPART WAIT
ADVANCE &MEAN2,&SPREAD2
RELEASE BARBER
TERMINATE
GENERATE &MINUTES*&SHIFTS
TERMINATE 1
START 1
DO &I=1,25
PUTSTRING (' ')
ENDDO
PUTPIC LINES=3,FC(BARBER)/&SHIFTS,FR(BARBER)/10.
RESULTS OF SIMULATION FOR BARBER SHOP
HAIRCUTS PER DAY *******
UTIL. OF BARBER ****.**
END
```

5. The code to add is as follows:

| PUTSTRING | ( ${ }^{\prime}$ ') |
| :---: | :---: |
| PUTSTRING | (' RUN THE PROGRAM AGAIN? (Y/N)') |
| PUTSTRING | (' ') |
| GETLIST | \&ANSWER |
| IF | (\&ANSWER'E''Y') OR (\&ANSWER'E''Y') |
| GOTO | AGAIN |
| ENDIF |  |
| PUTSTRING | (' ') |
| PUTSTRING | (' SIMULATION OVER....') |

The ampervariable \&ANSWER needs to be specified by means of the statement CHAR*1.

## REFERENCE

Cooper, L., U.N. Bhat, and L.J. LeBlanc. 1977. Introduction to Operations Research Models. Philadelphia: W.B. Saunders Company.

## CHAPTER 24 <br> The SELECT and COUNT Blocks

Each of the features of a GPSS/H program-including the blocks, the queues, the facilities, the savevalues, etc.-is known as an entity class. Each entity class has SNAs associated with it, and these are also known as entities. GPSS/H has several powerful blocks that can be used to search several of these entities (or SNAs) and test their current values for a specific condition when a transaction enters the block. When this condition is met, a record is placed in one of the transaction's parameters. Such scans are common in real-life situations. For example, a person entering a bank that has individual queues at each teller will scan these queues, determine which is the shortest, and then join the queue that is the shortest. The block to both scan and test at the same time is the SELECT block. When a transaction enters this block, a scan of selected entity members is made. When one of these scanned members is found that satisfies some stated condition, the scan is terminated. Other examples of where such a block might be used to model real-life situations are as follows:

1. Ore is delivered to 4 silos. The one that has the least ore in it is to be filled first. Alternatively, ore is to be taken out of the 4 silos starting with the one with the most ore in it.
2. A part comes along an assembly line to a point at which 3 machines can work on it. The part will be sent to the first machine that is not in use. If all 3 machines are in use, the part is sent to another section of the plant.

In order to do this scanning and testing, the SELECT block needs to know what entities to scan, what the test is, where to put the result of the scan, and what to do if the scan is not successful. As a result, the SELECT block can have up to 6 operands. As such, it is the most complicated block encountered since the GENERATE block. One general form of the SELECT block is

OLABEL $\square \operatorname{SELECT}[\mathbb{R}[A, B, C, D, E, F$
where $R$ is a relational operator, which, as we saw in Chapter 16 on the TEST block, is one of the following:

| G | greater than |
| :--- | :--- |
| GE | greater than or equal to |
| E | equal to |
| NE | not equal to |
| LE | less than or equal to |
| L | less than |

Operand $A$ is the parameter number (and parameter type unless you are only using halfword parameters) into which the first entity number that satisfies the test is to be placed. Thus, if queues numbered from 5 to 8 are scanned and queue number 7 satisfies the condition, the number 7 is placed in the transaction's parameter given by $A$. Operand $B$ is the smallest number of the entities to be scanned and may be any SNA. Operand $C$ is the largest number of the entities to be scanned and may be any SNA. Operand $D$ is the specific condition sought in the test. Operand $E$ is the family name of the SNA to be used in the scan. This might be F, PH, S, Q, etc. Operand $F$ (optional) is the block label of the block to which the transaction is to be transferred if the scan is not successful.

Note that $R$ follows the operation SELECT plus exactly 1 blank space. The SELECT block is best understood by considering examples of its use, as follows:
$\diamond(a) \quad \square S E L E C T \square E \quad[3 \mathrm{PF}, 1,5,2, \mathrm{Q}$
When a transaction enters this block, a scan will be made of queues $(Q) 1$ to 5 . These will be tested to see if any has a queue length of 2 . If so, the number of that queue will be placed in the transaction's third fullword parameter. If none of the queues 1 to 5 has a queue length equal to 2, the transaction moves to the next sequential block. If the queue lengths at all the queues are 0 except at queues 4 and 5 where they are both 2 , the number 4 is placed in the transaction's second fullword parameter.
$O$ (b) TSELECTGG [7PR, 3,7,250,FR
A scan is made of the utilization of facilities (FR) 3 to 7 , starting with facility 3 and going up to facility 7 . Once a facility is found that has a fractional utilization greater than 250 permil (recall that the fractional utilization $F R$ is always expressed in parts per thousand), the scan is stopped, and the facility number is placed in the transaction's fifth halfword parameter. If no facility from 3 to 7 has a fractional utilization greater than 250 permil, the transaction moves to the next sequential block.
$\bigcirc(c) \quad[S E L E C T] L E 10 \mathrm{PH}, 1,3,1, R$, AWAY
Storages 1 to 3 are scanned. If one has a remaining storage ( R ) of less than or equal to 1 , that storage's number is copied into the transaction's tenth halfword parameter. If no storage in the scan satisfies the criterion, the transaction is routed to the block with the label AWAY.

## $\bigcirc(\mathrm{d}) \quad \square$ SELECTINE $\square 4 \mathrm{PH}, 7,12,0, \mathrm{PH}$

The scan is of the transaction's halfword parameters (PH) 7 to 12 . Once one of these is found to be not equal to 0 , the number of that halfword parameter is copied into the transaction's fourth halfword parameter.
$O(e)$ USELECTIE [3PH, PH3, PH4, 3, Q, DOWN
The result of the scan will be placed in the transaction's third halfword parameter. The queues $(Q)$ to be scanned will depend on the values of the transaction's third and fourth halfword parameters. Suppose these values are 5 and 9 , respectively. Then queues 5 through 9 are scanned, and if any has a length equal to 3 , the number of that queue is placed in the transaction's third halfword parameter. If none of the queues has a length equal to 3 , the transaction is routed to the block with the label DOWN.

## Example 24.1

Parts come along an assembly line to a point where they are to be worked on by 1 of 3 identical machines. The parts arrive at a rate of 1 every $8 \pm 4.5 \mathrm{~min}$ utes. The machines finish a part in $20 \pm 6$ minutes. If a machine is free, the part is worked on by that machine, but if all 3 machines are busy, the part is sent away to another part of the factory. Determine the utilization of the 3 machines and how many parts are sent away for 20 shifts of 480 minutes each.

## Solution

```
\diamond \SIMULATE
\diamond IINTEGER \&I
```



```
0 ПPUTSTRING \square('П]')
O \ENDDO
OTIMES \GENERATE \square8,4.5
\vartheta \SELECT\E \2,1,3,0,F,AWAY प(NOTE: NO PARAMETER TYPE: SEE
*FOLLOWING EXPLANATION)
O \SEIZE \PH2
O \ADVANCE [20.5
\vartheta \RELEASE [PH2
OTERMINATE
OAWAY DTERMINATE
) \GENERATE [480*20
< पTERMINATE \squareI
\ ISTART [1
Q [DO [K&I=1,25
> [PUTSTRING D('D')
O [ENDDO
O \PUTPIC \LINES=5,N(TIMES),N(AWAY),FR1/10.,FR2/10.,FR3/10.
    THE NUMBER OF PARTS ENTERING THE SYSTEM = ****
    THE NUMBER SENT TO OTHER MACHINES = ****
    UTILIZATION OF MACHINE 1 = ***.**%
    UTILIZATION OF MACHINE 2 = ***.**%
    UTILIZATION OF MACHINE 3 = ***.***
3
    CEND
```

The output from the program is as follows:

| THE NUMBER OF PARTS ENTERING THE SYSTEM | $=1198$ |
| :--- | :--- |
| THE NUMBER SENT TO OTHER MACHINES | $=151$ |
| UTILIZATION OF MACHINE 1 | $=81.56 \%$ |
| UTILIZATION OF MACHINE 2 | $=75.12 \%$ |
| UTILIZATION OF MACHINE 3 | $=62.48 \%$ |

For the 20 shifts, 1198 parts came to the 3 machines. Of these total parts, 151 were turned away because all 3 machines were busy. The utilization of the 3 machines was $81.56 \%$ for machine $1,75.12 \%$ for machine 2 , and $62.48 \%$ for machine 3. The reason for the decrease in utilization is because, when a new part arrives at the machines, the scan checks to see if any of the 3 machines is free. The scan stops when one machine is found to be free, and the scanning always starts at machine 1 .

This problem also could have been solved by using the TRANSFER ALL block.
Notice that, in Example 24.1, the parameter type was not specified. As long as you have only halfword parameters, this shortcut is acceptable. But if the transaction had other types of parameters, it is necessary to specify the type in the SELECT block. For example,

```
lll
```

would give an error. The correct form of the SELECT block would have to be

```
\diamond \SELECT\E \2PH,1,5,1,Q \square(or 2PF)
```


## THE COUNT BLOCK

The COUNT block resembles the SELECT block in that, when a transaction enters, it triggers a scan of specified entities. The result of the scan is placed in a specified parameter. In the case of the SELECT block, once the scan finds an entity to satisfy the given test, the scan is over. The COUNT block counts the number of the entities that satisfy the criteria and places the number that satisfy the test criteria into the transaction's specified parameter. One general form of the COUNT block is
$\diamond \quad \square C O U N T \square R \quad \square A, B, C, D, E$
$R$ is one of the relational operators used in the SELECT block. Thus, it must be one of the following: G, GE, E, NE, L, or LE. $A, B, C, D$, and $E$ have the same meanings as the operands in the SELECT block. Since the number of the entities in a COUNT block will always be a number greater than or equal to 0 , there cannot be any $F$ operand.

Some examples of the COUNT block are as follows:

| $\diamond(a)$ | $\square C O U N T I E$ | $\square 1,1,4,0, Q$ |
| :--- | :--- | :--- |
| $\diamond(b)$ | $\square C O U N I T G$ | $\square 3,3,6,250, F R$ |

In (a), a count is made of all the queues from 1 to 4 that have lengths equal to 0 . The result of this count is placed in the transaction's first halfword parameter. In (b), a count is made of the facilities 3 to 6 that have a utilization greater than 250 permil. The total number of such facilities is placed in the transaction's third (halfword) parameter.

## OTHER FORMS OF THE SELECT AND COUNT BLOCKS

## The select Block In min or max Mode

The SELECT block can be used to scan a group of entities and determine which has a maximum (or minimum) value. The general form of this block is either

```
\SELECTMMAX\A,B,C, E
```

or
$\diamond \quad \square$ SELECTMMIMA, $B, C_{1}, E$
The "word" MIN (or MAX) is called an auxiliary operator and appears in the same position as a relational operator, i.e., separated from the operation SELECT by exactly 1 space (as shown by the open box in the code line). The $A, B, C$, and $E$ operands are the same as for the regular SELECT block. There is no $D$ operand, but the two commas are necessary.

When a transaction enters this form of SELECT block, a scan is made of the entities specified by the $B$ and $C$ operands. The processor selects the minimum (or maximum) from the desired entity class and places the number of that entity into the transaction's parameter number and type as specified by the $A$ operand.
$\diamond(\mathrm{a}) \quad \square$ SELECT $\square \mathrm{MIN} \square 3 \mathrm{PH}, 1,4$, FR
$\nabla(b) \quad[\operatorname{SELECT}[M A X] 1 \mathrm{PH}, 3,7, Q$
$\diamond(c) \quad$ ISELECTMMIN]5PH, 1,3, R
In (a), facilities 1 to 4 are scanned, and the processor places the number of the facility in this group that has the least fractional utilization into the transaction's halfword parameter 3 . Thus, if facility 1 had $F R=350$, facility 2 had $\mathrm{FR}=599$, facility 3 had $\mathrm{FR}=500$, and facility 4 had $\mathrm{FR}=222$, the processor would place the number 4 in the transaction's third halfword parameter. In (b), queues 3 to 7 are scanned. The queue that has the greatest length is determined, and its number is placed in the transaction's halfword parameter 1. In case of a tie, i.e., if both queue 4 and queue 7 had equal lengths of 5 and this value was the maximum, the number 4 is placed in halfword parameter 1. This approach of "the first wins in the event of a tie" is also the case if SELECT MIN is used. In (c), storages from 1 to 3 are scanned, and the one with the least remaining storage is placed in the transaction's halfword parameter 5.

## Use with Loglc Switches

A SELECT or COUNT block can be used with logic switches. The general form is

LR can be used in place of LS. Operands $D$ and $E$ are omitted and $F$ is optional. If $F$ is used, the commas are required; otherwise, they can be omitted.

The scan is made of logic switches from $B$ (minimum value) to $C$ (maximum value). As soon as the processor encounters one that satisfies the test (either LS for set or LR for reset), the scan is finished, and the number of the logic switch is placed in the transaction's parameter given by operand $A$. The $F$ operand is a block label where the transaction is routed if no logic switch satisfies the scan criteria. If the scan fails and there is no $F$ operand, the transaction is routed to the next sequential block and nothing else is done.

The COUNT block in this mode is
$\diamond \quad$ ICOUNTILS [iA, B, C
LR could be used in place of LS. The only difference in form from that of the SELECT block is that operand $F$ is never used. In the COUNT block, a scan is made of the logic switches from $B$ to $C$, and the number of switches in set (or reset) condition is placed in the parameter given by operand $A$. For example, suppose a transaction entered the following two sequential blocks in a program:
$\rightarrow \quad$ [SELECTLLS [ 3 PH, 2,6
$\diamond \quad$ CCOUNTLLR $\quad \square 4 \mathrm{PH}, 2,6$
And suppose that the logic switches 2 through 6 were as follows:
LS2 is reset
LS3 is reset
LS4 is set
LS5 is reset
LS6 is set
The transaction would have a 4 in halfword parameter 3 and a 3 in halfword parameter 4.

## Use with Facllitles and Storages

The form of the SELECT block is
$0 \quad \square \operatorname{SELECT} \square(\mathrm{x}) \square A, B, C,, F$
where $x$ is an auxiliary operator. It can be one of the following:

| Auxiliary Operator | Meaning |
| :--- | :--- |
| FU | facility in use |
| FNU | facility not in use |
| SE | storage empty |
| SNE | storage not empty |
| SF | storage full |
| SNF | storage not full |

There are no $D$ or $E$ operands, and the $F$ operand is optional. The meaning of the operands is the same as before.

The general form of the COUNT block in this mode is
$0 \quad \square \mathrm{COUNT} \square(x) \square A, B, C$
A scan is made of the entities and the total number of them satisfying the criteria is placed in the transaction's parameter as specified by the $A$ operand. Several examples of these blocks are
$\bigcirc(\mathrm{a}) \quad \square$ SELECT $\square F N O T 1 \mathrm{PH}, 3,6$
$\diamond(b) \quad[C O U N T[F N U \quad[2 \mathrm{PH}, 3,6$
$\Delta(c) \quad[\operatorname{SELECTISE}[3 \mathrm{PH}, 1,7, \ldots$ AWAY
$\diamond(d) \quad[C O U N T L S F \quad[4 \mathrm{PH}, 1,7$
In (a), the scan is of facilities 3 to 6 in ascending order. Once one is found to be not in use, the scan is finished and the facility number is placed in the transaction's halfword parameter 1 . In (b), a count is made of facilities 3 to 6 that are not in use. The total is placed in halfword parameter 2. In (c), a scan of storages 1 to 7 is made to determine if any are empty. The number of the first one to satisfy the criterion is placed in halfword parameter 3 , and the scan is stopped. If no storage is found to satisfy the criterion, the transaction is sent to the block with the label AWAY. In (d), a count is made of the storages 1 to 7 that are found to be full. The total is placed in halfword parameter 4.

## Example 24.2

Did you ever wonder why banks, post offices, airline ticket agent counters, and other places where multiple servers are used now have customers wait in an individual queue rather than forming separate queues at each teller or agent? The single-queue system is known as a "quickline" system. This example will illustrate why a quickline system is better than individual queues.

Suppose customers arrive in a store that has 6 clerks behind desks to serve the customers. Customers come in and first see if any clerk is free. If so, the customer will go to that desk. If all the clerks are busy, the person will go to the back of the shortest queue. Once at a desk, no queue jumping is allowed.

Customers arrive in a Poisson stream, with an interarrival time of 10 seconds. A given customer will transact any one of 4 types of business. The amount of time each type of business requires and the relative percentage of customers transacting each type of business are as follows:

|  | Time Taken (seconds) |  |  |
| :---: | :---: | :---: | :---: |
| Business | Mean | Standard Deviation | Relative Percent |
| Type 1 | 25 | 4 | 28 |
| Type 2 | 32 | 5 | 17 |
| Type 3 | 60 | 10 | 30 |
| Type 4 | 80 | 10 | 25 |

Model this system for 10 days with both individual queues and the quickline approach. The store works 10 hours straight.

## Solution

The program to model the quickline is quite easy to write by using the clerks as storages. The code is as follows:


The output is sent to the file BANK1.OUT. The part of the output that is of concern is the average length of time each person spends in the bank.

| AVERAGE NUMBER IN QUEUE FOR THE 10 DAYS WAS | 2.86 |
| :--- | :---: | :---: |
| AVERAGE UTILIZATION OF THE TELLERS FOR THE 10 DAYS WAS | $88.19 \%$ |
| AVERAGE NUMBER OF PEOPLE IN THE BANK WAS | 8.05 |
| AVERAGE TIME IN THE BANK FOR EACH CUSTOMER WAS | 81.31 |

The important statistic is that each person could expect to be in the bank for 81.31 seconds. Next, the program is given for the case of individual queues for each teller. As each person enters the bank, he or she scans the tellers to see if any is free. If so, the person goes to that teller. If no teller is free, the person scans the queues and goes to the teller who has the minimum queue length. The program code is as follows:


```
    AVERAGE NUMBER IN BANK FOR THE }10\mathrm{ DAYS WAS ***.**
    AVERAGE TIME IN BANK FOR THE 10 DAYS WAS ***.**
\ [END
```

Again, the important statistic is the length of time each person can expect to be in the bank. The output from the program is as follows:

```
AVERAGE NUMBER IN BANK FOR THE 10 DAYS WAS 9.07
AVERAGE TIME IN BANK FOR THE 10 DAYS WAS 90.55
```

As can be seen, the quickline is faster than individual queues. For the bank using the quickline, people were in the bank an average of 81.31 seconds, and there were an average of 8.05 people in the bank at any one time. For the bank using individual queues, people were in the bank for 90.55 seconds, and there were an average of 9.07 people in the bank.

Notice that the EQU compiler directive was necessary in the program for individual queues since the various queues could not be identified during compiling. If the EQU compiler directive had not been used, the queue WAIT would have been queue 1. This would be the same queue as the people in line before teller 1 and, thus, would give incorrect statistics.

## EXERCISES, CHAPTER 24

1. Explain what happens when a transaction enters each of the following SELECT blocks:

| $\bigcirc(a)$ | ]selectie | $\square 3 \mathrm{PH}, 1,5,3,0$ |
| :---: | :---: | :---: |
| $\theta(\mathrm{b})$ | ]SELECTIG | $\square 1 \mathrm{PH}, 2,7,900$, FR |
| $\bigcirc(c)$ | UsElectine | $\square 5 \mathrm{PH}, 1,10,1, \mathrm{~F}$ |
| $\bigcirc(\mathrm{d})$ | [SELECT]E | $\square 3 \mathrm{PH}, 4,12,0, \mathrm{PH}, \mathrm{AWAY}$ |
| $\Delta(e)$ | [SELECTTL | C1PH, PH2, PH3, 100, DDDD |
| $\bigcirc(f)$ | [count]e | [1PH, 1, 5, 0, XH |
| $\bigcirc(\mathrm{g})$ | [COUNTIE | [10PH, 5, 20,1,Q |

2. Explain what happens when a transaction enters each of the following SELECT blocks.
$\bigcirc(a) \quad \quad[\operatorname{SELECT} \backslash M A X] 2 \mathrm{PF}, 1,10,, Q$
$\bigcirc$ (b) $\quad \square S E L E C T \square M I N \square 3 \mathrm{PH}, 1,5, \mathrm{XF}$
$\diamond(\mathrm{c}) \quad \square \mathrm{SELECT}[\mathrm{MAX} \square 4 \mathrm{PH}, \mathrm{PH} 1, \mathrm{PH} 2, \mathrm{FR}$
3. Parts come along for repairs every $10 \pm 4.5$ minutes. There are 3 identical machines to do these repairs. Each takes $26 \pm 5$ minutes to repair an item. Write a program to simulate the situation in which a part is assigned to the machine that has worked the least amount. Contrast the results with those for a situation in which the part always goes to the first machine if it is free and only goes to the second if the first is busy or goes to the third only if the first and second machines are busy.

## SOLUTIONS, CHAPTER 24

1. a. A scan is made of the queues from 1 to 5 to determine if any has a length of 3 . If so, the number of this is placed in the transaction's 3rd halfword parameter.
b. A scan is made of the facilities from 2 to 7 . If any has a fractional utilization greater than 900 , the number of this facility is placed in the transaction's 1st halfword parameter.
c. A scan is made of the facilities from 1 to 10 . If any is not currently being seized, a the number of this facility is placed in the transaction's 5th halfword parameter.
d. A scan is made of the parameters from 4 to 12 to see if any has the value 0 . If so, the number of this parameter is placed in the transaction's 3rd halfword parameter. If no parameter in the scan has the value zero, control transfers to the block with the label AWAY.
e. A scan is made of the parameters which are given by the values in parameter 2 and 3. The test is for any parameter in this range with the value less than 100 . If so, the number of this parameter is placed in the transactions's first halfword parameter.
f. Halfword savevalues from 1 to 5 are scanned. The number of these having the value of 0 is placed in the transaction's 1st halfword parameter.
g. The queues from 5 to 20 are scanned. The number having a length of 1 is placed in the transaction's 10th halfword parameter.
2. a. The queues from 1 to 10 are scanned. The number of the largest one is placed in the transaction's 2nd fullword parameter.
b. The full word savevalues from 1 to 5 are scanned. The number of the one having the lease value is placed in the transaction's 3rd halfword parameter.
c. Facilities are scanned to determine which has the greatest utilization. The number of these facilities to be scanned depends on what values are stored in halfword parameters PH1 and PH2.
3. The program to simulate this is:


The program for the second part is:

```
                                GENERATE 10,4.5
QUEUE WAIT
TRANSFER ALL,FIRST,LAST,5
FIRST SEIZE MACH1
DEPART WAIT
ADVANCE 26,5
RELEASE MACH1
TERMINATE
SEIZE MACH2
DEPART WAIT
ADVANCE 26,5
RELEASE MACH2
TERMINATE
LAST SEIZE MACH3
        DEPART WAIT
        ADVANCE 26,5
        RELEASE MACH3
        TERMINATE
        GENERATE 480*10
        TERMINATE 1
        START 1
        PUTPIC LINES=3,FR(MACH1)/10.,FR(MACH2)/10,FR(MACH3)/10.
UTIL. OF FIRST MACHINE ***.**%
UTIL. OF SECOND MACHINE ***.**%
UTIL. OF THIRD MACHINE ***.**%
    END
```

Now, the results of the simulation are:

| UTIL. OF FIRST MACHINE | 89.068 |
| :--- | :--- |
| UTIL. OF SECOND MACHINE | 83.068 |
| UTIL. OF THIRD MACHINE | 84.038 |

## CHAPTER 25 <br> Matrices

GPSS/H allows for the use of matrices in a manner similar to that found in other computer languages. The matrix has to be first defined. This means specifying the number of rows, the number of columns, the type of elements that will be in the matrix, and the name (or number) of the matrix. A savevalue can be considered as a linear array. A matrix can be considered as a savevalue with two or more dimensions. The general form of the statement that specifies the matrix is

OLABEL MMATRIX [A,B,C
The label is a name (or number) that follows the usual rules for naming savevalues. Operand $A$ designates the type of matrix, operand $B$ gives the number of rows, and operand $C$ gives the number of columns. There are 4 types of matrices in GPSS/H:

| Matrix Type Specification | Kind of Matrix Savevalue |
| :--- | :--- |
| MX (M can be omitted) | fullword |
| MH (M can be omitted) | halfword |
| MB | byte-word |
| ML | floating-point |

The size and integer nature of the elements used in the various types of matrices are the same as for regular savevalues. Some examples of matrix definitions are

| $O F I R S T$ | חMATRIX | חMH, 1,3 |
| :--- | :--- | :--- |
| 04 | חMATRIX | חML, 2,10 |
| OIAST | חMATRIX | חMB, 3, 3 |
| OOTHER | חMATRIX | חMX, 5,4 |

Matrix FIRST is a halfword matrix having 1 row and 3 columns, i.e., it might be
$\left(\begin{array}{lll}2 & 4 & -3\end{array}\right)$

For this example, the values of the halfword matrix FIRST are as follows: $(1,1)$ is $2 ;(1,2)$ is 4 ; and $(1,3)$ is -3 . Matrix 4 is a floating-point matrix with 2 rows and 10 columns. Matrix LAST is a byte-word matrix of size 3 by 3 . Matrix OTHER is declared to be a fullword matrix with 5 rows and 4 columns. Note that it would have been all right (but not recommended, according to the best programming practice) to omit the M in MH and the M in MX :

```
OFIRST [MATRIX [H,1,3
@THER [MATRIX [X,5,4
```


## GIVING INITIAL VALUES TO MATRICES

Once a matrix is defined via the matrix declaration statement, all its elements are set to zero. It is possible to have initial values assigned to the various elements by using the INITIAL statement, just as was done for ordinary savevalues. When initializing ordinary savevalues, two forms were possible. One was the older form that used the dollar sign, "\$," and the other used left and right parentheses. Only the $\$$ sign is allowed for initializing matrices. Thus, whereas for savevalues one can have

```
\ DINITIAL [XFSJILL,4
O DINITIAL DXF$(TOMMY),-5/XH(SAM),10/XL$SALLY),12.345
```

When initializing matrices that are referenced by labels that are not numbers, the only form one can use is the $\$$ sign. Thus, one might have

```
OFIRST [MATRIX [MH,1,3
\ \squareINITIAL DMH$FIRST(1,1),2/MH$FIRST(1, 2),-4
```

The elements of the 1 by 3 dimensioned halfword matrix would be

```
([\begin{array}{lll}{2}&{-4}&{0}\end{array})
```

If a matrix is referenced by a label that is a number, one need not use the \$ approach, for example,

```
O1 [MATRIX [MH,2,2
\INITIAL \MH1(1,1),3/MH2(2,2).5
```

would be all right. Note that in the INITIAL statement, MH1 refers to the halfword matrix with the name 1 and MH2 refers to the halfword matrix with the name 2.

## Example 25.1

Large and small trucks come to an inspection and refueling station. A large truck arrives every $8 \pm 1$ minutes, and a small truck arrives every $6.5 \pm 2.2 \mathrm{~min}$ utes. The sequence for each truck as it passes through the station is as follows:

1. It takes $2.5 \pm 1$ minutes to position each truck. Only one truck can be positioned at a time.
2. A single worker then fuels a truck in $2.7 \pm 1$ minutes.
3. After fueling, a single worker checks gauges inside the cab. The gauge check takes $2.9 \pm 1$ minutes.
4. Next, two workers wash each truck in $6.5 \pm 1.2$ minutes.
5. A single worker checks and fills tires if needed. This process takes $3 \pm 1$ minutes.
6. There are two final checks, and these are done by two people. Their times vary depending on the type of truck and are as follows:

|  | 2 Axles | 3 Axies |
| :--- | :--- | :--- |
| Inspector 1 | $6.1 \pm 2$ | $6.4 \pm 2$ |
| Inspector 2 | $6.9 \pm 1$ | $7.5 \pm 1$ |

Simulate for 1 week's operation to determine if there are any bottlenecks in the system.

## Solution

The solution will utilize a matrix whose size is 2 by 2 and whose elements are the mean times.

| 0 | पSIMULATE |  |  |
| :---: | :---: | :---: | :---: |
| 0 | [INTEGER |  |  |
|  | I |  |  |
| OSERV | [MATRIX | [ML, 2, 2 |  |
| $\bigcirc$ | Oinitial | [ML\$SERV (1, 1), | ,6.1/ML\$SERV $(1,2), 6.4$ |
| $\bigcirc$ | Oinitial | [MLSSERV $(2,1)$, | ,6.9/ML\$SERV $(2,2), 7.5$ |
| 0 | CSTORAGE | IS (WORRERS) , 2 |  |
| 0 | [GENERATE | [78,1 | [Large truck comes along |
| 0 | TASSIGN | $\square 1,1, \mathrm{PH}$ | dCALL IT 1 |
| $\bigcirc$ | ITRANSFER | D, DD |  |
| $\Delta$ | [GENERATE | [6.5,2.2 | [SMALL TRUCK COMES ALONG |
| 0 | [ASSIGN | $\square 1,2, \mathrm{PH}$ | [CALL IT 2 |
| $\bigcirc$ DDDD | [ADVANCE | $\square 2.5 .1$ | CPOSITION IT |
| $\bigcirc$ | [SEIZE | [WORK1 |  |
| 0 | [advance | [2.7.1 |  |
| 0 | -RELEASE | ]WORK1 |  |
| 0 | [SEIEE | [WORK2 |  |
| $\bigcirc$ | TADVANCE | [2.9.1 |  |
| 0 | [RELEASE | [WORK2 |  |
| 0 | [ENTER | IWORKERS |  |
| $\bigcirc$ | [ADVANCE | [6.5.1.2 |  |
| 0 | LLEAVE | [WORKERS |  |
| 3 | [SEIZE | ]WORK3 |  |
| 0 | $\square \mathrm{ADVANCE}$ | $\square 3.1$ |  |
| 0 | [RELEASE | [WORK3 |  |
| 0 | OTRANSFER | [BOTH, OTHER |  |
| 0 | -SEIZE | -INSP1 |  |
| 0 | [ADVANCE | [MLSSERV (1, PH1 | ) , 2 |
| 0 | -RELEASE | JINSP1 |  |
| $\checkmark$ | CTRANSFER | $\square, \mathrm{BACKIN}$ |  |
| SOTHER | CSEIZE | -INSP2 |  |
| 0 | $\square \mathrm{ADVANCE}$ | [MLSSERV $(2, \mathrm{PH} 1$ | ), 1 |
| 0 | [RELEASE | OINSP2 |  |
| OBACKIN | TTESTIE | \PH1, 1, TYPE2 |  |
| OTYPE1 | Oterminate |  |  |
| OTYPE2 | TTERMINATE |  |  |

```
O DGENERATE [480*100
|TERMINATE DI
    \START [l1
    [DO \&L=1,25
    |PUTSTRING \('D]')
    OENDDO
    [PUTPIC [LINES=8,FR(WORK1)/10.,FR(WORK2)/10.,-
        SR(WORKERS)/10.,FR(WORK3)/10.,-
        FR(INSP1)/10.,FR(INSP2)/10.,_
        N(TYPE1)/10.,N(TYPE2)/10.
    UTIL. OF WORKER 1 ***.**%
UTIL. OF WORKER 2 ***.**%
UTIL. OF WORKERS ***.**%
UTIL. OF WORKER 3 ***.**%
UTIL. OF INSP. 1 ***.**%
UTIL. OF INSP. 2 ***.**%
NUMBER OF LARGE TRUCKS/DAY ***.**
NUMBER OF SMALL TRUCKS/DAY ***.**
O \END
```

The output from the program is as follows:

| UTIL. OF WORKER 1 | $75.39 \%$ |
| :--- | :--- |
| UTIL. OF WORKER 2 | $80.92 \%$ |
| UTIL. OF WORKERS | $90.81 \%$ |
| UTIL. OF WORKER 3 | $83.63 \%$ |
| UTIL. OF INSP. 1 | $92.45 \%$ |
| UTIL. OF INSP. 2 | $94.67 \%$ |
| NUMBER OF LARGE TRUCKS/DAY | 599.50 |
| NUMBER OF SMALL TRUCRS/DAY | 737.50 |

As can be seen, the system is fairly well balanced. If anything, the two final inspectors are a bit overworked.

## the matrix savevalue block

Matrices can have their elements modified by having a transaction move into a block known as the MSAVEVALUE block. The general form of it is
$\bigcirc$ MSSAVEVALUE[A, B, C, D, E
where $A$ is the name or number of the MSAVEVALUE, $B$ is the row, $C$ is the column, $D$ is the new value, and $E$ refers to the matrix type. Some examples of this block are

| $O(a)$ | -MSAVEVALUE[JOE, 1, 2, 5, MH |
| :---: | :---: |
| $\bigcirc(b)$ | [MSAVEVALUE[]4, 4, 4, 4, MX |
| $\delta(\mathrm{c})$ | [MSAVEVALUE TTOMMY, 1, 10,5.678, ML |
| $\Delta(\mathrm{d})$ | पMSAVEVALUE\BETTY, FN (JOE) PH2, XH (BILL) , MH |

In (a), the element $(1,2)$ of the matrix JOE is given the value 5 ; JOE is a halfword matrix. In (b), the element $(4,4)$ of matrix 4 is given the value 4 ; the matrix 4 is a fullword matrix. In (c), the element $(1,10)$ of the matrix TOMMY is given the value of 5.678; TOMMY is a floating-point matrix. In (d), the matrix BETTY is given a value as specified by savevalue BILL. This will go in
the element referenced by the function JOE and the transaction's second halfword parameter; BETTY is a halfword matrix.

Matrix savevalues can also be used in increment and decrement mode just as ordinary savevalues. Thus,
(a) MSAVEVALUETFIRST $+2,5,8, \mathrm{MH}$
$\diamond$ (b) [MSAVEVALUE $\square 3-1,5, \mathrm{FN}($ AMTONE $), \mathrm{MH}$
In (a), the matrix FIRST will have the element at $(2,5)$ incremented by 8 . In (b), the matrix 3 will have the element at $(1,5)$ decremented by the value obtained by referencing the function AMTONE.

## Example 25.2

This example is a modification of one presented by Schriber (1974, p. 295301; see Preface for availability).

A production shop is composed of 5 different groups of machines. Each group consists of a number of machines of a given kind, as indicated by Table 25.1.

TABLE 25.1 Composition of machine groups

|  | Machines in Group |  |  |
| :---: | :---: | :---: | :---: |
| Group | Kind | Number of <br> That Kind Available | Storage <br> Designation |
| A | Machine 1 | 9 | S1 |
| B | Machine 2 | 5 | S2 |
| C | Machine 3 | 3 | S3 |
| D | Machine 4 | 7 | S4 |
| E | Machine 5 | 16 | S5 |

Note: In the simulation, these groups will be used as storages.
The shop produces four variations of the same product, designated as model $1,2,3$, or 4 . Production of a given model requires that operations be performed at specified kinds of machines in a specified sequence. The total number and kind of machines that each model must visit during its productionand the corresponding visitation sequences-are shown in Table 25.2. For example, model 1 must visit a total of 4 machines. The machines themselves, listed in the sequence in which they must be visited to make a finished model 1 product, are machine 1 (there are 9 machines of this kind available, per Table 25.1), machine 2 (there are 5 machines of this kind available), machine 4 (there are 7 machines of this kind available), and machine 5 (there are 16 machines of this kind available). (Machine 3 is not used to produce model 1.) Table 25.2 also shows the mean time required by each machine for each operation that must be performed to produce a given model. For example, the machine 1 operation to produce model 1 requires 250 seconds, on average. These times are all exponentially distributed. Jobs arrive at the shop in a Poisson stream at a mean rate of 1 job every 15 seconds; $15 \%$ of the jobs are model $1,25 \%$ are model $2,40 \%$ are model 3 , and the rest are model 4.

TABLE 25.2 Visitation sequence and operation times for the machines to produce each model

| Model <br> Number | Total Number of <br> Machines to be Visited | Machine <br> Visitation Sequence | Mean Operation <br> Time (seconds) |
| :---: | :---: | :---: | :---: |
| 1 | 4 | Machine 1 | 250 |
|  |  | Machine 2 | 105 |
|  | Machine 4 | 140 |  |
| 2 | 3 | Machine 5 | 130 |
|  |  | Machine 2 | 45 |
|  |  | Machine 3 | 95 |
| 3 | Machine 5 | 50 |  |
|  |  | Machine 4 | 75 |
|  |  | Machine 5 | 270 |
|  |  | Machine 3 | 25 |
| 4 | Machine 2 | 85 |  |
|  |  | Machine 1 | 150 |
|  |  | Machine 3 | 30 |
|  |  | Machine 4 | 65 |

Write the GPSS/H code to simulate the operation of the shop to determine the utilization of each of the 5 different machines and the production of each of the 4 models per day. Run the simulation for 10 days with each day consisting of 8 hours of work.

## Solution

The following is a rather remarkable example of the use of matrices for greatly reducing the number of programming lines. It would be a straightforward and simple exercise to program this situation by using different code segments with the jobs arriving and then being routed to the appropriate segment, depending on which model was to be produced. A much more elegant solution using matrices is described next.

Table 25.3 gives in matrix form the "visitation sequence" for each model for the machine groups yet to be visited. The visitation sequence is "backwards" from what may be expected. The reason for this sequencing will be explained below.

TABLE 25.3 The "visitation sequence" matrix

| Row Labels Represent <br> the Model Numbers | $\mathbf{y}$ | Column Headings Represent the Machines <br> Yet to be Visited, in Reverse Sequence |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | $\mathbf{1}$ | 2 | 3 | 4 | 5 |  |
|  | 5 | 4 | 2 | 1 |  |  |
| 2 | 5 | 3 | 2 |  |  |  |
| 3 | 1 | 2 | 3 | 5 | 4 |  |
| 4 | 5 | 4 | 3 |  |  |  |

Note: Values in the matrix are the specific machine numbers for each step of producing each model. Compare this matrix with Table 25.2.

There are four rows in the matrix, one for each model. The matrix entries are the machines yet to be visited, in reverse sequence, for the specific model. Thus, for model 1 , the machine sequence for doing the required work is 1,2 , 4, and then 5 (see Table 25.2). Another matrix is shown in Table 25.4 that gives the corresponding times in seconds for each machine's operation. Again, for each model, this matrix gives the times for each machine's operation yet to be done.

Table 25.4 Mean operation time matrix

|  | Column Headings Represent the Machines <br> Yet to be Visited, in Reverse Sequence |  |  |  |  |
| :---: | ---: | ---: | ---: | ---: | ---: |
| Row Labels Represent <br> the Model Numbers | 1 | $\mathbf{2}$ | $\mathbf{3}$ | $\mathbf{4}$ | $\mathbf{5}$ |
| 1 | 130 | 140 | 105 | 250 |  |
| 2 | 50 | 95 | 45 |  |  |
| 3 | 150 | 85 | 25 | 270 | 75 |
| 4 | 210 | 65 | 30 |  |  |

Note: Values in the matrix are the required times of operation (in seconds) for machines yet to be visited, in reverse sequence, for each step of producing each model. Compare this matrix with Table 25.2.

At this point, it is probably not at all obvious why these matrices were set up and how they will be used to simulate the system. Here is how the program will work (see the code listing that follows).

Suppose a job (i.e., a transaction) comes into the system and requires some kind of work; the exact kind of work, i.e., what model the job is, depends on the probability of the job's being a particular model (model $1,2,3$, or 4 ), which is determined by the function labeled MODEL. For example, a job arrives to be worked on that is determined by this function to be a model 3; farther on in the code, an ASSIGN block places a 3, the value of FN(MODEL), in the transaction's PH1. Next, the function labeled CLASS matches the value of the model-3-to the number of machines required to produce the modelwhich is 5 , as seen in Table 25.2; a subsequent ASSIGN block places a 5, the value of FN(CLASS), in the transaction's PH2.

To produce a model 3, Table 25.2 also shows that the sequence of the job's visitation to the various kinds of machines is $4,5,3,2,1$. The same table shows that the times for these machines to finish their operations to produce a model 3 are $75,270,25,85$, and 150 seconds, respectively. In the code, therefore, matrices are set up that have the same values as those in Tables 25.3 and 25.4. Continuing the example, the first machine to work on model 3 is machine 4. The next one is machine 5 , the next is machine 3 , then machine 2 , and finally machine 1 . Notice that the value in Table 25.3 in position $(3,5)$ is 4 . The entry for $(3,4)$ is 5 , that for $(3,3)$ is 3 , that for $(3,2)$ is 2 , and that for $(3,1)$ is 1 . The code has the transaction enter the machine sequence in the same manner as defined in the third INITIAL statement, representing the third row of halfword matrix 1 (Table 25.3). A similar sequence is made for the four rows in Table 25.4 for the times to do each operation (halfword matrix 2). Finally, the various numbers of machines of a given kind are set up as storages, i.e., group A has 9 machines of kind 1 so $\mathrm{S} 1=9$ (see Table 25.1).

```
\diamond [SIMULATE
* The next line makes certain that enough computer storage is
* available. This statement is required for the student
* version of GPSS/H.
O [REALLOCATE[COM,30000
| \INTEGER प&I,&MODELA,&MODELB,&MODELC, &MODELD
```



```
\diamond \PUTSTRING [('D')
\diamond \ENDDO
*
- The next pair of lines creates halfword matrices numbered 1 and 2,
* each of size 4 by 5.
O1 \MATRIX [MH,4,5
\diamond2 \MATRIX [MH,4,5
* incoming job will be
OMODEL [FUNCTION \RN1,D4
.15,1/.4,2/.8/3/1,4
*
* The next pair of lines matches the model of the incoming job
* to number of machines required to produce the model (Table 25.2).
*CLASS [FUNCTION [PH1,L4
1,4/2,3/3,5/4,3
*
* The next 4 lines represent the visitation sequence for models 1 to 4
* respectively (halfword matrix 1; Table 25.3).
OINITIAL [MH1(1,1),5/MH1(1,2),4/MH1 (1,3),2/MH1 (1,4),1
\diamond ~ \square I N I T I A L ~ [ M H 1 ~ ( 2 , 1 ) , 5 / M H 1 ( 2 , 2 ) , 3 / M H 1 ~ ( 2 , 3 ) , 2
\diamond [INITIAL [MH1 (3,1),1/MH1 (3,2),2/MH1 (3,3),3/MH1 (3,4),5/MH1 (3,5),4
O DINITIAL [MH1 (4,1),5/MH1 (4,2),4/MH1 (4,3),3
* The next 4 lines represent the operation times for models 1 to 4,
- respectively (halfword matrix 2; Table 25.4).
\diamond \squareINITIAL \MM2(1,1),130/MH2(1,2),140/MH2(1,3),105/MH2(1,4),250
\diamond DINITIAL [MM2 (2,1),50/MH2 (2,2),95/MH2(2,3),45
\diamond \INITIAL \MH2 (3,1),150/MH2 (3,2),85/MH2 (2,3),25/MH2 (3,4),270/MH2 (3,5),75
\diamond DINITIAL [MH2 (4,1),210/MH2 (4,2),65/MH2 (4,3),30
* The next line represents the number of machines in each group (Table 25.1).
< \STORAGE \S1,9/S2,5/S3,3/S4,7/S5,16
O \GENERATE \RVEXPO}(1,15
< \squareASSIGN [1,FN(MODEL),PH
\ \ASSIGN \2,FN(CLASS),PH
\triangleBACKUP \ENTER \MH1(PH1,PH2)
\ \ADVANCE \RVEXPO(1,MH2(PH1, PH2))
\diamond [LEAVE \MH1(PH1,PH2)
0 [LOOP \square2PH, BACKUP
O [TEST\E \PH1,1,NEXT1
< [BLET [&MODELA=&MODELA +1
\TERMINATE
SNEXT1 \TEST\E \PH1,2,NEXT2
|BLET [&MODELB=&MODELB+1
\diamond [TERMINATE
\NExT2 [TEST\E [PH1,3,NEXT3
```



```
\diamond TTERMINATE
\NEXT3 \BLET \&MODELD=&MODELD+1
O ITERMINATE
< [GENERATE [3600*8*10
\diamond [TERMINATE [l
0 ISTART \1
< [DO 就I=1,25
\diamond \squarePUTSTRING \]('T]')
\diamond [ENDDD
\diamond \squarePUTPIC \LINES=11,SR1/10.,SR2/10.,SR3/10.,SR4/10.,SR5/10..-
    &MODELA/10., &MODELB/10. &MODELC/10. &MODELD/10.
    UTIL. OF MACHINES IN GROUP A ***.**%
UTIL. OF MACHINES IN GROUP B ***.**&
UTIL. OF MACHINES IN GROUP C ***.**&
UTIL. OF MACHINES IN GROUP D ***.***
UTIL. OF MACHINES IN GROUP E ***.**%
        AMOUNT MADE PER DAY
\begin{tabular}{|c|c|}
\hline MODEL & AMOUNT \\
\hline 1 & ***.** \\
\hline 2 & ***.** \\
\hline 3 & ***.** \\
\hline 4 & ***.** \\
\hline CEND & \\
\hline
\end{tabular}
```

The output from the program follows:

| UTIL. OF MACHINES IN GROUP A | $71.76 \%$ |
| :--- | :--- | :--- |
| UTIL. OF MACHINES IN GROUP B | $79.00 \%$ |
| UTIL. OF MACHINES IN GROUP C | $88.92 \%$ |
| UTIL. OF MACHINES IN GROUP D | $60.10 \%$ |
| UTIL. OF MACHINES IN GROUP E | $74.71 \%$ |

AMOUNT MADE PER DAY

| MODEL | AMOUNT |
| :---: | :---: |
| 1 | 281.00 |
| 2 | 477.40 |
| 3 | 755.70 |
| 4 | 382.70 |

As can be seen, the system seems to be working all right, i.e., all the groups of machines have about the same utilization. The machines in group D are used the least ( $60.10 \%$ ), and those in group C are used the most (88.92\%). Perhaps another machine needs to be added to group $C$. This is left as an exercise.

## Example 25.3

The following matrix is called a "transition matrix" to find brand loyalty for 3 brands of soft drinks.

|  | Brand $X$ | Brand $Y$ | Brand Z | Total |
| :--- | :---: | :---: | :---: | :---: |
| Brand X | 0.65 | 0.25 | 0.10 | 1.00 |
| Brand Y | 0.30 | 0.40 | 0.30 | 1.00 |
| Brand Z | 0.15 | 0.10 | 0.75 | 1.00 |

The matrix gives the probability that a person who last purchased a particular brand will purchase it again or another brand. Thus, a person who purchased brand $Y$ the last time has a $30 \%$ chance of purchasing brand $X$ the next time, a $40 \%$ chance of purchasing brand Y again, and a $30 \%$ chance of switching to brand Z. Notice that the probabilities add up to $100 \%$. This matrix assumes that there are only the 3 choices available. In reality, there will be quite a few other possibilities, and the transition matrix will be considerably larger.

The problem is to determine what the long-term market shares for each of the 3 products will be, assuming that the transition matrix does not change owing to different advertising campaigns, consumer purchasing habits, etc. For example, if there are 10,000 purchases, which of these will be brand X , which brand $Y$, and which brand $Z$ ? Such a process is called a Markov process.

The method of solving this by simulation is as follows. A matrix such as the following is set up with the following initial given values:

|  | $\mathbf{X}$ | $\mathbf{Y}$ | $\mathbf{Z}$ |
| :---: | :---: | :---: | :---: |
| $\mathbf{X}$ | 1 | 0 | 0 |
| $\mathbf{Y}$ | 0 | 0 | 0 |
| $\mathbf{Z}$ | 0 | 0 | 0 |

This says that at time 0 one person is drinking brand X . This person is now going to make a purchase. Suppose this is brand X again. The matrix is now

|  | $\mathbf{X}$ | $\mathbf{Y}$ | $\mathbf{Z}$ |
| :---: | :--- | :--- | :--- |
| $\mathbf{X}$ | 2 | 0 | 0 |
| $\mathbf{Y}$ | 0 | 0 | 0 |
| $\mathbf{Z}$ | 0 | 0 | 0 |

The next purchase is brand Y. This gives the matrix

| $X$ | $X$ | $Y$ | $Z$ |
| :---: | :--- | :--- | :--- |
| $X$ | 2 | 1 | 0 |
| $Z$ | 0 | 0 | 0 |

This says that a person who was drinking brand X made brand Y his next purchase. If the next purchase is brand Z , the matrix becomes

|  | $X$ | $Y$ | $Z$ |
| :---: | :--- | :--- | :--- |
| $X$ | 2 | 1 | 0 |
| $\mathbf{Y}$ | 0 | 0 | 1 |
| $Z$ | 0 | 0 | 0 |

This is continued for a very long number of purchases. The matrix will eventually reach a steady state. The percentage of the number of switches to each brand will give the market shares. For example, if there were 1000 purchases and brand X was selected 600 times, its market share would be $60 \%$.

## Solution

The program to do the simulation is remarkably short:



The output looks as follows:

| WHEN DRINKING |  |  | $\underset{x}{\text { BRAND }}$ |
| :---: | :---: | :---: | :---: |
|  |  |  | Y |
|  |  |  | $z$ |
| NUMBERS CORRESPOND TO |  |  |  |
| NEW TRANSITION MATRIX |  |  |  |
| BRAND | X | Y | $z$ |
| $X$ | 0.65 | 0.25 | 0.10 |
| $Y$ | 0.30 | 0.39 | 0.31 |
| $Z$ | 0.15 | 0.10 | 0.75 |

## EXERCISES, CHAPTER 25

1. Give the code to specify a halfword matrix with dimensions of 3 by 3 . The initial values along the diagonals are 1,2 , and 3 . The other initial values are 0.
2. Give the code to specify a floating-point matrix with dimensions of 1 by 4. The initial values are to be $0,1,2$, and 3 .
3. In the following exercise, values for the various entities are R(TUGS) $=1$, $\mathrm{Q}(\mathrm{FIRST})=3, \mathrm{FN}(\mathrm{JJJJ})=5$, and all PH values are 3. Determine what happens when a transaction passes through each of the following matrix savevalue blocks:

| $\diamond(\mathrm{a})$ | [MSAVEVALUE[TOMMY , 1, 3, 5, MH |
| :---: | :---: |
| $\bigcirc(b)$ | [MSAVEVALUE[BILLY + , 3, 5, 7, MH |
| $\bigcirc(c)$ | [MSAVEVALUE[FIRST, 1, 1, PH3, MH |
| $\Delta(\mathrm{d})$ | [MSAVEVALUE[PH3, 2, 2, Q(FIRST) , MH |
| $\Delta(e)$ | [MSAVEVALUE [FN (JJJJ) , PH1, PH2, PH3, MH |

4. Suppose a transition matrix for 5 brands is as follows:

|  | Brand A | Brand B | Brand C | Brand D | Brand E |
| :--- | :---: | :---: | :---: | :---: | :---: |
| Brand A | 0.45 | 0.20 | 0.10 | 0.20 | 0.05 |
| Brand B | 0.20 | 0.60 | 0.10 | 0.05 | 0.05 |
| Brand C | 0.05 | 0.20 | 0.50 | 0.15 | 0.10 |
| Brand D | 0.05 | 0.05 | 0.05 | 0.70 | 0.15 |
| Brand E | 0.10 | 0.10 | 0.25 | 0.15 | 0.40 |

Modify the program used in Example 25.3 to determine the long-term market shares.
5. In Exercise 25.4, the creators of Brand E have decided to spend considerable funds on a new advertising campaign. They feel that the transition matrix will be changed to the following:

|  | Brand A | Brand B | Brand C | Brand D | Brand E |
| :--- | :---: | :---: | :---: | :---: | :---: |
| Brand A | 0.40 | 0.10 | 0.10 | 0.15 | 0.25 |
| Brand B | 0.10 | 0.45 | 0.05 | 0.05 | 0.35 |
| Brand C | 0.05 | 0.10 | 0.50 | 0.10 | 0.25 |
| Brand D | 0.05 | 0.05 | 0.05 | 0.50 | 0.35 |
| Brand E | 0.10 | 0.10 | 0.05 | 0.05 | 0.70 |

Modify the program developed in Exercise 25.4 to determine the new long-term market shares assuming that none of the other brands reacts to the Brand E advertising campaign.

## SOLUTIONS, CHAPTER 25

1. PROB1 MATRIX MH3,3

INITIAL MH\$PROB1 (1,1),1/MH\$PROB1 (2,2), $2 / \mathrm{MH} \$ \operatorname{PROB1}(3,3), 3$
2. PROB2 MATRIX ML, 1,4

INITIAL ML\$PROB2 (1,2), 1/ML\$PROB2 (1, 3), 2/ML\$PROB2 (1, 4), 3
3. a. The halfword matrix savevalue TOMMY will have the value 5 in position $(1,3)$.
b. The halfword matrix savevalue BILLY will have the value 7 added to whatever is currently in position $(3,5)$.
c. The halfword matrix savevalue FIRST will have the value 3 in position $(1,1)$.
d. The 3rd halfword matrix savevalue will have the value of 3 in position $(2,2)$.
e. The 5th halfword matrix savevalue will have the value of 3 in position $(3,3)$.
4. The program to do the simulation is as follows:


```
.05,1/.1,2/.15,3/.85,4/1,5
    BRANDE FUNCTION RN1,D5
.1,1/.2,2/.45,3/.6,4/1,5
    LET &NEW=1
    genERATE 1
    TABULATE TLOYAL
    BLET &OLD=&NEW
    BLET &NEW=FN(DRINK)
    MSAVEVALUE LOYAL+, &OLD, &NEW,1,MH
    TERMINATE 1
    START 100000
    DO &I=1,25
    PUTSTRING (' ')
    ENDDO
    LET &SUM=MH$LOYAL (1,1) +MH$LOYAL (1,2) +MH$LOYAL (1, 3) +_
    MH$LOYAL (1,4) +MH$LOYAL (1,5)
    LET ML$NEWMAT (1,1)=MH$LOYAL (1,1)/&SUM
    LET ML$NEWMAT (1, 2)=MH$LOYAL (1,2)/&SUM
    LET ML$NEWMAT (1,3)=MH$LOYAL (1,3)/&SUM
    LET ML$NEWMAT (1,4)=MH$LOYAL (1,4)/&SUM
    LET ML$NEWMAT (1,5)=MH$LOYAL (1,5)/&SUM
    LET &SUM=MH$LOYAL (2,1)+MH$LOYAL (2,2) +MH$LOYAL (2,3)+_
    MH$LOYAL (2,4)+MH$LOYAL (2,5)
    LET ML$NEWMAT (2,1)=MH$LOYAL (2,1)/&SUM
    LET ML$NEWMAT (2,2)=MH$LOYAL (2,2)/&SUM
    LET MLSNEWMAT (2,3)=MH$LOYAL (2,3)/&SUM
    LET ML$NEWMAT (2,4)=MH$LOYAL (2,4)/&SUM
    LET ML$NEWMAT (2,5)=MH$LOYAL (2,5)/&SUM
    PUTPIC &SUM,MH$LOYAL (2,5),ML$NEWMAT (2,5)
    SUM *** LOYAY(2,5) *** NEWMAT *.**
        LET &SUM=MH$LOYAL (3,1) +MH$LOYAL (3,2) +MH$LOYAL (3,3) +_
        MH$LOYAL (3,4) +MH$LOYAL (3,5)
        LET ML$NEWMAT (3,1)=MH$LOYAL (3,1)/&SUM
        LET ML$NEWMAT (3,2)=MH$LOYAL (3,2)/&SUM
        LET ML$NEWMAT ( 3,3)=MH$LOYAL ( 3,3)/&SUM
        LET ML$NEWMAT ( 3,4)=MH$LOYAL (3,4)/&SUM
        LET MLSNEMMAT (3,5)=MH$LOYAL ( 3,5)/&SUM
        LET &SUM=MH$LOYAL (4,1) +MH$LOYAL (4,2) +MH$LOYAL (4,3) +_
        MH$LOYAL (4,4) +MH$LOYAL (4,5)
        LET MLSNEWMAT (4,1)=MH$LOYAL (4,1)/&SUM
        LET MLSNEWMAT (4,2)=MH$LOYAL (4,2)/&SUM
        LET ML$NEWMAT (4,3)=MH$LOYAL (4,3)/&SUM
        LET ML$NEWMAT (4,4)=MH$LOYAL (4,4)/&SUM
        LET ML$NEWMAT (4,5)=MH$LOYAL (4,5)/&SUM
        LET &SUM=MH$LOYAL (5,1) +MH$LOYAL (5,2) +MH$LOYAL (5,3) +_
        MH$LOYAL (5,4) +MH$LOYAL (5,5)
        LET ML$NEWMAT (5,1)=MH$LOYAL (5,1)/&SUM
        LET ML$NEWMAT (5,2)=MH$LOYAL (5,2)/&SUM
        LET ML$NEWMAT (5,3)=MH$LOYAL (5,3)/&SUM
        LET ML$NEWMAT (5,4)=MHSLOYAL (5,4)/&SUM
        LET ML$NEWMAT (5,5)=MH$LOYAL (5,5)/&SUM
        PUTPIC LINES=9,FILE=MYOUT,MH$LOYAL (1,1),MHSLOYAL(1,2),_
```

```
    MH$LOYAL (1,3)._
    MH$LOYAL (1,4),MH$LOYAL (1,5),_
    MH$LOYAL (2,1),MH$LOYAL (2,2), MH$LOYAL (2,3),-
    MH$LOYAL (2,4),MH$LOYAL (2,5),_
    MHSLOYAL (3,1),MH$LOYAL (3,2),MH$LOYAL (3,3),_
    MH$LOYAL (3,4),MH$LOYAL (3,5),_
    MH$LOYAL (4,1), MH$LOYAL (4,2),MH$LOYAL (4,3),-
    MH$LOYAL (4,4),MH$LOYAL (4,5),_
    MH$LOYAL (5,1),MH$LOYAL (5,2), MH$LOYAL (5,3),-
    MH$LOYAL (5,4),MH$LOYAL (5,5)
LOYALTY MATRIX IS AS FOLLOWS:
```

                    TIME SWITCHED TO:
    |  | BRAND | A | B | c | D | E |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| WHEN USING | A | ***** | ***** | ***** | ***** | ***** |
| THIS BRAND | B | ***** | ***** | ***** | ***** | ***** |
|  | C | ***** | ***** | ***** | ***** | ***** |
|  | D | ***** | * | *** | *** | ***** |
|  | E | ***** | ***** | ***** | ***** | ***** |

            NUMBERS CORRESPOND TO NEW PURCHASES WHEN USING OLD BRAND
        PUTPIC LINES=7, FILE=MYOUT, ML \(\$\) NEWMAT (1,1),
            ML\$NEWMAT (1, 2), ML\$NEWMAT (1, 3), -
            ML§NEWMAT \((1,4)\), ML\$NEWMAT \((1,5)\), ,
                    ML\$NEWMAT \((2,1)\), ML \(\$\) NEWMAT \((2,2)\), ML \(\$ \operatorname{NEWMAT}(2,3)\),_
                    ML\$NEWMAT \((2,4)\), ML\$NEWMAT \((2,5)\),_
                    ML\$NEWMAT (3, 1), ML\$NEWMAT (3, 2), ML\$NEWMAT (3, 3) , -
                    ML\$NEWMAT \((3,4)\), ML \(\$\) NEWMAT \((3,5)\),
                    ML\$NEWMAT (4, 1), ML\$NEWMAT (4, 2), ML\$NEWMAT (4, 3), _
                    ML\$NEWMAT (4, 4) , ML\$NEWMAT (4,5), -
                    ML\$NEWMAT \((5,1), \operatorname{ML} \$ \operatorname{NEWMAT}(5,2), \operatorname{ML} \$ \operatorname{NEWMAT}(5,3)\), -
                    ML\$NEWMAT \((5,4)\), ML\$NEWMAT \((5,5)\)
        NEW TRANSITION MATRIX IS:
    0
    | BRAND | A | B | c | D | E |
| :---: | :---: | :---: | :---: | :---: | :---: |
| A | *.** | *.** | *.** | *.** | *.** |
| B | *.** | *.** | *.** | *.** | ** |
| C | *.** | *.** | *.** | *.** | ** |
| D | *.** | *** | *.** | *.** | * |
| E | *.** | *.** | *.** | *.** | *** |

END

The results of the simulation are:
LOYALTY MATRIX IS AS FOLLOWS:

| TIME SWITCHED TO: |  |  |  |  |  |  |  |
| :--- | :---: | ---: | ---: | ---: | ---: | ---: | :---: |
|  | BRAND | A | B | $C$ | $D$ | E |  |
| WHEN USING | A | 6771 | 3034 | 1578 | 2997 | 767 |  |
| THIS BRAND | B | 4662 | 13937 | 2248 | 1259 | 1241 |  |
|  | C | 917 | 3453 | 8899 | 2688 | 1737 |  |
|  | $D$ | 1435 | 1505 | 1477 | 20956 | 4595 |  |
|  | E | 1361 | 1418 | 3493 | 2068 | 5504 |  |

NUMBERS CORRESPOND TO NEW PURCHASES WHEN USING OLD BRAND

NEN TRANSITION MATRIX IS:

| $B R A N D$ | $A$ | $B$ | $C$ | $D$ | $E$ |
| :--- | :--- | :--- | :--- | :--- | :--- |


| $A$ | 0.45 | 0.20 | 0.10 | 0.20 | 0.05 |
| :--- | :--- | :--- | :--- | :--- | :--- |
| $B$ | 0.20 | 0.60 | 0.10 | 0.05 | 0.05 |
| $C$ | 0.05 | 0.20 | 0.50 | 0.15 | 0.10 |
| $D$ | 0.05 | 0.05 | 0.05 | 0.70 | 0.15 |
| $E$ | 0.10 | 0.10 | 0.25 | 0.15 | 0.40 |

From the .LIS file the market shares are:

| BRAND | Share |
| :---: | :--- |
| A | 15.15 |
| B | 23.35 |
| C | 17.69 |
| D | 29.97 |
| E | 13.84 |

5. The program given for Exercise 25.4 is easily modified by changing the 5 functions BRANDA, BRANDB, BRANDC, BRANDD and BRANDE.
The results of the simulation are as follows:

| BRAND | Share |
| :---: | :--- |
| A | 12.61 |
| B | 14.11 |
| C | 10.21 |
| D | 12.30 |
| E | 50.25 |

As can be seen, the advertising campaign was tremendously successful with Brand E now enjoying over 50\% of the market.

## CHAPTER 26 Variables, Expressions, and the PRINT Block

## ARITHMETIC IN GPSS/H

Arithmetic in GPSS/H was mentioned in Chapter 5 and also in other chapters. It has been used regularly throughout the book with little explanation because arithmetic is allowed in the operands of the various blocks and is done in a logical manner. This feature did not exist in earlier versions of GPSS: all arithmetic was done by reference to an expression. Thus, in this book, when we have had a block such as ADVANCE $2 * 100$, it has not been necessary to point out that the time on the FEC for the transaction was 200. This chapter formally presents the steps in performing arithmetic; however, there are certain cautions that must be observed. These cautions have to do with the original integer nature of calculations in GPSS. In addition, there will be a time when one will need to do arithmetic calculations by referencing an expression, which is introduced in this chapter.

Recall that arithmetic is accomplished in GPSS/H by using SNAs together with various arithmetic operations:

```
+ addition
- subtraction (both unary and binary subtraction)
/ division
* multiplication
@ modular division
```

We have been using all of these operations when needed except, possibly, modular division. Modular division can be quite handy. It is defined as the remainder when two numbers are divided. For example, 7 @ 3 is $1 ; 9$ @ 9 is 0 (no remainder); 8 @ 12 is 8 since the result of division is 0 with a remainder of 8 . An example of its use is
$3 \quad \square A S S I G N \quad \square 2, \mathrm{RN} 1 @ 3+1, \mathrm{PH}$
would assign to halfword parameter 2 a number from 1 to 3 with equal probability.

```
OTIMEF [FUNCTION [AC1@480,E8
```

60, FN (TIME1) / 120, FN (TIME2) / 180, FN (TIME3) / 240, FN (TIME4)
300, FN (TIME5) /360, FN (TIME6)/420, FN (TIME7)/480, FN (TIME8)
would reference the absolute clock and sample from 1 of 8 functions. If a working shift is 480 minutes in duration, this code might be used to have a different time for doing a process depending on the hour.

An arithmetic expression is most often placed in an operand, but it also can be referenced in a manner similar to referencing functions. This approach is useful when a particular expression is referenced many times and can save considerable time in writing the code. Expressions are referenced by defining the expression through the use of either a VARIABLE (for integer arithmetic) or an FVARIABLE (for floating-point arithmetic) statement. The forms are
©label cuariable !a
and
Slabel Cfvariable [a
where the $A$ operand is the expression to be defined. Numbers can be used for the labels. So,

```
OTOMMY [VVARIABLE \3PH+FR(MACH)/200-Q(WAIT)
O1 [VARIABLE TXF (FIRST)@XF (SECOND) +QM (NEXT)
OCALC [FVARIABLE ] 3+Q(LAST)*F(MACH)-R(TUGS)
```

are possible ways to define variables TOMMY, 1 , and CALC. Notice that no spaces are allowed in expressions whereas, in other programming languages, such as Fortran or Pascal, blank spaces are recommended for clarity. A blank space in an expression in GPSS/H will terminate the expression and most probably cause an error.

Referencing variables is done by

```
V(LABEL)
```

or
v\$LABEL
i.e., by V followed by the label of the variable definition either in parentheses or preceded by a dollar sign, "\$." When an expression is referenced, it is evaluated and the result is returned. Evaluation of expressions follows the usual rules found in other programming languages: calculations proceed from left to right, and multiplication, division, and modular division have precedence over addition and subtraction. Parentheses are used for grouping and clarity. Whatever expression is innermost in nested parentheses is done first. Inner parentheses have preference over outer parentheses.

If the variable expression is defined by a VARIABIE statement, only integer calculations are done. All division is integer division, i.e., the result is truncated. However, the final result is a decimal, whole-number value. This decimal value must end in 6 zeroes owing to the nature of having done integer calculations. Thus, the variable JERRY defined as

```
OJERRY [VARIABLE [3/2+1
```

would return a value of 2.000000 when referenced by V(JERRY). With FVARIABLES, the expression is evaluated by doing floating-point calculations. If necessary, nondecimal values are converted to floating-point values. So, if the variable JERRY was instead defined as follows, the value returned will be 2.5:

OJERRY [FVARIABLE [ $3 / 2+1$
If an expression is used in an operand, then the type of calculations performed depend on whether integer or floating-point values are used. Many times a floating-point result is desired, but the variables used in the expression are integers. For example, suppose that the simulation went for 100 days and what was desired was the time a facility was captured per day. The expression for this might look like
$\bigcirc \quad \square L E T \quad \square E G P R O D=F C(C R U S H E R) / \& D A Y S$
The result will be an integer even though the ampervariable \&AVGPROD has been specified as REAL. As described in Chapter 20, GPSS/H has two built-in functions to handle arithmetic calculations when one wants to specify either fixed-point or floating-point calculations. These are FIX for fixed-point conversion and FLT for floating-point conversion. Once you specify FLT in an expression for a single SNA, the whole expression is evaluated as though it was using floating-point calculations. Thus, to achieve a floating-point result, the preceding code could have been written as
$\bigcirc \quad \square \mathrm{LET} \quad[\& A V G P R O D=F L T(F C(C R U S H E R)) / \& D A Y S$
Consider the following examples:
$O(a) \quad[\operatorname{ADVANCE} \quad[3 / 2+1$
$\hat{\gamma}$ (b) $\square$ ADVANCE $\quad$ PLT (3) $/ 2+1$
In (a), the delay time is 2.0 , but in (b), the delay time is 2.5 . However, to achieve the desired result in any given line of code, one must use appropriate GPSS/H components, for example:
$\hat{O}(c)$ SAVEVALUE DFIRST, FLT ( 3 ) $/ 2+1, \mathrm{XH}$
$\because(d) \quad$ SSAVEVALUE TSECOND,FLT (3) $/ 2+1, \mathrm{XL}$
$\gamma(e)$ SAVEVALUE TTHIRD, $3 / 2+1, \mathrm{XL}$
In (c), although a floating-point result is apparently desired from the use of FLT, FIRST has an integer value of 2 because of the use of XH (there would be a compiler warning: "floating-point constant truncated to an integer value"). In (d), the value of SECOND is 2.5 since the savevalue is specified as being floating point. In (e), the value of THIRD is 2.0.

It is possible to have statistical information sent to the report while the program is being run. This statistical information consists of the SNAs associated with a particular entity at the time the information is sent to the report. Collecting this information is done using a PRINT block. When a transaction enters this block, all the statistics associated with the specified entity (or entities) are sent to the report file. The form of the PRINT block is
$\diamond \quad \square$ PRINT $\quad$ MA, B, C
where operand $A$ is the lower limit of the entity range (often omitted), operand $B$ is the upper limit of the entity range (often omitted), and operand $C$ is the family name of the entity to be printed out. Formerly, there was an operand $D$ that was used as a printer directive, but is now ignored. It will not be used in this book. If $A$ and $B$ are omitted, all the statistics for the entity class are printed out. Furthermore, if you use labels for an entity, as is the common case, it is not possible to have only selected ones printed out. Some examples of the PRINT block are as follows:

| $\diamond(\mathrm{a})$ | $\square$ PRINT | $\square 1,3, \mathrm{XL}$ |
| :--- | :--- | :--- |
| $\diamond(\mathrm{b})$ | $\square$ PRINT | $\square,, Q$ |
| $\diamond(\mathrm{c})$ | $\square$ PRINT | $\square 3,7, \mathrm{~F}$ |
| $\diamond(\mathrm{~d})$ | $\square$ PRINT | $\square,, \mathrm{MH}$ |
| $\diamond(\mathrm{e})$ | $\square$ PRINT | $\square 2,2, \mathrm{XF}$ |

In (a), the floating-point savevalues 1 to 3 are printed out. In (b), all the queue statistics are printed out. In (c), statistics for facilities 3 to 7 are printed out. In (d), all the halfword matrices are printed out. In (e), the fullword savevalue XF2 is printed out.

Since output is added to the normal GPSS/H report every time a transaction passes through a PRINT block, caution must be taken in using it. It is mostly used for debugging purposes and, then, only when the program is run for a limited time.

Some other possible entities that can be used in the PRINT block are

| AMP | all ampervariables |
| :--- | :--- |
| B | current and total block execution counts |
| C | absolute and relative clock values |
| F | facilities |
| LG | all logic switches that are in a set position |
| MB, MH, ML, MX | various matrix values |
| N | current and total block execution counts |
| Q | queue statistics |
| RN | random number stream |
| S | storage statistics |
| T | table statistics |
| W | current and total block execution counts |

Notice that, regardless of whether $\mathrm{B}, \mathrm{N}$, or W is used, the statistics sent to the report are identical.

## EXERCISES, CHAPTER 26

1. Determine the value of the ampervariable or savevalue after the expression or operand is evaluated. Assume the following values and definitions: \&FIRST is real; \&I and \&J are integers; and PH1 $=3, \mathrm{PH} 2=4, \mathrm{PH} 3=$ 3 , $\mathrm{PH} 4=2$, and $\& \mathrm{~J}=560$.
```
O(a) [BLET [&FIRST=2+3/(PH1+1)
O(b) [BLET [&&I=&J@400
O(c) [SAVEVALUE [TOM,5/PH3-PH4,XL
O(d) \SAVEVALUE \PH3,PH3/PH2-&J@558,XH
\diamond(e) [BLET प&FIRST=PH3*PH1-PH4*4
```

2. Variables are defined as follows:
$\triangle$ BETTY $\square V A R I A B L E \quad\lceil 2+\mathrm{PH} 3-8 \mathrm{~J} @ 555$
$\triangle$ JANE $\square F V A R I A B L E \square \mathrm{PH} 3 / 2+1-\mathrm{PH} 3 / 5$
Using the same data as for exercise 26.1, determine the values that will be obtained when the operands are evaluated for the following:

| $\bigcirc(a)$ | [advance | OV(BETTY) |
| :---: | :---: | :---: |
| $\checkmark$ (b) | [savevalue | [TOM, V (BETTY) -FV (JANE) XH |
| $\theta(c)$ | [ADVANCE | [PH3*PH2-PH4/4 |
| $\theta(\mathrm{d})$ | ISAVEVALUE | -1, PH3-V (BETTY) , XL |
| $\bigcirc(e)$ | [SAVEVALUE | MIKE, \&J@550/PH3, XL |

## SOLUTIONS, CHAPTER 26

1. a. \&FIRST has the value 2.00
b. $\& I=160$
c. TOM is -3.00
d. The third floating point savevalue has the value -2.00
e. \&FIRST has the value 0.00
2. a. The transaction will be placed on the FEC for a time of 2.00
b. TOM has the value 1
c. The transaction will be placed on the FEC for a time of 12
d. The first savevalue has the value 1.00
e. MIKE has the value 4.00

## CHAPTER 27

## Boolean Variables


#### Abstract

The TEST block and the GATE block have been used to allow the programmer to control the flow of transactions through the program blocks. When the transaction enters a TEST block or a GATE block, depending on the type it is, the transaction may be delayed until some condition is true, it may pass through to the next sequential block, or it may be routed to another part of the program. However, both the TEST block and the GATE block only allow for one condition to be tested. In many situations, there will be multiple conditions to be tested for when a transaction arrives at a particular part of the program. These types of delay situations can be modeled by the use of Boolean variables. Boolean variables allow the programmer to specify usersupplied logic conditions to control the flow of transactions through a system. As such, they can be used to model very complex situations that require many different conditions to be satisfied. For example, a plane attempting a landing at a distant airport might need to meet the conditions: Is the airport open? Is the runway clear? Is there room in the hangar for the particular type of plane, etc.? The captain of a ship entering a harbor has to ask if the following conditions are true: Is there room for the ship to dock? Is a tugboat free to berth it? Is the harbor even open?


## OPERATORS

Chapter 26 covered how fixed-point and floating-point expressions could be defined by using the VARIABLE and FVARIABLE statements. Another type of variable used in GPSS/H is known as a Boolean variable and must be defined in a BVARIABLE statement. This is a variable that is defined by the programmer. It will have only one of two values-either 0 or 1 . Just as with other variables, the Boolean variable will have an associated expression, called a logical expression, which is evaluated. The value of the expression will be either 1 (true) or 0 (false). Boolean expressions are made up of SNAs or entities connected by one or more of the following:

1. relational operators
2. Boolean operators
3. logical operators

## Relational (Comparison) Operators

These were introduced with the TEST and SELECT blocks. For convenience, they will be repeated here. When they are used in the TEST block or the SELECT block, they are used alone, but in Boolean expressions, they must have single (left) quotes on either side or the equivalent symbol may be used:

| Meaning | Relational <br> Operator | Equivalent <br> Symbol |
| :--- | :--- | :--- |
| Greater than | 'G' | $>$ |
| Greater than or equal | 'GE' | $>=$ |
| Equal | 'E' | $=$ |
| Not equal | 'NE' | $!=$ |
| Less than or equal | 'LE' | $<=$ |
| Less than | 'L' | $<$ |

Both the relational operator and the equivalent symbols are used in this book, but preference is given to the relational operator form as so many GPSS/H programs already written use this form. Some Boolean expressions illustrating the above are given next. For

$$
Q(T O M)^{\prime} E^{\prime} Q(\text { BILL })
$$

or the equivalent

$$
Q(T O M)=Q(B I L L)
$$

if the queue length of the queue TOM is equal to the queue length of the queue BILL, the expression is true and is set equal to 1 ; otherwise, the value is 0 . For

```
XF(TEST1)'L'XF(TEST2)
```

the fullword savevalue TEST1 must be less than the fullword savevalue TEST2 in order for the expression to be true and, thus, set equal to 1. For

$$
\text { FR (MACHA) 'G ' } 250
$$

the utilization of the facility MACHA must be greater than 250 for the expression to be true and thus set equal to 1. (Recall that the utilization of a facility is expressed in parts per thousand.)

## Boolean Operators

The real power of Boolean variables comes from using Boolean operators to connect relational operators. There are three Boolean operators in GPSS/H. These are AND, OR, and NOT. These actual words are inserted between expressions that are enclosed in parentheses. The effect of each is identical to similar operators in languages such as Fortran, Pascal, BASIC, etc. Thus, the

Boolean operator AND returns a true result-and, thus, sets the Boolean variable's value to 1 -only when the value of the expressions on both sides of it are true. Thus,

| (true)AND(true) | is true or 1 |
| :--- | :--- |
| (false)AND(true) | is false or 0 |
| (true)AND(false) | is false or 0 |
| (false)AND(false) | is faise or 0 |

The operator OR returns a true result if either or both of the values of the expressions is true. Thus,

| (true)OR(true) | is true or 1 |
| :--- | :--- |
| (false)OR(true) | is true or 1 |
| (true)OR(false) | is true or 1 |
| (false)OR(false) | is false or 0 |

NOT inverts the value of an expression. Thus,

| NOT(true) | is false or 0 |
| :--- | :--- |
| NOT(false) | is true or 1 |

In the following examples assume that $\mathrm{Q}(\mathrm{TOM})=3, \mathrm{Q}(\mathrm{BILL})=2, \mathrm{X}(\mathrm{FIRST})=$ $5, \mathrm{X}(\mathrm{SECOND})=6$, and PH1 $=-4$. The Boolean expressions are

```
(Q(TOM)'LE'4)AND(PH1'G'-5)
(Q(BILL)'E'2)OR(XF(FIRST)'E'6)
(XF (SECOND)'LE'XF (FIRST)) AND (PH1'G'0)
(Q(TOM)'G'2)AND(NOT (XF (SECOND)'E'6))
```

The first two are true (value $=1$ ), but the second two are false (value $=0$ ).
Alternate symbols that can be used are + for OR and * for AND. Since these symbols also are used for arithmetic operations, this means that one cannot do addition or multiplication in Boolean expressions! Thus, if any addition or multiplication is required, one has to do it in another variable that is then referenced in the Boolean expression. For example,

```
CONE TVARIABLE [XF(FIRST) +XF (SECOND) -PH2
OTWO [BVARIABLE \square(Q (TOM) >=2)OR(V (ONE=0))
```

The Boolean variable TWO will be true if the queue TOM is equal to or greater than 2 or if the variable ONE is equal to 0 . It would not have been correct to write the Boolean variable as follows:

The plus sign would not mean addition but would be taken as the Boolean operator OR.

The choice of + and * for OR and for AND is also confusing because it is so easy to look at the plus sign and mentally associate it with AND. However unfortunate this convention is, it is a part of the GPSS/H language. This is a
carryover from the early versions of GPSS. There is no symbol that can be used for NOT as it was not a feature of the early versions of GPSS.

The previous examples could have been written as

```
(Q(TOM)'LE'4)*(PH1'G'-5)
(Q(BILL)'E'2) +(XF (FIRST)=6)
(XF (SECOND) 'LE'XF (FIRST)) * (PH1 'G'0)
(Q(TOM)'G'2)*(NOT (XF (SECOND)'E'6))
```

Since it is much more logical to write out AND, OR, and/or NOT, however, that is the approach used in this book. Also, many of the parentheses used above are not needed because of the rules for evaluation of Boolean expressions, described after the next section.

## Logical Operators

It is possible to use logical operators to reference various entities in GPSS/H. A logical operator will check on the status of an entity condition. If the result of this check is true, the value is 1 ; otherwise, it is 0 . The logical operators are SNAs. Some of them are listed here:

| Logical Operator | Condition Referenced |
| :--- | :--- |
| FU(name) [or F(name)] | Is the facility in use? |
| FNU(name) | Is the facility not in use? |
| FS(name) | Is the facility seizeable? |
| FNS(name) | Is the facility not seizeable? |
| SE(name) | Is the storage empty? |
| SNE(name) | Is the storage not empty? |
| SF(name) | Is the storage full? |
| LS(name) | Is the logic switch set? |
| LR(name) | Is the logic switch reset? |

If the entities referenced by the logical operator are identified by a number instead of by a name, the use of parentheses is optional. GPSS/H also supports the older form of referencing these logical operators using a single \$ sign. Thus, LS\$FIRST and LS(FIRST) are the same. Some examples of these operators are as follows: In SNF(TUGS), if the storage of TUGS is not full, the value is 1 . In LR(STOP12), if the logic switch STOP12 is reset, the value is 1. In F(MACH1), if the facility MACH1 is in use, the value is 1. In LS6, the logic switch 6 is referenced; if it is set, the value is 1 .

By combining relational operators, Boolean operators, and logical operators, many complex situations can be easily modeled. For example, consider the following:

```
(LR(GOIN))AND(Q(WAIT)'LE'3)AND (FNU (MACH2))
```

In order for this expression to be true, the following conditions must all be true: (1) the logic switch GOIN must be reset, (2) the queue at WAIT must be less than or equal to 3 , and (3) MACH2 must be free.

## REFERENCING BOOLEAN VARIABLES

Boolean variables are defined and referenced in much the same way as other variables. The general form is

```
OLABEL \BVARIABLE [A
```

where $A$ is the desired expression. It is possible to have a Boolean variable with a number for a label. One references the Boolean variable by its label in the form BV(LABEL) or by the number $n$ in the form BVn. Thus, one might have something like
$\diamond \quad$ TTESTCE [BV(STOPIT), 1
When a transaction arrives at this TEST block, the value of the Boolean variable STOPIT is determined. Unless it has the value 1, the transaction cannot move to the next sequential block. Instead, it is kept on the CEC and scanned again when a rescan is made.

It is also possible to reference Boolean variables by use of the single dollar sign, " $\$$." Thus, the example above could have been written

3 [TESTIE [BV\$STOPIT,1

## RULES FOR EVALUATION OF BOOLEAN EXPRESSIONS

The rules for evaluation of Boolean expressions are as follows:

1. Logical operators and relational operators have preference in a left to right order.
2. The operators AND, OR, and NOT are evaluated in a left to right order.

Parentheses can (and should) be used for clarity. When used, whatever is in the innermost pair is evaluated first.

## Example 27.1

Consider a repair shop for trucks. Trucks arrive at the repair shop every $18 \pm$ 4.5 hours. There are 3 service bays to work on the trucks. However, the repair shop is down quite often for one reason or the other. It is down on an average of every 20 hours (exponentially distributed) and remains down for 3.5 hours, also exponentially distributed. When it is down, repaired trucks cannot leave the repaired area. After a truck is repaired, a single worker has to inspect and refuel each truck. These tasks take $3 \pm 1$ hours. Model this repair shop to determine the expected number of trucks to be repaired each day, the utilization of the shop, the utilization of the single worker, and the average number of trucks in the queue. The repair shop operates 365 days a year, each day being defined as 24 hours of operation. Simulate for 100 years of operation.

## Solution

```
\diamond ISIMULATE
○ \INTEGER \&I
| \STORAGE \S(BAYS). 3
```



Notice how the Boolean variables INBAY and OUTOK control the movement of the trucks both in and out of the repair bays. It was necessary to simulate for such a length of time because the basic unit of time was taken as 1 hour and exponential distributions are being used in the model. The result of the simulation is

| TRUCKS REPAIRED PER DAY | 1.33 |
| :--- | :---: |
| UTIL. OF HELPER | $16.07 \%$ |
| UTIL. OF REPAIR BAYS | $63.05 \%$ |
| AVERAGE TRUCKS WAITING | 0.17 |

As can be seen, the repair facility is certainly not being overused. The person who finishes the trucks is not very busy at all.

## Example 27.2

Refer to Example 27.1. Suppose that the person who works on the trucks after they are repaired is given other duties. Other items are now to be sent to the repair shop every $20 \pm 8$ hours. These have a higher priority than the trucks, so the person needs to work on any of them that may be waiting before he can finish a truck. Work on these other items takes $10 \pm 4$ hours. Determine how this change affects the repair facility.

## Solution

The necessary changes are made by adding the following code:

| $\diamond$ | [GENERATE | $[20,8, \ldots 1$ | [OTHER WORK FOR HELPER |
| :---: | :---: | :---: | :---: |
| 0 | quueue | [WAIT | [JOIN QUEUE |
| $\bigcirc$ | -SEIzE | CHELPER | [USE THE HELPER |
| $\bigcirc$ | Depart | TWAIT | [LEAVE The queve |
| 0 | -ADVANCE | [10, 4 | [JOB BEING DONE |
| 0 | CRELEASE | [HELPER | TFREE THE HELPER |
| $\bigcirc$ | [TERMINATE |  | [LEAVE THE SYSTEM |

The results of the simulation yield the following:

```
TRUCKS REPAIRED PER DAY 1.33
UTIL. OF HELPER 66.747%
UTIL, OF REPAIR BAYS 70.99%
AVERAGE TRUCKS WAITING 0.27
```

As can be seen, the worker is now busy $66 \%$ of the time. The additional work assigned him did not affect the repairs of the trucks.

## Example 27.3

The repair facility is still not utilized fully. The owner decides to have the facility also repair trucks from another company. The owner allows 3 of these trucks to come for repairs. They take the same amount of time as the other trucks. However, they cycle back in 150 hours, exponentially distributed. Otherwise, the system remains the same. Determine the utilization of the repair area now.

## Solution

The complete program is as follows:

```
| \SIMULATE
O [INTEGER [&I
O \STORAGE \S(BAYS),3
\INBAY [BVARIABLE प(LR (ALLOK))AND(SNF(BAYS))
\triangleOUTOK [BVARIABLE [(FS(HELPER))AND(LR(ALLCK))
```



The results of the simulation yield the following:

| REGULAR TRUCKS REPAIRED PER DAY | 1.33 |
| :--- | :---: |
| OTHER TRUCKS REPAIRED PER DAY | 0.34 |
| UTIL. OF HELPER | $70.07 \%$ |
| UTIL. OF REPAIR BAYS | 89.998 |
| AVERAGE TRUCKS WAITING | 2.02 |

Now the repair of the owner's trucks has not changed, but the repair area is busy $89.99 \%$ of the time.

## EXERCISES, CHAPTER 27

1. State what conditions need to be satisfied so that each of the following Boolean variables will be true.
```
\diamondCOMEIN \squareBVARIABLE \(R(TUGS)'LE'2)OR({Q(FIRST)'E'3)AND(FR1'GE'900)
[(a)
@AWAY1 [BVARIABLE [R(TUGS)'LE'(V(THREE))
O(b)
ODOWN3 \BVARIABLE [FR(MACH1)'L'500)OR(FR(MACH2)'G'500)_
                                    OR(FR(MACH3)'G'200)
[(c)
OMYTEST [BVARIABLE [(LR(SWITCH1)AND(SNF(TUGS)))OR(&X'E'0)
[](d)
\triangleMYNEXT BBVARIABLE ](LS (STOP1))AND(BV(UPTOP))
\square(e)
OMYOWN [BVARIABLE [((S(TUGS)'E'0)*(Q(FIRST)'LE'2))+&Y'E'0
[](f)
```

2. Write an appropriate Boolean variable that will be true if the following conditions are true:
a. Storage of BOAT1 is not empty, and the storage of BOAT2 is not full.
b. The sum of the contents of the queue WAIT1 and the queue WAIT2 is less than the contents of the queue WAIT3.
c. Logic switch SWIT1 is set and logic switch SWIT2 is reset or logic switch SWIT3 is set.
d. The ampervariable $\& \mathrm{X}$ is less than 0 and the ampervariable $\& \mathrm{Y}$ is greater than 0 or the logic switch STOPIT is set.
e. The halfword savevalue MIKE is 0 or both logic switches TOM3 and TOM2 are reset.
f. The fractional utilization of facility MACHA is less than 200 permil or logic switch 1 is set.
g. Logic switch 3 is reset or 2 times the queue length of HOLDIT is less than 6.
3. Trucks appear on the edge of a mine every $6 \pm 4$ minutes. Each holds 170 tons of ore. Each shift, the trucks will go to the first shovel until 10,000 tons are hauled, in which case the trucks will go to a second shovel. If the first shovel is down, the trucks will also go to the second shovel. The time to go to the first shovel is $4 \pm 1$ minutes, and the time to go to the second shovel is $5 \pm 2$ minutes. The first shovel is down every $90 \pm 20$ minutes and remains down for $12 \pm 4$ minutes. This pattern is repeated each shift of 480 minutes. Determine the daily production and the time that production shifts to the second shovel. Run the program for 10 shifts of 480 minutes each and output the average times for when the switch to the second shovel takes place and the average production from each shovel per shift. Have the results from each shift sent to a file MYOUT.OUT and have only the averages appear on the screen.
4. In exercise 3, change the program so that, when the program executes, it prompts the user to input the amount of ore the first shovel is to produce each shift before production shifts to the second shovel. After the program executes for one shift, it is to prompt the user to run again. Rather than have the program run for 10 shifts, have the results sent to the screen after each run.

## SOLUTIONS, CHAPTER 27

1. a. First, the queue at FIRST is tested to see if it is equal to 3 and if the fractional utilization of the 1st facility is greater than or equal to 900. If either is true or if the remaining storage of the storage names TUGS is less than or equal to 2 , the boolean variable will be true.
b. The variable given by V(THREE) is evaluated first. If the remaining storage in the storage TUGS is less than or equal to this, the boolean variable is true.
c. The boolean variable is true if any of the following is true: The fractional utilization of facility MACH1 is less than 500. The fractional utilization of facility MACH2 is greater than 500. The fractional utilization of facility MACH3 is greater than 200.
d. First the logic switch SWITCH1 needs to be in a reset position and the storage of TUGS must not be full. The boolean variable will be true if either this is true or if the ampervariable $\& \mathrm{X}$ is equal to 0 .
e. The boolean variable UPTOP is evaluated first. The boolean variable MYNEXT is true if this is true and the logic switch STOP! is in a set position.
f. First, the storage of TUGS is tested to see if the current content is equal to 0 and the queue at FIRST is less than or equal to 2 . If this is true or ampervariable $\& Y$ is equal to 0 , the boolean variable is true. Recall that + means "OR" and * means "AND."
2. a. BOATS BVARIABLE
b. SUMS VARIABLE $Q($ WAIT1) $+Q$ (WAIT2) SUMSBV BVARIABLE V(SUMS)'L'Q(WAIT3)
c. LTEST BVARIABLE (LS (SWIT1))AND(LR(SWIT2)OR(LS (SWIT3)))
d. NUMTEST BVARIABLE ( $\left.\& X^{\prime} L^{\prime} 0\right)$ AND ( $\left(\& Y^{\prime} G^{\prime} 0\right) O R(L S(S T O P I T))$
```
e. MIKES BVARIABLE (XH(MIKE)'E'O)OR(LS(TOM3)AND(LSS(TOM2))
f. UTILBV BVARIABLE (FR(MACHA)'L'200)OR(LS1)
g. ARITH VARIABLE 2*Q(HOLDIT)
    SWITHBV BVARIABLE (IR3)OR(V(ARITH)'L'6)
```

3. The program to simulate the mine is given below:

|  | SIMULATE |  |  |
| :---: | :---: | :---: | :---: |
|  | REAL | \&AMT1, \&AMT2, \&TIME, \&SUM, \&PROD1, \&PROD2 |  |
|  | INTEGER | \& I, \& J |  |
| MYOUT | FILEDEF | 'MYOUT. OUT' |  |
|  | DO | $\& I=1,25$ |  |
|  | PUTSTRING | $\left(\begin{array}{l}1 \\ \end{array}\right.$ |  |
|  | ENDDO |  |  |
|  | PUTSTRING | (' SIMULATION IN PROGRESS....') |  |
| FIRST | BVARIABLE | (\&AMT1'LE' 10000) AND (LR (STOP1)) |  |
|  | GENERATE | 6,4 | TRUCKS COME |
|  | TEST E | BV(FIRST), 1, AWAY3 | WHICH SHOVEL? |
|  | BLET | \&AMT1 = \&AMT1 +170 |  |
|  | TEST G | \&AMT1, 10000, AWAY3 |  |
|  | BLET | \&TIME=AC1@480 |  |
|  | ADVANCE | 4,1 | TRAVEL TO SHOVEL 1 |
|  | QUEUE | SHOVELI | JOIN QUEUE |
|  | SEIZE | SHOVEL 1 | USE THE SHOVEL |
|  | DEPART | SHOVEL1 | LEAVE THE QUEUE |
|  | ADVANCE | 2,1 | LOAD |
|  | RELEASE | SHOVEL1 | FREE THE SHOVEL |
|  | TERMINATE |  | LEAVE MINE |
| AWAY3 | ADVANCE | 5,2 | TRAVEL TO SHOVEL 2 |
|  | QUEUE | SHOVEL2 | JOIN QUEUE |
|  | SEIZE | SHOVEL2 | USE THE SHOVEL |
|  | DEPART | SHOVEL2 | LEAVE THE QUEUE |
|  | ADVANCE | 2,1 | LOAD |
|  | RELEASE | SHOVEL2 | FREE THE SHOVEL |
|  | BLET | $\varepsilon A M T 2=\& A M T 2+170$ | ADD TO AMOUNT |
|  | TERMINATE |  | LEAVE MINE |
|  | GENERATE | , , , 1 | DUMMY TRANSACTION |
| BACK | ADVANCE | 90,20 | OK FOR NOW |
|  | LOGIC S | STOP1 | SET SWITCH |
|  | ADVANCE | 12,4 | DOWN NOW |
|  | LOGIC R | STOP1 | RESET SWITCH |
|  | TRANSFER | , BACK | TO WORK |
|  | GENERATE | 480 | TIMER TRANSACTION |
|  | TERMINATE | 1 | ALL DONE |
|  | DO | $\& \mathrm{JJ}=1,10$ |  |
|  | CLEAR |  |  |
|  | START | 1 |  |
|  | PUTPIC | LINES $=3$, FILE $=$ MYOUT, \&TIME, \&AMT1 , \&AMT2 |  |
| TIME PRODUCTION WAS GREATER THAN 10000 TONS ****.** |  |  |  |
| AMT OF ORE FROM FIRST SHOVEL ${ }^{\text {a }}$ (**** |  |  |  |
| AMT | ORE FROM SECOND SHOVEL ${ }^{\text {a }}$ (*** |  |  |
|  | LET | \&SUM $=\& S U M+\& T I M E$ |  |
|  | LET | \&PROD $1=\&$ PROD $1+\&$ AMT1 |  |
|  | LET | $\&$ PROD $2=\&$ PROD $2+\& A M T 2$ |  |
|  | LET | \& $A M T 1=0$ |  |

```
    LET &AMT2=0
    LET &TIME=0
    CLEAR
    ENDDO
    PUTSTRING (' ')
    PUTPIC LINES=3,&SUM/10.,&PROD1/10.,&PROD2/10.
AVG. TIME PRODUCTION WAS GREATER THAN 10000 TONS ***.**
AVG. AMT OF ORE FROM FIRST SHOVEL *****
AVG. AMT OF ORE FROM SECOND SHOVEL *****
    PUTSTRING (' ')
    PUTSTRING (' SIMULATION OVER....')
    END
```

Notice that as soon as a truck enters the mine for shovel 1, the amount of ore mined by that shovel is increased by 170 tons. The test for the tonnage being exceeded is done as soon as truck is at the mine site.
The results of the simulation are:

```
AVG. TIME PRODUCTION WAS GREATER THAN IO000 TONS 394.11
AVG. AMT OF ORE FROM FIRST SHOVEL 10030
AVG. AMT OF ORE FROM SECOND SHOVEL 13124
```

4. The changes are easy to make. Add an ampervariable \&CHANGE to the program and replace the 10000 with it. At the end of the program the code will be:
```
    PUTPIC LINES=3,&CHANGE,&TIME, &AMT1,&AMT2
TIME PRODUCTION WAS GREATER THAN ****** TONS ***.**
AMTT OF ORE FROM FIRST SHOVEL
AMT OF ORE FROM SECOND SHOVEL *****
    PUTSTRING (' ')
    PUTSTRING (' DO AGAIN? (Y/N)')
    PUTSTRING (' ')
    GETLIST &cANS
    IF (&ANS'E''Y')OR(&ANS'E''Y')
    LET &AMT1=0
    LET &AMT2=0
    LET &TIME=0
    CLEAR
    GOTO AGAIN
    ENDIF
    PUISTRING (' ')
    PUTSTRING (' SIMULATION OVER....')
    END
```

The first time the program is run for a change over at 8000 tons the output is:

```
TIME PRODUCTION WAS GREATER THAN 8000 TONS 310.52
AMT OF ORE FROM FIRST SHOVEL }816
AMT OF ORE FROM SECOND SHOVEL 13770
```

However, the program needs to be run multiple times and the averages values used as shown by the results of Exercise 26.3

## CHAPTER 28

## The BUFFER Block

## the buffer block

To fully appreciate the way a GPSS/H program works, it is important to always understand the way transactions are moved on the various chains. Recall that, once a transaction is moved by the processor, it will be moved forward as far as possible until one of three things happens to it: (1) it is terminated, (2) it is put on the FEC, or (3) it is blocked. When one of these three things happens, the processor will start a rescan. So far, this procedure is what we have wanted. However, there are times when it is necessary to start a rescan of the CEC before the active transaction has come to a rest. Such a necessity can, perhaps, best be understood by considering a short example.

Suppose a delivery company has 5 trucks in its fleet. Each has a daily availability of $70 \%$ because some are used in other parts of the company or some are in the shop for maintenance and/or repairs. At the start of each day, it is desired to determine how many are available. If 5 are available, they will be allocated a certain way; if 4 are available, they will be allocated a different way, etc. The program lines for this might be (it will be explained why the PRIORITY 0 block is added):


Five truck transactions are generated at time $t=0$. Each has priority $=1$. Once a transaction leaves the GENERATE block, its priority is reduced to 0 . It then enters the block TRANSFER ,FN(HOWMANY). The function HOWMANY will determine whether the truck transaction will be available for the day or not. If it
is to be available, the next block, OKTRK BLET \&NTRUCK=\&NTRUCK+1, keeps a count of the number of trucks that are available. At the point when a transaction enters the TRANSFER ,FN(WHERE) block, you want the transaction to be transferred to different parts of the program depending on how many trucks are available. These are indicated by the block labels, BLOCKA, BLOCKB, etc. Suppose the first transaction leaves the GENERATE block and is routed to the block labeled OKTRK. It will increment the count of NTRUCK to 1 and then go to the next sequential block. If this is the TRANSFER ,FN(WHERE) block, it will be routed to BLOCKA, which is where you want the transactions to go if there is only one truck available. The next thing to do is to have the second truck transaction leave the GENERATE block. However, the first transaction is still active and will be moved to the next sequential block from BLOCKA. Since there are more trucks to be tested, this approach is incorrect. The way to handle this is to force a rescan of the CEC at this point and move the other truck transactions that are residing in the GENERATE block. This procedure is exactly what the BUFFER block does. Its general form is
( $\quad$ BUFFER
There are no operands. When a transaction enters this block, it causes a rescan of the CEC. It has no other purpose.

Let us see how the presence of the block BUFFER would work for the example above. Imagine that there is a BUFFER block where the comment says "blank for now." The processor starts a rescan. The transaction in the BUFFER block is part of this scan. Its priority is 0 . The second truck transaction in the GENERATE ,,,5,1 block has a priority of 1 so it is moved first. Thus, the first transaction will be held at the BUFFER block until the second transaction has moved forward. How far is it moved? Just as far as the BUFFER block, which triggers another rescan. Now, the third transaction is moved forward from the GENERATE ,,,5,1 block as far as the BUFFER block. This process is repeated until all 5 of the transactions have left the GENERATE block. Now, when each transaction enters the TRANSFER, FN(WHERE) block, the correct count of the available trucks in the system for the day is used to allocate them. A BUFFER block should be used whenever an action in one part of a program triggers an action in another segment. For example, a ship may be in a harbor waiting to be loaded, and it takes 12 truckloads. Whenever a truck dumps a load, the counter \&LOADS is incremented by 1 . After every load is dumped, it is necessary to check to see if the ship is loaded and can leave the harbor. A BUFFER block will accomplish this task. The ship transaction needs to have a higher priority than the truck transaction, of course.

## Example 28.1

Customers come to a small repair shop in a plant with up to 4 items for service. The probability of a given customer bringing 1 item is $50 \% ; 2$ items, $30 \%, 3$ items, $15 \%$; and 4 items, $5 \%$. There are 4 identical workers to assist the customers. Each will service 1 customer at a time. The people will always wait while the items are being repaired. The repairs require a time obtained by sampling from the normal distribution with a mean of 8 and a standard deviation of 1.4 for each item. Before each repair begins, there is some paperwork to be filled out, which takes $1 \pm 0.5$ minute, and it takes the same time
to check the items after they are repaired. It costs the company $\$ 25.25$ per hour for each worker who must wait for the repairs since these people are getting paid and not producing anything. The workers, however, only receive the minimum wage of $\$ 6.25$ per hour. Simulate for 4,5 , and then 6 workers to determine if another worker should be added. Use a DO loop. In addition to determining the cost of the delays, the program should also determine the following: (1) How long each customer needs to wait before a worker is free. (2) How long each customer is in the shop. (3) How busy the workers are. Simulate for 100 shifts of 480 minutes each and for 3 shifts per day. Have the results sent to a data file.

## Solution



```
< [TERMINATE \1
\diamond [DO [&REPAIRS=4,6
O IClEAR
\diamond \STORAGE \S(WORKERS),&REPAIRS
O \START \I
\diamond ПPUTPIC \LINES=8,FILE=MYOUT,&REPAIRS,N(COMEIN)/(500.*3),_
    QT(WAIT),QA(WAIT),_
    QT (TOTAL),QA(TOTAL),SR(WORKERS)/10.,_
        25.25*QA (TOTAL)*8+6.25*&REPAIRS*8
NUMBER OF WORKERS
PEOPLE WHO COME IN PER SHIFT ****.**
AVERAGE TIME WAITING FOR SERVER ******
AVERAGE NO. WAITING FOR SERVER ******
AVERAGE TIME IN SHOP ***.**
AVERAGE NO. IN SHOP ******
UTIL. OF WORKERS ******%
COST PER SHIFT OF THIS ***.**
\vartheta \PUTSTRING []('听)
\diamond \squarePUTSTRING D('|D')
\ [ENDDO
\ END
```

There are several important features of the program that will be discussed here. The workers come into the system via the GENERATE RVEXPO ( 1,5 ),,,,10 block. They are assigned the number of parts to be repaired, and this value is placed in their second halfword parameter. They are held in the GATE block WAITUP until a worker is free. There are 4 workers. Each is numbered, and they are held in the block TEST G Q(WAIT), 0 until there is someone in the block QUEUE WAIT. Once this is the case, the worker enters a busy status. The ampervariable \&SERVER is set equal to the number of workers. The logic switch WAITUP is placed in a set position, which corresponds to the first waiting person being served. Next the BUFFER block is entered and a rescan of the CEC is performed. The transaction being held in the GATE WAITUP block has a priority of 10 , so it is moved next while the transaction that caused the rescan is held in the BUFFER block. This transaction moves, leaves the queue, places the logic switch WAITUP in a reset position so that only 1 customer can be served at a time, and sets its first halfword parameter equal to the worker number. It then sets the variable \&TOOLS equal to its second parameter. This parameter has the number of parts to be repaired. It then is held in the block GATE LS PH1. Since the logic switch corresponding to the first parameter is in a reset position, the transaction will remain at this block, and control passes to the worker segment. Here the worker repairs the parts and then places the logic switch that corresponds to his or her number (from 1 to 4) in a set position. The transaction enters the BUFFER block, which causes a rescan of the CEC. The customer who is waiting for the worker to finish then leaves the shop, which places the logic switch PH1 in a reset position to delay the next customer who brings the next repair item(s) to the same worker. Notice that it was necessary to have the statement WAITUP EQU $20, \mathrm{~L}$. The output from running the program is as follows:

| NUMBER OF WORKERS | 4 |
| :--- | :---: |
| PEOPLE WHO COME IN PER SHIFT | 19.05 |
| AVERAGE TIME WAITING FOR SERVER | 7.47 |
| AVERAGE NO. WAITING FOR SERVER | 1.48 |
| AVERAGE TIME IN SHOP | 23.51 |
| AVERAGE NO. IN SHOP | 4.67 |
| UTIL. OF WORKERS | 79.618 |
| COST PER SHIFT OF THIS | 1142.69 |
|  |  |
| NUMBER OF WORKERS | 5 |
| PEOPLE WHO COME IN PER SHIFT | 19.12 |
| AVERAGE TIME WAITING FOR SERVER. | 1.48 |
| AVERAGE NO. WAITING FOR SERVER | 0.29 |
| AVERAGE TIME IN SHOP | 17.46 |
| AVERAGE NO. IN SHOP | 3.48 |
| UTIL. OF WORKERS | $63.67 \%$ |
| COST PER SHIFT OF THIS | 952.57 |
|  |  |
| NUMRER OF WORKERS | 6 |
| PEOPLE WHO COME IN PER SHIFT | 19.34 |
| AVERAGE TIME WAITING FOR SERVER | 0.46 |
| AVERAGE NO. WAITING FOR SERVER | 0.09 |
| AVERAGE TIME IN SHOP | 16.43 |
| AVERAGE NO. IN SHOP | 3.31 |
| UTIL. OF WORKERS | $53.59 \%$ |
| COST PER SHIFT OF THIS | 968.47 |

As can be seen, it would be profitable to hire a fifth repair person.

## CHAPTER 29 <br> The SPLIT Block

## CLONES OF TRANSACTIONS

Transactions have been placed in our simulations by the GENERATE block. In fact, this is the only way to create original transactions. However, once a transaction has been created, it is possible to make clones of it. Such clones will normally be identical to the original transactions, although they can be made to differ. The clones will always be identical to the original transactions in their priority level and their time of entry, which is called their "Mark Time." This latter point is worth noting. If the original transaction entered the simulation at time $t=2050$ and a new transaction was cloned at time $t=$ 3500 , the clone has a Mark Time of 2050 , not 3500 . The clones will normally have the same number and type of parameters as the original, but in these particulars, the clones can be made to differ.

The block that creates these clones is the SPLIT block. The form to create identical transactions is
$\bigcirc \quad$ TSPLIT $\quad \square A, B$
where operand $A$ is the number of clones to create and operand $B$ is the label of the block the transactions are routed to.

When a transaction enters a SPLIT block, $A$ identical transactions are created and leave the block one at a time (incrementing the block count as they leave). These are all routed to the destination block whose label is specified in the $B$ operand of the SPLIT block. The original transaction is not routed to this destination block but goes to the next sequential block. In fact, this original transaction is moved before the clones are. Some examples of the SPLIT block are

| $\diamond(a)$ | ПSPLIT | $\square 1$, DOWN1 |
| :--- | :--- | :--- |
| $\diamond(b)$ | ПSPLIT | [10, UPTOP |

In (a), one clone is created and sent to the block with the label DOWN1. In (b), 10 clones are created and sent to the block with the label UPTOP. In both cases, the original transactions are routed to the next sequential block.

Often it is desired to have the original transaction and the clones routed to the same block. This can be done by making the next sequential block the one where the clones are sent to, e.g.,
$\begin{array}{lll}0 & \text { OSPLIT } & \text { B.NEXTI } \\ \text { ONEXT1 }\end{array}$
Here the original and the 3 clones are all sent to the same block.
SPLIT blocks can be very handy in programming problems in which a single unit comes along and several things have to be done on different parts of the unit simultaneously. For example, suppose a partially completed car comes along an assembly line. At a given point, one person makes an adjustment to the front, another connects the bumper to the rear, and a third bolts on the steering wheel. It is convenient to split the car transaction by making 2 clones and then to work on the clones separately. Only when all 3 transactions (the original and the 2 clones) are finished can the car be moved along. How to do this will be covered in Chapter 30, when the MATCH block is presented.

## Example 29.1

In a manufacturing process, parts come along an assembly line every $4 \pm 1.2$ minutes. An overhead crane is used to lift them from the line to another section where they will be worked on further. It takes $2 \pm 0.8$ minutes to load and transport the parts. The crane then must return to its original position. This takes $1.6 \pm 0.3$ minutes. Give the GPSS/H code to model this segment of the system.

## Solution

| $\bigcirc$ | CGenerate | 74,1.2 | TPARTS COME ALONG |
| :---: | :---: | :---: | :---: |
| 0 | CQueve | UWAIT | [JOIN QUEUE |
| 0 | [SEIZE | CCRANE | TUSE THE CRANE |
| 0 | [DEPART | WAIT | LLEAVE THE QUEUE |
| $\bigcirc$ | Cadvance | 32, 8 | CMOVE PART TO NEW SECTION |
| \% | [SPLIT | I 1 DOWN1 | [CREATE Clone |
| $\%$ | [ADVANCE | 31.6,.3 | MOVE CRANE BACK |
| $\%$ | Frelease | CRANE | [FREE CRANE |
| \% | Tterminate |  | CREMOVE TRANSACTION |
| DDOWN1 | ------ |  |  |
| \} | ------ |  |  |

Notice that, after the crane moved the part, the SPLIT block formed a clone of the part, and the clone was sent to the block DOWN1. The original part transaction entered the block ADVANCE $1.6, .3$ to represent the travel time for the crane to return to the original position. When the "original part" transaction leaves the ADVANCE block, it releases the crane. Only then can another part be moved by the crane.

## Example 29.2

A part in a large machine will periodically fail and have to be replaced with a spare part while the failed part is fixed. When this happens, the machine is shut down, and the failed part is removed. The machine is then down until one of the following two things happen:

1. A good part is available to replace the failed part, and, once this is installed, the machine starts again.
2. No spare part is available, and the machine must wait until the failed part (or parts) are repaired.

The life of a part is 108 hours, exponentially distributed. The time to remove a failed part is normally distributed with a mean of 7 hours and a standard deviation of 1 hour. The time to put a repaired part in the machine is also normally distributed with a mean of 12 hours and a standard deviation of 1.1 hours. A single repair person fixes failed parts, and a single machinist runs the machine. The time to repair a failed part is obtained from sampling the uniform distribution $10 \pm 4$ hours. Each hour the machine is down costs the company $\$ 15.25$. Each spare part costs the company $\$ 125$ per week to keep in stock. The company works 7 days a week, 24 hours a day. The repair shop works for 20 hours and then is closed for 4 hours. Run the simulation for 500 years and for the following numbers of spares: $0,1,2$, and 3 . Determine the optimum number of spares to have. Have the results sent to an output file.

## Solution

| 0 | USIMULATE |  |  |
| :---: | :---: | :---: | :---: |
| 0 | CINTEGER | [ $\& 1, \& S$ PARES |  |
| $\rangle$ | -REAL | C\&COST |  |
| $\bigcirc$ MYOUT | CFILEDEF | -'EXAM29B.OUT' |  |
| 0 | -GENERATE | [], . 1 | DDUMMY TRANSACTION |
| BACKIN | CSEIZE | OMACH1 |  |
| 0 | [ADVANCE | [RVEXPO (1,108) | WWORKING MACHINE |
| $\hat{0}$ | [RELEASE | [MACH1 |  |
| 3 | Ladvance | CRVNORM (1, 7, 1) | CTAFE PART OUT |
| 3 | CSPLIT | [1, REPAIR | CMAKE A CLONE |
| $\hat{\gamma}$ | [SEIZE | CFIXER |  |
| 3 | CADVANCE | [12,4 | $\square$ FIX THE PART |
| 0 | CRELEASE | [FIXER |  |
| 3 | [BLET | $\square \& S P A R E S=\& S P A R E S+1$ | LADD ONE TO SPARES |
| 0 | [TERMINATE |  |  |
| OREPAIR | CTESTGG | D\&SPARES, 0 | DANY SPARES AVAILABLE? |
| $\hat{3}$ | [GATEJLR | NOTWORK |  |
| $\bigcirc$ | CBLET | L\&SPARES $=\&$ SPARES -1 |  |
| $\bigcirc$ | [ADVANCE | TRVNORM (1,12,1.1) | [PUT SPARE IN MACHINE |
| 3 | CTRANSFER | [], BACKIN |  |
| 3 | [GENERATE | [, . 1 |  |

```
\triangleBACKUP [ladvANCE [20
|logiclis #NOTWORK
\ADVANCE [4
\diamond [LOGIC[R [NOTWORK
O TTRANSFER D,BACKUP
\diamond \GENERATE [24*7*52*500 \SIMULATE FOR 500 YEARS
< [BEET [&COST=15.25* (1-FR(MACH1)/1000.)*24*7+(&I-1)*125.
O TTERMINATE [I
```



```
|LET D&SPARES=&I-1
|start DI
    \squarePUTPIC [FILE=MYOUT,LINES=8,&I-1,FR(MACH1)/10.,FR(FIXER)/10.,_
                                    FC (MACH1)/500.,
                                FC(FIXER)/500.,&COST
```

```
NMMBER OF SPARE PARTS
UTIL. OF MACHINE
UTIL. OF REPAIR PERSON
NUMBER OF BREAKDOWNS/YR.
NUMBER OF TIMES REPAIR PERSON USED/YR.
EXPECTED COST PER DAY
\begin{tabular}{lll}
0 & ПLET & \(\square \varnothing C O S T=0\) \\
0 & ПCLEAR & \\
0 & ПENDDO & \\
0 & ПEND &
\end{tabular}
```

The program represents the machinist as a single transaction. This transaction simply turns the machine on and off. When a part fails, the machine is turned off and the part removed. A SPLIT block is used to create a clone. The original transaction is sent to the repair shop. Once it is repaired, the number of spare parts is incremented by 1 and the original transaction is terminated. The clone tests to see if a spare part is available. If so, the repair person immediately starts to put one in the machine. If no part is available, the repair person has to wait for one to be repaired.

The segment with the repair shop being down for 4 hours after working for 20 hours is easily handled with the combination of a LOGIC switch and a GATE block. The output of the simulation is as follows:

| NUMBER OF SPARE PARTS | 0 |
| :--- | :---: |
| UTIL. OF MACHINE | $77.55 \%$ |
| UTIL. OF REPAIR PERSON | $8.60 \%$ |
| NMBER OF BREAKDOWSS/YR. | 62.56 |
| NMBER OF TIMES REPAIR PERSON USED/YR. | 62.56 |
| EXPECTED COST PER DAY | 75.11 |
|  |  |
| NUMER OF SPARE PARTS | 1 |
| UTIL. OF MACHINE | $84.75 \%$ |
| UTIL. OF REPAIR PERSON | $9.47 \%$ |
| NMBER OF EREAKDOWNS/YR. | 68.94 |
| NUMBER OF TIMES REPAIR PERSON USED/YR. | 68.94 |
| EXPECTED COST PER DAY | 515.71 |


| NUMBER OF SPARE PARTS |  |
| :--- | :---: |
| UTIL. OF MACHINE | $84.70 \%$ |
| UTIL. OF REPAIR PERSON | $9.48 \%$ |
| NUMBER OF BREAKDOWNS/YR. | 69.09 |
| NUMBER OF TIMES REPAIR PERSON USED/YR. | 69.09 |
| EXPECTED COST PER DAY | 641.97 |
|  |  |
| NUMBER OF SPARE PARTS | 3 |
| UTIL. OF MACHINE | $84.86 \%$ |
| UTIL. OF REPAIR PERSON | $9.40 \%$ |
| NUMBER OF BREAKDOWNS/YR. | 68.42 |
| NUMBER OF TIMES REPAIR PERSON USED/YR. | 68.42 |
| EXPECTED COST PER DAY | 62.86 |

As can be seen, the optimum number of spare parts to have is 1 . Having more spares than this number does not change the availability of the machine as it remains around $85 \%$.

## Example 29.3

In the previous example, the repair person was busy only about $9.5 \%$ of the time. Suppose that this person also had duties to repair other items. Other failed parts come along every $20 \pm 6$ minutes, and these take $18 \pm 2.1$ minutes to repair. Since the repair shop will be down for 4 hours each day, it is necessary to give these failed parts a higher priority than the parts from the machine. This procedure guarantees that, when the repair shop is down, these "other" parts will be repaired first when the shop reopens. If this is not the case, when it starts up again, the queues in front of it may be too large, and the program will blow up.

## Solution

The only segment that must be added to the program is as follows (this code forms a complete segment and so can be inserted anywhere in the program after a TERMINATE block or before a GENERATE block):

| 1 | Ggenerate | [20,6:, 10 | ПOTHER PARTS |
| :---: | :---: | :---: | :---: |
| $\bigcirc$ | Ceueve | WAIT |  |
| $\bigcirc$ | CSEIZE | CFIXER |  |
| 0 | Depart | [WAIT |  |
| 3 | Cadvance | [18,2.1 |  |
| 0 | CRELEASE | OFIXER |  |
| 0 | ITERMINATE |  |  |

Selected parts of the output from running the program are:

| Spare Parts | Util. of <br> Machine | Util. of <br> Repair Shop | Cost |
| :---: | :---: | :---: | :---: |
| 0 | $53.50 \%$ | $96.50 \%$ | 2334 |
| 1 | $64.27 \%$ | $98.03 \%$ | 1918 |
| 2 | $69.53 \%$ | $98.50 \%$ | 1779 |
| 3 | $72.48 \%$ | $98.81 \%$ | 1757 |
| 4 | $73.90 \%$ | $99.10 \%$ | 1801 |
| 5 | $74.03 \%$ | $99.87 \%$ | 1889 |

As can be seen, the number of spare parts to have is now 3 . The utilization of the machine is quite low, and so, in practice, something should be done to improve the repair-shop times.

## SIMULATING 24-HOUR (OR "MILITARY") TIME

The absolute clock measures the simulation time from the start of the simulation. In many simulations, however, it is also necessary to keep track of the simulation time, the day of the simulation, the week, etc. For example, it may be necessary to have the workers stop for 30 minutes at noon for lunch, to shut down the mine for the third shift (but keep the mill working), or to shut a crusher down for 1 hour of maintenance every day at 4:00 p.m.

If a time value corresponding to what is known as "military clock time" or " 24 -hour time" is used, many of these stoppages can easily be modeled, often much more easily than by using the absolute clock. Some examples comparing 12 -hour time, military time, and GPSS/H simulation time are

|  | Midnight | 9:30 A.M. | Noon | 2:30 P.M. | Midnight - <br> 1 minute |
| :--- | :---: | :---: | :---: | :---: | :---: |
| 12-hour time | 12:00 P.M. | 9:30 A.M. | 12:00 A.M. | 2:30 P.M. | 11:59 P.M. |
| Military time | 0000 | 0930 | 1200 | 1430 | 2359 |
| Simulation time | 0 hours | 930 hours | 1200 hours | 1430 hours | 2359 hours |

This conversion of the clock time is often much easier to program compared to using the absolute clock. For example, if the miners take their lunch break every day at noon, this is 1200 hours. If the mine does not work on the weekend, then the days to shut down the mining part of the simulation will be days 6 and 7.

## Example 29.4

Write a program to give the military time for 2 days. Have output every hour and place this output in a data file. Use a basic time unit of 1 minute. The data file should give the absolute clock time, the military time, and the day of the simulation. The program should also count the day of the week (from 1 to 7) as well as the number of the week. (This example was kindly supplied by Robert Crain of Wolverine Software.)

## Solution

| $\bigcirc$ | [SIMULATE |  |  |
| :---: | :---: | :---: | :---: |
| 0 | [INTEGER | $\square ¢ \mathrm{MILITTIME}$ | Current time in 24 -hour format |
| 0 | CINTEGER | $\square ¢ D A Y N O$ | [Consecutive days are numbered |
| 0 | CINTEGER | [¢WKDAYNO | [Week days 1-7 |
| 0 | CINTEGER | [\%WEEKNO | [Weeks are numbered |
| CMYOUT | FFILEDEF | ['MCLOCK. OUT' |  |


| $\diamond$ | [generate | [, ., 1,150 | $\square 1$ master clock Xact |
| :---: | :---: | :---: | :---: |
| * |  |  |  |
| $\bigcirc$ | [BLET | [ $¢$ WKKDAYNO $=1$ | [Start on Monday |
| * |  |  |  |
| ONEXTMIN | [ADVANCE | 01 | $\square \mathrm{Clock}$ "ticks" each minute |
| $\bigcirc$ | [-blet | П¢MILITIME=\&MLLITIME +1 | [Add 1 minute to 4-digit time |
| * |  |  |  |
| * |  | To close mine for lunch | and weekends, |
| * |  | code is added here; see | explanation that |
| * |  | follows the output. |  |
| * |  |  |  |
| $\bigcirc$ | CTESTIE | П\&MILITIME@100,60,NEXTMIN | [Last 2 digits $=60$ ? |
| $\bigcirc$ | [BLET | $\square ¢$ MILITIME $=¢$ MILITIME +40 | [YES $=>$ Add 40 |
| $\bigcirc$ | [BPUTPIC | [FILE=MYOUT, \&WKDAYNO, AC1, | \&MILITIME |
| DAY NUMBE | R *** S | SIMULATION TIME **** MILI | TARY TIME **** |
| $\bigcirc$ | TTEStLE | П\&MILITIME, 2400, NEXTMIN | [Have we reached 2400? |
| $\bigcirc$ | [BLET | $\square ¢ M I L I T I M E=0000$ | [YES => reset to 0000 |
| 0 | [BLET | $\square \& D A Y N O=\& D A Y N O+1$ | [Increment total days |
| $\bigcirc$ | [BLET | $\square \dot{\square} W K D A Y N O=¢ W K D A Y N O+1$ | $\square$ Increment day of week (1-7) |
| 0 | [Test[E] | C\&WKDAYNO, 8, NEXTMIN | [Is this new Monday? No |
| $\diamond$ | [BLET | [6WKDAYNO $=1$ | [YES => reset day of week to 1 |
| $\diamond$ | [BLET | [\&WEEKNO=\&WEEKNO +1 | OIncrement total weeks |
| 0 | CTRANSFER | [, nextmin | OTick again |
| ********* | 咼********* | ************************* | *************************** |
| 0 | [GENERATE | $[480 * 3 * 2$ | OSimulate for 2 days. |
| $\bigcirc$ | [TERMINATE | E $\square_{1}$ |  |
| 0 | [START | $\square 1$ |  |
| $\bigcirc$ | IEND |  |  |

The program starts by setting the day counter, \&WKDAYNO, equal to 1 , and the clock is assumed to start at midnight. The clock repeatedly advances by 1 minute until time $t=60$ is reached, which is 1 o'clock in the morning. At this time, the military clock is to be at time $t=0100$. "Setting" the military clock is done by using modular arithmetic. The military clock is advanced every 60 basic time units ( $=$ minutes) until 1 day ( 24 hours) has passed. At this time, the military clock reads 2400 hours, so the day counter is incremented and the military clock is set back to 0000 . The following is sample output from the program:

| DAY NUMBER | 1 | SIMULATION TIME | 60 | MILITARY TIME | 100 |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| DAY NUMBER | 1 | SIMULATION TIME | 120 | MILITARY TIME | 200 |
| DAY NUMBER | 1 | SIMULATION TIME | 180 | MILITARY TIME | 300 |
| DAY NUMBER | 1 | SIMULATION TIME | 240 | MILITARY TIME | 400 |
| DAY NUMBER | 1 | SIMULATION TIME | 300 | MILITARY TIME | 500 |
| DAY NUMBER | 1 | SIMULATION TIME | 360 | MILITARY TIME | 600 |
| DAY NMMBER | 1 | SIMULATION TIME | 420 | MILITARY TIME | 700 |
| DAY NUMBER | 1 | SIMULATION TIME | 480 | MILITARY TIME | 800 |
| DAY NUMBER | 1 | SIMULATION TIME | 540 | MILITARY TIME | 900 |
| DAY NUMBER | 1 | SIMULATION TIME | 600 | MILITARY TIME 1000 |  |
| DAY NUMBER | 1 | SIMULATION TIME | 660 | MILITARY TIME 1100 |  |
| DAY NUMBER | 1 | SIMULATION TIME | 720 | MILITARY TIME 1200 |  |


| DAY NUMBER | 1 | SIMULATION | TIME 780 | MILITARY TIME 1300 |
| :---: | :---: | :---: | :---: | :---: |
| DAY NUMBER | 1 | SIMULATION | TIME 840 | MILITARY TIME 1400 |
| DAY NUMBER | 1 | SIMULATION | TIME 900 | MILITARY TIME 1500 |
| DAY NUMBER | 1 | SIMULATION | TIME 960 | MILITARY TIME 1600 |
| DAY NUMBER | 1 | SIMULATION | TIME 1020 | MILITARY TIME 1700 |
| DAY NUMBER | 1 | SIMULATION | E 1080 | MILITARY TIME 1800 |
| D | 1 | SIMULATION | E 1140 | ME 1900 |
| DAY NUMBER | 1 | SIMULATION | TIME 1200 | MILITARY TIME 2000 |
| DAY NUMBER | 1 | SIMULATION | TIME 1260 | MILITARY TIME 2100 |
| DAY NUMBER | 1 | SIMULATION | TIME 1320 | MILITARY TIME 2200 |
| DAY NUMBER | 1 | SIMULATION | TIME 1380 | MILITARY TIME 2300 |
| DAY NUMBER | 1 | SIMCILATION | E 1440 | 0 |
| DAY NUMBER | 2 | SIMULATION | 1500 | $Y$ TIME 100 |
| DAY NUMBER | 2 | SI | TIME 1560 | MILITARY TIME |
| DAY NUMBER | 2 | SIMULATIO | TIME 1620 | MILITARY TIME 300 |
| DAY NUMBER | 2 | SIM | TIME 1680 | MILITARY TIME 400 |
| DAY NUMBER | 2 | SIMULATION | TIME 1740 | MILITARY TIME 500 |
| DAY NUMBER | 2 | SIMULATION | TIME 1800 | MILITARY TIME |
| DAY NUMBER | 2 | SIMULATION | TIME 1860 | MILITARY TIME |
| DAY NMMBER | 2 | SIMULATI | TIME 1920 | MILITARY TIME |
| DAY NUMBER | 2 | SI | TIME 1980 | MILITARY TIME |
| DAY NUMBER | 2 | SIMULATION | TIME 2040 | MILITARY TIME 1000 |
| DAY NUMBER | 2 | SIMULATIO | TIME 2100 | MILITARY TTME 1100 |
| DAY NTMEER | 2 | SIMULATION | TIME 2160 | MILITARY TIME 1200 |
| DAY NUMEER | 2 | SIMULATION | TIME 2220 | MILITARY TIME 1300 |
| DAY NUMBER | 2 | SIMULATION | TIME 2280 | MILITARY TIME 1400 |
| DAY NOMBER | 2 | SIMULATION | TIME 2340 | MILITARY TIME 1500 |
| DAY NUMBER | 2 | SIMULATION | TIME 2400 | MILITARY TIME 1600 |
| DAY NUMBER | 2 | SIMULATION | TIME 2460 | MILITARY TIME 1700 |
| DAY NUMBER | 2 | SIMULATION | TIME 2520 | MILITARY TIME 1800 |
| DAY NUMBER | 2 | SIMULATION | TIME 2580 | MILITARY TIME 1900 |
| DAY NUMBER | 2 | SIMUlation | TIME 2640 | MILITARY TIME 2000 |
| DAY NUMBER | 2 | SIMULATION | TIME 2700 | MILITARY TIME 2100 |
| DAY NUMBER | 2 | SIMULATION | TIME 2760 | MILITARY TIME 2200 |
| DAY NUMBER | 2 | SIMULATION | TIME 2820 | MILITARY TIME 2300 |
| DAY NUMBER | 2 | SIMULATION | TIME 2880 | MILITARY TIME |

Notice that the week day and the week number were not output. However, for a simulation that ran for a longer time, they would be used. This simulation took place for only 2 days in order to illustrate the nature of the military code segment. If this segment is to be used in an actual program, the following change would be needed: (1) The BPUTPIC can be removed to reduce the program output, and (2) the timer transaction segment

3 CGENERATE [480*3*2 [Simulate for 2 days.
) ITERMINATE S1
should be removed as the main program will already have a timer transaction to control the length of the simulation.

Example 29.4, although very useful for simulation in general, did not contain any SPLIT blocks. However, suppose that one wanted to shut down a part of the program for $1 / 2$ hour ( 30 time units) while the miners had a lunch break
every weekday at noon and the miners did not work on Saturday or Sunday. The main program needs blocks GATE LR LUNCH and GATE LR WEEKEND to control these. For example, the main program where the mining is taking place might have these GATE blocks just before the blocks that model the crusher. When the truck transactions arrive at the crusher, the first must check to see if these GATE blocks are open or shut. A skeleton of the program might be

```
llll
```

These two GATE blocks will stop the truck transactions from moving through the system at lunch and during the weekends when the mining is to be stopped.

The changes to the program are shown next. Rather than repeat the whole program, only the new code is given, as well as the old code above and below:

| 0 [---- |  |  |  |
| :---: | :---: | :---: | :---: |
| 0 | []---- |  |  |
| 0 | CBLET | ] $¢$ MILITIME $=\&$ MILITIME +1 | [Add 1 minute to 4-digit time |
| 0 | [TEST]E | ПKMILITIME, 1200, NEXT1 |  |
| 0 | $\square$ SPLIT | $\square 1$, WORKSHUT |  |
| ONEXT1 | CTEST]E | D\&MILITIME@100,60, NEXTMIN | Dust 2 digits $=60$ ? |
| $\bigcirc$ | [BLET | [ $<$ MILITIME $=8$ MILITIME +40 | [YES => Add 40 |
| $\bigcirc$ | [BPUTPIC | TFILE=MYOUT, \&WKDAYNO, AC1, $\delta$ | MILITIME |
| DAY NUMBER *** SIMULATION TIME **** MILITARY TIME **** |  |  |  |
| $\bigcirc$ | CTEST]E | CKMILITIME, 2400, NEXTMIN | [Have we reached 2400? |
| 0 | [BLET | CKMILITIME $=0000$ | CYES => reset to 0000 |
| 6 | CBLET | $\square \& D A Y N O=\& D A Y N O+1$ | OIncrement total days |
| 0 | [BLET | $\square \& W K D A Y N O=\& W Y D A Y N O+1$ | $\square$ Increment day of week (1-7) |
| 0 | CTESTE | [\&WKDAYNO, 6, NEXT2 |  |
| 0 | [SPLIT | [1, WEEKDONE |  |
| SNEXT2 | -TEST]E | C\&WKDAYNO, 8, NEXTMIN | TIs this new Monday? No |
| $\bigcirc$ | CBLET | D\&WKDAYNO $=1$ | TYES => reset day of week to 1 |
| 0 T |  |  |  |
| $\bigcirc$---- |  |  |  |
| $\triangle$ WORKSHUTLOGIC]S [LUNCH |  |  |  |
| 0 | [ADVANCE | [30 | TSHUT FOR $1 / 2$ HOUR LUNCH |
| 0 | [TOGIC $]$ R | TLUNCH |  |
| $\bigcirc$ | [TERMINAT |  |  |
| OWEEKDONE[LOGIC]S [WEEKEND |  |  |  |
| 0 | [ADVANCE | [1480*3*2 | [SHUT FOR TWO DAYS |
| 0 | [LOGIC]R | CWEEKEND |  |
| 0 | [TERMINAT |  |  |
| 0 | ITEST $\square \mathrm{E}$ | T\&MILITIME@100,60, NEXTMIN | Hast 2 digits $=60$ ? |
| $\bigcirc$ D-C. |  |  |  |
| 0 | D---- |  |  |

When the military clock is at 1200 (noon), the original transaction enters the SPLIT block, and 1 clone is created; the clone is routed to the block labeled WORKSHUT. The associated logic switch LUNCH is placed in a set position. The clone is held there for 30 time units, and then the logic switch LUNCH is reset. A similar thing happens when the day is number 6 (= Saturday). The original transaction enters a SPLIT block; the clone produced is then routed to the block with the label WEEKDONE. The entry of the clone places the associated logic switch WEEKEND in a set position and holds it there for $480 * 3 * 2$ time units ( $=2$ days).

## GENERAL FORM OF THE SPLIT BLOCK

The most general form of the SPLIT block is
$\bigcirc \quad \square S P L I T \quad \square A, B, C, D, E, F, G$
As before, operand $A$ is the number of clones to create, and operand $B$ is the label of the block the transactions are routed to. Operand $C$ is an integer parameter ( $\mathrm{PH}, \mathrm{PB}$, or PF ) and is called the serialization option; it allows one to place sequential numbers in the parameter identified in operand $C$ in both the original transaction and the clones. The original transaction arrives at the SPLIT block with a previously determined value in the parameter specified by the $C$ operand. The original transaction leaves the SPLTT block with this value incremented by 1 . The first clone leaves with this value incremented by 2 , etc. GPSS/H increments the parameter of each succeeding clone by 1.

Operands $D, E, F$, and $G$ are the type and number of parameters each of the clones will have. They will normally have the same values as the original transaction, unless the serialization option is used. If more parameters are specified than the original transaction had, each will have the value zero. Most of the time operands $D-G$ are not used.

An example of the $C$ operand is:
$3 \quad \square$ SPLIT $\square 1$, NEXT, 3 PH
Suppose that the value in the third halfword parameter was 4. Then the original transaction would have the value 5 (increment by 1) in its third halfword parameter, and the clone would have the value 6 in its third halfword parameter. In another example,
$\bigcirc \quad$ ISPLIT $\quad$ 5, AWAY, 2PH
suppose that the value in the transaction's second halfword parameter was 0 . Then the values placed in each of the various transactions would be

| Transaction | Value in Second <br> Halfword Parameter |
| :---: | :---: |
| original | 1 |
| 1st clone | 2 |
| 2nd clone | 3 |
| 3rd clone | 4 |
| 4th clone | 5 |
| 5th clone | 6 |

If one tried to use code such as
$\diamond \quad$ [SPLIT $\quad[2, \mathrm{BBBB}, 2 \mathrm{PL}$
a compiling error would result because only PH, PF, and PB parameters are allowed.

Two examples in which the number and type of parameters are changed are
$\begin{array}{lll}0 & \text { ПSPLIT } & \square 3, \text { UPTOP }, 1 \mathrm{PH}, 2 \mathrm{PL}, 3 \mathrm{~PB}, 4 \mathrm{PF} \\ \diamond & \text { ПSPLIT } & \square 2, \text { AWAY }, 3 \mathrm{PH}, 12 \mathrm{PH}, 12 \mathrm{PL}\end{array}$
This option is rarely used, as it is good programming practice to make each transaction-even the timer transaction-have the same number and type of parameters.

## EXERCISES, CHAPTER 29

1. State what each of the following SPLIT blocks do:

| $\bigcirc$ | USPLIT | $\square 3$, DDDD | $\square(\mathrm{a})$ |
| :---: | :---: | :---: | :---: |
| 0 | $\square$ SPLIT | [4, AWAY, 3PH | $\square(b)$ |
| 0 | $\square S P L I T$ | [1, $\mathrm{BACK}, 5 \mathrm{~PB}, 1 \mathrm{PH}, 10 \mathrm{~PB}$ | $\square(c)$ |
| $\bigcirc$ | [SPLIT | [6, MARY, , 3PH, 3PL, 3PB, 3PF | [ (d) |
| $\bigcirc$ BLOCK | [SPLIT | [5, FN (WHERE) | $\square(\mathrm{e})$ |

The function WHERE is defined as
©WHERE [FUNCTION [N( BLOCK) @5+1,L5
1, BLOCKA/2, BLOCKB/3, BLOCKC/4, BLOCKD/5, BLOCKE
2. Consider the following code:

| 0 | [generate | [., 1 |
| :---: | :---: | :---: |
| $\bigcirc$ | [ASSIGN | O1, 3, PH |
| 0 | -ASSIGN | [ $2,5, \mathrm{PH}$ |
| 0 | $\square S P L I T$ | $\square 2, ~ A W A Y, 2 \mathrm{PH}$ |
| SAWAY | [ADVANCE | [0 |

What number and types of parameters will the transactions have when they enter the ADVANCE block? What are the values in each parameter?
3. Parts come along a conveyor belt every $10 \pm 4.5$ minutes. A single worker takes $8 \pm 3.6$ minutes to work on them. When she is done, she attaches each to an overhead crane that carries them to the next work station. As soon as they arrive at this station, there are two workers who take $18 \pm 7$ minutes to finish the parts. The crane takes $2 \pm 0.5$ minutes to move from the single worker to the finishing station and then takes $1.5 \pm 0.25 \mathrm{~min}-$ utes to return. Model this system for 1 day's production. Determine how busy the workers are and how many units are produced.

## SOLUTIONS, CHAPTER 29

1. a. Three transactions are created which are clones of the transaction entering the block. All three are routed to the block with the label DDDD. The parent transaction moves to the next sequential block. All four transactions are identical.
b. Four transactions are created and routed to the block with the label AWAY. The parent transaction will move to the next sequential block and will have the value in halfword parameter 3 incremented by 1 . The first offspring will have its third halfword parameter incremented by 2 , etc.
c. One transaction will be created which will have 1 halfword parameter and 10 fullword parameters. The value placed in the fifth byte-word parameter for the parent will be the old value plus 1 . The value placed in the fifth-word parameter of the clone will be the old value plus 2 . The cloned transaction will be routed to the block with the label AWAY and the parent moves to the next sequential block.
d. Six transactions are created which are routed to the block with the label MARY. The parent is routed to the next sequential block. All six new transactions will have 3 parameters of type halfword, floatingpoint, byte- and fullword. The parameters and number of the parent are unchained.
e. Five transactions are created. The first offspring is routed to the block with the label BLOCKA, the second to the block with the label BLOCKB, etc. This is done by using modular arithmetic. The value of $\mathrm{N}(\mathrm{BLOCK}) @ 5+1$ will always be $1,2,3,4$, or 5 . The function WHERE directs the transactions to the various blocks in sequence.
2. Two transactions are created at the SPLIT block. They, together with the parent transaction are all sent to the next sequential block, the ADVANCE block. All transactions will have 12 halfword parameters (from the GENERATE block) with a value of 3 in the first parameter and zeros in all other parameters except for parameter 2 . The parent will have a value of 6 , the first offspring a value of 7 and the second offspring a value of 8 .
3. The program to do the simulation is:

|  | SIMULATE |  |  |  |
| :---: | :---: | :---: | :---: | :---: |
|  | INTEGER | $\& I$ |  |  |
|  | STORAGE | S(FINAL), 2 |  |  |
|  | DO | \& $I=1,25$ |  |  |
|  | PUTSTRING | (' ') |  |  |
|  | ENDDO |  |  |  |
| COMEIN | GENERATE | 10,4.5 |  |  |
|  | QUEUE | WAIT1 |  |  |
|  | SEIZE | WORKER |  |  |
|  | DEPART | WAIT1 |  |  |
|  | ADVANCE | 8,3.6 |  |  |
|  | RELEASE | WORKER |  |  |
|  | SEIZE | CRANE USE THE CRANE |  |  |
|  | ADVANCE | 2,.5 |  |  |
|  | SPLIT | 1,DDDD MAKE CLONE |  |  |
|  | ADVANCE | 1.5,.25 CRANE RETURNS |  |  |
|  | RELEASE | CRANE |  |  |
|  | TERMINATE |  |  |  |
| DDD | QUEUE | WAIT2 NEXT STEP |  |  |
|  | EnTER | FINAL |  |  |
|  | DEPART | WAIT2 |  |  |
|  | ADVANCE | 18,7 |  |  |
|  | LEAVE | FINAL |  |  |
|  | TERMINATE |  |  |  |
|  | GENERATE | 480 |  |  |
|  | TERMINATE | 1 |  |  |
|  | START | 1 |  |  |
|  | D 0 | \& $I=1,25$ |  |  |
|  | PUTSTRING | (' ') |  |  |
|  | ENDDO |  |  |  |
|  | PUTPIC | LINES=4,N(COMEIN) , FR(WORYER)/10., _ SR(FINAL)/10., FR (CRANE)/10. |  |  |
|  |  |  |  |  |
| PARTS TO COME INTO THE SHOP *** |  |  |  |  |
| UTIL. | OF WORKER ***.**\% |  |  |  |
| UTIL. | OF FINAL WORKERS ${ }^{* * * * * \% ~}$ |  |  |  |
| UTIL. | OF CRANE ***.**\% |  |  |  |
|  | PUTSTRING | (' ') |  |  |
|  | PUTSTRING | (' ') |  |  |
|  | PUTSTRING | (' SIMULATION OVER....') |  |  |
|  | END |  |  |  |

The output from running the program is:

| PARTS TO COME INTO THE SHOP | 48 |
| :--- | :--- |
| UTIL. OF WORKER | $80.29 \%$ |
| UTIL. OF FINAL WORKERS | $83.52 \%$ |
| UTIL. OF CRANE | $34.65 \%$ |

## CHAPTER 30 <br> Assembly Sets and the ASSEMBLE, GATHER, and MATCH Blocks


#### Abstract

All transactions belong to different groups known as assembly sets. When a transaction is created via the GENERATE block, it is assigned its own assembly set. Once a transaction is assigned its own assembly set, it remains there until it leaves the system. These sets are not numbered or named, so a person cannot refer to them. Only after a transaction leaves the system and reenters later can it be assigned a different assembly set. When only a single transaction is in an assembly set, there is not much of interest with the set. It is when there are multiple transactions belonging to a particular assembly set that it is of interest to the programmer.

When a transaction enters a SPLIT block, the clone transactions belong to the same assembly set as the original. Even if these clones themselves enter a SPLIT block, the resulting new clones belong to the same assembly set. Several blocks are used with the concept of assembly sets. The first is the ASSEMBLE block.


the assemble block
The ASSEMBLE block acts in a manner opposite to the SPLIT block. The SPLIT block clones new transactions into the system and the ASSEMBLE block removes them. The form of it is
$\bigcirc \quad$ ПASSEMBLE DA
Operand $A$ gives the number of transactions to be removed from the system. When a transaction enters the ASSEMBLE block, it is delayed there until other members of its assembly set also arrive in the block, where each is removed. Only when the counter (as given by operand $A$ ) is reached is the first transaction to enter the ASSEMBLE block allowed to move to the next sequential block. It is immaterial to GPSS/H if the first transaction to arrive at the ASSEMBLE block is the original uncloned (parent) transaction or not. The first transaction in the block is the one that is allowed to move on.

For example, when a transaction enters the block
$\diamond \quad$ पASSEMBLE [12
it will be delayed until another transaction from its assembly set also enters the block and one is subsequently destroyed. A program might have a set of blocks such as


The SPLIT block creates two clones when the original transaction enters it. Later, two of the transactions in the same assembly set are removed from the system. The transaction that goes to the sequential block after the ASSEMBLE block is not necessarily the original transaction.

It is possible to have the same ASSEMBLE block working on more than one assembly set, and for a given assembly set, it is possible to have assembling operations being done at more than one ASSEMBLE block. Thus,


The block TRANSFER ,FN(AWAY) might send some of the clones to BLOCKA whereas others might go to BLOCKB.

## Example 30.1

A drill press is used to drill various numbers of holes in boxes. There are assumed to be an infinite supply of these boxes. A single worker takes $20 \pm 8$ seconds to position each undrilled box in front of the drill. Next, the worker drills a hole, and the time for this drilling is normally distributed with a mean of 45 seconds and a standard deviation of 7 seconds. After each hole is drilled, it is necessary to adjust the drill and check for tolerances. Then, if all the needed holes are drilled, the box is sent along to the next stage, and the worker takes a new box to be drilled.

Simulate for 10 shifts of work; each shift is 480 minutes long. Determine how many boxes are drilled by the worker. The program must have the number of holes to be drilled as a variable.

## Solution

```
0 [INTEGER [&HOLES,&I,&BOXES
```



```
\diamond DPUTSTRING D('四)
O \ENDDO
\diamond \squarePUTSTRING \square(' HOW MANY HOLES TO DRILL?')
\diamond \PUTSTRING \('[]')
\ [GETLIST O&HOLES
\diamond [GENERATE [,,.1
\triangleBACKUP [SEIZE [DRILLER
\SSLITT \square1,BACKUP
\ [ADVANCE [20,8 [POSITION BOX
    \ADVANCE \20,8
    [ADVANCE [6,3 [ADJUST
    [ADVANCE [RVEXPO(1,8) [CHECK
    [RELEASE [DRILLER
    [ASSEMBLE C&HOLES
    [BLET &&BOXES=&BOXES +1
    CTERMINATE
    \GENERATE [60*60*8*10 \SIMULATE FOR 10 SHIFTS
    \TERMINATE \1
    ISTART \I
    [DO \&I=1,25
    [PUTSTRING [(']l')
    [ENDDO
    \squarePUTPIC TLINES=2,&HOLES,&BOXES/10.
NUMBER OF HOLES TO DRILL/BOX ***
AVERAGE BOXES DONE/SHIFT ***.**
O पpuTSTRING [('D')
0 [PUTSTRING [(' SIMULATION OVER....')
O IEND
```

Notice that the worker is represented by a single transaction. He or she seizes the drill and immediately makes a clone of the drill. This clone is sent to the SEIZE block but cannot enter this block because it is already seized. Next, the various processes for drilling a single hole are carried out. When they are all done, the drill is released, and the transaction enters the ASSEMBLE \&HOLES block. If the number of transactions in this block is one less than the number of holes needed to be drilled, the single transaction is allowed to pass through to increment the number of boxes drilled and then is terminated. At this point, the transaction attempting to enter the SEIZE block can now do so. The output from the program for various numbers of holes to be drilled is

| Number of Holes | Boxes Per Day |
| :---: | :---: |
| 10 | 36.40 |
| 12 | 30.30 |
| 14 | 26.00 |
| 16 | 22.70 |

## Example 30.2

It is common to represent a project to be completed as a series of subprojects, each of which must be completed before the whole project is finished. For example, in the construction of a house, the foundation needs to be finished before the walls can be started. However, once the foundation is finished, it is possible to begin work on several projects, not just the walls. The wiring, the plumbing, etc., may be included in these projects. One method of graphically showing the order of all of the subprojects that go into an overall project, such as the construction of a house, is known as a PERT (program evaluation and review technique) diagram. Once a PERT diagram is developed for a project, the expected time to complete the project can be determined. These PERT diagrams are very easy to simulate in GPSS/H by using a combination of the SPLIT and ASSEMBLE blocks.

As an example, the PERT diagram in Figure 30.1 shows the possible steps that are involved in a system involving trucks that come to a shop for routine maintenance. The trucks arrive every $20 \pm 8$ minutes. The different steps to service a truck and the times for each step are shown. All times are in minutes. Estimate the average time to service a truck. How many trucks are serviced in a typical 8-hour shift? How long is a truck in the service shop? How busy is the shop? Assume that there are always enough workers in the service shop so that a subproject can always be performed.

The program will handle the places where several jobs are to begin by the use of the SPLIT block. This approach allows simulation of more than one job being worked on at once.

## Solution

| $\bigcirc$ | CSIMULATE |  |  |
| :---: | :---: | :---: | :---: |
| $\bigcirc$ | CINTEGER | C\&I |  |
| $\checkmark$ | [DO | D\&I $=1,25$ |  |
| 0 | CPUTSTRING | O(']') |  |
| 0 | CENDDO |  |  |
| STIMEIN | [TABLE | [M1, 15,1,50 |  |
| * TIME U | ED IN OUTP | TF TO DETERMIN | TIME IN SYSTEM |
| $\bigcirc$ | [GENERATE | [20, 8, ., 1PL | [TRUCKS ARRIVE |
| 0 | DQUEUE | [WAIT |  |
| $\bigcirc$ | [GATE_LR | CWAITUP | [CAN IT GO IN? |
| $\bigcirc$ | TLOGIC[]S | TWAITUP | [SET GATE FOR NEXT TRUCK |
| 0 | TBUFFER |  |  |
| 0 | LDEPART | CWAIT |  |
| 0 | [ADVANCE | [2,1 | DHOIST TRUCK |
| $\bigcirc$ | -SPLIT | [1,FIRST |  |
| $\checkmark$ | [ADVANCE | [1, 5 | LREADY FOR OIL |
| $\bigcirc$ | CSPLIT | [1, SECOND |  |
| $\bigcirc$ | IADVANCE | [2, . 45 | OINSPECT |
| $\bigcirc$ | DTRANSFER | ], NEXT |  |



FINISH
Flgure 30.1 PERT dlagram for truck in repalr shop.

| OSECOND | CADVANCE | [2, . 5 | COIL |
| :---: | :---: | :---: | :---: |
| 0 | [TRANSFER | ], NEXT |  |
| SFIRST | [ADVANCE | $\square 2,1$ | [GREASE |
| 0 | Пadvance | [12,. 35 | ]CHECK |
| SNEXT | [ASSEMBLE | [3 | What for 3 JOBS TO FINISH |
| 3 | [ADVANCE | $\square 2,1$ | [MORE OIL |
| 3 | [ADVANCE | [RVEXPO (1,2) | ?LOWER TRUCK |
| 0 | [SPLIT | O1, THIRD |  |
| 0 | [advance | [3,1 | [GREASE |
| 0 | Tadvance | [3,1.5 | TCHECK ENGINE |
| $\bigcirc$ | TTRANSFER | [], FOURTH |  |
| THIRD | [ADVANCE | -5,2 |  |
| OFOURTH | CASSEMBLE | $\square 2$ |  |
| 3 | LOGIC[R | ПWAITUP |  |
| 0 | [tabulate | CTIMEIN |  |

```
OALLDONE [TERMINATE
\begin{tabular}{llll}
\(\diamond\) & [GENERATE & \(\square, 1,1\) & [DUMMY TRANSACTION \\
\(\diamond B A C K U P\) & [GATELLS & [WAITUP & GHOLD UNTIL SERVICE BUSY
\end{tabular}
\ [SEIZE [DUMM
O [gATE[LR ]WAITUP
\diamond [RELEASE [DUMMY
|TTRANSFER [, BACKUP
\ [GENERATE [480*100
\diamond [TERMINATE OI
0 [START []1
\diamond [DO [&I=1,25
\diamond \putSTRING [l('D')
\diamond [ENDDO
\diamond [PUTPIC [IINES=4,N(ALLDONE)/100.,QA(WAIT),TB(TIMEIN),-
                            FR(DUMMY)/10.
TRUCKS SERVICED EACH DAY ***.**
AVERAGE WAITING NUMBER *****
AVERAGE TIME IN THE SYSTEM ***.**
UTIL. OF SERVICE ***.**%
    IEND
```

Notice how the utilization of the system must be written. A dummy transaction is created that seizes a dummy facility whenever a truck is being serviced. It is not possible to have regular SEIZE and RELEASE blocks in the main program because only the original (nonclone) transaction SEIZEs a facility. Since the ASSEMBLE block destroys transactions without regard to the order in which they have arrived, it may try to destroy a transaction that has a facility seized. This attempt would result in a run-time error. The following output from the program shows that the system appears to be performing satisfactorily:

| TRUCKS SERVICED EACH DAY | 24.07 |
| :--- | :---: |
| AVERAGE WAITING NUMBER | 0.09 |
| AVERAGE TIME IN THE SYSTEM | 18.06 |
| UTIL. OF SERVICE | $81.94 \%$ |

Example $\mathbf{3 0 . 3}$ (from Schriber, 1974, p. 466; see Preface for availability)
In Example 30.2, it was assumed that there were enough workers to perform the service on the truck. In practice, each job will require a set amount of workers. In the following example, the number of workers for each is specified. It is assumed that the job cannot begin until these workers are available. Thus, if a job requires 5 workers and only 4 are available, the job cannot be started.

The network shown in Figure 30.2 represents a series of subprojects that must be carried out to complete an overall project. A pair of circles (nodes) connected by a directed line segment is used to depict each particular subproject. For example, node 1 is connected to node 2, depicting what is called subproject 1 to 2 . Each directed line segment is labeled to show how many people and how many time units are required to perform the corresponding subproject. Subproject 1 to 2 requires 4 people and takes $14 \pm 6$ time units to complete.


FGURE 30.2 PERT diagram.
The times and people needed for each project are as follows:

| Project | People Needed | Time |
| :---: | :---: | :---: |
| 1 to 2 | 4 | $14 \pm 6$ |
| 1 to 3 | 3 | $20 \pm 9$ |
| 2 to 4 | 3 | $10 \pm 3$ |
| 2 to 5 | 5 | $18 \pm 4$ |
| 3 to 4 | 2 | $22 \pm 5$ |
| 3 to 6 | 1 | $25 \pm 7$ |
| 4 to 7 | 4 | $15 \pm 5$ |
| 4 to 5 | 0 | no time |
| 5 to 7 | 2 | $8 \pm 3$ |
| 6 to 7 | 4 | $10 \pm 3$ |

Figure 30.2 also displays the precedence constraints, indicating which subprojects must be completed before other subprojects can be started. For example, subprojects 2 to 4 and 3 to 4 must be completed before subproject 4 to 7 can be started. Similarly, subproject 5 to 7 cannot be initiated until subproject 2 to 5 is finished, and until the subprojects leading into node 4 have been completed.

In projects of this kind, it is of interest to know how much time will be required to complete the overall project. Use GPSS/H to simulate the undertaking of the overall project shown in Figure 30.2. Have the model determine the average number of workers on the job at any one time. The program should be interactive so that the number of jobs simulated is a variable as is the number of workers.

## Solution

| $\bigcirc$ | [SIMULATE |  |  |
| :---: | :---: | :---: | :---: |
| 0 | [INTEGER | [\&I, \&JOOBS, \&NJOBS, \&W | NORK |
| $\bigcirc$ | CHAR*1 | $\square \& \in A N S$ |  |
| $\bigcirc$ AGAIN1 | 7D0 | $\square ¢ I=1,25$ |  |
| $\bigcirc$ | [PUTSTRING | - ('T]) |  |
| $\bigcirc$ | [ENDDO |  |  |
| 0 | $\square \mathrm{PUTSTR}$ Ing | I(' HOW MANY JOBS To | O SIMULATE FOR?') |
| $\bigcirc$ | [PUTSTRING | D( $\mathrm{L}^{\text {c }}$ ) |  |
| $\bigcirc$ | [GETLIST | [\&NJOBS |  |
| $\bigcirc$ AGAIN2 | [PUTSTRING | - ('D') |  |
| $\bigcirc$ | [PUTSTRING | [('HOW MANY WORKERS | ARE THERE? ') |
| $\bigcirc$ | [PUTSTRING | O('T]') |  |
| $\bigcirc$ | [GETLIST | - $\square_{\text {WORK }}$ |  |
| 0 | -PUTSTRING | [ ('D') |  |
| 0 | [STORAGE | [S (WORKER) , \&WORK |  |
| 0 | [PUTSTRING | [(' SIMULATION IN | PROGRESS.... ') |
| $\bigcirc$ RTIME | CTABLE | [MP1PL, 25, 25,30 |  |
| OINUSE | [TABLE | [S (WORKER) , 7, 1, 20 |  |
| $\bigcirc$ | [GENERATE | O., 1, 1PL |  |
| $\bigcirc$ BACK | CMARK | [1PL |  |
| $\diamond$ | [SPLIT | [1, SUB13 | [WORK ON 1-3 AND 1 - |
| 0 | [ENTER | [WORKER, 4 | DWORKERS FOR 1 - 2 |
| $\bigcirc$ | [ADVANCE | -14,6 |  |
| $\bigcirc$ | CLEAVE | [WORKER, 4 |  |
| 0 | [SPLIT | [1, SUB24 |  |
| $\bigcirc$ | [ENTER | [WORKER, 5 | [WORKERS FOR 2-4 |
| 0 | [ADVANCE | [18, 4 |  |
| 0 | [leave | [WORKER, 5 |  |
| ONODE5 | [ASSEMBLE | [12 |  |
| 0 | [ENTER | [WORKER, 2 | [WORK ON 5-7 |
| 0 | _Advance | $\square 8,3$ |  |
| $\bigcirc$ | [leave | TWORKER, 2 |  |
| 3 | [TRANSFER | [, NODET |  |
| SUB24 | Denter | [WORKER, 3 | CWORK ON 2-4 |
| $\bigcirc$ | TADVANCE | [10, 3 |  |
| 0 | LuEAVE | CNORKER, 3 |  |
| ONODE4 | CASSEMBLE | [2 |  |
| $\bigcirc$ | ISPLIT | [1, NODE5 |  |
| 0 | CENTER | WWORKER, 4 | CWORKERS FOR 4-7 |
| $\rangle$ | [ADVANCE | [15,5 |  |
| 9 | Tleave | WWORKER, 4 |  |
| ONODE7 | CASSEMBLE | $\square 3$ | [WAIT FOR JOBS TO FINIS |
| $\bigcirc$ | [TABULATE | [RTIME | CTABULATE TIMES FOR EACH |
| $\bigcirc$ | Cblet |  | [COUNT JOBS |
| 0 | DTRANSFER | $\square, \mathrm{BACK}$ |  |
| SUB13 | CENTER | TWORKER, 3 |  |
| $\bigcirc$ | - ADVANCE | 320,9 |  |
| 9 | CuEAVE | TWORKER, 3 |  |
| 0 | [SPLIT | [1, SUB34 |  |
| 3 | TENTER | [WORKER, 1 | CWORK 3-6 |
| 3 | CADVANCE | [25,7 |  |

```
O TLEAVE TWORKER,1
< \ENTER \WORKER
\ [LEAVE [WORKER,4
\ [TRANSFER ],NODE7
OSUB34 IENTER DNORKER,2
\diamond [ADVANCE [22,5
O [LEAVE TWORKER,2
|TRANSFER D,NODE4
\ \squareGENERATE D,,1,10,1PL \PROVIDE 1 TRANSACTION (I.E., WORKER)
\BACKUP [MARK [1PL [MARR TIME IN PARAMETER 1
\diamond [TEST\NE [MP1PL,0 #WAIT UNTIL CLOCK CHANGES
\TABULATE [INUSE [MAKE ENTRY IN TABLE (WORKERS USED)
O [TRANSFER D,BACKUP [GO BACK AND WAIT FOR CLOCK TO CHANGE
O [GENERATE [,,,1
\diamond [TEST\GE [&JOBS,&NJOBS
\diamond [TEPMINATE [1
\diamond [START [1
\diamond [DO \& I=1,25
\diamond [PUTSTRING [('D]')
0 [ENDDO
< [PUTPIC [LINES=6,&NOOBS,&WORK,TB(RTIME)_
SIMULATION FOR ***** JOB
NUMBER OF WORKERS
AVERAGE TIME/JOB
UTIL. OF WORKERS
MAX. WORKERS IN USE **
AVG. NO. WORKERS IN USE **.**
    [PUTSTRING [('四')
\diamond [PUTSTRING D('L]')
\diamond DPUTSTRING П(' DO AGAIN? (Y/N)')
0 \squarePUTSTRING \('T]')
0 [GETLIST [l&ANS
\diamond [IF प|(&ANS'E''Y')OR(&ANS'E''Y')
< [clear
\ [LET [&JOBS=0
O [PUTSTRING D('几')
|PUTSTRING [(' CHANGE ONLY THE NO. OF WORKERS? (Y/N)')
0) [PUTSTRING D('T]')
0 [GETLIST D&ANS
\diamond [IF D(&ANS'E''Y')OR(&ANS'E''Y')
\) \GOTO [TAGAIN2
O \ENDIF
O ПGOTO \AGAIN1
O [ENDIF
O CEND
```

Notice how the segment to handle the number of workers is done. The 5 lines of code involved are labeled with comments. A dummy transaction cycles through the lower 4 blocks. The time of the simulation is placed in its first fullword parameter. Whenever the time changes in the program-which happens whenever a job is complete-an entry is made into the table INUSE, which gives the number of workers employed.

The simulation was run until 100 jobs were completed. A summary of the results of the simulation are as follows:

| Number of <br> Workers | Avg. Time to <br> Complete Project | Util. of <br> Workers | Avg. No. <br> Working | Maximum <br> No. Working |
| :---: | :---: | :---: | :---: | :---: |
| 6 | 98.27 | $71.48 \%$ | 4.58 | 6 |
| 7 | 81.80 | $73.70 \%$ | 5.15 | 7 |
| 8 | 62.73 | $83.98 \%$ | 6.30 | 8 |
| 9 | 66.13 | $70.66 \%$ | 6.33 | 9 |
| 10 | 65.26 | $64.60 \%$ | 6.60 | 10 |
| 11 | 58.47 | $65.33 \%$ | 7.38 | 11 |
| 12 | 58.44 | $60.03 \%$ | 7.39 | 11 |
| 13 | 59.03 | $55.11 \%$ | 7.38 | 13 |
| .. | $\ldots \ldots \ldots$ | $\ldots \ldots \ldots \ldots$ | $\ldots \ldots$. | $\ldots .$. |
| 500 | 58.92 | $1.43 \%$ | 7.37 | 14 |

As can be seen, the optimum number of workers to have available appears to be 11. This will depend on being able to keep all the surplus workers busy, so there would have to be further economic study to determine the actual optimum number of workers to have. When an infinite labor supply is available, as indicated by the output data for 500 workers, the maximum number ever in use is 14 .

In Schriber's example, the simulation was run for 250 jobs. When 11 workers were available, the utilization was $64.8 \%$, and the average number of workers in use was 7.35 . The average time for a job was 59.1 time units. These numbers are in good agreement with those found here.

## THE GATHER BLOCK

The GATHER block acts much the same as the ASSEMBLE block in that it holds transactions from the same assembly set until a specified number is reached. This number is given by operand A. Whereas the ASSEMBLE block destroys all but 1 transaction when this number is reached, the GATHER block lets all the transactions through to the next sequential block. The general form of the GATHER block is
$\Rightarrow$ DGATHER [A
Some examples of this block are

| $3(a)$ | DGAther | 73 |
| :---: | :---: | :---: |
| $\Delta(\mathrm{b})$ | Ggather | 7 C AMOUNT |
| $\theta(\mathrm{c})$ | Cgather | SFN (AMT1) |

In (a), the GATHER block holds transactions from the same assembly set until it has accumulated 3 and then lets all 3 move to the next sequential block. In (b) and (c), operand $A$ is specified by the ampervariable \&AMOUNT and by the function FN(AMT1), respectively.

There are not too many applications of the GATHER block compared to the ASSEMBLE block since once transactions have been cloned, it is rare that they are allowed to remain in the program for very long. Probably the most common example of the GATHER block comes from manufacturing, as in the next example.

## Example 30.3

Parts come along an assembly line and are stacked in front of a single worker who inspects each part. Of these parts, $10 \%$ are rejected. It is assumed that there are always enough parts arriving for the worker to do the inspection. The worker inspects a part in $8 \pm 4$ seconds and sets it aside until 50 parts have passed inspection. When the count becomes 50 , the worker places the inspected parts inside of a carton. It takes $1.5 \pm 0.5$ seconds for the worker to place each part in the box. Determine how many boxes the worker can fill each day. The worker receives no breaks for lunch or coffee.

## Solution

| $\diamond$ | USIMULATE |  |  |
| :---: | :---: | :---: | :---: |
| $\bigcirc$ | DINTEGER | $[7 \& I, \& B O X E S$ |  |
| 0 | TDO | $\square \& I=1,25$ |  |
| $\bigcirc$ | $\square \mathrm{PUTSTRING}$ | [ ('П') |  |
| 0 | TENDDO |  |  |
| 0 | DGENERATE | $\square, 1$ | DDUMM TRANSACTION |
| $\bigcirc$ BACKUP | पSEIZE | TWORKER | [IS BUSY |
| $\bigcirc$ | $\square$ ADVANCE | [8, 4 | [CHECKS A PART |
| 0 | CSPLIT | [1, BACKUP | [CREATE NEW TRANSACTION |
| $\bigcirc$ | CRELEASE | TWORKER | CFREE, BUT... |
| $\bigcirc$ | CTRANSFER | [.1, BADPART | [10\% ARE BAD |
| 0 | OPRIORITY | $\square 10$ | OHIGH PRIORITY |
| 0 | [GATHER | $\square 50$ | OWAIT FOR 50 DONE |
| 0 | ]SEIZE | OWORKER | [NOW, SEIZE WORKER AGAIN |
| $\bigcirc$ | TADVANCE | [1.5, . 5 | $\square \mathrm{PLACE}$ PART IN BOX |
| $\bigcirc$ | -RELEASE | TWORKER | [FREE WORKER TO PLACE NEXT PART IN BOX |
| 0 | DASSEMBLE | $[50$ | CNEED 50 IN THE BOX |
| 0 | CBLET | $\square \% B O X E S=8$ BOXES +1 | [COUNT BOXES |
| $\bigcirc$ | ПTERMINATE |  |  |
| $\triangle$ BADPART UTERMINATE |  |  |  |
| 0 | LGENERATE | -3600*8 | [SIMULATE FOR 8 HOURS |
| 0 | DTERMINATE | $\square 1$ |  |
| 0 | पSTART | $\square 1$ |  |
| $\bigcirc$ | [DO | $\square \& I=1,25$ |  |
| 0 | -PUTSTRING | - ('ロ]') |  |
| 0 | OENDDO |  |  |
| $\diamond$ | UPUTPIC | DIINES $=1 . \&$ BOXES |  |
| BOXES F | FILLED/DAY | *** |  |
| $\bigcirc$ | TEND |  |  |

The worker will produce 55 boxes a day.

The MATCH block is very useful in modeling manufacturing systems. A MATCH block always has a "twin" block that is in another part of the program. The effect of a MATCH block is to cause a pair of transactions to "wait for each other" before both can move on to the next block in the program. The form of the MATCH block is as follows:

SLABEL1 [MATCH ПLABEL2
In another part of the program, there must be a corresponding block that has the following form:
©LABEL2 [MATCH [LABEL1
Thus, operand $A$ of the first MATCH block becomes the label of the second MATCH block and vice versa. A transaction arriving first at either of these blocks will be delayed until a member of its assembly set arrives at the other block. The MATCH blocks can be thought of as "pointing" at each other. Once a member of the same assembly set arrives at the matching block, both transactions are allowed to move to the next sequential blocks.

## Example 30.4

Trucks arrive at a repair shop every $18 \pm 4$ minutes. There are two crews to service a truck. Both can begin work simultaneously. When a truck comes for service, the "blue crew" can begin lubrication of the underside of the truck, which takes $6 \pm 1.5$ minutes, and the "green crew" does an engine inspection, which takes $6.5 \pm 1$ minutes. Only when both jobs are done can the truck be repositioned for the next jobs. The blue crew does minor adjustments in $7 \pm 3$ minutes, and the green crew does minor repairs to the engine in $8 \pm 4.5 \mathrm{~min}$ utes. When these jobs are done, the blue crew does a quick wash of the truck, which takes $3 \pm 1$ minutes. Simulate for 100 shifts of 480 minutes each to determine the number of trucks that can be serviced in a shift, the average number of trucks waiting in the queue at the repair shop, and the utilization of both crews.

## Solution

| $\hat{0}$ | USIMULATE |  |  |
| :---: | :---: | :---: | :---: |
| $\bigcirc$ | [INTEGER | $\square ¢ I$ |  |
| $\bigcirc$ | [DO | $\square \& I=1,25$ |  |
| $\diamond$ | [PUTSTRING | [('四') |  |
| $\bigcirc$ | [ENDDO |  |  |
| $\bigcirc$ | [GENERATE | -18,4 | DTRUCKS ARRIVE |
| $\stackrel{\rightharpoonup}{ }$ | [JUEUE | DWAIT |  |
| $\diamond$ | -SPLIT | Di, AWAY |  |
| $\diamond$ | [SEIZE | [BLUE | CBLUE CREW |
| 0 | -DEPART | CWAIT |  |
| $\hat{\nu}$ | Cadvance | [6,1.5 | Duturicate |
| 0 | ПRELEASE | OBLUE | CBLUE CREW |
| $\triangle$ WAITUP | [MATCH | COTHERS | IWAIT FOR OTHER CREW |
| 0 | पSEIZE | -blue | [BLUE CREW |
| 0 | [ADVANCE | -7,3 | [MINOR ADJUSTMENTS |
| 0 | ReLEASE | CFIRST |  |



The results of the simulation are

```
TRUCKS SERVICED PER SHIFT 26.59
UTIL. OF BLUE CREW 88.67%
UTIL. OF GREEN CREW 74.95%
AVERAGE NO. OF TRUCKS WAITING 0.07
```

As can be seen from the results, the service area seems to be working all right.

## EXERCISES, CHAPTER 30

1. A race car comes into the pits for a routine stop. It needs the following operations done, each of which start at the same time and each of which requires a different crew of mechanics. All times are in seconds.
a. Refueling: $18 \pm 6$
b. New tires: $22 \pm 7$
c. Refresh the driver: normal distribution, mean of 15 , standard deviation of 3
d. Engine check: exponential distribution, mean of 19

Simulate for 5000 pit stops to determine the expected time in the pits.
2. The average time in the pit for the race car in exercise 1 is found to be too long. Suppose that the engine check time can be changed to being from the normal distribution with mean of 19 and standard deviation of 3.1. How does this change the expected time in the pits?

## SOLUTIONS, CHAPTER 30

1. The program to do the simulation is:


The results of the simulation are somewhat surprising as they are:

```
NUMBER OF PIT STOPS TO SIMULATE FOR 5000
AVERAGE TIME IN THE PITS 28.67
```

2. The change to the program requires only changing the block:

BLOCKC ADVANCE $\operatorname{RVEXPO}(1,19)$
to
BLOCKC ADVANCE $\operatorname{RVNORM}(1,19,3.1)$
Making this change and running the simulation yields an average expected time of 23.32 . This is a considerable time difference from the results of Exercise 30.1.

## CHAPTER 31

## Macros

## MACROS

Anyone seeing a complex GPSS/H program for the first time will most certainly be confused by the cryptic appearing nature of the code. Part of the reason for this is that it is good programming to use as many macros as possible. A macro is a shorthand way of writing lines of code that are repeated in the program with the only differences being in text or numbers. Most of these differences are found in the labels, operands, and the output from BPUTPICS but may be found in other blocks as well. For example, many large programs have the following lines of code repeated many times with the only difference being in the operands:

| ' | juUEue | TWAIT1 |
| :---: | :---: | :---: |
| 3 | $\square$ SEIZE | [MACH1 |
| \% | CDEPART | [WAIT] |
| ' | CADVANCE | 20,5 |
| 9 | RELEASE | TMACH1 |

Then in another part of the program, there might be the following lines of code:

| ' | CQUETE | WAIT2 |
| :---: | :---: | :---: |
| 3 | SEIzE | MACH2 |
| 7 | TDEPART | TWAIT2 |
| , | [ADVANCE | [15,5 |
| , | Crelease | CMACH2 |

These 5 lines of code are very similar with the only differences being in the operands. A macro will replace these lines of code by a single line. The macro must first be defined before it is used. Most macros are defined near the top of the program before the first GENERATE block, but this positioning is only for the convenience of the programmer. The statements that specify the macro are known as macro definition statements. Text to be replaced when the macro is expanded during compiling are indicated by the number sign, "\#," followed by a letter from A to J . Thus, the 5 blocks given previously could be written in the macro definition as

| 0 | [QuEuE | [\#A |
| :---: | :---: | :---: |
| $\bigcirc$ | [SEIZE | [\#B |
| $\bigcirc$ | [DEPART | [\#A |
| $\bigcirc$ | [advance | [\#C, \#D |
| 0 | [RELEASE | [\#B |

In the program, one would have a single line of code. This might be as follows:

```
MMYFIRST \MACRO [WAIT1,MACH1,20,5
```

where WAIT1 replaces \#A, MACH1 replaces \#B, 20 replaces \#C, and 5 replaces \#D. Since the macro text replacement is indicated by a letter from A to J , this means that a macro can have only 10 such replacements. However, it is possible to have a macro invoke another macro, which in turn can invoke a macro, etc.; so, in practice, there can be many such replacements.

The formal definition of a macro is as follows:

```
OLABEL \STARTMACRO
0 [---- .macro definition statements
Q [---- .macro definition statements
\ LENDMACRO
```

The "words" STARTMACRO and ENDMACRO must be as shown. When a macro is invoked in the main program, the form is

```
\trianglelABEL \macro \A,B,C . . .
```

where operands $A, B, C, \ldots$ are a list of values or even text.
Thus, one might have a macro definition as

```
OMYFIRST ISTARTMACRO
\begin{tabular}{|c|c|c|}
\hline 0 & Cqueve & [\#A \\
\hline \(\bigcirc\) & \SEIZE & [\#B \\
\hline \(\bigcirc\) & CDEPART & [\#A \\
\hline \(\bigcirc\) & Ladvance & C\#C, \#D \\
\hline 0 & -RELEASE & D\#A \\
\hline \(\bigcirc\) & [mNDMACRO & \\
\hline
\end{tabular}
```

In the main program, one might have the following to correspond to the macro definition:

```
MMYFIRST [MACRO CWAIT1,MACH1,20,5
```

In the .LIS file, the macro is shown expanded with plus signs, " + ," before the various blocks.

Another example of a macro is

```
MMYNEXT [STARTMACRO
Q \SEIZE \MACH#A
\) CADVANCE CRVEXPO(4,#B)
0 Trelease TmACH#A
\ [ENDMACRO
```

In the body of the program, if one had the statement

## $\checkmark$ MYNEXT $\quad$ MMACRO $\quad \square 1,20$

The macro would be expanded to be

| $\diamond$ | $\square$ SEIZE | ПMACH1 |
| :--- | :--- | :--- |
| $\diamond$ | $\square$ ADVANCE | ПRVEXPO $(4,20)$ |
| $\diamond$ | $\square$ RELEASE | ПMACH1 |

Since the text output in a BPUTPIC is not case sensitive, it is possible to have a macro with lowercase letters as follows:


```
O [----
\diamond [-----
OMMMAC [STARTMACRO
\diamond \PUTPIC \AC1,#A
THE CLOCK TIME IS ***.** *
\ IENDMACRO
```

In the body of the program, it would be permissible to have

```
OMYMAC [MACRO [&J
```

The output from the program might be, for example,

```
THE CLOCK TIME IS 123.45 hello there
```

Alternatively, one could have the following:

```
OMYMAC2 \STARTMACRO
\ \BPUTPIC []#A,#B
    THE TIME IS ***.**
\ \ENDMACRO
```

And then in the program, one could have the following:

```
MYMAC2 [MACRO \AC1,' program ok to here'
```

The output from this code might be

```
THE TIME IS 123.45 program ok to here
```

The advantage of using macros not only is in their economy of lines of code, but they can easily be lined up under each other so that typing errors are easy to detect. The use of macros is illustrated in the next example.

## Example 31.1

There are 6 trucks in a mine. A single shovel loads a truck in $2 \pm 1$ minutes.
Trucks haul ore to the crusher and return to the shovel. These other times are

| Operation | Time (minutes) |
| :--- | :---: |
| travel to crusher | $5 \pm 2$ |
| dump | $1 \pm 0.5$ |
| zeturn to shovel | $3.5 \pm 1.2$ |

Only one truck can dump at a time. Each truck has been found to have the following time distributions (in minutes) for when it is working and for how long it is down. For convenience, the trucks are numbered from 1 to 6 .

| Truck No. | Running Time | Time Down <br> (exponential distribution) |
| :---: | :---: | :---: |
| 1 | $100 \pm 15$ | 15 |
| 2 | $130 \pm 20$ | 13 |
| 3 | $120 \pm 15$ | 15 |
| 4 | $100 \pm 25$ | 25 |
| 5 | $105 \pm 23$ | 23 |
| 6 | $100 \pm 20$ | 24 |

Simulate for 500 shifts of 480 minutes each to determine the average production per shift, the utilization of the shovel, and the utilization of the crusher. Run the program again with none of the trucks ever being out of production.

## Solution Using Macros

| 0 | SSIMULATE |  |  |
| :---: | :---: | :---: | :---: |
| 0 | TRMUTT | $\square 654321$ |  |
| $\bigcirc$ | Integer | $\square ¢ \mathrm{~L}$ I |  |
| $\bigcirc$ | TDO | $\square \times I=1,25$ |  |
| 0 | DPutstring I('T]') |  |  |
| $\bigcirc$ | [ENDDO |  |  |
| $\bigcirc$ MYFIRST | ]STARTMACRO |  |  |
| $\bigcirc$ | CGENERATE | [1, , 1 |  |
| \#A | GADVANCE | C\#B, \#C |  |
| $\bigcirc$ | [LOGIC]S | [\# |  |
| $\checkmark$ | TADVANCE | RRVEXPO(1, \#E) |  |
| 0 | CLOGIC[R | [\# |  |
| 八 | [TRANSFER | $\square, \#$ A |  |
| $\bigcirc$ | [ENDMACRO |  |  |
| SMYNEXT | ISTARTMACRO |  |  |
| \#\# | [GAtE]LR | ISTOP\#B |  |
| 3 | JTRANSER | -. BACKUP |  |
| $\bigcirc$ | Iendmacro |  |  |
| SWHERE | DFUNCTION | SPH1, L6 |  |
| 1,BLOCKA/2, BLOCKB/3, BLOCKC/4, BLOCKD/5, BLOCKE/6, BLOCKF |  |  |  |
| Otruck | Ggenerate | 6, 0,6 | TRUCKS IN THE MINE |
| 3 | ASSIGN | O1, N (TRUCK) , PH | CNUMBER THEM |
| OBACKUP | -Queue | [WAIT | CAT SHOVEL |
| $\bigcirc$ | [SEIZE | -SHOVEL |  |
| 3 | -DEPART | CWA.IT |  |
| 0 | CADVANCE | [2,1 | DLOAD A TRUCKS |
| $\bigcirc$ | RELEASE | SHOVEL |  |
| $\hat{0}$ | Cadvance | -5,2 | CTRAVEL TO CRUSHER |
| 0 | CSEI2E | TCRUSHER |  |
| 0 | Tadvance | I, . 5 | CDUMP A LCAD |
| $\hat{\theta}$ | TRELEASE | CRUSHER |  |
| 0 | CADVANCE | -3.5,1.2 | -RETURN TO SHOVEL |
| 0 | CTRANSFER | -, FN (WHERE) | CHECK EACH TRUCK |



Notice how the macros line up underneath each other in the program listing. In the .LIS file, one can see how the program looks when each macro is expanded. The output from the program is as follows:

| LOADS DUMPED PER SHIFT | 199.59 |
| :--- | :---: |
| UTIL. OF SHOVEL | $83.15 \%$ |
| UTIL. OF CRUSHER | $41.54 \%$ |

When the program is run with the trucks never being down, the output is as follows:

| LOADS DUMPED PER SHIFT | 219.59 |
| :--- | :---: |
| UTIL. OF SHOVEL | $91.48 \%$ |
| UTIL. OF CRUSHER | $45.88 \%$ |

In the case of an actual mine, there would be a slight error in the above results since the trucks are only tested at one place in the mine. This error can be corrected by several means, such as testing the trucks at more places or simply adjusting the downtime distributions.

## CHAPTER 32 <br> Other GPSS/H Blocks

As the GPSS simulation language evolved over the years from the original, crude form to its present modern, dynamic form known as GPSS/H, the number and power of the programming blocks changed. At one time, there was a block known as the HELP block whose operand was a compiled program from another language. When a transaction entered a HELP block, the executable program (normally written in Fortran) was executed. The block is still supported by GPSS/H but is considered obsolete and will not be discussed in this chapter. Instead, other blocks that are of use to the mining engineer will be presented with short programs to illustrate their salient features. Every block used in the examples in Part III of this book has been introduced in Part II. However, the blocks presented here are such that they may be useful in developing other programs for mining simulation.

## BGETLIST AND BPOTSTRING BLOCKS

These blocks act exactly the same way as the GETLIST and PUTSTRING statements except that now they are blocks. The program will stop execution, and the user will be prompted for input values when a transaction enters the BGETLIST block. The BPUTSTRING puts text onto the screen. It is possible to read from a data file when a BGETLIST block is entered by a transaction. For example, it is possible to have

```
\ [BPUTSTRING[(' INPUT VALUES FOR &K, &J, AND &L')
\prime` [BGETLIST [&R,&J,&L
```

Control would pass to the keyboard, and the screen would show the message

```
INPUT VALUES FOR &K, &J, and &L
```

The cursor would flash until values for $\& K, \& J$, and $\& L$ have been keyed in. If they are all to be input at the same time, they need to be separated by spaces. One can read a data file by the following code:


## FAVAIL AND FUNAVAIL BLOCKS

These blocks are used to shut down a facility and allow the transaction the option of leaving the facility when that is desired. The general form of the FUNAVAIL block is quite complex:

```
\ [FUNAVAIL [A,B,C,D,E,F,G,H
```

The $A$ operand is the name or number of the facility to be made unavailable. When a facility is made unavailable, if there is a transaction that has seized it, the transaction will give up control of the facility until the facility becomes available again. Consider the following example

| $\bigcirc$ | [SIMULATE |  |
| :---: | :---: | :---: |
| 0 | [GENERATE | [, . . 1 |
| $\diamond$ | [SEIZE | [FIRST |
| 0 | [ADVANCE | $[10$ |
| $\bigcirc$ | ORELEASE | OFIRST |
| $\bigcirc$ | [BPUTPIC | Cact |
| TIME IS | ***.** |  |
| $\bigcirc$ | [TERMINATE | ,1 |
| $\bigcirc$ | [GENERATE | [., , 1 |
| $\triangle$ BACK | [ADVANCE | $\square 5$ |
| $\diamond$ | [funavail | CFIRST |
| 0 | ПADVANCE | $\square 20$ |
| $\bigcirc$ | Ofavail | DFIRST |
| $\bigcirc$ | [TRANSFER | ], BACK |
| 0 | [START | $\square 1$ |
| 0 | [END |  |

A transaction is created at time $t=0$. It uses the facility FIRST and is placed on the FEC for 10 time units, so it normally would come off at time $t=15$. However, a second transaction is also created at time 0 and placed on the FEC for 5 time units. At this time, it comes off the FEC and makes the facility FIRST unavailable until time 25 . The original transaction now retains control of the facility and has 5 minutes left on the FEC. When it releases the facility FIRST, the clock will be at time $t=30$. The BPUTPIC will indicate this time on the screen.

The $B$ operand will be either CO or RE . If it is CO , the transaction that is seizeing the facility when it is made unavailable will continue to control the facility until it is finished. If it is RE, the transaction that is seizeing the facility is removed and routed to the block as specified by the $C$ operand. However, the transaction that is so removed no longer controls the facility and does not need to release it. A program to illustrate this is as follows:

```
\ DSIMULATE
O \GENERATE \square,,,1,,10pl
\squareSEIZE [FIRST
\ADVANCE \square10
[RELEASE [FIRST
\TERMINATE \1
[RELEASE [FIRST
TTERMINATE [1
OBLOCKA \BPUTPIC \AC1
TIME IS ***.**
    [TERMINATE \1
O [GENERATE [,,,1
OBACK [ADVANCE [5
\diamond [FUNAVAIL [FIRST,RE,BLOCKA
\diamond \ADVANCE \20
| [FAVAIL [FIRST
| [TRANSFER [,BACK
O [START \1
O IEND
```

A transaction is created at time $t=0$ from the first GENERATE block and seizes the facility FIRST where the transaction is to remain for 10 time units. However, the transaction that is created by the second GENERATE block makes the facility FIRST unavailable at time $t=5$ and removes the earlier-created transaction from contention for the facility FIRST. The earlier-created transaction is routed to the block with the label BLOCKA. When the program is run, the output shows that the time is 5.00 . If the program has the line of code
$\bigcirc$ [FUNAVAIL [FIRST, CO,BLOCKA
facility FIRST would have to be released or a run-time error would occur.
Operand $D$ is the name or number of the parameter of the transaction currently using the facility that has been made unavailable. The time remaining for the transaction to be on the FEC is placed in this parameter. This operand can be used only if the RE option is used for operand $B$. The parameter needs to be floating point or a warning message is sent to the screen. Consider the following program:

```
\begin{tabular}{|c|c|c|}
\hline \(\bigcirc\) & [SIMULATE & \\
\hline \(\bigcirc\) & Пgenerate & [., 1, .10PL \\
\hline 0 & [ADVANCE & \(\square 20\) \\
\hline 0 & CSEIzE & [FIRST \\
\hline 0 & [ADVANCE & O10 \\
\hline 0 & [RELEASE & [FIRST \\
\hline \(\bigcirc\) & [TERMINATE & 11 \\
\hline \(\bigcirc\) BLOCKA & [BPUTPIC & -pla \\
\hline \multicolumn{3}{|l|}{PARAMETER IS ***.**} \\
\hline \(\bigcirc\) & [RELEASE & [FIRST \\
\hline 0 & Cterminate & \(\square 1\) \\
\hline 0 & [GENERATE & []\(_{1}, 1\) \\
\hline
\end{tabular}
```



When this code is executed, the value of the first floating-point parameter is 5.00 , since this is the time remaining for the transaction that was using the facility when it was made unavailable.

The $E$ operand has to do with a transaction that is using the facility via a PREEMPT block, which will be covered later in this chapter. It is coded as either CO or RE and has the same effect as the $B$ operand. The $F$ operand goes with the $E$ operand and gives the name of the block the transaction is to be routed to. The $G$ operand has to do with any transaction that might be waiting to seize or preempt the facility that is now unavailable. If omitted, these transactions are removed from competing for the facility (as one would expect). If coded as RE, the transactions will be sent to the block given by the label specified by the operand in position $H$.

## LINK AND ONLINK BLOCKS

The LINK block is used when there is a blocking condition and the blocked transactions are to be temporarily removed from the CEC and placed on a different chain, known as the "user chain." Once these transactions are placed on this user chain, the order in which they are placed back in the program is controlled by the programmer, hence the name "user." Normally, the transactions that are placed on the user chain are taken off when the blocking condition no longer exists. Imagine a shop with a single worker. When the worker is busy with a customer, the transactions waiting for service are kept on the CEC and are included in every rescan. Even though this scan will often be only to check what is known as the "scan indicator," this still takes time. Imagine that the transactions are removed from the system instead, just as the people waiting for service are (somehow) transported into another place to wait until the server is free. How they are sent from this room to the shop when the server is free depends on the logic of the program. Transactions are placed on the user chain by the LINK block. Later, when the transactions are to leave this chain and return to the CEC, the UNIINK block is used. The LINK block and the UNLINK block are complementary.

The general form of the LINK block is
$\vartheta \quad \square \operatorname{link} \quad \square A, B, C$
Operand $A$ is the name or number of the user chain. Operand $B$ shows the priority criterion; it can be FIFO (first in, first out), which places the transactions on the back of the user chain. This is the normal sequence of people joining a queue and being served in the order which they arrived. Operand $B$ could also be LIFO (last in, first out) where transactions are placed on the user chain in front of the other transactions. Thus, when transactions are removed from the
user chain, they are taken in the reverse order from which they were placed on it. The $B$ operand could also be an integer parameter. In this case, the transactions are placed on the user chain in ascending order according to the value of the parameter. For example, consider the block
$\bigcirc \quad$ [LINK $\quad$ [MYCHAIN, 3 PH
Suppose the transactions having the third halfword parameters $1,5,-8,16$, and 2 were placed on the user chain. They would be placed on it in the order

## (end of chain) 16521-8 (front of chain)

If a transaction arrived with the third halfword parameter having a value of 3 , the new transaction would be placed on the user chain between the transactions whose third halfword parameters are 5 and 2.

Operand $C$ is optional. When it is used, the LINK block is said to be in conditional mode. A transaction entering the LINK block either will be routed to the block with the label given by this operand or be placed on the user chain. This block is normally the next sequential block. When is a transaction placed on the user chain and when is it routed to this block? The answer is given by what is known as the user chain's link indicator. This is a switch that is either "set" (on) or "reset" (off). The link indicator is originally in a reset (off) position. When a transaction comes to a LINK block, it tests the condition of the link indicator. If it is on, it enters the block and turns the indicator on and then moves to the next sequential block and is not placed on the user chain. If the link indicator is on when the transaction comes to the LINK block, the transaction is removed from the CEC and placed on the user chain in accordance with operands $A$ and $B$. Consider the following sequence of blocks:

| 3 | LLINK | [MYCHAIN, FIFO, NEXT |
| :---: | :---: | :---: |
| CNEXT | CSEIZE | OMACH1 |
| $\bigcirc$ | [ADVANCE | -20,5.6 |
| 3 | RELEASE | MMACH1 |
| 0 | ----- |  |

When the first transaction enters the LINK block, the link indicator is off; therefore the transaction turns the link indicator on and moves to the SEIZE block since this is the block with the label NEXT. Suppose that another transaction arrives to find the link indicator on. It will be taken off the CEC and placed on the user chain. When the RELEASE block is executed, something will happen to cause the link indicator to turn off again. This is where the UNLINK block is used. The general form of the UNLINK block is
$\square$ UNLINK $\square A, B, C, D, E, F$
Operand $A$ is the name or number of the user chain. This is the same name or number as the one used in the corresponding LINK block. Operand $B$ specifies the label of the block where the unlinked transactions are to be routed. In the case of the example lines of code given here, it would be NEXT. When a transaction enters the UNLINK block, it checks to see if the user chain's link indicator is off. If so, it turns it on. If there is at least 1 transaction to be removed from the user chain, the link indicator will be on.

Consider the case of a barbershop with one barber. Customers arrive at a rate of $18 \pm 6$ minutes, and the barber works at a rate of $16 \pm 8$ minutes. The program to simulate this is as follows:

```
\begin{tabular}{|c|c|c|}
\hline \(\bigcirc\) & SSIMULATE & \\
\hline \(\bigcirc\) & [CENERATE & [18,6 \\
\hline 0 & Dqueve & [WAIT \\
\hline 0 & CIINK & [MYFIRST, FIFO,NEXT \\
\hline ONEXT & - SEIze & [MACH1 \\
\hline \(\bigcirc\) & [DEPART & TWAIT \\
\hline 3 & Cadvance & [16,8 \\
\hline 0 & CRELEASE & [MACH1 \\
\hline \(\bigcirc\) & [UNLINK & [MYFIRST, NEXT, 1 \\
\hline \(\bigcirc\) & [TERMINATE & \\
\hline 0 & [GENERATE & \(\square 480\) \\
\hline \(\bigcirc\) & OTERMINATE & \(\square 1\) \\
\hline \(\bigcirc\) & ISTART & \(\square 1\) \\
\hline \(\bigcirc\) & [END & \\
\hline
\end{tabular}
```

The $C$ operand specifies the number of transactions to be removed from the user chain. The $C$ operand can be the word ALL, which means that all transactions are to be removed from the user chain. Transactions are normally removed from the front of the user chain, which is to be expected. The $D$ operand can be the word BACK. In this case, transactions are removed from the back of the user chain, i.e., in reverse order to the way one would expect them to be removed. The $D$ operand could also be a Boolean variable. In this case, all the transactions are evaluated. Any transaction for which the Boolean variable is true is removed from the user chain. In the case where the BACK or Boolean variable option is used, the $E$ operand must be omitted. The $D$ operand can specify the name or number of a parameter to be evaluated by using the $E$ operand in the test. In this case, an auxiliary operator is used: G, GE, LE, L, E, or NE. In case the auxiliary operator is omitted, it is taken as E by default. For example,

| $O(a)$ | CUNLINK | CMYCHN, AWAY, , PH3, 2 |
| :---: | :---: | :---: |
| $\bigcirc(b)$ | TUNLINKG | CMYFIRST, NEXT, , PH3, 0 |
| $\hat{O}(\mathrm{c})$ | [UNLINK_LE | ABCD, EFGH, , PH1, 0 |

The $F$ operand specifies the name and number of a block used if the user chain is empty or if a conditional form of unlinking has been used and no transaction has been unlinked.

## PREEMPT AND RETURN BLOCKS

The PREEMPT block is used for when a transaction is to take the place of another that is using a facility. In its simplest form, it is
$\Rightarrow$ —PREEMPT IA
where operand $A$ is the name or number of a facility. If a facility is being used by another transaction when a transaction enters the PREEMPT block, it replaces the one that has control of the facility. The preempted transaction is placed on a chain known as the interrupt chain until the preempting transaction is removed
from the CEC. It will then continue to use the facility until it, too, is removed from the CEC. For example, a truck repair shop with one service bay will stop work on normal vehicles and fix an emergency vehicle. When the emergency vehicle is repaired, the repair shop will continue with the regular vehicles. When a transaction is finished preempting, the RETURN block is used to return control of the facility. In this simple form, the PREEMPT and RETURN blocks are similar to the SEIZE and RELFASE blocks. For example, consider the program

| 0 | ]Simulate |
| :---: | :---: |
| $\checkmark$ | [GENERATE $]_{\text {, , I }}$ |
| 0 | पSEIZE $\quad$ JoEb |
| $\diamond$ | $\square$ ADVANCE $\square 20$ |
| $\bigcirc$ | [RELEASE ]JOEB |
| $\diamond$ | $\square \mathrm{BPUTPIC}$ [7AC1 |
| A: TIME | IS NOW ***.** |
| $\bigcirc$ | ITERMINATE $]^{1}$ |
| $\bigcirc$ | $\square \mathrm{GENERate}$ ].,.1 |
| 0 | $\square$ ADVANCE $\square 15$ |
| 0 | $\square \mathrm{PREEMPT}$ OJOEB |
| $\bigcirc$ | $\square$ ADVANCE $\square 20$ |
| $\bigcirc$ | ПRETURN [JOEB |
| $\bigcirc$ | \bputpic \acl |
| B: TIME IS NOW ***.** |  |
| $\bigcirc$ | -TERMINATE |
| 0 | $\square S T A R T \quad \square 1$ |
| $\diamond$ | [END |

The first GENERATE block creates a transaction at time $t=0$. This is placed on the FEC until time $t=20$. The second GENERATE block preempts this transaction at time $t=15$ and controls the facility JOEB until time $t=35$. The first transaction is then placed on the FEC at this time for another 5 time units. The output from this program is

```
B: TIME IS NOW 35.00
A: TIME IS NOW 40.00
```

The general form of the PREEMPT block is
$0 \square$ PREEMPT $\square A, B, C, D, E$
The $A$ operand has been discussed. If the $B$ operand is omitted, the PREEMPT block allows preemption on only "one level." This means that, if a transaction enters the PREEMPT block and another is using the facility, preemption will take place. However, if the transaction using the facility did so by preempting the facility and not by seizing it, no preemption will take place. If the $B$ operand is PR , then preemption will take place providing the transaction using the facility has a lower priority than the one preempting, no matter how the one using the facility came to use the facility. The $C$ operand will direct the preempted transaction to the block with this label. However, the transaction will still be in control of the facility so must either release or return the facility through the use of the RELEASE or RETURN blocks. The program shown next illustrates this procedure:

```
O ISIMULATE
\squaregenerate [,,,1,5
    \ADVANCE \10
    OSEIZE \JOEB
    \advance [20
    [TEELEASE \JOEB
    \BPUTPIC \AC1
TIME IS ***.**
    \squareTERMINATE \1
    IGENERATE [,,,1,10
    \squareADVANCE \15
    ]PREEMPT [JOEB,PR,AWAY
    \squareADVANCE [20
    ORETURN DJOEB
    \BPUTPIC \AC1
    TIME IS NOW ***.**
    [TERMINATE [1
AWAY [BPUTPIC \AC1
C: TIME IS NOW ***
\diamond \RELEASE \JOEB
0 [TERMINATE \square1
\diamond \START [1
O [END
```

The preempting transaction takes control of the facility JOEB at time $t=15$, so the transaction using it is directed to the block with the label AWAY. The only output from the program is the line

```
C: TIME IS NOW 15
```

The $D$ operand specifies the name or number of the parameter into which the preempted transaction's remaining time on the FEC is placed when it is preempted. This parameter should be in floating-point mode or a warning message is sent to the screen. The $E$ operand can be RE or left blank. If it is used, the preempted transaction is removed from competing for the preempted facility and sent to the block indicated by the operand $C$.

## SAVAIL AND SUNAVAIL BLOCKS

The SAVAIL and SUNAVAIL blocks are used to make a storage available and unavailable, respectively, similar to the FAVAIL and FUNAVAIL blocks. When a transaction enters a SUNAVAIL block, the transactions currently using the storage will continue to use it. Only the transactions waiting to use the storage are denied access to the storage until the SAVAIL block is executed. The only operand allowed is the $A$ operand, which is the name of the storage. For example,

| $\diamond$ | ПGENERATE | $\square, \ldots 1$ |
| :--- | :--- | :--- |
| $\diamond$ BACK | ПADVANCE | ПRNORM $(1,200,30)$ |
| $\diamond$ | ПSUNAVAIL | ПTUGS |
| $\rangle$ | ПADVANCE | ПRVNORM $(1,20,3)$ |
| $\rangle$ | ПSAVAIL | ПTUGS |
| $\rangle$ | ПTRANSFER | $\square$, BACK |

would make the storage TUGS unavailable for a time given by the normal distribution with a mean of 20 and a standard deviation of 3 .

## About the Author



John R. Sturgul is recognized as the world's leading authority on mine design using computer simulation models. He has designed more mines worldwide using simulation techniques than any other person. His model of the Lihir mine, located on an island northeast of Papua, New Guinea, is the first mine to be totally designed using a computer simulation model.

Sturgul received a bachelor of science degree in mining engineering from Michigan Technological University; a masters of science in mathematics from the University of Arizona, and a doctorate degree in mining engineering from the University of Illinois. Currently, he is professor of mining engineering at the University of Idaho where he was named 1999 Distinguished Professor.

In addition to his teaching duties, Sturgul organized and co-hosted the First International Symposium on Mine Simulation via the Internet-the first symposium of this type in any field. He is also co-editor of The International Journal of Surface Mining, Environment, and Reclamation. He has published extensively on mine system simulation and presented short courses on this subject throughout the world.

Sturgul established and maintains a website that will eventually link every university mining department in the world. The URL for the site is: http://www.uidaho.edu/mining_school. Additional information on mine system simulation can be found at:
http://www.udiaho.edu/~ sturgul
His email address is: sturgul@uidaho.edu.

## Acknowledgments

The examples chosen here come from several sources. Some are from classical queueing theory or from early papers that concerned a mining problem that may have been solved by simulation but not by using GPSS. A few examples were done with former students who brought interesting problems back after summer work in mines. Some of the examples in Part II on the GPSS/H language are modifications of ones found in Schriber's classic 1974 textbook (with his kind permission), but the majority represent actual mining operations.

Many of the mining examples are from mines in Australia where I have spent quite a few years both in an academic situation and as a mining consultant. Other examples come from different mining operations in places as diverse as Chile and China. The responsibility of the choice of examples lies solely with me. I hope that the reader will benefit from the variety of examples presented here.

Thanks go to Bob Crain and James O. Henriksen of Wolverine Software for their continued support and comments. James Henriksen is the developer of GPSS/H (which explains the H in GPSS/H). Special thanks to him for not only providing me with the limited version of GPSS/H to be included with this book but also for making GPSS/H into the powerful tool that it is today. Wolverine Software also wrote the README.DOC file that is included on the CD. This file should be read first before attempting to use GPSS/H.

Dr. Thomas J. Schriber, the author of Simulation with GPSS and Introduction to Simulation Using GPSS/H, deserves special thanks. Few people programming with GPSS have been trained without using his textbooks (the first has been so well received that it is simply known as the "Red Book" or "Big Red"). Many of the examples from this textbook are excellent not only for learning the GPSS/H language but also for learning how to construct simulation models. Discussions with Tom have been highly productive. Some of the examples presented here were inspired by ones from his textbook and are so noted. In
one case, the exact example is used. Many of the animations were painstakingly done by visiting scholars to the University of Idaho from the Otto-von-Guericke-Technological-University, Magdeburg, Germany. These include Thomas Fliess, Chris Ritter, Ingolf Geist, Sebastian Bayer, and Frank Seibt. Prof.-Dr. Peter Lorenz of Otto-von-Gueriche-University also made practical suggestions for part of the book.

My wife, Alison, showed her editing skills by reading the manuscript and making numerous suggestions and changes.
installation
$=========$

To install the software from the Mine Design CD, simply insert the CD into your CD-ROM drive. If you have disabled automatic recognition of software installation CDS, or if the installation procedure fails to start automatically, you should manually run setup.exe, contained in the root directory of the $C D$. To do so, click Start, Run, Browse; locate setup.exe on the CD; double click on it; and click OK in the Run dialog box.

The installation procedure will prompt you for the name of a directory to be used as the base directory for the software and examples contained on this CD.

The software will be installed in the base directory.
In addition, the following subdirectories will be created:
Subdirectory Contents

GPSSH Source files (.GPS) for GPSS/H mining examples

ANIMATION Layout (.LAY) and trace (. PTF) files for sample animations
HTML Problem statements, solutions, and discussion
P4DEMO A demonstration of Wolverine's Proof Animation (tm) software
Note that installation of the Proof demonstration can be suppressed by performing a "custom" installation when you are given the opportunity during execution of the installation procedure.

The installation procedure will add a "Mining Examples" entry to the Start Menu. Clicking on this entry will reveal lower-level entries for viewing the HTML files and animations, an entry for establishing a command prompt window in which the sample GPSS/H programs can be run, and an entry for invoking the Proof demo, if installed

Running GPSS/H Examples


To run a GPSS/H program named prog 1; open the GPSS/H command prompt window and type the following command;

GPSSH PROG1
By default, the program will be run writing its interactive output to the screen. Noninteractive output, e.g., program listings and standard statistical output, will be placed in PROG1.LIS. Models can also be run under the control of the GPSS/H debugger, e.g.

GPSSH PROG1 TVTNW
Note that successful execution of most of the GPSS/H examples contained on the CD requires reasonable values for model parameters. Failure to specify reasonable values will frequently result in GPSS/H execution error 401 . This error occurs when the memory limits of Student GPSS/H are exceeded. For example, if you specify model parameters such that arrivals into a system occur more rapidly than they can be processed by the system, the contents of the system will become larger and larger the longer the model runs. As the contents of the system increase, more memory will be required. The model may run out of memory before a simulation run is completed. If so, error 401 will occur.

System Requirements for Running Proof Animation


To run proof, your system must satisfy two requirements: (1) it must support Microsoft DirectDraw 3.0 or later, and (2) it must have reasonably up-to-date video drivers.

DirectDraw is built into Windows 98, Windows 2000, and Windows NT4 (Service Pack 4 or later required). DirectDraw is not built into windows 95 . For Windows 95, DirectDraw can be downloaded free of charge from Microsoft. Currently, downloads can be obtained from
www.microsoft.com/directx/download.asp
Download the "home user" version. (You are not a software developer.)
If you already have Directoraw installed on your machine, you needn't download a later version. NT4 supports only DirectDraw 3, and Proof is written using DirectDraw 3 as a least common denominator.

Your video drivers must be "reasonably" up-to-date. If your video drivers are dated prior to 1998, you may encounter problems. Video drivers are generally available from two sources: the manufacturer of your machine's video hardware or the company from which you bought your computer. Video drivers are almost always available for download from a website. Generally, although not always, drivers that have been certified by Microsoft are preferable to uncertified drivers; however, probably less than half of the video drivers available are certified at present. You should not be afraid of running an uncertified driver.

Wolverine Software cannot provide you with DirectDraw, nor can we provide you with video drivers.

The installation procedure for Proof will perform tests to ascertain whether your system has adequate DirectDraw support. Proof will give you a step-bystep explanation of what it's doing. When the test procedure first comes up, it will be in a low resolution, usually $640 \times 480$. Before exiting the test procedure, you can use its Setup menu to try higher resolutions.

If at some later time you change video hardware or for some other reason need to retest your system's DirectDraw capabilities, you can do so by clicking on the "Test DirectDraw" entry under "Mine Design Examples" in the Start Menu.

If you experience problems with the cursor leaving trails of pixels as you move your mouse, try enabling Advanced Cursor Handling in Proof's Setup menu. If you have changed your default cursor to something other than the standard Windows arrow cursor, and the cursor you have chosen is implemented via software emulation, you may experience problems. If so, try changing back to the Windows standard cursor.

If you are running under Windows 95 or Windows 98 , and Proof does not work properly, you may have to change the Hardware Acceleration settings for your video hardware. To do so, click Start, Settings, Control Panel, System, Performance, Graphics. You will see a 4 -position switch. If this switch is set to the lowest position, no hardware acceleration is used, and DirectDraw will not work. If this switch is set to the highest position, you may experience problems with cursor motion on some machines.

The resolutions at which Proof can run are determined by available video memory and video driver policies for allocation of video memory. For example, your video hardware may have $2 M B$ of video memory, but your video driver may make only 1MB available for DirectDraw applications. Some video drivers make assumptions based on the color depth you use for your desktop. If you have problems running Proof, it's worth quickly testing whether changing your desktop's color depth helps. For example, changing from 16-bit depth 165536 colors) to 8 -bit $\langle 256$ colors may help. We have also seen instances in which increasing desktop color depth helps.

If you have difficulties with installation of Proof, send e-mail to mail@wolverinesoftware.com.

## PART III

## Examples on the CD

# Appendix A: Running the Programs and Animations 

Click here to download CD-ROM Installer

## THE SIMULATION PROGRAMS

When the CD-ROM that is included with this book is used to install the various files, two subdirectories are created on the hard disk. These are $\mathrm{C}: \backslash \mathrm{GPSSH}$ and $\mathrm{C}: \backslash \mathrm{PROOF}$. In the event that some other subdirectory was selected when the CD-ROM is installed, then the appropriate subdirectories will apply.

The subdirectory GPSSH contains the files to run the examples. These files are

| EX1A.GPS | EX9D.GPS | EX13D.GPS | EX22.GPS |
| :--- | :--- | :--- | :--- |
| EX1B.GPS | EX10A.GPS | EX14.GPS | EX23A.GPS |
| EX1C.GPS | EX10B.GPS | EX15.GPS | EX23B.GPS |
| EX2.GPS | EX10C.GPS | EX16A.GPS | EX24A.GPS |
| EX3.GPS | EX11A.GPS | EX16B.GPS | EX24B.GPS |
| EX4.GPS | EX11B.GPS | EX16C.GPS | EX25.GPS |
| EX5.GPS | EX11C.GPS | EX17.GPS | EX26.GPS |
| EX6A.GPS | EX12A.GPS | EX18.GPS | EX27A.GPS |
| EX6B.GPS | EX12B.GPS | EX19A.GPS | EX27B.GPS |
| EX7A.GPS | EX12C.GPS | EX19B.GPS | EX27C.GPS |
| EX7B.GPS | EX12D.GPS | EX19C.GPS | EX27D.GPS |
| EX8.GPS | EX12E.GPS | EX19D.GPS | EX28.GPS |
| EX9A.GPS | EX13A.GPS | EX19E.GPS | EX29.GPS |
| EX9B.GPS | EX13B.GPS | EX20.GPS | EX30.GPS |
| EX9C.GPS | EX13C.GPS | EX21.GPS |  |

The files, EX1A.GPS, EX1B.GPS, and EX1C.GPS correspond to Example 1. Example 2 has the single file EX2.GPS, etc.

To run any of the programs from the DOS prompt, key in the following:
C: \GPSS> GPSSH filename NODICT NOXREF <cr>

The filename is any file given above without the extension. If the .GPS file extension is included, the program will also run. NODICT and NOXREF are compiler directives and are optional. They stand for "no dictionary" and "no cross-reference."

The program will run and the screen will show the input prompts as given in each example. In the event that erroneous data are typed in, such as a letter for a number, an error message will appear on the screen and the program will have to be rerun.

Whenever a GPSS/H program is run, a .LIS file (filename.LIS) is created in the subdirectory where the GPSS/H programs are stored. This file is not needed for the examples as output is always sent to the screen and can be deleted. The effect of having NODICT and NOXREF is to cut down on the size of the .LIS file that is always created when the GPSS/H program is run. This .LIS file is created whenever the program is run and can be deleted. It is most useful for debugging purposes. Thus,

C: \GPSSH> GPSSH EX21 NODICT NOXREF <cr>
will run the program that goes with Example 21. The user will be prompted for input data as shown in the narrative for the example. If the compiler directives are omitted, the program will still run as before but the .LIS file is considerably longer.

One option for running the programs that is quite useful in debugging programs is the "TV" option. This is

GPSSH filename TV
The screen will be split into several parts. The top shows the program and location of the transaction being moved. The middle shows the current status of the transaction and the bottom is known as the dialog window. When this option is used, there will be the following on the bottom of the screen:

Ready !

Keying in s 1 (for "step 1") will show the movement of the first transaction after 1 step. The lines of code above and below the transaction will also be shown as well as the position of the transaction. Repeated keying of this (or s $n$ to advance $n$ steps) will show where the transaction being moved by the processor is. For example, there might be a message such as

```
XACT 1 POISED AT BLOCK 10.
    RELATIVE CLOCK: 2.5000
```

This shows that transaction 1 is poised at the 10th block at time 2.5000 .
This mode can be very useful in debugging programs. This option will not be needed for running any of the examples here.

## RUNNING THE ANIMATIONS

The following animation files are created and are found in the subdirectory $\mathrm{C}: \backslash \mathrm{PROOF}>$.

Each of them will have the extensions .LAY and .PTF

| A1ANIM | A9DANIM | A15ANIM | A24AANIM |
| :--- | :--- | :--- | :--- |
| A2ANIM | A10AANIM | A16AANIM | A24BANIM |
| A3ANIM | A10BANIM | A16BANIM | A25ANIM |
| A4ANIM | A11AANIM | A16CANIM | A26ANIM |
| A5ANIM | A11BANIM | A17ANIM | A27AANIM |
| A6ANIM | A11CANIM | A18ANIM | A27BANIM |
| A7AANIM | A12AANIM | A19AANIM | A27CANIM |
| A7BANIM | A13AANIM | A19BANIM | A27DANIM |
| A8ANIM | A13BANIM | A20ANIM | A28ANIM |
| A9AANIM | A13CANIM | A21ANIM | A29ANIM |
| A9BANIM | A13DANIM | A22ANIM | A30ANIM |
| A9CANIM | A14ANIM | A23ANIM |  |

To run any of the animations, key in
$\mathrm{C}: \backslash \mathrm{PROOF}$ > PP/DEMO filename <cr>
Only the name of the animation file need be used, not the extension. For example, keying in

PP/DEMO A1ANIM <Cr>
will cause the animation associated with Example 1 to be run.
The animations are run in what is known as "demo" mode. This gives the user the full power of PROOF but any changes that are made to the animation will not be saved. When an animation is run, the layout will be shown. A menu bar appears on the top of the screen. Using the mouse to click on GO starts the animation. By using the menu bar options, the animations can be changed. The menu bar has the following options:

```
TIME 0.0 SPEED 6.00 FASTER SLOWER PAUSE GO VIEW FILE MODE
```

These options can all be used when viewing the animations.
TIME This allows the animation to go forward or back in time. When this is used, a bar is shown in the bottom center of the screen to prompt the user to input a time jump.

SPEED By default, the animations have an initial viewing "speed" of 6.00. This corresponds to having 6 time units of the animation take 1 second of viewing time. Thus, an animation that uses 100 simulated time units will be shown on the screen in 16.67 sec onds. If this option is used, the animations can be speeded up or slowed down by keying in a new viewing speed.

FASTER This causes the animations to run faster. This will have the same effect as the SPEED option, but now the speed increases by about $10 \%$ per click of the mouse.

SLOWER This has the same effect as FASTER but in reverse.
PAUSE This will pause the animation until GO is clicked on.
VIEW There are many options with this, and a pull-down menu will appear when this is clicked. Some of these options cannot be used in demo mode.

| Select View | This allows you to select any previously <br> defined views (but no previously defined <br> views are included with the animations). |
| :--- | :--- |
| Define View | It is not possible to define new views in <br> demo mode. |
| Update Existing View | This option will not work in demo mode. |
| Delete Existing View | This option will not work in demo mode. |
| Capture New View | This option will not work in demo mode. |
| /Split View | This lets you split the current view into 2 <br> or more independent windows. Each win- <br> dow can be manipulated independently <br> by using other View menu options. The <br> options are to split the screen horizontally <br> or vertically. |

Unsplit Deletes a window.
Resize Changes the size of a window.
Undo Undoes the previous Split, Unsplit, or Resize.

Pan This allows one to pan the animation.
Left $25 \%$ Shift the window $25 \%$ left.
Right $25 \%$ Shift the window $25 \%$ right.
Up $25 \% \quad$ Shift the window $25 \%$ up.
Down $25 \%$ Shift the window $25 \%$ down.
Zoom
Zoom in or out of the animation. This goes from $0.9 \times$ to $3.0 \times$.

| Zoom Box | This allows one to zoom by using a zoom <br> box. When this option is selected, a zoom <br> box appears on the screen. The boundaries <br> can be clicked on to increase or decrease <br> the box. There is a cross hair in the center <br> to move the zoom box to a new location. |
| :--- | :--- |
| Rotate | This rotates the animation 10 degrees at <br> a time. |
| Grid, Inspect, <br> and Refresh | These are not used in demo mode. |

FILE This has the following options.
Open Layout \& Trace Select from the stored files of .LAY and .PTF files.

Open Layout Only Select from the stored .LAY files.

| Change Directory | Not needed for the examples unless they <br> are stored in a directory different from <br> C: $\backslash$ PROOF. |
| :--- | :--- |
| Change Disk | Not needed for the examples unless they <br> are stored in a directory different from <br> C: $\backslash$ PROOF. |

MODE This has several options but the only ones that are used in demo mode are the following.

| Run | Starts the animation. The line menu <br> appears on the top of the screen, if it is <br> not there already. |
| :--- | :--- |
| Exit | Exits the animation. |

## Appendix B: SNAs Used in Book

Some of the SNAs given below have " $\overline{\prime \prime}$ after them. This is either a positive integer or an opening parenthesis followed by a legal GPSS/H name followed by a closing parenthesis. For example, Qaj could be QA5 or QA(WAIT) if the queue was referred to by a 5 for its operand or had the operand WAIT. Alternatively, one could write this as QA(5) or QA\$WAIT. The use of the dollar sign is considered obsolete but is still supported in GPSS/H.

When an SNA is "rue," this means that the value is 1 , otherwise the value is 0 .
AC1 Absolute clock in simulation.
BVj The value of the Boolean variable (either 0 or 1 ).
C1 Relative clock of the simulation.
$\mathrm{FNj} \quad$ Value of function.
FRN $j \quad$ Random number in the interval $0<$ random number $<1$.
$\mathrm{Kj} \quad$ Integer constant (obsolete).
M1 Transit time of transaction. This is the difference between the absolute clock and the mark time of the transaction. The mark time is when the transaction left th ' GENERATE block.

MPjPL This is computed as the difference between the current value of the absolute clock and what is stored in the floating-point parameter $j$. This is normally the absolute clock time that the transaction entered a MARK block. One can also have MPjPB, MjPF, and MPjPH, but their use is rare since the absolute clock is stored as a floating-point value.

The total number of transactions to have entered the block.
PR Transaction priority. This can be in the interval $-2,147,483,632$ to $+2,147,483,632$.
$\mathrm{RNj} \quad$ Random number. This returns a random number. If it is used with a function, the random number is in the interval $0 \leq$ random number < 1 . If it is used in any other context, the number is in the interval $0 \leq$ random number $\leq 999$.

TG1 Current value of terminate counter. This is originally specified by the START statement.

Value of variable (or Fvariable). This is a floating-point value for both types.

Wj
The current block count.
XID1 The number of the current transaction. Each transaction has a unique number.

## facilities

Fj
FCj
FNSj
FNUj
FRj
FSj
FTj Average time per transaction when in facility.
FUj True when in use.

## LOGIC SWITCHES

LRj True when logic switch is reset.
$\mathrm{LSj} \quad$ True when logic switch is set.

## MATRICES

MBj (row, col) The value of the (row, column) of the byte-word matrix savevalue.

MHj(row, col) The value of the (row, column) of the halfword matrix savevalue.

MLj(row, col) The value of the (row, column) of the floating-point matrix savevalue.

MXj(row, col) The value of the (row, column) of the fullword matrix savevalue.

Caution: Do not use MFj(row, col) for the value of the fullword matrix savevalue.

## PARAMETERS

$\mathrm{Pj} \quad$ The value of a parameter where the mode is determined at run time. This is not a recommended use of parameters.
$\mathrm{PBj} \quad$ The value of the transaction's byte-word parameter. This is restricted to values between -128 and +127 .

PFj The value of the transaction's fullword parameter. This is restricted to values between $-2,147,483,648$ and $+2,147,483,647$.
$\mathrm{PLj} \quad$ The value of the transaction's floating-point parameter. This value depends on the computer.

## QUEUES

Qj Current content.
QAj Average contents.
QCj Total entry count.
QMj Maximum entry count.
QTj Average time in queue for every transaction, even those that have a zero residence time.

QXj Average time in queue for only those transactions that were held up in the queue.

QZj Number of transactions that passed through the queue in zero residence time.

## StORAGES

Rj Remaining storage capacity.
$\mathrm{Sj} \quad$ Units of storage currently in use. Note that if the original storage was $m$, then $\mathrm{Rj}+\mathrm{Sj}=\mathrm{m}$. The original storage, $m$, is not an SNA.

SAj Average contents.
SCj Total number of entries.
SEj True if storage is empty.
$\mathrm{SFj} \quad$ True if storage is full.
SMj Maximum contents.
SNEj True if storage is not empty.
SNFj True if storage is not full.
SRj Utilization of storage expressed in parts per thousand.
STj Average time per unit in storage.

TABLES
$\mathrm{TBj} \quad$ The mean value.
TCj The number of entries.
TDj The standard deviation.

SAVEVA: uES
$\mathrm{Xj} \quad$ Value of fullword savevalue. The use of this form is not recommended.
$\mathrm{XBj} \quad$ Value of byte-word savevalue. These values are in the range -128 to +127 .

XFj Value of fullword savevalue. These values are in the range $-2,147,483,648$ to $+2,147,483,647$.
$\mathrm{XHj} \quad$ Value of halfword savevalue. These values are in the range $-32,768$ to $+32,767$.
XL. $j \quad$ Value of floating-point (real) value of savevalue. Maximum and minimum values depend on the size of the computer.

## Appendix C: Historical GPSS/H Format

## GENERAL FORM OF A GPSS/H PROGRAM LINE

The format for coding a line of GPSS/H code has evolved over the years. The general form of a line will look as follows:

```
label operation operand(s) comment
```

Since GPSS was introduced when communication with the computer was done by using 80 -column punch cards, at one time the coding was very strict. This is known as "fixed" format and the rules were as follows:

- Position 1 is blank.
- The label is in positions 2 through 6 so must be 5 or less characters in length.
- Position 7 is blank.
- The operation is in position 8 through 17.
- Position 18 is blank.
- The operands start in position 19 or further (but not beyond position 25).
- Comments begin anywhere after the operands as long as there is a single space between them.

Today, GPSS/H supports a free format as well as the older fixed format. The main differences between free format and fixed format are that the labels and operands can be up to 8 characters in length and the operands can begin in an arbitrary position. In general, the form is as follows:

- Labels begin in either position 1 or 2 (in this book, they begin in position 2). They can be from 1 to 8 characters in length. Because GPSS/H has many reserved words that are normally from 1 to 3 characters in length with a few as long as 4 characters in length, it is good programming practice to have labels 5 or more characters in length.
- Operations normally start in position 8 but may begin in a position up to OPERCOL -1. OPERCOL is 25 by default. In this book, operations begin in position 11.
- Operands begin in position OPERCOL or less.
- Comments begin separated from operands by one space. However, there is one case-when specifying a MACRO-in which comments must begin after two spaces, so the practice in this book is to always have two spaces between operands and comments.

The OPERCOL statement comes at the start of the program and has the form OPERCOL $n$
where $n$ is an integer greater than 25 . This statement tells the compiler that the operands will begin in column $n$ or before. Thus,

```
OPERCOL
30
```

tells the compiler that the operands will begin in position 30 or before. Sometimes this statement is useful to align code, as in complicated DO loops.

Note: f indicates figure, t indicates table.

## Index Terms

## Links

## A

| ADVANCE block | 87 |  |
| :---: | :---: | :---: |
| caution in using functions with | 137 |  |
| exercises | 91 |  |
| A mpervariables | 241 |  |
| and DO Ioop | 243 |  |
| and ELSE statement | 249 |  |
| and ENDIF statement | 249 |  |
| exercises | 251 |  |
| and GETUST statement | 247 | 250 |
| and GOTO statement | 249 | 250 |
| and HERE statement | 250 |  |
| and IF statement | 248 | 250 |
| A nimations (on CD-ROM) | 353 |  |
| A rithmetic expressions | 153 | 284 |
| exercises | 155 |  |
| A rithmetic operations | 47 | 283 |
| Art exhibit example | 90 |  |
| ASSEM BLE block | 321 |  |
| A ssembly line example | 49 | 308 |
| A ssembly sets | 321 |  |
| exercises | 333 |  |
| ASSIGN block | 182 |  |
| decrement mode | 182 |  |
| general form | 186 |  |
| increment mode | 182 |  |
| A trributete-valued functions | 141 |  |

B

BGETLIST block341
Blodes ..... 51
Boolean expressions (rules for evaluation) ..... 293
Boolean operators ..... 290
Boolean variables ..... 289
and Boolean operators ..... 290
exercises ..... 297
and logical operators ..... 292
referencing ..... 293
and relational operators ..... 290
BPUTPIC block ..... 83
See also PUTPIC statement
exercise ..... 85
BPUTSTRING block ..... 341
Brand loyalty example ..... 275
BUFFER blodc ..... 301
BVARIABLE statements ..... 289
Byte-word savevalues ..... 207
C
Car inspection example ..... 116
Car repair example ..... 102
Cars-and-junction example ..... 81
CD-ROM
animations ..... 353
simulation programs ..... 351
CLEAR statement ..... 129
exercises ..... 131
and savevalues ..... 211
Coding format ..... 361
Comparison operators. See also Relationaloperators
Conditional TRANSFER block ..... 66
Continuous functions ..... 139
Control statements ..... 51
COUNT block ..... 258
with facilities and storages ..... 261
with logic switches ..... 259
Cyclic queues ..... 23D
DEPART block ..... 96
exercises ..... 98
Discrete functions ..... 133
Discrete systems ..... 7
19
Distributions
built-in functions ..... 167
exercises ..... 171exponential and normal ones other than
built-in ones ..... 169
nonsymmetrical ..... 27
normal ..... 168
Poisson ..... 167
symmemcal ..... 27
triangular ..... 168
DO loop ..... 243
Drilled boxes example ..... 322
E
ELSE statement ..... 249
END statement ..... 48
ENDIF statement ..... 249
ENTER block ..... 111
exercises ..... 120
Entities ..... 255
Entity class ..... 255

EQU statement 188
Examples (on CD-ROM) 351

## F

Facilities 260
SNAS 358
Factory parts example 229
257309
FAVAIL block 342
FILEDEF statement 82
filename 351
FIX mode conversion 209
Fixed format 42
361
Floating-point savevalues 207
FLT mode conversion 209
Fortran 10
Free format 46
361
Fullword savevalues 207
FUNAVAIL block 342
Functions
attribute-valued 141
built-in 167
caution in using with A DV A NCE and GENERATE blocks 137
continuous 139
discrete 133
exercises 142
list 141
normal distribution 168
Poisson distribution 167
referencing 135
triangular dismbution 168
use with SNAS 140

## G

GATE block
219
289
in conditional transfer mode 220
exercises 224
GATHER block 330
Gaussian disttibution. See also Normal distribution
GENERATE block
$51 \quad 55$
caution in using functions with 33
creating transactions 52
exercises 59
GETLIST statement 247
GOTO statement 249
GPSS
benefits
nonprocedural language
origins
GPSS/H
arithmetic operations 47
coding format 361
defined
END statement 48
fixed format 42
361
and Fortran 10
free format 46
input format 36
internal clock 51
learning 9
modern versions 8
origins 8
output 39
reasons for using 7
SIM ULATE statement 48
and traditional languages 10

## H

Halfword savevalues 207
Hand simulation 49
Harbor example 189
Hardware store example 115
HERE statement 250
I
IA mode table 202
IF statement 248

117184 550

## I

IA mode table 202
IF statement
248
INITIAL statement 211
Input format 36
L
LEAVE block 116
exercises 120
LINK block 344
conditional mode 345
Link indicator 345
List functions 141
LOGIC block 217
Logic switches. See also GATE block, LOGIC block
SNAs
358
with SELECT or COUNT block 259
Logical expressions 289
Logical operators 292
LOOP block 187

## M

M 1 and tables
200
M achine production example 271
M acro definition statements 335
Macros
335
MARK block 201
Index Terms ..... Links
MATCH block ..... 332
$M$ athematical functions ..... 152
exercises ..... 155
$M$ atrices ..... 267
defining ..... 267
exercises ..... 278
initial values ..... 268
savevalue block ..... 270
SNAs ..... 358
transition ..... 275
types of ..... 267
Military time ..... 312
example ..... 312
MSAVEVALUE block ..... 270M ultiple servers. See also ENTER block, LEAVEblock, STORA GE statement
M ultiple STA RT statements ..... 127
N
Negative times ..... 53
Newspaper boy's problem example ..... 212
Nonprocedural language ..... 427
Normal distribution ..... 168
0
Operands ..... 284
exercises ..... 287
Other simulation languages ..... 10
Output ..... 39
P
Parameters ..... 179
ASSIGN block ..... 182
EQU statement188
9
Parameters (Cont.)
exercises193
giving names ..... 183
LOOP block ..... 187
SNAs ..... 359
PERT diagrams ..... 324
Poisson distribution ..... 167
PREEM PT block ..... 346
PRINT block ..... 286
PUTPIC statement ..... 79
See also BPUTPIC block
exercise ..... 85
PUTSTFUNC statement ..... 77
exercises ..... 83
Q
QTABLE mode ..... 203
QUEUE block ..... 93 ..... 98
Queueing theory ..... 13 ..... 3
Queues
cyclic ..... 23 ..... 3
SNAs ..... 359 ..... 359
Quickline example ..... 261 ..... 261
R
Random numbers ..... 53
Referencing functions ..... 135
Relational operators ..... 290
RELEASE block ..... 102
325 ..... 327
exercises
exercises
19 ..... 23
exercises ..... 105
Repair shop example ..... 302
RESET statement ..... 130
and savevalues ..... 211
exercises ..... 131
RETURN block ..... 347This page has been reformatted by Knovel to provide easier navigation.


SIMULATE statement

| Simulation |  |  |  |
| :---: | :---: | :---: | :---: |
| applications | 19 |  |  |
| barbershop example | 11 | 35 |  |
|  | 49 | 54 | 56 |
|  | 97 | 113 | 154 |
| information needed and provided | 20 |  |  |
| vs. mathematical solution | 24 |  |  |
| mining operations | 14 |  |  |
| nonsymmetrical and symmetrical |  |  |  |
| distributions | 27 |  |  |
| other languages | 10 |  |  |
| and personal computers | 15 |  |  |
| programs (on CD-ROM) | 351 |  |  |
| queueing theory | 13 | 19 | 23 |
| shovel-loading truck example | 29 | 60 | 103 |
|  | 221 | 337 |  |
| tool crib example | 22 |  |  |
| SNA s. See also Standard numerical attributes |  |  |  |
| Soft drink brand loyalty example | 275 |  |  |
| Spare truck problem | 119 |  |  |
| SPLIT block | 307 |  |  |
| exercises | 317 |  |  |
| general form | 316 |  |  |
| Standard numerical attributes | 79 | 151 |  |
| See also Parameters |  |  |  |
| and arithmetic expressions | 153 |  |  |
| associated with STORA GE statement | 114 |  |  |
| exercises | 155 |  |  |
| facilities | 358 |  |  |
| list of mathematical functions | 152 |  |  |
| logic switches | 358 |  |  |
| M 1 and tables | 200 |  |  |
| matrices | 358 |  |  |
| parameters | 359 |  |  |
| partial list of | 152 |  |  |
| queues | 359 |  |  |


| Standard numerical attributes (Cont.) |  |  |
| :---: | :---: | :---: |
| savevalues | 360 |  |
| storages | 359 |  |
| and tables | 197 | 200 |
| used in this book | 357 |  |
| using functions with | 140 |  |
| START statement | 57 | 127 |
| exercises | 131 |  |
| multiple | 128 |  |
| Statements | 51 |  |
| STORAGE statement | 112 |  |
| exercises | 120 |  |
| SNAs | 359 |  |
| Student example | 88 |  |
| SUNAVAIL block | 348 |  |
| symmetrical distributions | 27 |  |
| T |  |  |
| TABLE statement | 197 |  |
| Tables |  |  |
| exercises | 203 |  |
| IA mode table | 202 |  |
| and M 1 | 200 |  |
| MARK block | 201 |  |
| QTABLE mode | 203 |  |
| RT mode table | 202 |  |
| and SNAs | 197 | 200 |
| TABLE statement | 197 |  |
| TABULATE block | 198 |  |
| TABULATE block | 198 |  |
| TERMINATE block | 57 |  |
| exercise | 59 |  |
| TEST block | 157 | 217 |
| exercises | 162 |  |
| normal mode | 161 |  |
| refusal mode | 158 |  |

This page has been reformatted by Knovel to provide easier navigation.

## Links

Time caution ..... 90
Timer example ..... 83
Tire supply example ..... 244
Transactions ..... 51
assembly sets ..... 321
cloning ..... 307
creating ..... 52
parameters attached to each ..... 179
TRA NSFER block ..... 65
in ALL mode ..... 228
conditional ..... 66
exercises ..... 68248
in function mode ..... 230
in parameter mode ..... 232
in pick mode ..... 227
in simultaneous mode ..... 234
in subroutine mode ..... 233
unconditional ..... 65
TRANSFER BOTH block ..... 67
TRANSFER SIM block ..... 234
Triangular distribution ..... 168
Truck inspection and refueling example ..... 268
Truck repair example ..... 231
24-hour time ..... 312
example ..... 312
U
Unconditional TRANSFER block ..... 65
UNLINK block ..... 344
W
Writing to a file ..... 82


[^0]:    Note: Positions 1, 10, and 21 are generally blank. See text for more information.

    * Because GPSS/H has many reserved words that are normally from 1 to 3 characters in length with a few as long as 4 characters in length, it is good programming practice to have labels 4 or more characters in length. Furthermore, labels are only used for "cross-referencing" lines of code. Thus labels are not normally used for blocks and are needed in only certain statements.
    $\dagger$ The maximum number of characters is 8 .

